

# Government and Fiscal Policy Part 3

# Fiscal Policy

- So far we have studied about how  $\Delta G$  and  $\Delta T$  (where  $T$  is a lump-sum tax) affect the economy.
- These deliberate changes in  $G$  and  $T$  are called “discretionary fiscal policy”.
- The discretionary fiscal policy is controlled by the government.

# Fiscal Policy

- When the Govt raises  $G$  or reduces  $T$ , we call “expansionary” fiscal policy.
  - This is to boost the economy.
- When the Govt reduces  $G$  or raises  $T$ , we call “contractionary” fiscal policy.
  - This is to slow down the economy.

# Fiscal Policy

- We also have “Non-Discretionary” Fiscal Policy.
- This refers to **a policy rule**.
- Example:  $T = tY$   
where  $t$  is Marginal Propensity to Tax (MPT).
- If  $t = 0.2$ , everyone pays 20% income tax.
- **We cannot find tax multiplier in this case.**

# Fiscal Policy

- We can also have a mixed type between a lump-sum tax and an income tax.
- Example:  $T = 100 + 0.2Y$ .
- **We CAN find tax multiplier here because the Govt can change the lump-sum tax.**

# Different Tax Systems

When taxes are strictly lump sum ( $T = 100$ ) and do not depend on income, the aggregate expenditure function is steeper than when taxes depend on income.

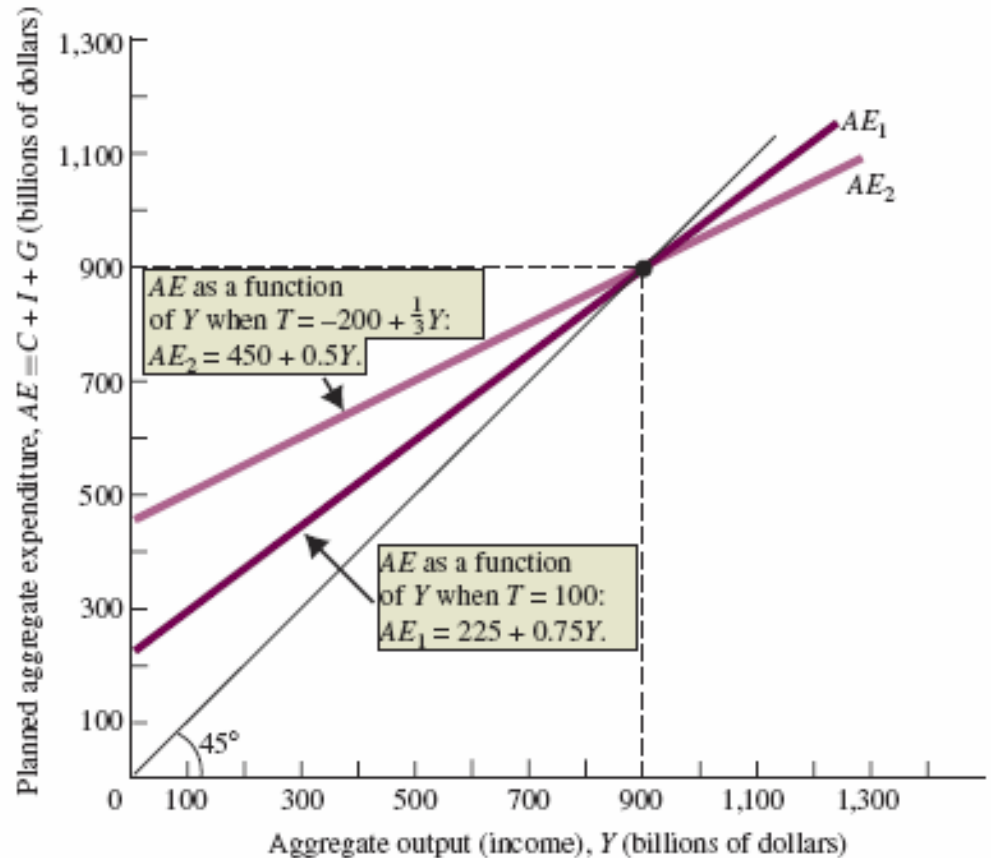
$$Y = C + I + G$$

$$Y = \underbrace{100 + 0.75(Y + 200 - 1/3Y + 100)}_C + \underbrace{100}_I + \underbrace{100}_G$$

