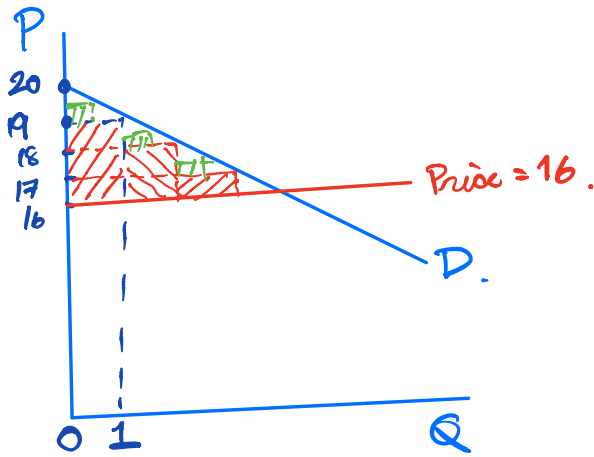


Consumer's Surplus = Value of the quantity bought in the mind of the consumer (s) subtracted by the total amount paid.

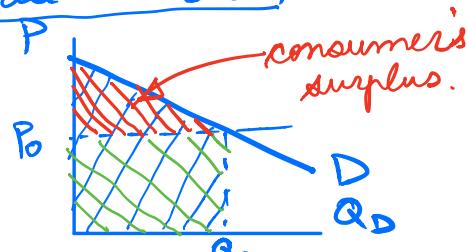


P	Q_D
20	0
19	1 → Consumer values the 1 st unit ⇒ 19
18	2 → " 2 ⇒ 18
17	3 → " 3 ⇒ 17
16	4 → " 4 ⇒ 16.

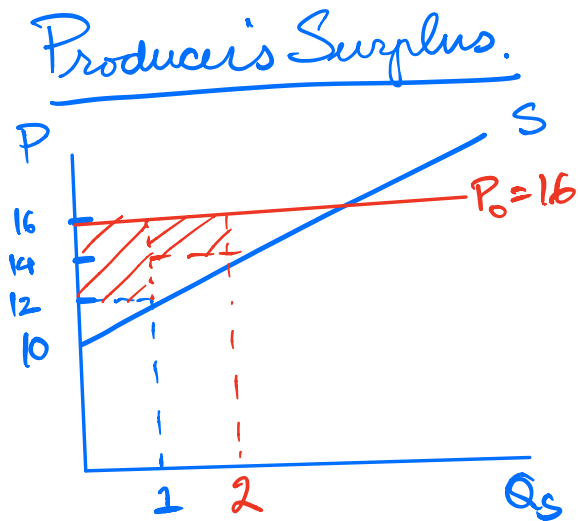
If $P=16$. for all units, pays $16 \times 4 = 64$ ~~₹~~
 but receives total value $\Rightarrow 19 + 18 + 17 + 16 = 70$ ~~₹~~.

$$\therefore \text{Consumer's surplus} = 70 - 64 = 6 \text{ ₹}$$

If we can vary the price at any decimal point, the consumer's surplus will be the area under D, subtracted by the amount paid ($= P_0 \cdot Q_0$)



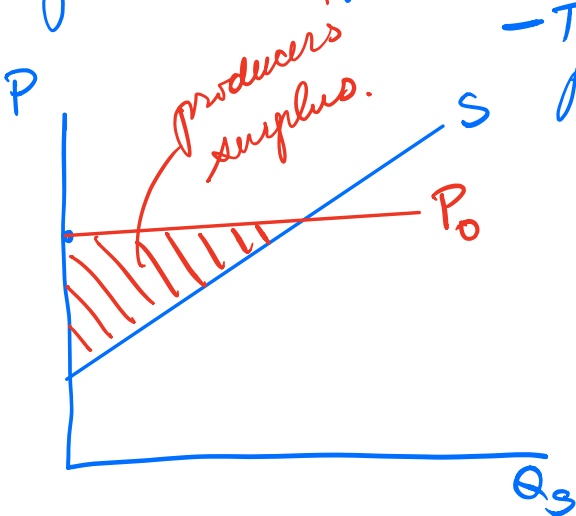
Note P_0 reflects the value the buyer places on the last unit bought.



P	Qs	
10	0	
12	1	Cost of 1 st unit ≤ 12 .
14	2	— 2 nd — ≤ 14
16	3	— 3 rd — ≤ 16 .

$P_0 = 16$, Total revenue = $3 \times 16 = 48$
 Total cost = $16 + 14 + 12 = 42$
 \therefore Producer's Surplus = $48 - 42 = 6$

If we can vary the price continuously, the
 producer's surplus = Total Revenue



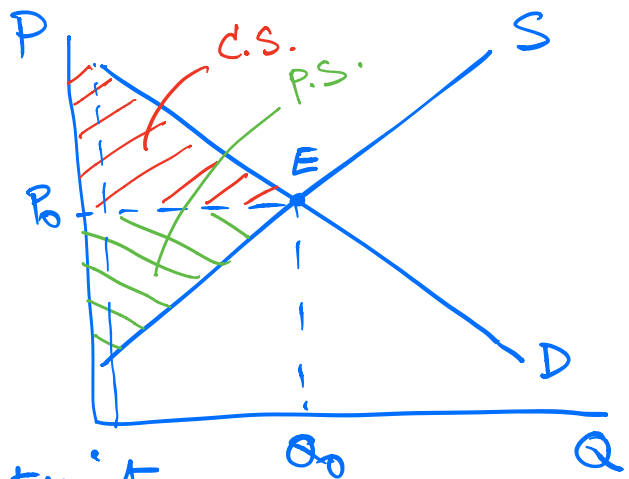
— Total Additional cost of producing each additional unit.

Note: P_0 is the cost of producing the last unit sold.

Market Equilibrium. $E = (Q_0, P_0)$

① $\text{Excess D} = \text{Excess S} = 0$

$Q_D = Q_S$
Eq. Condition.



②. P_0 = value the buyer places on the last unit
= cost of producing the last unit.

③ $\text{Social Welfare} = C.S. + P.S.$
= Total welfare gained from having Q_0 at price P_0

Note at $E = (Q_0, P_0)$ is where social welfare is maximized. i.e. if the price is not P_0 and quantity is not Q_0 , the society will receive less social welfare (to be seen in the following Applications)