

# (1972) Grossman's Health Capital Model

health as investment      health as cons<sup>n</sup>

$$\text{Max } U = U(\phi, H_t, Z_t), \quad t = 0, 1, \dots, n$$

where  $H_t$  = health stock

$h_t = \phi H_t$  : consumption of health services  
 $\phi$  = flow of services.

$Z_t$  = consumption of other commodities

Subject to :

Investment in health      depreciation rate

$$H_{t+1} - H_t = I_t - \delta_t H_t$$

Accumulation of health stock

Production functions

health  
other goods

$$I_t = I_t(M_t, T_H; E)$$

med. time

$$Z_t = Z_t(X_t, T_t; E)$$

input      time

knowledge

Budget constraint:

total exp = total income

$$\sum_{t=0}^n \frac{P_t M_t + Q_t X_t}{(1+r)^t} = \sum_{t=0}^n \frac{W_t T_t + A_0}{(1+r)^t}$$

(P > Q are prices)

wage      work time  
asset

Time constraint:

$$T W_t + T H_t + T_t + T L_t = \Omega$$

working      health      other      time lost      fixed time

F.O.C :

①

MC

$$\frac{\pi_{t-1}}{(1+r)^{t-1}}$$

$$= \frac{w_t G_t}{(1+r)^t} + \frac{(1-\delta) w_{t+1} G_{t+1} + \dots}{(1+r)^{t+1}}$$
 (wage  $\downarrow$  MP health service  $\downarrow$  Future values)

$$+ \frac{(1-\delta_t) \dots (1-\delta_{n-1}) w_n G_n}{(1+r)^n}$$

$$+ \frac{U_n G_t + \dots + (1-\delta_t) \dots (1-\delta_{n-1}) U_n G_n}{\lambda}$$
 MB

②

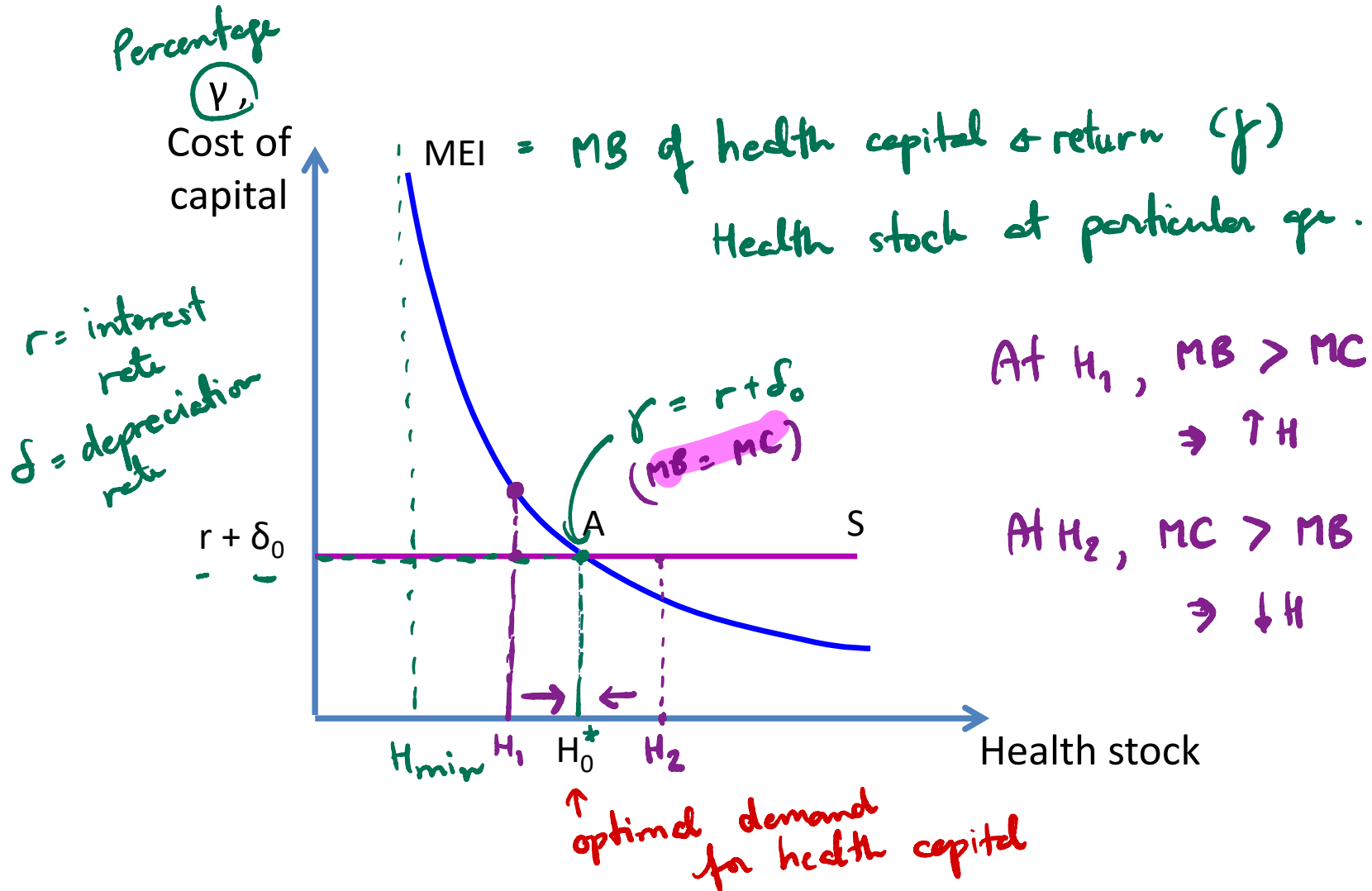
$$\pi_{t-1} = \frac{P_{t-1}}{\partial I_{t-1} / \partial H_{t-1}} = \frac{w_{t-1}}{\partial I_{t-1} / \partial H_{t-1}}$$

