

1

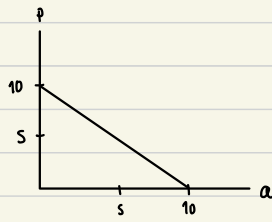
2 consumers

1 seller

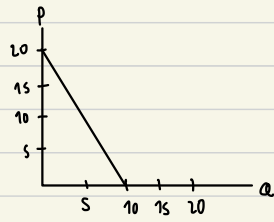
A: $Q_A = 10 - P \rightarrow P = 10 - Q$ $Q = P$

B: $Q_B = 10 - \frac{1}{2}P \rightarrow P = 20 - 2Q$

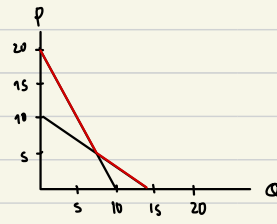
1.1 draw individual demand and market demand diagram



A

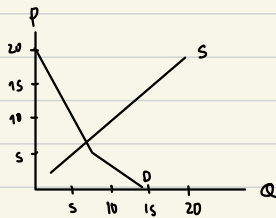


B



mrk

1.2 find equilibrium and how many buyer there are.



→ there are 1 buyer in the market.

$$Q_{\text{mkt}}^D = \begin{cases} 10 - \frac{1}{2}P & ; P > 10 \\ 10 - P & ; P \leq 10 \end{cases}$$

Example 3.J: Excess burden formula under linear model & Tax-Revenue-maximizing tax rate

Demand: $p^d = a - bQ^d$; $a \geq 0$, $b \leq 0$.

Supply : $p^s = c + dQ^s$; $d \geq 0$. $\rightarrow p^s = c + dQ^s + t$

- o Solve for quantity and prices equilibrium when the unit tax is imposed. Analyze the result

$$Q^d = \frac{a-p}{b}$$

$$Q^s = \frac{p-c-t}{d}$$

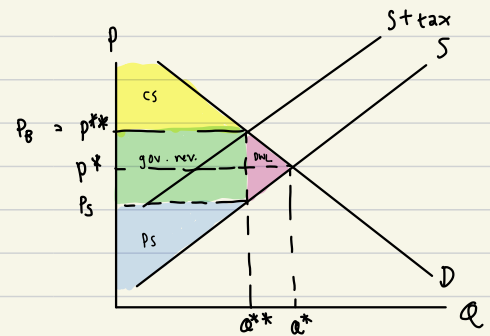
eqbm : $p^s = p^d$

$$c + dQ^s + t = a - bQ^d$$

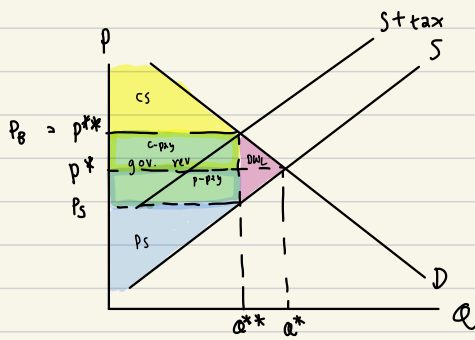
$$Q(d+b) = a - c - t$$

$$Q^{**} = \frac{a - c - t}{d + b}$$

$$p^{**} = c + t + d \left(\frac{a - c - t}{d + b} \right)$$



- o Derive the excess burden formula for buyers and sellers



Before tax : consumers buy at p^* , which is cheap. While seller can sell at high price (p^*)

After tax : consumers buy at higher Price at p^{**} (p_B), and producer will receive less at p_S

extra price that consumers pay is $= (p_B - p^*) \times Q^{**}$

extra price that producers pay is $= (p_S - p^*) \times Q^{**}$

- o Calculate the tax rate that maximizes the tax revenue of government.

$$\frac{\partial \text{tax. rev.}}{\partial T} = \left(\frac{a - c - t}{d + b} \right) \times t$$

$$= a - c - t - \frac{t^2}{d + b}$$

$$0 = a - c - 2t - \frac{t}{d + b}$$

$$2t = a - c - \frac{t}{d + b}$$

$$t = \frac{a - c - d - b}{2}$$

Example 3.K Price control and Welfare

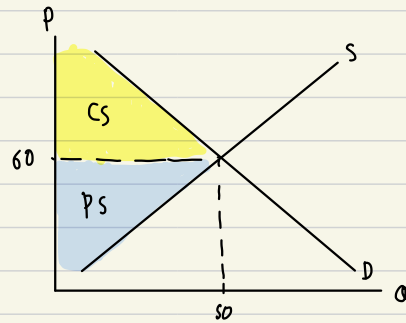
Consider the market for apartment rentals in Chicago. The price of rent is determined by the following system of equations.

$$\text{Demand: } p = -2q_d + 160$$

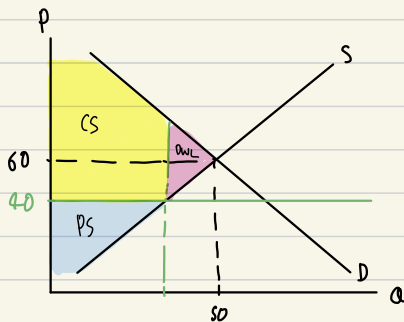
$$\text{Supply: } p = q_s + 10$$

- What is the equilibrium price and quantity in the market for apartment rentals?

$$\begin{aligned} \text{eqbm : } p^s &= p^d \\ q + 10 &= -2q + 160 \\ 3q &= 150 \\ q &= 50 \\ p &= 60 \end{aligned}$$



- Suppose the government tries to control the rent prices through a price ceiling of \$40. Discuss the implication of this policy. Is there any deadweight loss?



the policy is announce to reduce the quantity of renting an apartment. By having a cheaper price people will demand more of apartment, while the owner of the apartment does not want to rent their room out. The pink area is the deadweight loss