

Assignment-3_Jidapa Chandhasrisawad.R

6104640138 Jidapa Chandhasrisawad

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```
#Assignment 3
setwd("D:/uni year 3/EE435")
#install.packages("quantmod")
#install.packages("fBasics")
#install.packages("sn")
#install.packages("PerformanceAnalytics")
#install.packages("car")
#install.packages("tseries")
#install.packages("forecast")
library(quantmod)

## Loading required package: xts
## Loading required package: zoo

##
## Attaching package: 'zoo'

## The following objects are masked from 'package:base':
##
##   as.Date, as.Date.numeric

## Loading required package: TTR

## Registered S3 method overwritten by 'quantmod':
##   method           from
##   as.zoo.data.frame zoo

library(fBasics)

## Loading required package: timeDate
## Loading required package: timeSeries

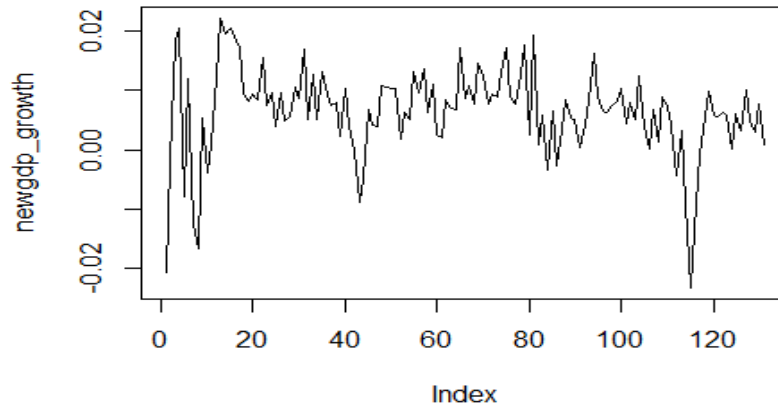
##
## Attaching package: 'timeSeries'

## The following object is masked from 'package:zoo':
##
##   time<-

##
## Attaching package: 'fBasics'
```

```
## The following object is masked from 'package:TTR':  
##  
## volatility  
  
library(sn)  
  
## Loading required package: stats4  
  
##  
## Attaching package: 'sn'  
  
## The following object is masked from 'package:fBasics':  
##  
## vech  
  
## The following object is masked from 'package:stats':  
##  
## sd  
  
library(PerformanceAnalytics)  
  
##  
## Attaching package: 'PerformanceAnalytics'  
  
## The following objects are masked from 'package:timeDate':  
##  
## kurtosis, skewness  
  
## The following object is masked from 'package:graphics':  
##  
## legend  
  
library(car)  
  
## Loading required package: carData  
  
##  
## Attaching package: 'car'  
  
## The following object is masked from 'package:fBasics':  
##  
## densityPlot  
  
library(tseries)  
library(forecast)  
#1 GDP  
da = read.table(file = "q-gdpmc1.txt", header = TRUE)  
gdp = da[,4]  
log_gdp = log(gdp)  
gdp_growth = diff(log_gdp)  
#1a plot the graph from 1980 to 2012  
new_gdp = da[133:264, 4]
```

```
newgdp_growth = diff(log(new_gdp))
plot(newgdp_growth, type = 'l')
```



```
#1b
Box.test(log_gdp, lag = 12, type = 'Ljung')

##
## Box-Ljung test
##
## data: log_gdp
## X-squared = 2821.1, df = 12, p-value < 2.2e-16
```

Since p-value is less than 0.05, we reject $H_0: \rho_1 = \rho_2 = \rho_3 = \dots = \rho_{12} = 0$ with 95% confidence interval meaning that the variation of the past information can explain the variation of GDP today.