where  $U_{H_t} = \frac{\partial U}{\partial H_t}$  (Marginal utility of health services);  $G_t = \frac{\partial H_t}{\partial H_{t-1}} = \frac{-\partial(TL_t)}{\partial H_t}$  (marginal product of health service)

$\pi_{t-1}$  = marginal cost of investment in H

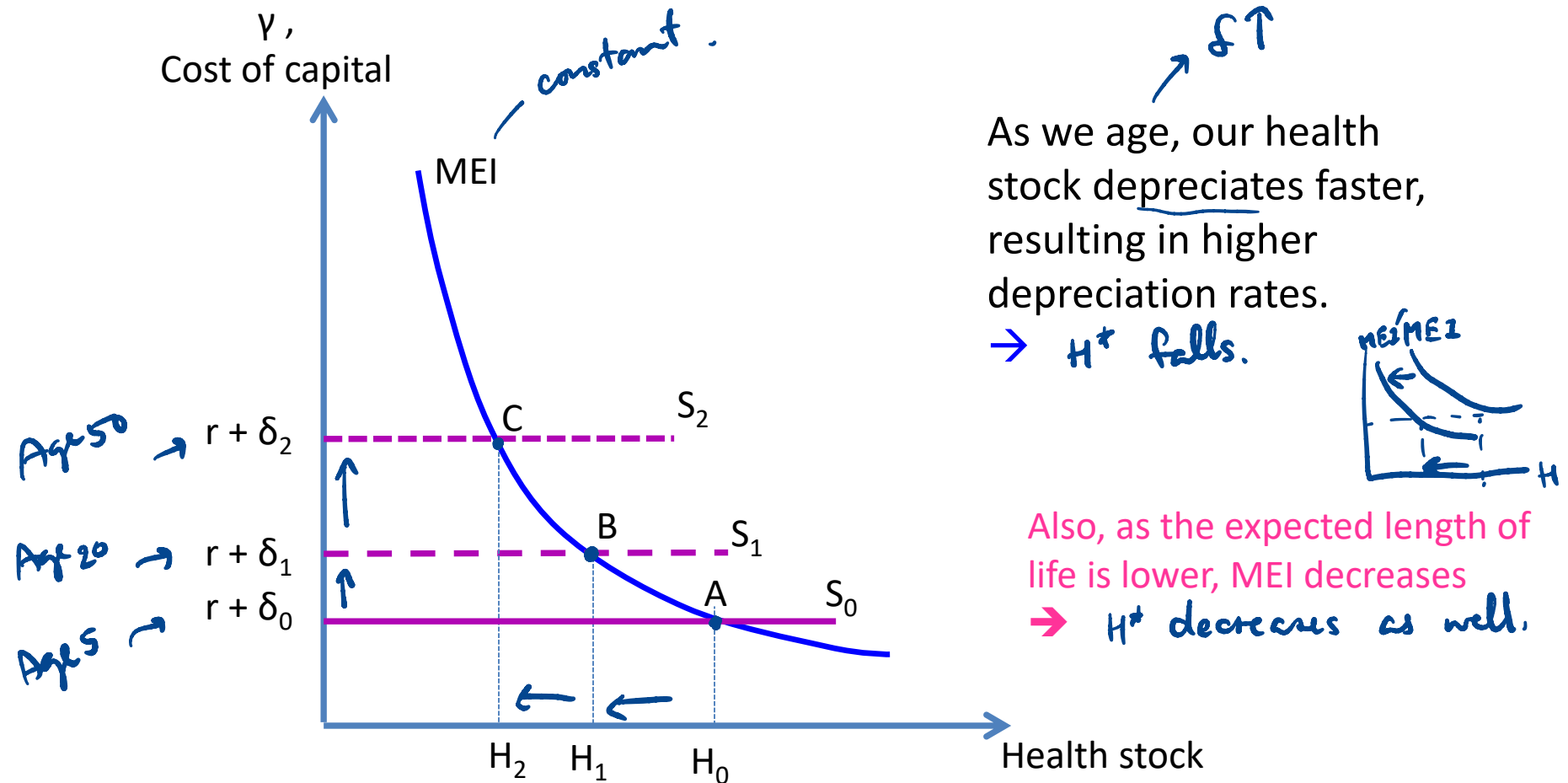
$\Rightarrow$  Discounted MC of H = Discounted MB of H.

