

M = No. of times to Maldives
 T = No. of times to Thailand

Maldives & TH are perfectly substitutable goods

Combination possible within 10,000 baht budget

Maldives	TH
0	3
1	1
2	0

How many of each

$$\frac{MU_T}{P_T} = \frac{MU_M}{P_M}$$

$$\frac{MU_T}{3000} = \frac{MU_M}{5000}$$

} MU_M is twice
as much as
 MU_T

2 Maldives is the only option that Neo can travel to Maldives more than TH.

$$\frac{1}{3000} < \frac{2}{5000}$$

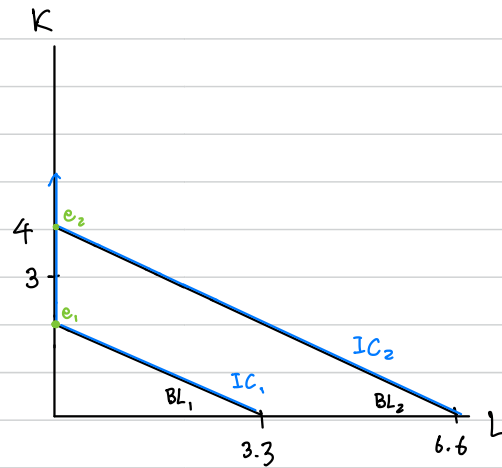
Ans: Travel to Maldives 2 times
to Thailand 0 times

Must travel to Maldives more than TH

1b) At budget = 20,000 baht, Neo options are:

Maldives	Thailand
0	6
1	5
2	3
3	1
4	0

} There are now
2 options
that No. of time



to Maldives \rightarrow TH $\rightarrow M=4, T=0$ is the only option that utilised budget = 20,000, and also yields more utility.

Slope of ICC = undefined

if use Maldives in X axis, the ICC Slope would be 0

2a) Marginal Rate of technical Substitution

$$= \frac{MP_L}{MP_K} = \frac{6}{8} = \frac{3}{4} \text{ Ans}$$

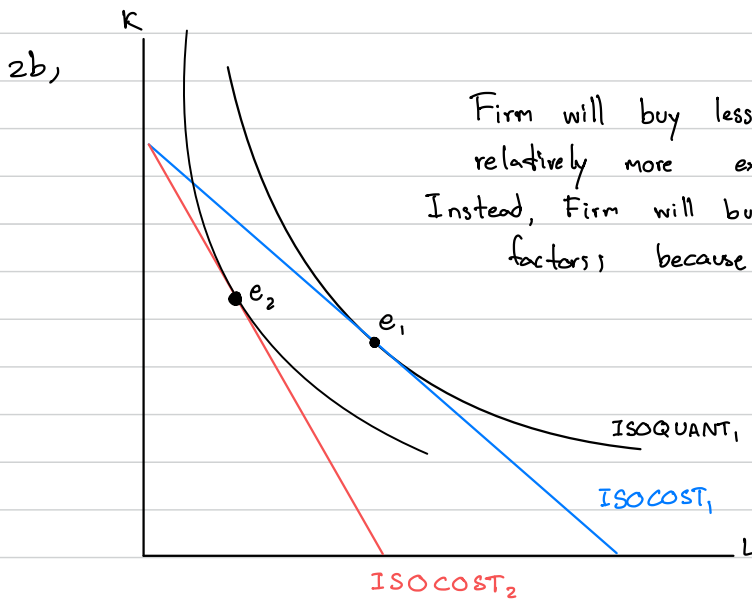
At the equilibrium \rightarrow Slope of isoquant = slope of isocost

$$\frac{MP_L}{MP_K} = \frac{w}{r}$$

$$\frac{3}{4} = \frac{3}{r}$$

$$r = 4$$

Ans: r = \$4



Firm will buy less labour because it has become relatively more expensive.

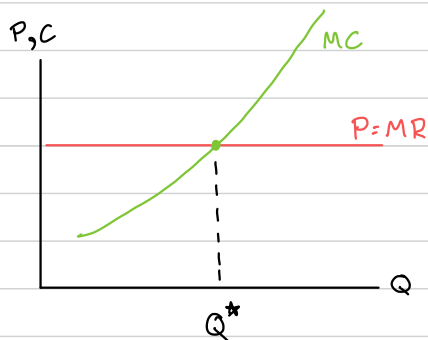
Instead, Firm will buy more capital (K, L are substitutable factors) because K has become relatively cheaper.

3a) Profit maximising condition $\rightarrow MC = MR$

in this case, at equilibrium $P = 150$ baht,

at for perfect competition $P = MR$

meaning that the Marginal Cost is 150 baht



3b)