```
#1c
t.test(gdp_growth)

##
## One Sample t-test
##
## data: gdp_growth
## t = 12.786, df = 262, p-value < 2.2e-16
## alternative hypothesis: true mean is not equal to 0
## 95 percent confidence interval:
## 0.006573382 0.008966545
## sample estimates:
## mean of x
## 0.007769964
```

Since calculated p-value is less than 0.05, we need to reject the null hypothesis that true mean of the US GDP growth rate is equal to 0 with 95% confidence interval. Therefore, the true mean of GDP growth rate is not equal to zero.

#2 Amazon

#2a

```
da2 = read.table("d-amzn3dx.txt", header = TRUE)
```

```
R_amzn = da2[,2]
```

```
R_vw = da2[,3]
```

```
R_ew = da2[,4]
```

```
R_sp = da2[,5]
```

```
table.Stats(R_amzn)
```

```
##
## Observations      1259.0000
## NAs                0.0000
## Minimum            -0.1278
## Quartile 1         -0.0132
## Median              -0.0005
## Arithmetic Mean     0.0012
## Geometric Mean      0.0008
## Quartile 3          0.0146
## Maximum             0.2680
## SE Mean             0.0008
## LCL Mean (0.95)    -0.0004
## UCL Mean (0.95)    0.0028
## Variance            0.0008
## Stdev               0.0291
## Skewness            1.0331
## Kurtosis            9.3799
```

```
table.Stats(R_vw)
```

```
##
## Observations      1259.0000
## NAs                0.0000
## Minimum            -0.0898
## Quartile 1         -0.0063
## Median              0.0008
## Arithmetic Mean     0.0002
## Geometric Mean      0.0001
## Quartile 3          0.0074
## Maximum             0.1149
## SE Mean             0.0005
## LCL Mean (0.95)    -0.0007
## UCL Mean (0.95)    0.0011
## Variance            0.0003
## Stdev               0.0166
## Skewness            -0.1132
## Kurtosis            6.3137
```

```
table.Stats(R_ew)
```

```
##
## Observations      1259.0000
## NAs                0.0000
## Minimum            -0.0782
## Quartile 1         -0.0064
## Median              0.0012
## Arithmetic Mean     0.0005
## Geometric Mean      0.0004
## Quartile 3          0.0078
## Maximum             0.1074
## SE Mean             0.0004
## LCL Mean (0.95)    -0.0003
## UCL Mean (0.95)    0.0014
## Variance            0.0002
## Stdev               0.0154
## Skewness            -0.1684
## Kurtosis            5.2890
```

```
table.Stats(R_sp)
```

```
##
## Observations      1259.0000
## NAs                0.0000
## Minimum            -0.0904
## Quartile 1         -0.0063
## Median              0.0007
## Arithmetic Mean     0.0001
## Geometric Mean      0.0000
## Quartile 3          0.0070
## Maximum             0.1158
## SE Mean             0.0005
## LCL Mean (0.95)    -0.0008
## UCL Mean (0.95)    0.0010
## Variance            0.0003
## Stdev               0.0166
## Skewness            -0.0183
## Kurtosis            7.1705
```

#2b

```
#Logreturn = ln(1+simple return)
```

```
logreturn_amzn = log(1+R_amzn)
logreturn_vw = log(1+R_vw)
logreturn_ew = log(1+R_ew)
logreturn_sp = log(1+R_sp)
```

```
table.Stats(logreturn_amzn)
```

```
##
## Observations      1259.0000
## NAs                0.0000
## Minimum            -0.1368
## Quartile 1         -0.0133
## Median              -0.0005
## Arithmetic Mean     0.0008
## Geometric Mean      0.0004
## Quartile 3          0.0145
## Maximum             0.2374
## SE Mean             0.0008
## LCL Mean (0.95)    -0.0008
## UCL Mean (0.95)     0.0024
## Variance            0.0008
## Stdev               0.0287
## Skewness            0.6279
## Kurtosis            7.2656
```

```
table.Stats(logreturn_vw)
```

```
##
## Observations      1259.0000
## NAs                0.0000
## Minimum            -0.0941
## Quartile 1         -0.0063
## Median              0.0008
## Arithmetic Mean     0.0001
## Geometric Mean      -0.0001
## Quartile 3          0.0073
## Maximum             0.1088
## SE Mean             0.0005
## LCL Mean (0.95)    -0.0009
## UCL Mean (0.95)     0.0010
## Variance            0.0003
## Stdev               0.0167
## Skewness            -0.3177
## Kurtosis            6.2095
```

```
table.Stats(logreturn_ew)
```

```
##
## Observations      1259.0000
## NAs                0.0000
## Minimum            -0.0815
## Quartile 1         -0.0064
## Median              0.0012
## Arithmetic Mean     0.0004
## Geometric Mean      0.0003
## Quartile 3          0.0077
## Maximum             0.1020
## SE Mean             0.0004
## LCL Mean (0.95)    -0.0005
## UCL Mean (0.95)     0.0013
## Variance            0.0002
## Stdev               0.0154
## Skewness            -0.3338
## Kurtosis            5.2061
```

