

1.a) • $MRTS = \frac{\Delta K}{\Delta L} = \frac{MP_L}{MP_K} = \frac{6}{8} = 0.75$ *

∴ To produce the same amount of output, firm needs to sacrifice 0.75 units of capital to get 1 unit of labor *

• cost-minimization condition is $MRTS = MP/MS$

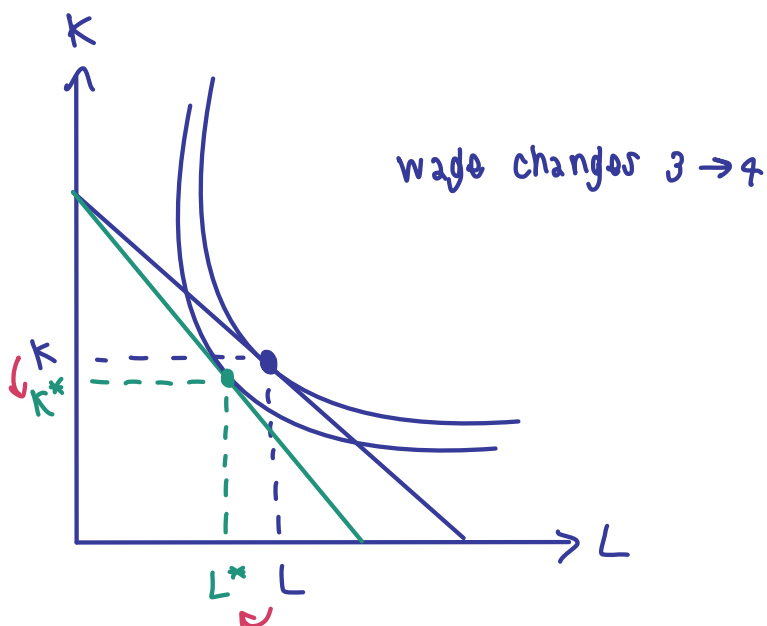
$$\frac{MP_L}{MP_K} = \frac{w}{r}$$

$$\frac{MP_L}{w} = \frac{MP_K}{r}$$

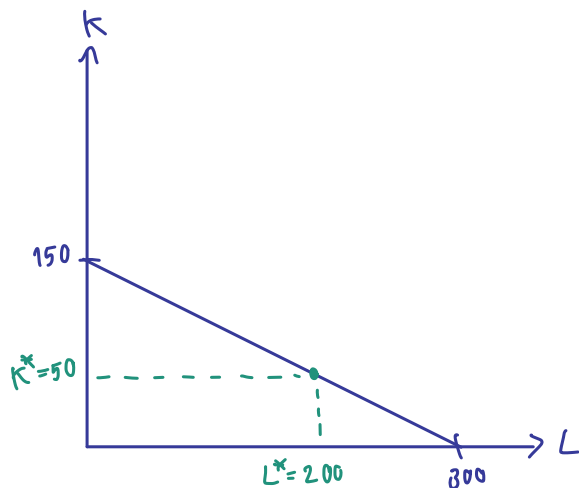
$$\frac{6}{3} = \frac{8}{r}$$

$$r = 4$$
 *

1.b)



2.a)



$$\begin{aligned} TC &= LW + Kr \\ &= 200(10) + 50(20) \\ &= 3000 \end{aligned}$$

• find intercept

$$K=0 \rightarrow 3000 = 10L \rightarrow L = 300$$

$$L=0 \rightarrow 3000 = 20K \rightarrow K = 150$$

• Cost-minimization : $MRTS = MP_{MS}$

$$\left| \frac{\Delta K}{\Delta L} \right| = \frac{w}{r}$$

$$\left| \frac{-150}{300} \right| = \frac{10}{20} = \frac{1}{2} \quad *$$

∴ The optimal choice to minimize the cost and keep the level of output, firm sacrifice 1 K and gain 2 L

$$q(K^*, L^*) = q(50, 200) \quad *$$

2.b)

