

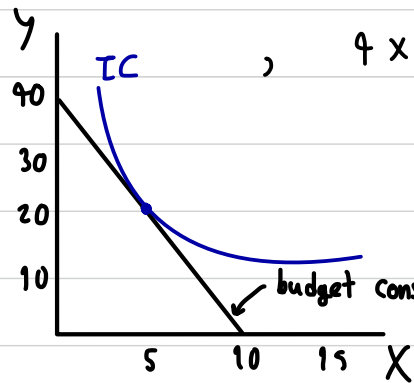
a) Let x and y be the number of meals consumed at dining hall and Cup O'soup

Budget constraint:

spend on meals at dining hall and cup O'soup \leq Income

$$6x + 1.5y \leq 60$$

$$4x + y \leq 40 \rightarrow \text{budget constraint}$$



It is given that half of the budget is spend on each good.

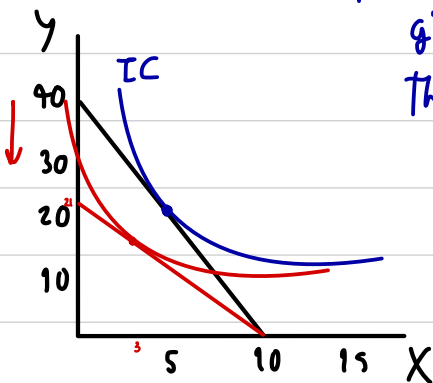
$$6x = \frac{1}{2} \times 60, \quad 1.5y = \frac{1}{2} \times 60$$

$$x = 5, \quad y = 20$$

Thus, the optimum point is $(5, 20)$

b) When price of Cup O'soup change to \$2 mean that we can consume less of Cup O'soup (y) as $2y = 60$, $y = 30$, and graph will change given that now only 70% of income is spent on meal at dining halls

Thus, new optimum point at $(3, 21)$

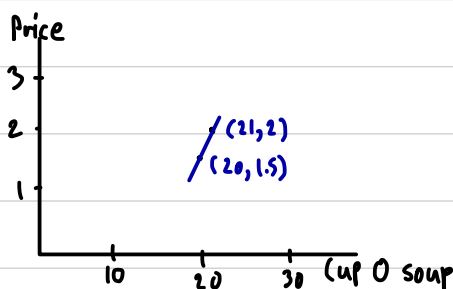


$$2y = \frac{70}{100} \times 60, \quad 6x = \frac{70}{100} \times 60$$

$$y = 21, \quad x = 3$$

c) As a result in price change, consumption of meals at Cup O'soup is increased by 1 ($20 \rightarrow 21$)
 For the substitution effect, consumption should have decrease, If the consumption has increase this mean that income effect must have resulted into increase in this consumption and outweighed the substitution effect (Meal at cup O'soup is inferior good as the fall in real income has result into increase in it consumption)

d) The demand curve for meals at Cup O'soup would pass through $(20, 1.5)$ and $(21, 2)$.



As the demand curve is positively sloping, meal at Cup O'soup is a Giffen good