```
table.Stats(logreturn_sp)
```

```
##
## Observations      1259.0000
## NAs                0.0000
## Minimum            -0.0947
## Quartile 1         -0.0063
## Median              0.0007
## Arithmetic Mean     0.0000
## Geometric Mean      -0.0002
## Quartile 3          0.0070
## Maximum             0.1096
## SE Mean             0.0005
## LCL Mean (0.95)    -0.0009
## UCL Mean (0.95)     0.0009
## Variance            0.0003
## Stdev               0.0166
## Skewness            -0.2424
## Kurtosis            6.9679
```

```
#2c test mean of AMZN Logreturn = 0
```

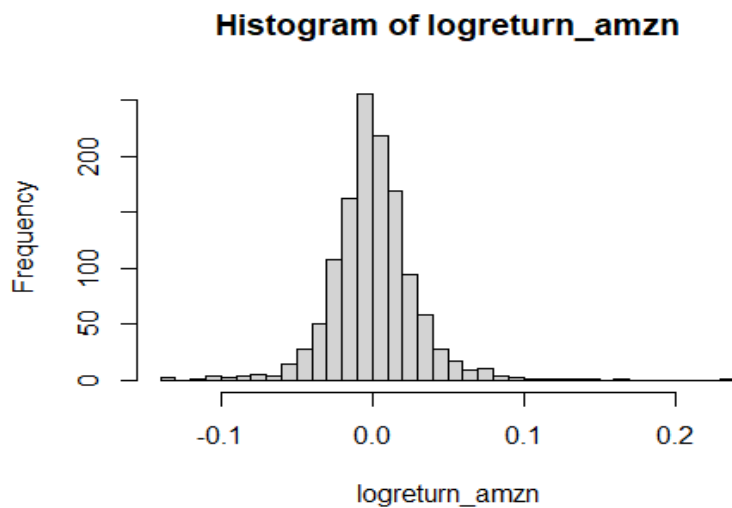
```
t.test(logreturn_amzn)
```

```
##
## One Sample t-test
```

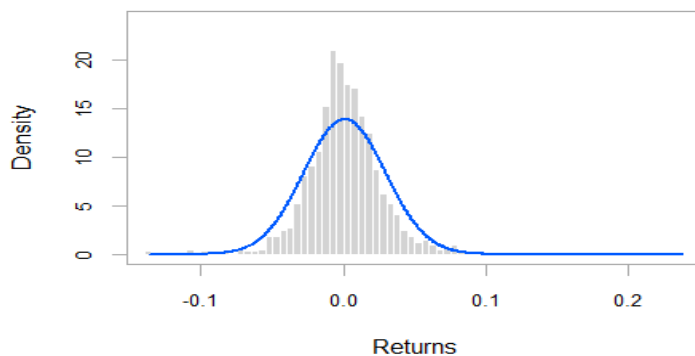
```
##
## data: logreturn_amzn
## t = 0.97705, df = 1258, p-value = 0.3287
## alternative hypothesis: true mean is not equal to 0
## 95 percent confidence interval:
## -0.0007975567 0.0023801007
## sample estimates:
## mean of x
## 0.000791272
```

Since the calculated p-value is larger than 0.05, we cannot reject the null hypothesis that the true mean of Amazon log return is equal to zero. Therefore, it can be concluded that the true mean of Amazon log return is equal to zero.

```
#2d histogram and sample density plot
hist(logreturn_amzn, nclass = 40)
```



```
chart.Histogram(logreturn_amzn, methods =c("add.normal"))
```



```
#3
da3 = read.table(file = "m-abt3dx.txt", header = TRUE)
R_abt = da3[,2]
R_vw_m = da3[,3] #use _m to represent monthly data
R_ew_m = da3[,4]
R_sp_m = da3[,5]
```