# Demand for Health Capital



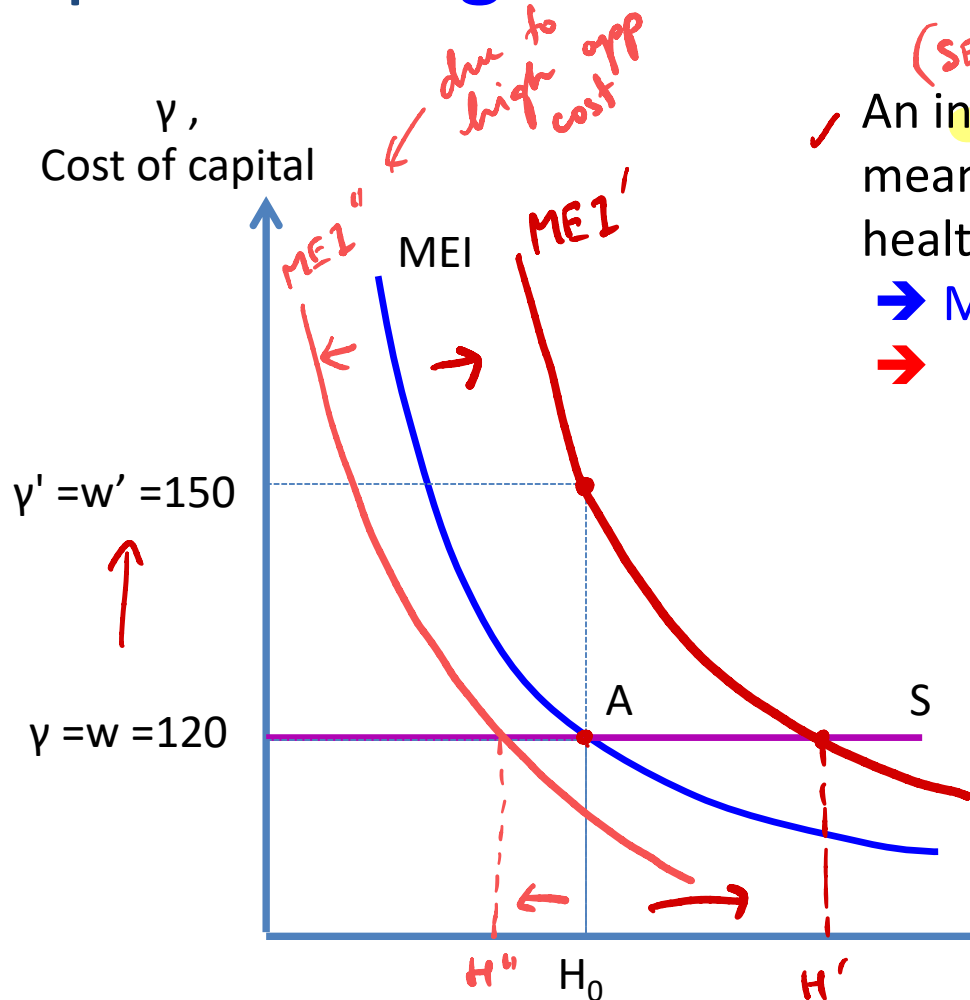
# Demand for Health Capital:

## Impact of Age on Investment in Health



# Demand for Health Capital:

## Impact of Wage on Investment in Health



- (SE > IE)
- ✓ An increase in wage rate  $\rightarrow$  MB  $\uparrow$  means that the return from healthy days rises. (for given H)
- $\rightarrow$  MEI shifts to the right.
- $\rightarrow$   $H^*$  increases.
- $MB = W_t G_t$
- $\uparrow \frac{\partial H_t}{\partial W_t}$