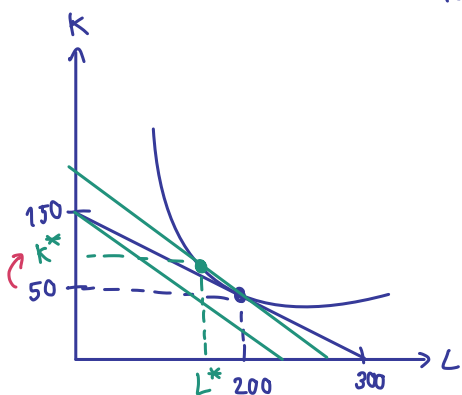
$$\frac{MP_L}{MP_K} = \frac{w}{r}$$

$$\therefore MP_L \text{ of } 200^{\text{th}} \text{ labor} = 16 \quad *$$

$$MP_L = \frac{10}{20} \cdot 8$$

$$= 4 \times 4$$

2.c) W increase 10 → 15



$$3000 = 15L + 20K$$

$$\text{when } L=0 : 3000 = 20K ; K = 150$$

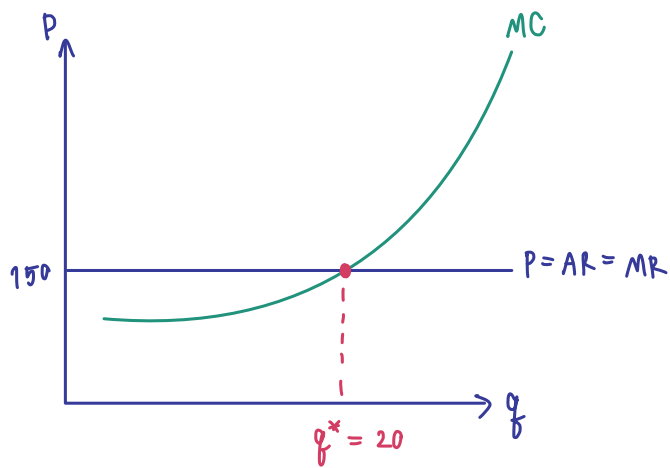
$$K=0 : 3000 = 15L ; L = 200$$

∴ using less labor due to $w \uparrow$ but more capital, the production becomes more capital-intensive *

2.d) In short-run, there is at least 1 factor is fixed as firm take time to expand.

In long-run, all factors are variable and can be adjusted.

3.a)



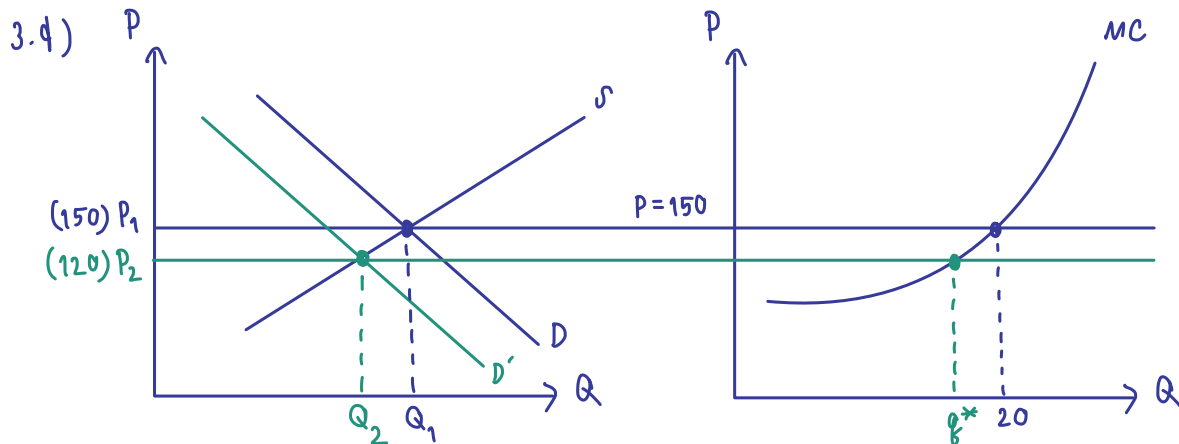
$\therefore$ profit maximization : $MC = MR$
condition

3.b)

$AVC = ATC - AFC$ $= 180 - 60$ $= 120 \text{ baht} *$	$TR = P \cdot q$ $= 150 \cdot 20$ $= 3,000 \text{ baht} *$	$TC = ATC \cdot q$ $= 180 \cdot 20$ $= 3,600 \text{ baht} *$	$\text{Profit} = TR - TC$ $= 3,000 - 3,600$ $= -600 \text{ (loss)} *$
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3.c) Yes, the firm can still stay in the short-run market although they facing loss. This is because Price still more than average cost ($P > AVC$). Firms can compensate the fixed cost by using the difference between P and AVC .