```
table.Stats(R_abt)
```

```
##
## Observations      492.0000
## NAs                0.0000
## Minimum           -0.2341
## Quartile 1        -0.0242
## Median             0.0141
## Arithmetic Mean    0.0141
## Geometric Mean     0.0120
## Quartile 3         0.0558
## Maximum            0.3823
## SE Mean            0.0029
## LCL Mean (0.95)   0.0083
## UCL Mean (0.95)   0.0198
## Variance           0.0042
## Stdev              0.0648
## Skewness           0.0974
## Kurtosis           2.4923
```

```
table.Stats(R_vw_m)
```

```
##
## Observations      492.0000
## NAs                0.0000
## Minimum           -0.2254
## Quartile 1        -0.0172
## Median             0.0126
## Arithmetic Mean    0.0090
## Geometric Mean     0.0079
## Quartile 3         0.0395
## Maximum            0.1656
## SE Mean            0.0021
## LCL Mean (0.95)   0.0049
## UCL Mean (0.95)   0.0131
## Variance           0.0021
## Stdev              0.0463
## Skewness           -0.5570
## Kurtosis           2.0943
```

```
table.Stats(R_ew_m)
```

```
##
## Observations      492.0000
## NAs                0.0000
## Minimum           -0.2722
## Quartile 1        -0.0207
## Median             0.0144
## Arithmetic Mean    0.0116
## Geometric Mean     0.0099
## Quartile 3         0.0445
## Maximum            0.2993
## SE Mean            0.0026
## LCL Mean (0.95)   0.0065
## UCL Mean (0.95)   0.0167
## Variance           0.0033
## Stdev              0.0573
## Skewness           -0.2006
## Kurtosis           3.3137
```

```
table.Stats(R_sp_m)
```

```
##
## Observations      492.0000
## NAs                0.0000
## Minimum           -0.2176
## Quartile 1        -0.0189
## Median             0.0091
## Arithmetic Mean    0.0064
## Geometric Mean     0.0054
## Quartile 3         0.0353
## Maximum            0.1630
## SE Mean            0.0020
## LCL Mean (0.95)   0.0024
## UCL Mean (0.95)   0.0104
## Variance           0.0020
## Stdev              0.0448
## Skewness           -0.4457
## Kurtosis           1.9097
```

```
#3b
```

```
logreturn_abt = log(1+R_abt)
logreturn_vw_m = log(1+R_vw_m)
logreturn_ew_m = log(1+R_ew_m)
```

```
logreturn_sp_m = log(1+R_sp_m)
```

```
table.Stats(logreturn_abt)
```

```
##  
## Observations      492.0000  
## NAs                0.0000  
## Minimum           -0.2668  
## Quartile 1        -0.0245  
## Median             0.0140  
## Arithmetic Mean    0.0119  
## Geometric Mean     0.0098  
## Quartile 3         0.0543  
## Maximum            0.3238  
## SE Mean            0.0029  
## LCL Mean (0.95)    0.0062  
## UCL Mean (0.95)    0.0176  
## Variance           0.0041  
## Stdev              0.0643  
## Skewness           -0.2980  
## Kurtosis           2.0258
```

```
table.Stats(logreturn_vw_m)
```

```
##  
## Observations      492.0000  
## NAs                0.0000  
## Minimum           -0.2554  
## Quartile 1        -0.0173  
## Median             0.0125  
## Arithmetic Mean    0.0079  
## Geometric Mean     0.0068  
## Quartile 3         0.0387  
## Maximum            0.1532  
## SE Mean            0.0021  
## LCL Mean (0.95)    0.0038  
## UCL Mean (0.95)    0.0120  
## Variance           0.0022  
## Stdev              0.0467  
## Skewness           -0.8421  
## Kurtosis           3.0278
```

```
table.Stats(logreturn_ew_m)
```

```
##  
## Observations      492.0000  
## NAs                0.0000  
## Minimum           -0.3178  
## Quartile 1        -0.0209  
## Median             0.0143  
## Arithmetic Mean    0.0099  
## Geometric Mean     0.0082  
## Quartile 3         0.0435  
## Maximum            0.2618  
## SE Mean            0.0026  
## LCL Mean (0.95)    0.0048  
## UCL Mean (0.95)    0.0150  
## Variance           0.0033  
## Stdev              0.0575  
## Skewness           -0.6643  
## Kurtosis           4.0045
```