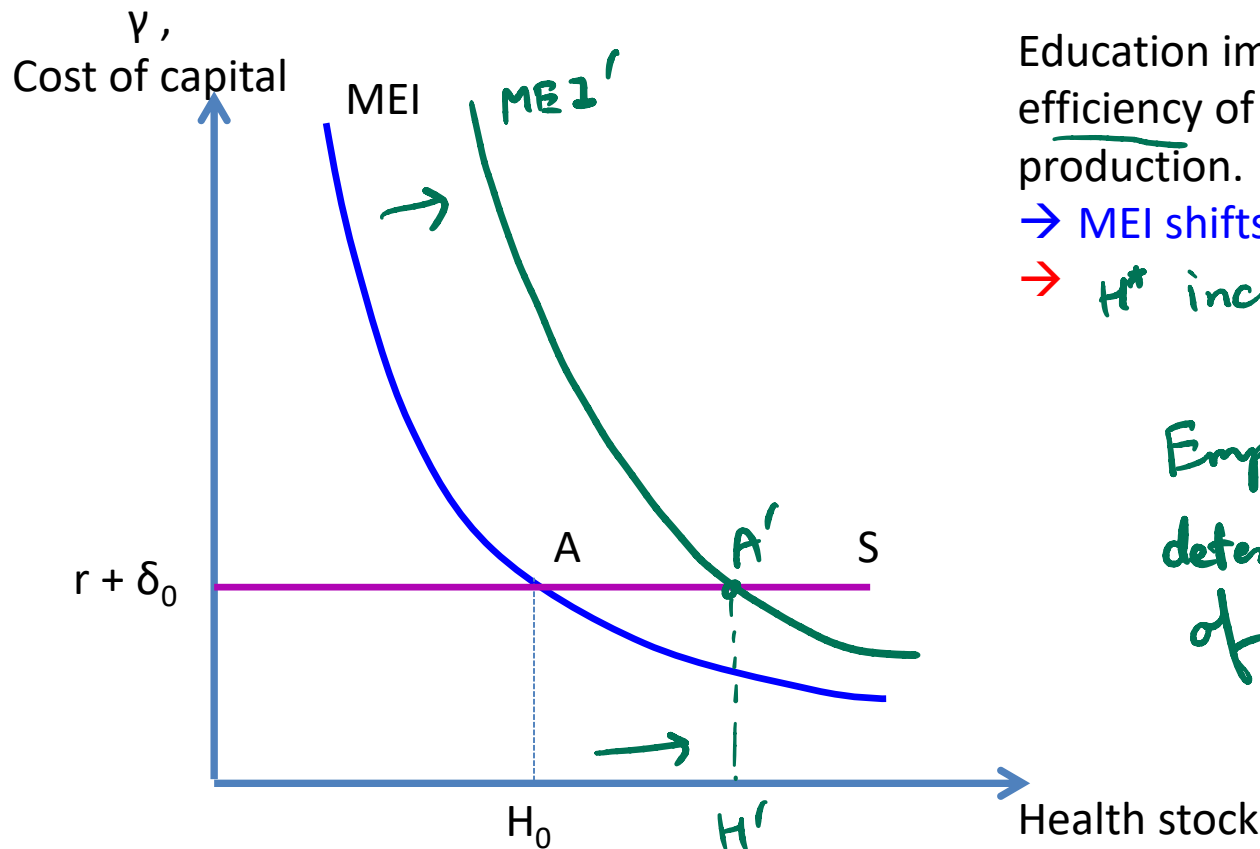
Alternatively:

- ✓  $\uparrow$  wage  $\rightarrow$   $\uparrow$  opportunity cost in producing health. (time)
- $\rightarrow$  MEI shifts left
- $\rightarrow$   $H^*$  decreases.
- (IE > SE).
- Backward-bending labor supply!

# Demand for Health Capital:

## Impact of Education on Investment in Health

↳ ↑ educ ⇒ More efficient health producer




Education improves efficiency of the health production.

→ MEI shifts to the right.

→  $H^*$  increases.

Empirical studies determine the impact of educ on health.

# Conclusions

- Health can be considered as a consumption good and an investment good.
  - *Trade-offs* between consuming **health** and consuming **other goods**.  $\rightarrow$  
  - *Trade-offs* between **time spent on producing health** and **time spent on working and on leisure**.
- The demand for health capital is determined by the **cost of health capital** and the **marginal efficiency of investment in health**. (MB)
  - Factors that affect the demand for health capital are such as: age, wage, education.

health  
as pure  
investment.

weather?  $\rightarrow$  MC eg. bad weather  $\rightarrow$   $\downarrow$   $\uparrow$   
pandemic?  $\rightarrow$  ?