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when price market drops to 120, the equilibrium quantity and profit will drop.

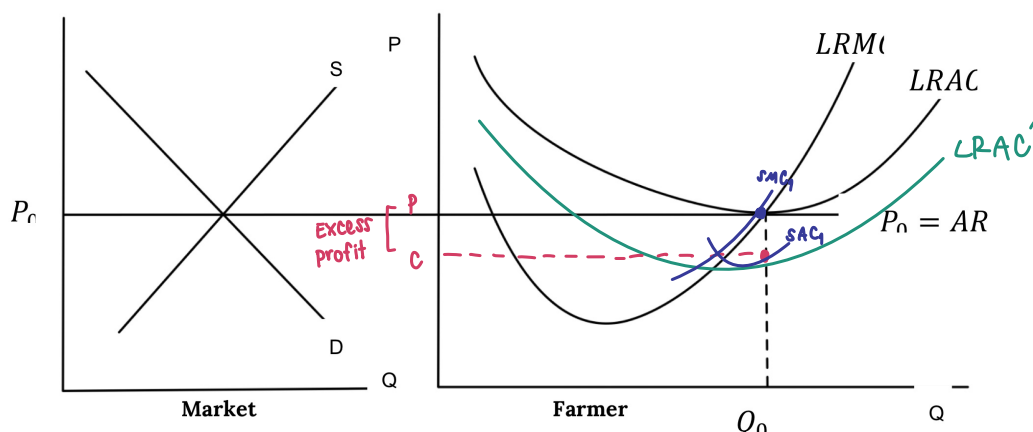
so $P = AVC$, whether keep producing at q^* or stop are indifferent.

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4.a) subsidy will decrease TC, so this make LRAC drops.

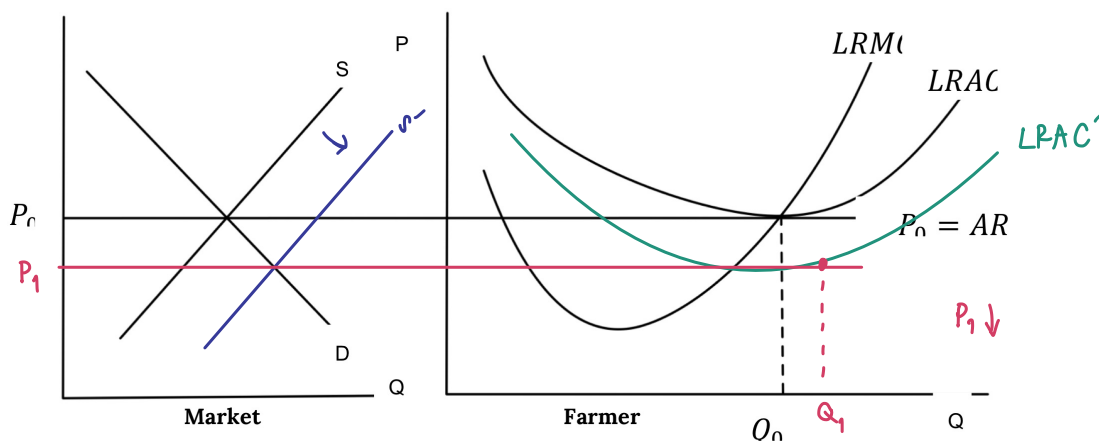
Because farmer is a price taker in the perfect competition, the competitive price and q^* remain constant. So, LRMC has no change as there is no change in q .

4.b) No, since the profit maximization is when $P = LRMC$. Here both P and $LRMC$ do not change, the optimal quantity to maximize profit will be the same (Q_0)



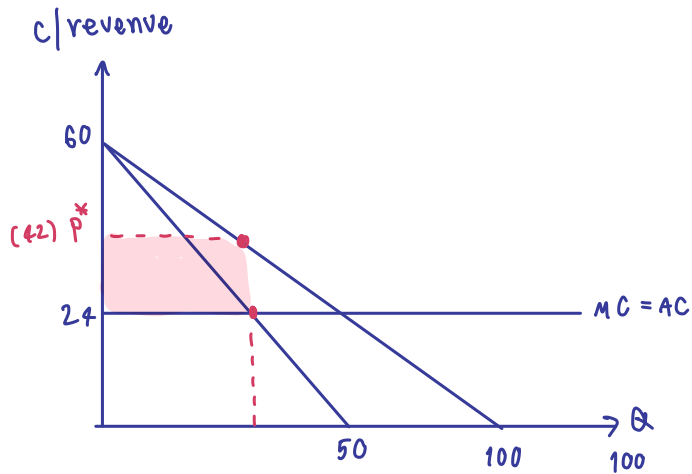
$P > C$ there is excess profit

4.c) In long-run, excess profit will attract new farmers to market, so supply increase.