```
table.Stats(logreturn_sp_m)
```

```
##  
## Observations      492.0000  
## NAs                0.0000  
## Minimum           -0.2454  
## Quartile 1        -0.0191  
## Median             0.0090  
## Arithmetic Mean    0.0054  
## Geometric Mean     0.0043  
## Quartile 3         0.0347  
## Maximum            0.1510  
## SE Mean            0.0020  
## LCL Mean (0.95)    0.0014  
## UCL Mean (0.95)    0.0094  
## Variance           0.0020  
## Stdev              0.0451  
## Skewness           -0.7134  
## Kurtosis           2.6821
```

```
#3c test mean of Logreturn of abt = 0
```

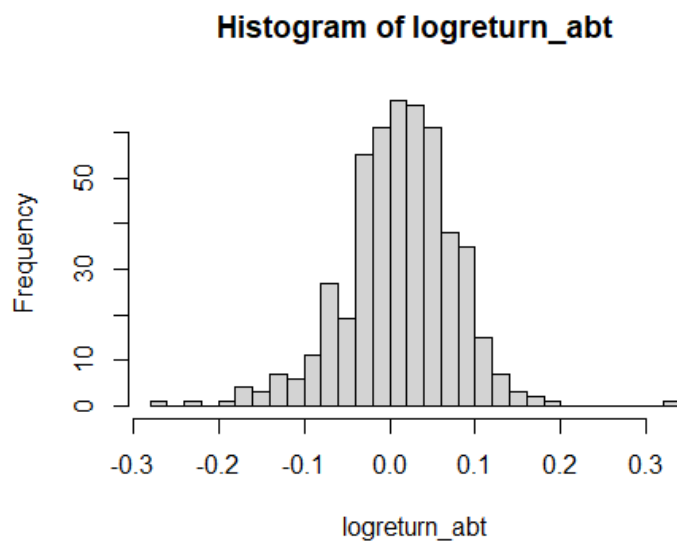
```
t.test(logreturn_abt)
```

```
##  
## One Sample t-test  
##  
## data: logreturn_abt  
## t = 4.1143, df = 491, p-value = 4.555e-05
```

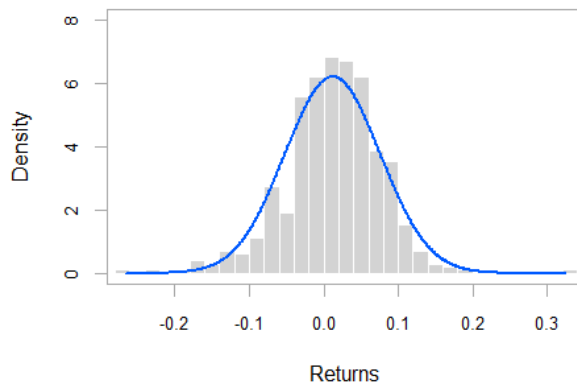
```
## alternative hypothesis: true mean is not equal to 0
## 95 percent confidence interval:
## 0.006229721 0.017618849
## sample estimates:
## mean of x
## 0.01192429
```

Since the calculated p-value is less than 0.05, we reject H_0 : true mean of ABT log return = 0 with 95% confidence interval. Therefore, it can be concluded that the true mean of ABT log return is not equal to zero.

```
#3d histogram and sample density plot
hist(logreturn_abt, nclass = 40)
```



```
chart.Histogram(logreturn_abt, methods =c("add.normal"))
```



```

#4 monthly stock return of VW
#4a mean of vw = 0
#H0: mean = 0
#H1: mean != 0
t.test(logreturn_vw_m)

##
## One Sample t-test
##
## data: logreturn_vw_m
## t = 3.7499, df = 491, p-value = 0.000198
## alternative hypothesis: true mean is not equal to 0
## 95 percent confidence interval:
##  0.003761858 0.012043156
## sample estimates:
##  mean of x
## 0.007902507

```

We reject H0 that the mean of CRSP value-weighted index (VW) is equal to zero with 95% confidence interval because the calculated p-value is less than 0.05. Hence, the true mean of VW index is not equal to zero.

```

#4b test skewness(m3)
#H0: m3 = 0
#H1: m3 != 0
m3 = skewness(logreturn_vw_m)
tcal = m3/sqrt(6/length(logreturn_vw_m))
tcal

## [1] -7.625616

pvalue_m3 = 2*pnorm(tcal)
pvalue_m3

## [1] 2.428715e-14

```

We reject H0: $m_3 = 0$ with 95% confidence interval because the calculated S^* or tcal is larger than 1.96 which is the critical value. Thus, the skewness of the log return is not equal to zero.