$$Y = 100 + .75Y + 150 - 25Y + 100 + 100$$

$$Y = 450 + .5Y$$

$$.5Y = 450$$



# Example – Income Tax

**Example** Find the equilibrium.

$$C = 300 + 0.5(Y_d)$$

$$I = 50$$

$$G = 50$$

$$T = 0.2Y \text{ (i.e. 20\% tax rate)}$$

$$X = 50$$

$$M = 100 + 0.1Y$$

# Example – Income Tax

We start with the equilibrium condition:

$$Y = AE = C + I + G + (X - M)$$

$$Y = 300 + 0.5(Y - 0.2Y) + I + G + X - (100 + 0.1Y)$$

$$Y = 300 + 0.5(0.8Y) + 150 - (100 + 0.1Y)$$

$$Y - 0.4Y + 0.1Y = 450 - 100$$

$$0.7Y = 350$$

$$Y^* = 500$$

# Example – Income Tax

- Drawing the Keynesian Cross

$$AE = C + I + G + (X - M)$$

$$AE = 300 + 0.5(Y - 0.2Y) + 150 - (100 + 0.1Y)$$

$$AE = 350 + 0.3Y$$

$$\text{Intercept} = 350$$

$$\text{Slope} = 0.3 = 0.5 - (0.5)(0.2) - 0.1$$

$$= \text{MPC} - (\text{MPC})(\text{MPT}) - \text{MPM}$$

**\*\*\* MPM and MPT reduce the slope of DAE \*\*\***

# Multiplier

$$Y = C + I + G + (X - M)$$

Let  $C = a + b(Y - T)$ ,  $M = k + j(Y)$ , and  $T = tY$

$$Y = a + b(Y) - \mathbf{bt(Y)} + I + G + X - (k + j(Y))$$

$$Y = a + b(Y) - \mathbf{bt(Y)} + I + G + X - k - j(Y)$$

$$Y - b(Y) + \mathbf{bt(Y)} + j(Y) = a + I + G + X - k$$

$$(1 - b + \mathbf{bt} + j)Y = a + I + G + X - k$$

$$Y = \frac{1}{1 - b + \mathbf{bt} + j} (a - I + G + X - k)$$

# Multiplier

- $$Y = \frac{1}{1-b+bt+j} (a - I + G + X - k)$$

- $$\frac{\Delta Y}{\Delta I} = \frac{1}{1-b+bt+j} \qquad \frac{\Delta Y}{\Delta G} = \frac{1}{1-b+bt+j}$$

- **As MPT (t) increases, multipliers fall.**
- **As MPM (j) increases, multipliers fall.**

# Multiplier

- When the multiplier is large, an **increase** in G or I leads to a **large increase** in Y.
- BUT, a **decrease** in G or I also leads to a **large decrease** in Y.
- e.g.  $m = 5$  and  $\Delta G = - 10 \gg \Delta Y = - 50$
- Therefore, **income tax** and/or **import** can **REDUCE** the size of the multiplier.
- Small multiplier is good when the economy is bad.

# Automatic Stabilizers

- **automatic stabilizers** expenditure items that automatically change with the state of the economy in such a way as to stabilize GDP.
- Example, Import and Income Tax are automatic stabilizers.

