

**CAPM:**

`. reg rj rm`

| Source   | SS         | df     | MS         | Number of obs | = | 11,959  |
|----------|------------|--------|------------|---------------|---|---------|
| Model    | 11449.5344 | 1      | 11449.5344 | F(1, 11957)   | = | 5988.94 |
| Residual | 22859.1346 | 11,957 | 1.91177842 | Prob > F      | = | 0.0000  |
|          |            |        |            | R-squared     | = | 0.3337  |
|          |            |        |            | Adj R-squared | = | 0.3337  |
| Total    | 34308.669  | 11,958 | 2.86909759 | Root MSE      | = | 1.3827  |

  

| rj    | Coef.    | Std. Err. | t     | P> t  | [95% Conf. Interval] |
|-------|----------|-----------|-------|-------|----------------------|
| rm    | .9947206 | .0128536  | 77.39 | 0.000 | .9695254 1.019916    |
| _cons | .0084273 | .0126552  | 0.67  | 0.505 | -.0163789 .0332335   |

**FF:**

`. reg rj rm smb hml`

| Source   | SS         | df     | MS         | Number of obs | = | 11,959  |
|----------|------------|--------|------------|---------------|---|---------|
| Model    | 11681.1999 | 3      | 3893.73328 | F(3, 11955)   | = | 2057.22 |
| Residual | 22627.4691 | 11,955 | 1.89272013 | Prob > F      | = | 0.0000  |
|          |            |        |            | R-squared     | = | 0.3405  |
|          |            |        |            | Adj R-squared | = | 0.3403  |
| Total    | 34308.669  | 11,958 | 2.86909759 | Root MSE      | = | 1.3758  |

  

| rj    | Coef.    | Std. Err. | t     | P> t  | [95% Conf. Interval] |
|-------|----------|-----------|-------|-------|----------------------|
| rm    | 1.005554 | .0128271  | 78.39 | 0.000 | .9804104 1.030697    |
| smb   | .0371377 | .0061189  | 6.07  | 0.000 | .0251437 .0491318    |
| hml   | .0562866 | .00609    | 9.24  | 0.000 | .0443492 .068224     |
| _cons | .0073088 | .0125928  | 0.58  | 0.562 | -.0173752 .0319928   |

**Summary:**

`. est table capm ff, star(0.1 0.05 0.01) stat(N rss F r2 r2_a)`

| Variable | capm         | ff           |
|----------|--------------|--------------|
| rm       | .99472062*** | 1.0055536*** |
| smb      |              | .03713773*** |
| hml      |              | .05628656*** |
| _cons    | .00842732    | .00730878    |
| N        | 11959        | 11959        |
| rss      | 22859.135    | 22627.469    |
| F        | 5988.9442    | 2057.2156    |
| r2       | .33372132    | .34047371    |
| r2_a     | .3336656     | .34030821    |

legend: \* p<.1; \*\* p<.05; \*\*\* p<.01

- 1) There are not existing significant Jensen Alpha in both CAPM and FF. The p-value of alpha ( $\alpha$ ) is more than 0.05 ( $t=.67$  &  $p\text{-value}=.505$  and  $t=.58$  &  $p\text{-value}=.562$  respectively)

**CAPM:**

```
. test rm==1
( 1)  rm = 1
F( 1, 11957) = 0.17
Prob > F = 0.6813
```

**FF Model:**

```
. test rm==1
( 1)  rm = 1
F( 1, 11955) = 0.19
Prob > F = 0.6651
```

- 2) In both model, the portfolio j has the same risk as the market ( $\beta=1$ ) because the p-value is insignificant. In CAPM, the p-value is equal to 0.6813 ( $p\text{-value}>0.05$ ). In FF, the p-value is equal to 0.6651 ( $p\text{-value}>0.05$ ).
- 3) There is existing significant size premium in FF. The p-value is less than 0.05 ( $t=6.07$ ).
- 4) There is existing significant growth (value) premium in FF. The p-value is less than 0.05 ( $t=9.24$ )

```
. test smb hml
( 1)  smb = 0
( 2)  hml = 0
F( 2, 11955) = 61.20
Prob > F = 0.0000
```

- 5) FF is more appropriate because both size premium and growth premium coefficient are significant. ( $\text{Prob} > F = 0.000$ )  
 $< 0.05$

```
. reg rj d1 rm smb hml
```

| Source   | SS         | df     | MS         | Number of obs | = | 11,959       |
|----------|------------|--------|------------|---------------|---|--------------|
| Model    | 11683.8263 | 4      | 2920.95657 | F(4, 11954)   | = | 1543.31      |
| Residual | 22624.8427 | 11,954 | 1.89265875 | Prob > F      | = | 0.0000 (7.3) |
| Total    | 34308.669  | 11,958 | 2.86909759 | R-squared     | = | 0.3406 (7.3) |
|          |            |        |            | Adj R-squared | = | 0.3403       |
|          |            |        |            | Root MSE      | = | 1.3757       |

  

| rj    | Coef.    | Std. Err. | t     | P> t        | [95% Conf. Interval] |
|-------|----------|-----------|-------|-------------|----------------------|
| d1    | .05393   | .045781   | 1.18  | 0.239 (6)   | -.0358082 .1436682   |
| rm    | 1.005405 | .0128275  | 78.38 | 0.000       | .9802607 1.030549    |
| smb   | .0369291 | .0061214  | 6.03  | 0.000       | .0249302 .048928     |
| hml   | .0562495 | .00609    | 9.24  | 0.000       | .0443121 .0681868    |
| _cons | .0028773 | .0131425  | 0.22  | 0.827 (7.4) | -.0228842 .0286388   |

- 6) There are not existing significant January effects in the model. The p-value is more than 0.05 ( $t=1.18$  &  $p\text{-value}=.239$ ).

```
. est store calef
. est table calef, star(0.1 0.05 0.01) stat(N rss F r2 r2_a)
```

| Variable | calef        |
|----------|--------------|
| d1       | .05393001    |
| rm       | 1.0054047*** |
| smb      | .03692908*** |
| hml      | .05624948*** |
| _cons    | .00287731    |
| N        | 11959        |
| rss      | 22624.843    |
| F        | 1543.3086    |
| r2       | .34055026    |
| r2_a     | .3403296     |

legend: \* p<.1; \*\* p<.05; \*\*\* p<.01

7)

- The positive sign of the all variable (the January effect, market risk premium, size premium, growth premium) means that all variable have a positive effect on the excess return on portfolio j i.e. the excess return on portfolio j increases when each variable increases.
- The F-test suggests that the overall test is significant (p-value=0.0000 < 0.05) Therefore, d1, rm, smb, hml are adequate to explain rj.
- The R-square of the model (3) is equal to 0.3406. It means this model can explain 34.06% of all variation.
- The individual test of market risk premium, size premium, and growth premium are significant (p-value<0.05) although the January effect (d1) is not significant (p-value=0.239>0.05).

```
. test d1 d1rm d1smb d1hml
```

```
( 1)  d1 = 0
( 2)  d1rm = 0
( 3)  d1smb = 0
( 4)  d1hml = 0
```

```
F( 4, 11951) = 0.57
Prob > F = 0.6844
```

- By using dummy variable technique, January and other month share the same structure of the FF model ( F=.6844>.05 )