```

#4c
#H0: Kurtosis = 3 or Excess kurtosis = 0
#H1: Kurtosis != 3 or Excess kurtosis != 0
K = kurtosis(logreturn_vw_m)
tcal2 = K/sqrt(24/length(logreturn_vw_m))
tcal2

## [1] 13.70899

pvalue_K = 2*(1-pnorm(tcal2))
pvalue_K

```

```
## [1] 0
```

We reject H0: Kurtosis = 3 with 95% confidence interval since the calculated K^* or t_{cal2} is larger than 1.96. Therefore, the kurtosis of the log return distribution is not equal to 3.

```
#5
```

```
#5ai
```

```
#H0: Logreturn of AMZN is symmetry
```

```
#H1: Logreturn of AMZN is not symmetry
```

```
m3_amzn = skewness(logreturn_amzn)
```

```
tcal_amzn = m3/sqrt(6/length(logreturn_amzn))
```

```
tcal_amzn
```

```
## [1] -12.19847
```

We reject H0 in this case as the calculated S^* (t_{cal_amzn}) is larger than 1.96 with 95% confidence interval. Therefore, log return of Amazon is not symmetry.

```
#5aai
```

```
#H0: excess kurtosis = 0
```

```
#H1: excess kurtosis  $\neq$  0
```

```
K_amzn = kurtosis(logreturn_amzn)
```

```
K_amzn
```

```
## [1] 7.26559
```

```
tcal_Kamzn = K_amzn/sqrt(24/length(logreturn_amzn))
```

```
tcal_Kamzn
```

```
## [1] 52.62331
```

We reject H0 in this case with 95% confidence interval since S^* (t_{cal_Kamzn}) $>$ 1.96. Therefore, the excess kurtosis of Amazon log return is not equal to zero.

```
#5aiii 95 percent confidence interval
```

```
t.test(logreturn_amzn)
```

```
##
```

```
## One Sample t-test
```

```
##
```

```
## data: logreturn_amzn
```

```
## t = 0.97705, df = 1258, p-value = 0.3287
```

```
## alternative hypothesis: true mean is not equal to 0
```

```
## 95 percent confidence interval:
```

```
## -0.0007975567 0.0023801007
```

```
## sample estimates:
```

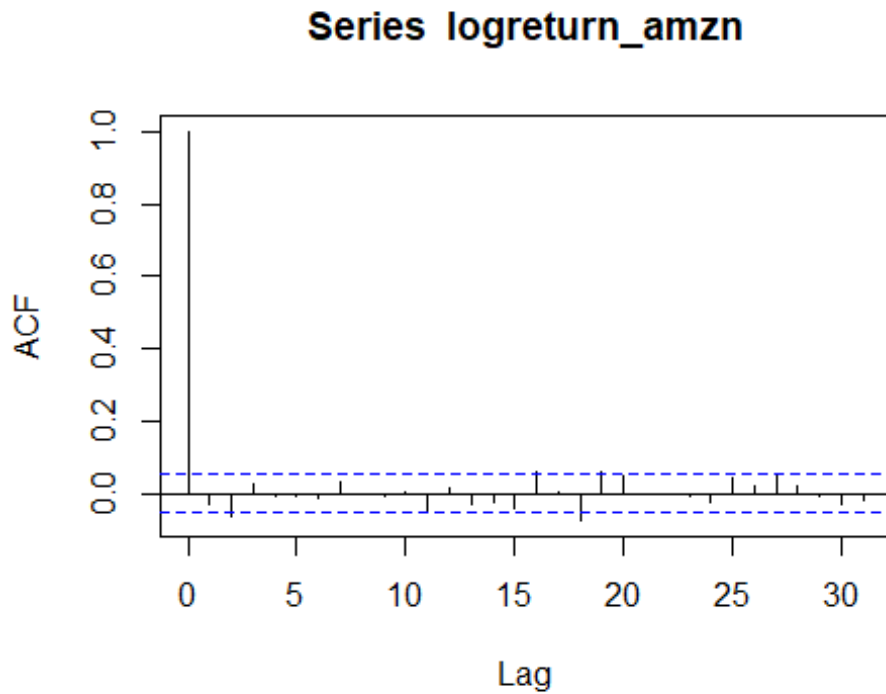
```
## mean of x
```

```
## 0.000791272
```

95% CI is between -0.000798 and 0.00238.