when $S \uparrow \rightarrow P \downarrow \rightarrow q^* \uparrow$

5.a) when D is linear, MR is 2 times steeper



$$MR : P = 60 - 1.2 Q *$$

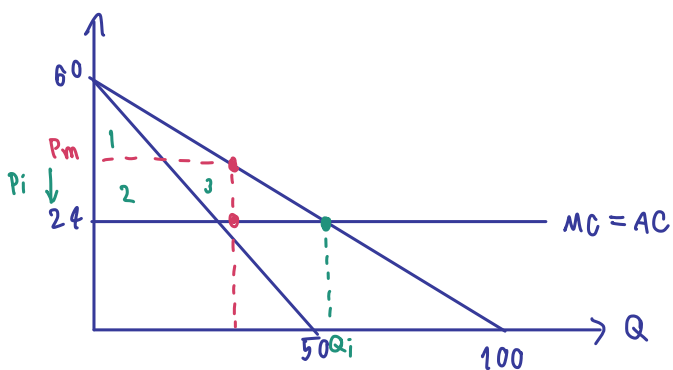
5.b) Profit - maximizing condition

$$\begin{aligned} MR &= MC \\ 60 - 1.2(Q) &= 24 \\ Q^* &= 30 \text{ units} * \end{aligned}$$

$$P = 60 - 0.6(30) = 42$$

$$\begin{aligned} \therefore \text{Profit} &= (P - C) \cdot Q = (42 - 24) \\ &= 540 \text{ MB} * \end{aligned}$$

5.c) revenue



• Ideal price : $P = MC$
- quantity $\uparrow$ $Q_m \rightarrow Q_i$

• before intervention

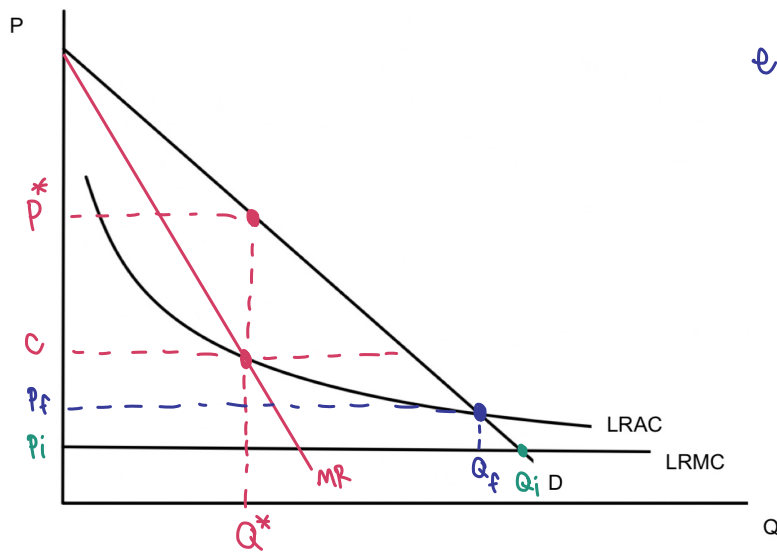
$$\begin{aligned} CS &= 1 \\ PS &= 2 (\pi) \\ DWL &= 3 \end{aligned}$$

• after intervention

$$\begin{aligned} CS &= 1 + 2 + 3 \\ PS &= - \\ DWL &= - \end{aligned}$$

$\therefore$ Intervention prevents HL from taking the advantages from consumer and removes the DWL.

6.2)



equilibrium Q^* : $MR = LPMC$

$$CS = 1$$

$$DWL = 3$$

producer's profit = 2

6. b) Lerner's index $\rightarrow i = \frac{P - MC}{P} = \frac{50 - 10}{50} = 0.8$

b.c) Ideal price $\rightarrow P = MC = 10\text{¢}$ (at P_i , firm facing loss due to $P < LRAC$)

6.4) Fair price $\rightarrow p = LRAC$ (at P_f no DWL as firm is at normal profit)