$$Q = 20 \quad P = 150$$

$$AC = 180$$

$$AFC = 60$$

$$AVC = AC - AFC$$

$$= 180 - 60$$

$$= \underline{\underline{120 \text{ baht}}}$$

$$TR = P \cdot Q$$

$$= 20 \cdot 150$$

$$= \underline{\underline{3,000 \text{ baht}}}$$

$$TC = AC \cdot Q$$

$$= 180 \cdot 20$$

$$= \underline{\underline{3600 \text{ baht}}}$$

$$\pi = (P - AC)Q$$

$$= (150 - 180) 20$$

$$= \underline{\underline{-600 \text{ baht}}}$$

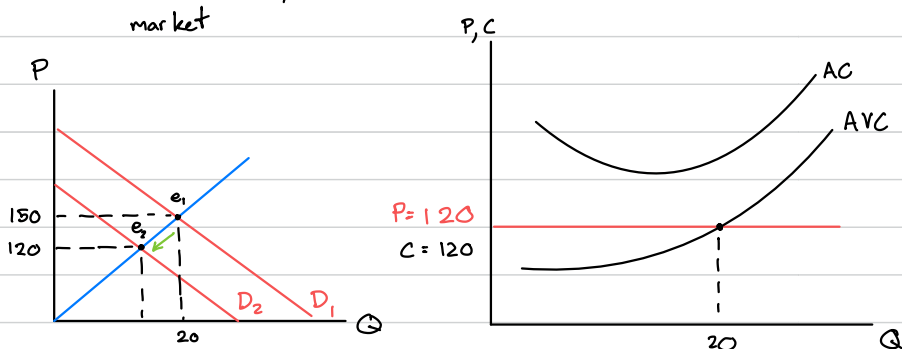
3c) Yes, they should. Because at $P=150$ and $AVC=120$, after the firm pay the wage, they would still have $150-120=30$ baht left to pay for the interests.

$$\begin{aligned} TFC &= 60 \cdot 20 = 1200 \\ TVC &= 120 \cdot 20 = 2400 \\ TR &= 3000 \end{aligned}$$

If firm decided to stop the production, they would lose 1,200 baht from the fixed cost, but if they keep producing at $Q=20$, then they can use TR received to pay for TVC at 2400 baht, and have 600 baht left over to pay for the TFC.

Instead of losing 1,200 baht, they would be losing only 600 baht.

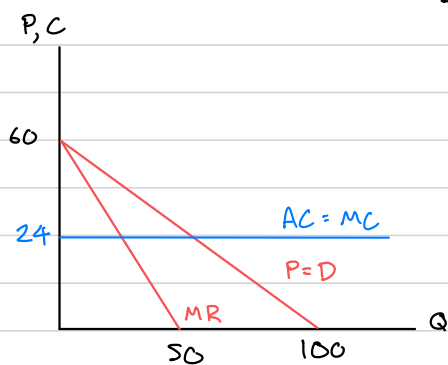
3d) (i) Change in equilibrium price and the quantity of the market (ii) firm equilibrium quantity and profit



The answer from C would change from keep producing to "It's up to the firm" because if they stop producing ($Q=0$) they will have to pay full TFC. If they keep producing, TR would cancel out TVC altogether and the firm has to pay full TFC.

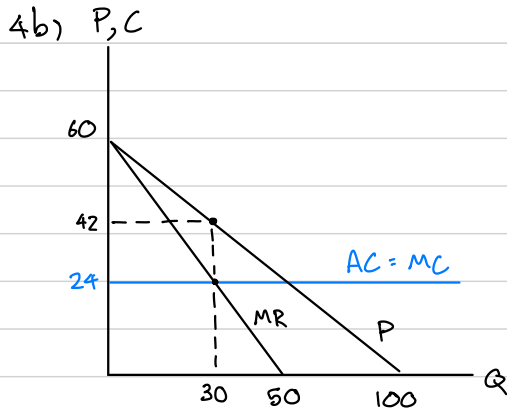
4a) $MR = \text{derivative of } TR$ $TR = P \cdot Q$
 $= Q(60 - 0.6Q) = 60Q - 0.6Q^2$

$$\frac{dTR}{dQ} = 60 - 1.2Q = MR$$



Profit is maximised when $MR = MC$, because when $MR > MC$, producing one more unit will yield more money than what it cost to produce. But when $MR < MC$, each Q would be making a loss.

The area highlighted in blue is profit.



$$\pi = TR - TC = 42(30) - 24(30) = 540$$

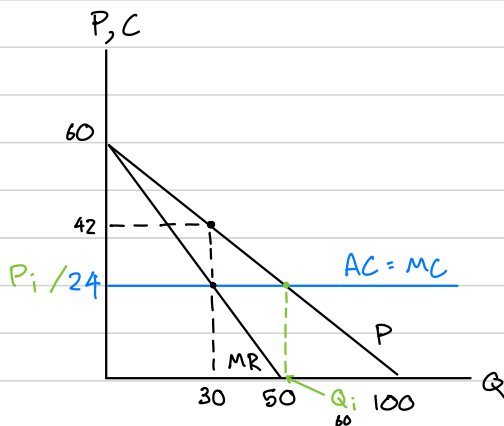
$$MR = MC$$

$$24 = 60 - 1.2x$$

$$x = 30 = Q$$

optimal no. of house = 30

4c) Ideal Price $\rightarrow P = MC$



In this case, $AC = MC$ and it is a straight line, and ideal prices stated that $MC = P$. Meaning $P = AC$ and the H & L makes $\pi = 0$. But consumer can buy more goods at the same price.

$$P = 60 - 0.6Q$$

$$24 = 60 - 0.6Q$$

$$Q = 60$$

$$\text{Gov forced price} = 24$$

$$\text{then } Q = \underline{60}$$

Ideal price is designed to lower the price of goods in a monopoly market. In the example that I illustrated, The excess profit is reduced from the blue area to green area only. But in some cases, if the point $P = MC$ is lower than AC , the firm will make a loss and likely to leave the market, leaving the consumer with no product.

5.

		Mix (Regular)		
		Boba tea (B)	Ice-cream (C)	Donut (D)
Mook	Boba tea (B)	1, 2	3, 5	2, 1
	Ice-cream (C)	0, 4	2, 1	3, 0
	Donut (D)	-1, 1	4, 3	0, 2

Nash Equilibrium At Mook-D Mix-C (4, 3)

Because if Mook choose this point for her best payoff = 4, then mix options would be 1, 2, 2 and Mix would choose 3, which is the same point for Mook.

After seeing Mook choice, Mix doesn't want to change anything
= Nash Equilibrium