

EE 325

Quiz : Multicollinearity (5 points)

Due date: May 5, 2020 by email. (Please convert to pdf file before you submit)

1. From the annual data from the U.S. manufacturing sector for 1899-1922, Dougherty obtained the following regression results:

$$\begin{aligned} \widehat{\log Y}_t &= 2.81 - 0.53 \log K + 0.91 \log L + 0.047t \\ \text{se} &= (1.38) \quad (0.34) \quad (0.14) \quad (0.021) \\ R^2 &= 0.97 \quad F = 189.8 \end{aligned} \tag{1}$$

Where Y = index of real output
 K = index of real capital input
 L = index of real labor input
 t = time or trend

Using the same data, he also obtained the following regression:

$$\begin{aligned} \widehat{\log \left(\frac{Y}{L}\right)} &= -0.11 + 0.11 \log \left(\frac{K}{L}\right) + 0.006t \\ \text{se} &= (0.03) \quad (0.15) \quad (0.006) \\ R^2 &= 0.65 \quad F = 19.5 \end{aligned} \tag{2}$$

- Is there multicollinearity in regression (1)? How do you know?
- How would you justify the functional form of regression (1)? (Hint: Cobb-Douglas production function)
- Interpret regression (1).
- What is the logic behind estimating regression (2)?
- If there was multicollinearity in regression (1), has that been reduced by regression (2)? How do you know?
- If regression (2) is a restricted version of regression (1), what restriction is imposed by the author? (Hint: returns to scale.) How do you know if this restriction is valid? What test do you use? Show all your calculations.
- Are the R^2 values of the two regressions comparable? Why or why not? How would you make them comparable, if they are not comparable in the present form?