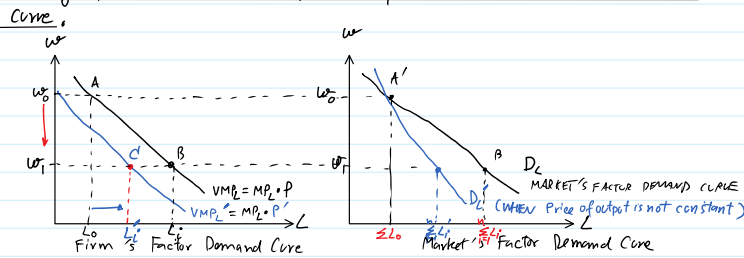


→ Finding Market's Factor Demand Curve from A firm's Factor Demand



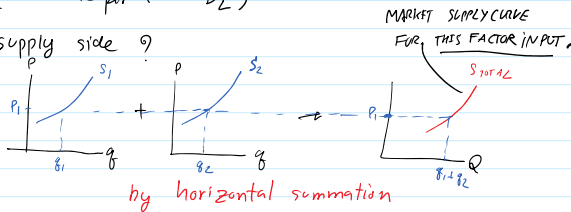
D_L is derived under an assumption that price of output is constant. However, it may not be true in reality.

Each firm hires more workers as w falls → produce and supply more output into the good market → price of output (APPE) will drop! → VMP curve will shift downward from VMP_L → VMP'_L

So, actual quantity demanded for workers would be only L_i for each firm!!! The market's factor demand curve then would be D'_L which is relatively less elastic than D_L . (Notice that D'_L is steeper than D_L)

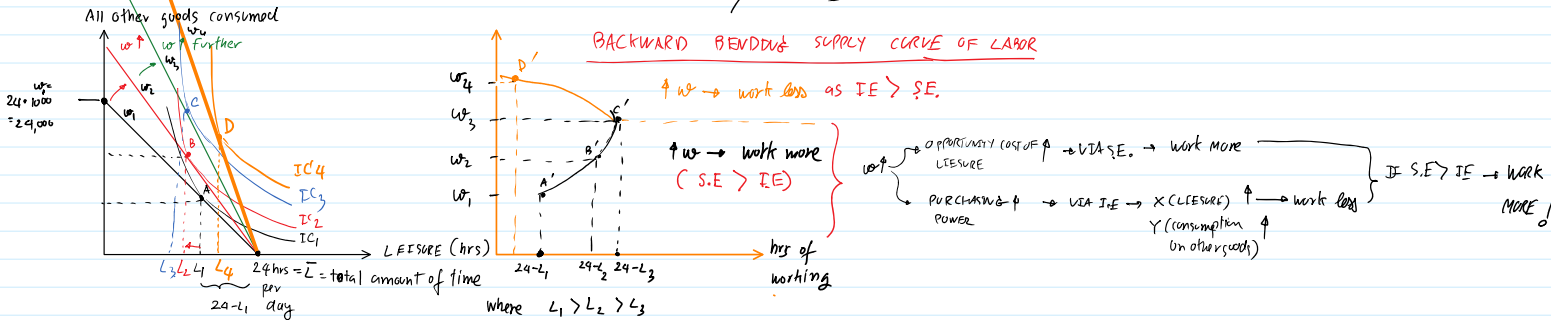
Next, How about on supply side?

For Factors like oil,



How about market supply curve of "LABOR"?

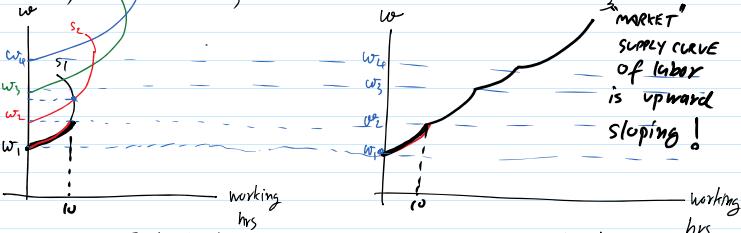
Let's consider an individual worker's decide to work/Leisure...



At A, leisure = L_1
work = $24 - L_1$

At B, when w ↑, he works more: $24 - L_2$

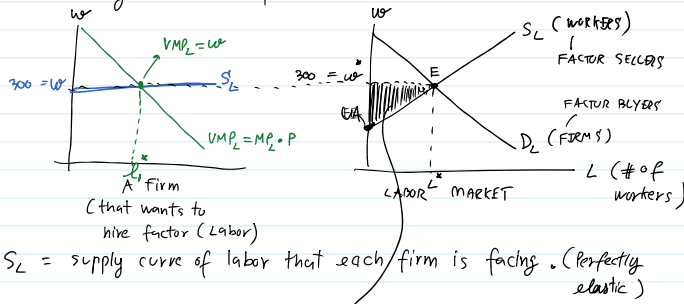
At C, when w ↑ further, he continues to work more: $24 - L_3$



MESSAGE Individual supply curve of labor may be bending backward BUT market supply curve of labor is NOT!

