

Government and Fiscal Policy Part 2

The Balanced-Budget Multiplier *(1 of 2)*

- Balanced Budget: **$G = T$** which implies $\Delta G = \Delta T$.
- **balanced-budget multiplier** The ratio of change in the equilibrium level of output to a change in government spending where the change in government spending is balanced by the change in net taxes.
- **The balanced-budget multiplier is equal to 1.**
- **ΔY from ΔG and the equal ΔT is exactly the same size as the initial ΔG or ΔT .**

Example – 1

Suppose that $\Delta G = \Delta T = 50$ (i.e. balanced budget).

The result will ALWAYS be that $\Delta Y = \Delta G = \Delta T$.

In this case, we will have $\Delta Y = 50$.

This is because

$$\frac{\Delta Y}{\Delta G} + \frac{\Delta Y}{\Delta T} = 1$$
$$\frac{1}{MPS} + \left(-\frac{MPC}{MPS}\right) = 1$$

Example – 2

Question

Suppose the Govt wants to increase equilibrium output from 80 to 100 units.

If the Govt were to adopt balanced budget, how much G and T should the Govt raise?

Answer

The Govt should raise G **AND** T by 20. As a result, Y will increase by 20 units because the multiplier is 1.

TABLE 9.3 Finding Equilibrium after a Balanced-Budget Increase in G and T of 200 Each*

(1)	(2)	(3)	(4)	(5)	(6)	(7)	(8)	(9)	
Output (Income) Y	Net Taxes T	Disposable Income $Y_d \equiv Y - T$	Consumption Spending $C = 100 + .75 Y_d$	Planned Investment Spending I	Government Purchase G	Planned Aggregate Expenditure $C + I + G$	Unplanned Inventory Change $Y - (C + I + G)$	Adjustment to Dis- equilibrium	
500	300	200	250	100	300	650	-150	Output	↑
700	300	400	400	100	300	800	-100	Output	↑
900	300	600	550	100	300	950	-50	Output	↑
1,100	300	800	700	100	300	1,100	0	Equilibrium	↑
1,300	300	1,000	850	100	300	1,250	+50	Output	↑
1,500	300	1,200	1,000	100	300	1,400	+100	Output	↑

* Both G and T have increased from 100 in Table 24.1 to 300 here.

TABLE 9.4 Summary of Fiscal Policy Multipliers

	Policy Stimulus	Multiplier	Final Impact on Equilibrium Y
Government spending multiplier	Increase or decrease in the level of government purchases: ΔG	$\frac{1}{MPS}$	$\Delta G \times \frac{1}{MPS}$
Tax multiplier	Increase or decrease in the level of net taxes: ΔT	$\frac{-MPC}{MPS}$	$\Delta T \times \frac{-MPC}{MPS}$
Balanced-budget multiplier	Simultaneous balanced-budget increase or decrease in the level of government purchases and net taxes: $\Delta G = \Delta T$	1	ΔG

The Balanced-Budget Multiplier *(2 of 2)*

A Warning

- Although we have added government, the story told about the multiplier is still incomplete and oversimplified.
- We have been treating net taxes (T) as a lump-sum, fixed amount, whereas in practice, taxes depend on income.

An IMPORTANT Remark – 1

- When calculating GDP, transfer payment will not be included in the calculation. This is because there is NO new production.
- This is the same in the DAE. Transfer payment is not included in G.

An IMPORTANT Remark – 2

- G counts only government purchases of output (such as roads, schools, and missiles).
- In the DAE, transfer payment is considered “negative taxes”.
- T denotes net taxes = taxes – transfer payment.

Short Summary – 1

- We have two approaches to find the equilibrium in the Keynesian Cross.
 - $Y = DAE$ (or $Y = AE$) Approach
 - Saving/Investment Approach
- $Y = DAE$ is also called “income = expenditure”.
- “Saving/Investment” is also called “**leakage = injection**” approach.

Short Summary – 2

The Equilibrium Condition of the $Y = DAE$:

- Closed Econ w/o Govt: $Y = AE = C + I$
- Closed Econ w/ Govt $Y = AE = C + I + G$
- Open Econ w/ Govt $Y = AE$
 $= C + I + G + (X - M)$

Short Summary – 3

The Equilibrium Condition of the Saving/Investment Approach:

- Closed Econ w/o Govt: $S = I$
- Closed Econ w/ Govt $S + T = I + G$
- Open Econ w/ Govt $S + T + M = I + G + X$
- The left-hand side is called “leakages”.
- The right-hand side is called “injections”.