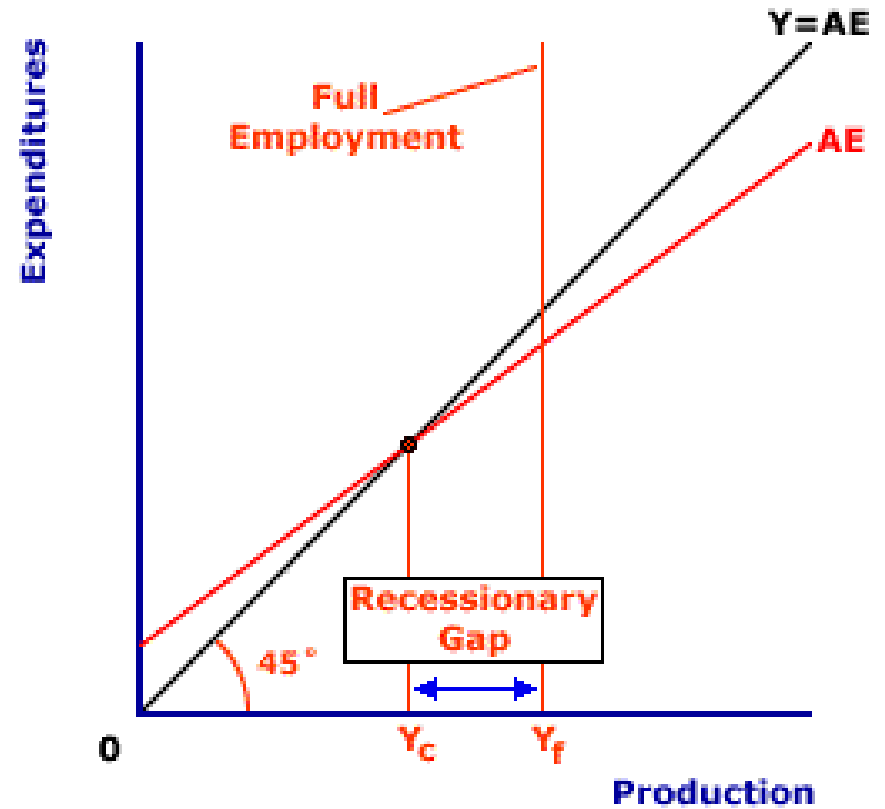
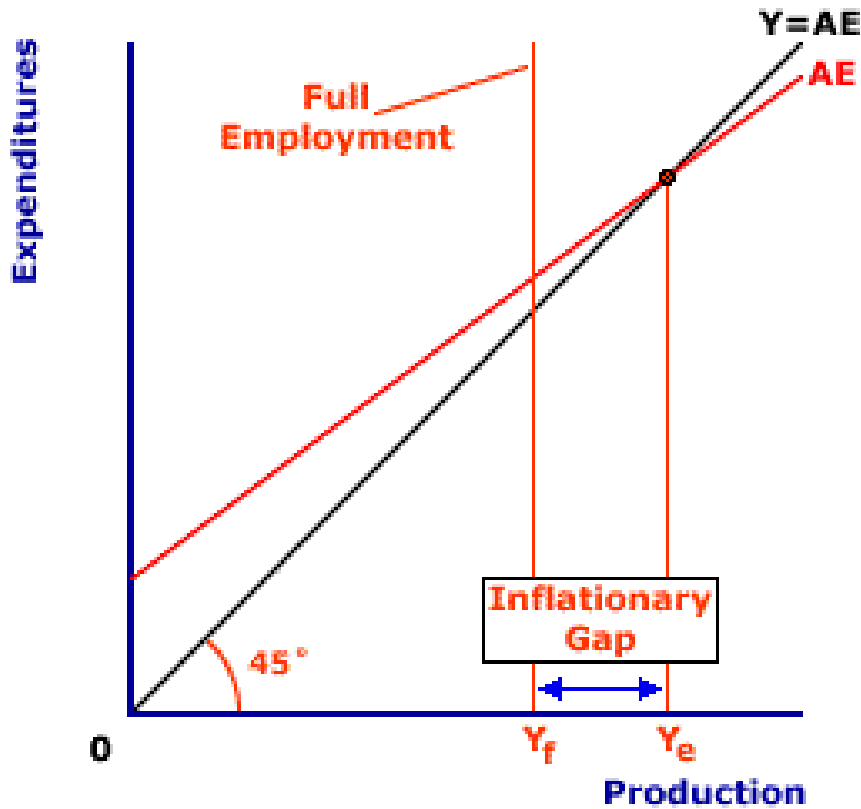
# Automatic Stabilizers

- When economy is bad,  $Y$  is low, so  $T$  and  $M$  are small. Small  $T$  and  $M$  means that people have more income to spend domestically, which help boost the economy during the bad times.
- When economy is good,  $Y$  is high, so  $T$  and  $M$  are large. Large  $T$  and  $M$  means that people have less income to spend domestically, which help slow down the economy during the good times.
- **Automatic stabilizers automatically reduce fluctuations in the economy.**

# Output Gap

- $Y_f$  (full-employment  $Y$ ) denotes the level of output where the economy is at full employment
- $Y^*$  (equilibrium  $Y$ ) denotes the level of output where  $Y = AE$ .
- When  $Y_f > Y^*$ , we have recessionary gap.
- When  $Y_f < Y^*$ , we have inflationary gap.

# Output Gap



# Fiscal Policy – Recessionary Gap

When  $Y_f > Y^*$ , we have recessionary gap.

The policy solution to a recessionary gap **is to shift the AE up**, using policies like tax cuts or government spending increases.

Then, the new equilibrium  $Y^*$  occurs at  $Y_f$ .

# Fiscal Policy – Inflationary Gap

When  $Y_f < Y^*$ , we have inflationary gap.

The policy solution to an inflationary gap **is to shift the AE down**, using policies like tax increases or spending cuts.

Then, the new equilibrium  $Y^*$  occurs at  $Y_f$ .