```
#5b
```

```
m1=acf(logreturn_amzn)
```



```
names(m1)
```

```
## [1] "acf" "type" "n.used" "lag" "series" "snames"
```

```
m1$acf
```

```
## , , 1
```

```
##
```

```
## [ ,1]
```

```
## [1,] 1.0000000000
```

```
## [2,] -0.0316614625
```

```
## [3,] -0.0657963636
```

```
## [4,] 0.0254218662
```

```
## [5,] -0.0078449975
```

```
## [6,] -0.0106049170
```

```
## [7,] -0.0148006161
```

```
## [8,] 0.0323683041
```

```
## [9,] -0.0036167194
```

```
## [10,] -0.0071029841
```

```
## [11,] 0.0036460656
```

```
## [12,] -0.0470650529
```

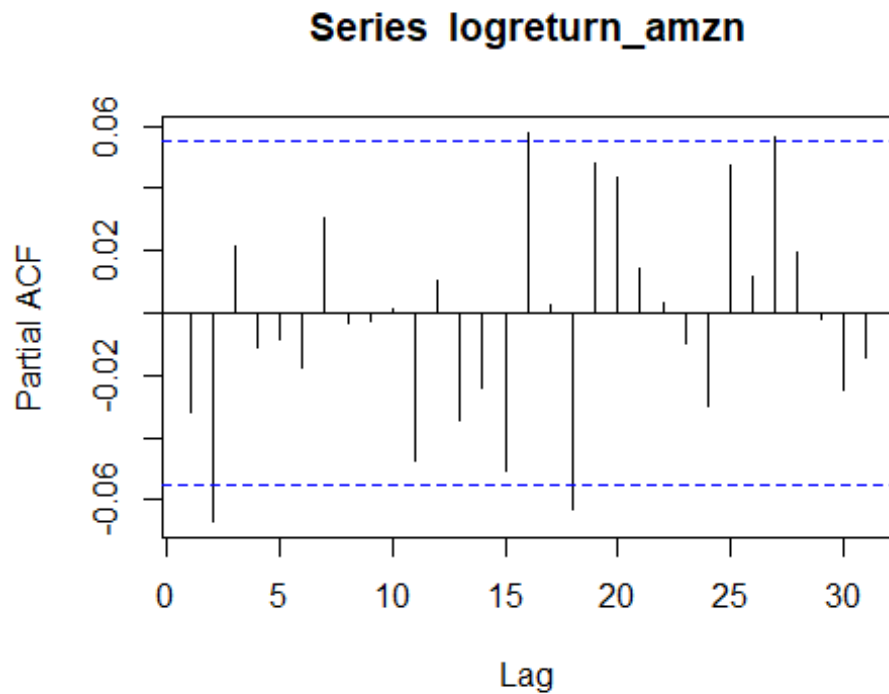
```
## [13,] 0.0124225728
```

```
## [14,] -0.0292344042
```

```
## [15,] -0.0243312999
```

```
## [16,] -0.0427496969
## [17,]  0.0620802986
## [18,]  0.0061473042
## [19,] -0.0744147656
## [20,]  0.0568749860
## [21,]  0.0471836320
## [22,]  0.0003109035
## [23,] -0.0006986516
## [24,] -0.0062326764
## [25,] -0.0244831099
## [26,]  0.0430134379
## [27,]  0.0192213377
## [28,]  0.0464068477
## [29,]  0.0197592080
## [30,] -0.0055967072
## [31,] -0.0317808897
## [32,] -0.0189335815

m2 = pacf(logreturn_amzn)
```



```
names(m2)
## [1] "acf"      "type"     "n.used"   "lag"      "series"   "snames"

m2$acf
## , , 1
##
```

```
##          [,1]
## [1,] -0.031661462
## [2,] -0.066865841
## [3,]  0.021198224
## [4,] -0.010767266
## [5,] -0.008175617
## [6,] -0.017271554
## [7,]  0.030726846
## [8,] -0.003403192
## [9,] -0.002629988
## [10,] 0.001032256
## [11,] -0.047363651
## [12,] 0.010284023
## [13,] -0.034370971
## [14,] -0.024008840
## [15,] -0.050490587
## [16,] 0.057915450
## [17,] 0.002614565
## [18,] -0.062793034
## [19,] 0.048259706
## [20,] 0.043316077
## [21,] 0.014313942
## [22,] 0.003269419
## [23,] -0.009825781
## [24,] -0.029795895
## [25,] 0.047586551
## [26,] 0.012023445
## [27,] 0.056509305
## [28,] 0.019236094
## [29,] -0.002035994
## [30,] -0.024437113
## [31,] -0.014212519
```