Short Summary – 4

Saving Function (used in S/I Approach)

- If there is no Govt, $Y = C + S$.

That is, income is divided into C and S.

- If there is Govt, $Y_d = C + S$.

We can rewrite $Y - T = C + S$ or $Y = C + S + T$.

That is, income is divided into C, S, and T.

You spend, save, and pay taxes.

OPEN Economy with Govt – 1

- We now introduce Import (M) and Export (X) into the DAE.
- The Equilibrium Condition becomes

$$Y = DAE = C + I + G + (X - M)$$

OPEN Economy with Govt – 2

- We assume that X is given and constant.

That is, $X = x$ (some number x).

- We assume that M depends on Y .

That is, $M = k + j(Y)$

where k is the import when $Y = 0$

j is the marginal propensity to import
(MPM) and $0 < J < 1$.

OPEN Economy with Govt – 3

Example Find the equilibrium.

$$C = 300 + 0.75(Y_d)$$

$$I = 50$$

$$G = 50$$

$$T = 50$$

$$X = 50$$

$$M = 100 + 0.25Y$$

Y = DAE Approach – 1

We start with the equilibrium condition:

$$Y = AE = C + I + G + (X - M)$$

$$Y = 300 + 0.75(Y - T) + I + G + X - (100 + 0.25Y)$$

$$Y = 300 + 0.75(Y - 50) + 150 - (100 + 0.25Y)$$

$$Y - 0.75Y + 0.25Y = 450 - 0.75(50) - 100$$

$$0.5Y = 350 - 37.5 = 312.5$$

$$Y^* = 625$$

Y = DAE Approach – 2

- Drawing the Keynesian Cross

$$AE = C + I + G + (X - M)$$

$$AE = 300 + 0.75(Y - 50) + 150 - (100 + 0.25Y)$$

$$AE = 312.5 + 0.5Y$$

$$\text{Intercept} = 312.5$$

$$\text{Slope} = 0.5 = \text{MPC} - \text{MPM}$$

*****The slope is NOT equal to MPC anymore.*****

Finding the Multipliers – 1

$$Y = C + I + G + (X - M)$$

$$\text{Let } C = a + b(Y - T) \text{ and } M = k + j(Y)$$

$$Y = a + b(Y) - b(T) + I + G + X - (k + j(Y))$$

$$Y = a + b(Y) - b(T) + I + G + X - k - j(Y)$$

$$Y - b(Y) + j(Y) = a - b(T) + I + G + X - k$$

$$(1 - b + j)Y = a - b(T) + I + G + X - k$$

$$Y = \frac{1}{1 - b + j} (a - b(T) + I + G + X - k)$$

Finding the Multipliers – 2

- $$Y = \frac{1}{1-b+j} (a - b(T) + I + G + X - k)$$

- $$\frac{\Delta Y}{\Delta I} = \frac{1}{1-b+j}$$

- $$\frac{\Delta Y}{\Delta G} = \frac{1}{1-b+j}$$

- $$\frac{\Delta Y}{\Delta T} = \frac{-b}{1-b+j}$$

- $$\frac{\Delta Y}{\Delta T} + \frac{\Delta Y}{\Delta G} = \frac{1-b}{1-b+j}$$

b = MPC

j = MPM

b - j = slope of AE

Saving/Investment Approach – 1

We start with the equilibrium condition:

$$S + T + M = I + G + X \quad (*)$$

Now, we need to find S.

Note that $Y = C + S + T$ (from Page 13)

$S = Y - C - T$; we substitute this back to (*)

$$Y - C - T + T + M = I + G + X$$

$$Y - C + M = 150$$

Saving/Investment Approach – 2

$$Y - C + M = 150$$

From $C = 300 + 0.75(Y - T)$ and $M = 100 + 0.25Y$,
we have

$$Y - 300 - 0.75(Y - 50) + 100 + 0.25Y = 150$$

$$Y - 0.75Y + 0.25Y = 150 + 300 - 100 - 0.75(50)$$

$$0.5Y = 312.5$$

$$Y^* = 625$$