```
Box.test(logreturn_amzn, lag = 12, type = 'Ljung')
```

```
##
## Box-Ljung test
##
## data:  logreturn_amzn
## X-squared = 12.488, df = 12, p-value = 0.4073
```

According to Ljung-Box test, we cannot reject $H_0: \rho_1 = \rho_2 = \rho_3 = \dots = \rho_{12} = 0$ with 95% CI since the p-value is larger than 0.05. Therefore, the past information could affect current log return of Amazon.

```
#6
da4 = read.table("d-exuseu.txt", header = TRUE)
#6a calculate daily log return of exchange rate
spotrate = da4[,4]
logreturn_ex = diff(log(spotrate))
```

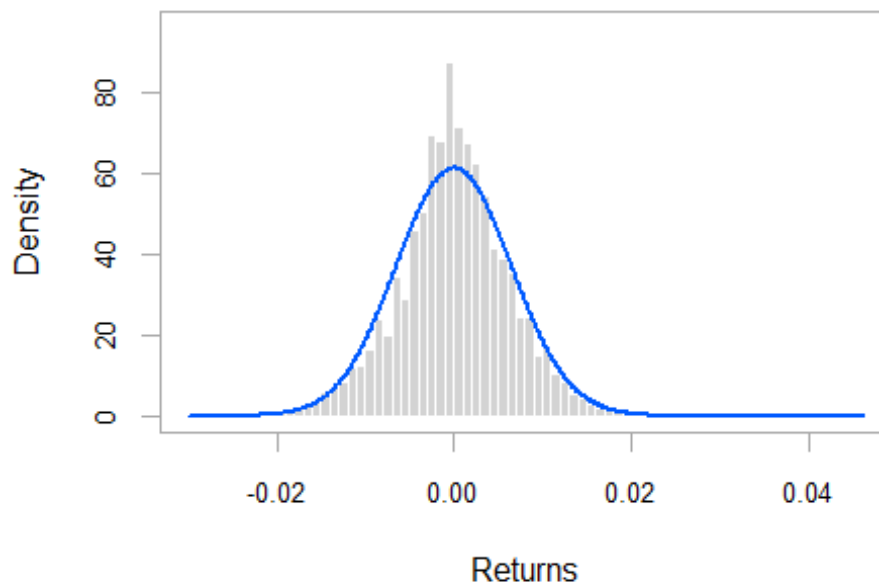
#6b

```
table.Stats(logreturn_ex)
```

```
##  
## Observations    3566.0000  
## NAs             0.0000  
## Minimum        -0.0300  
## Quartile 1     -0.0036  
## Median          0.0000  
## Arithmetic Mean 0.0000  
## Geometric Mean  0.0000  
## Quartile 3      0.0038  
## Maximum         0.0462  
## SE Mean         0.0001  
## LCL Mean (0.95) -0.0002  
## UCL Mean (0.95) 0.0002  
## Variance        0.0000  
## Stdev           0.0065  
## Skewness        0.1168  
## Kurtosis        2.0610
```

#6c density plot

```
chart.Histogram(logreturn_ex, methods = c("add.normal"))
```



#6d test mean = 0

```
t.test(logreturn_ex)
```

```
##
## One Sample t-test
##
## data: logreturn_ex
## t = 0.24489, df = 3565, p-value = 0.8066
## alternative hypothesis: true mean is not equal to 0
## 95 percent confidence interval:
## -0.0001870737 0.0002404769
## sample estimates:
## mean of x
## 2.670158e-05
```

Since the calculated p-value is larger than 0.05, we cannot reject $H_0: \mu = 0$ with 95% confidence interval. Therefore, the true mean of log return of exchange rate is not equal to zero.