So far, Market Demand Curve for labor is constructed. Market supply curve of labor is constructed. Let's bring them to plot together...

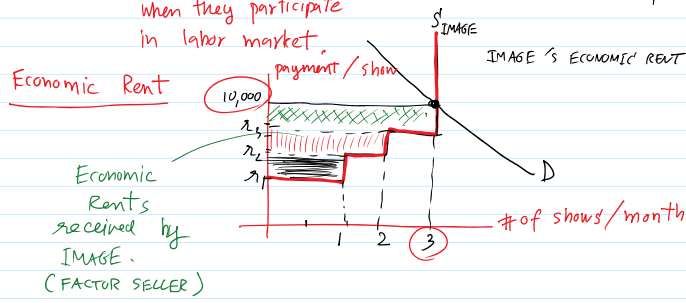
So far, Market Demand Curve for labor is constructed.
 Market Supply curve of labor is constructed.
 Let's bring them to plot together...



S_L = supply curve of labor that each firm is facing. (Perfectly elastic)

Economic Rent gained by Factor sellers (i.e., workers) as they obtain $w^* = 300$ which is above their reservation price!

OR = Surplus gained by factor owners when they participate in labor market.



[Handwritten signature]

(Karl Marx will complain)

Math Box

$$\max_L \pi(L) = P(Q(L)) \cdot Q(L) - w \cdot L$$

$$\text{F.O.C.} \quad \frac{\partial \pi(L)}{\partial L} = P \cdot \frac{\partial Q(L)}{\partial L} + Q(L) \frac{\partial P}{\partial Q} \cdot \frac{\partial Q(L)}{\partial L} - w = 0$$

$$\left[P + Q \frac{\partial P}{\partial Q} \right] \frac{\partial Q(L)}{\partial L} = w$$

$$\downarrow \text{MR} = \text{MP}_L = w$$

$$\boxed{\text{MRP}_L = w}$$

Profit maximizing condition for hiring L
when output market is monopoly + factor mkt is competitive.

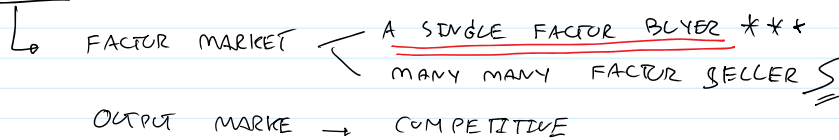
EXERCISE

- SUPPOSE
- (1) $Q(L) = b \cdot \sqrt{L}$ (CASE 2)
 - (2) $P(Q) = a - Q$
 - (3) FACTOR MARKET \rightarrow COMPETITIVE
 - (4) OUTPUT MARKET \rightarrow MONOPOLY

Q: FIND L^* THAT MAXIMIZE THE MONOPOLIST'S PROFITS.

$$\text{SOLUTION: } L^* = \frac{1}{4} \cdot \left[\frac{a \cdot b}{1+w} \right]^2$$

CASE 3 (A COMPANY IN TOWN)



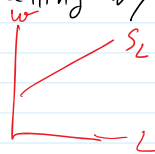
w/ ONLY ONE FACTOR BUYER, WE CALL HIM "MONOPOLIST"

FACT 1 The Monopsonist faces w/ Entire Amount of workers he can hire. That means he is dealing w/ upward sloping labor supply curve.

Implication \Rightarrow To induce workers to work more,

The monopsonist must offer

higher wage: w must increase to make it more attractive to work more / or come to work more.



$$w_1 = 100 \text{ baht/hr/day} \rightarrow L_1 = 2 \text{ hours}$$

If the monopsonist want $L_2 = 3$ hours, workers request $w_2 = 120$

$$\text{B/F: total}^{\text{resource}} \text{ cost} = 100 \times 2 = 200 \text{ baht}$$

$$\text{Average Resource Cost (ARC}_L) = \frac{200}{2} = 100 \text{ baht/hour}$$

$$\text{A/F: total}^{\text{resource}} \text{ cost} = 120 \cdot 3 = 360 \text{ baht}$$

ARC_L INCREASES!
Please notice.

of labor

total ^{resource} cost = $120 \cdot 3 = 360$ bght

Average Resource Cost (ARC'_L) = $\frac{360}{3} = 120$ bght/hour

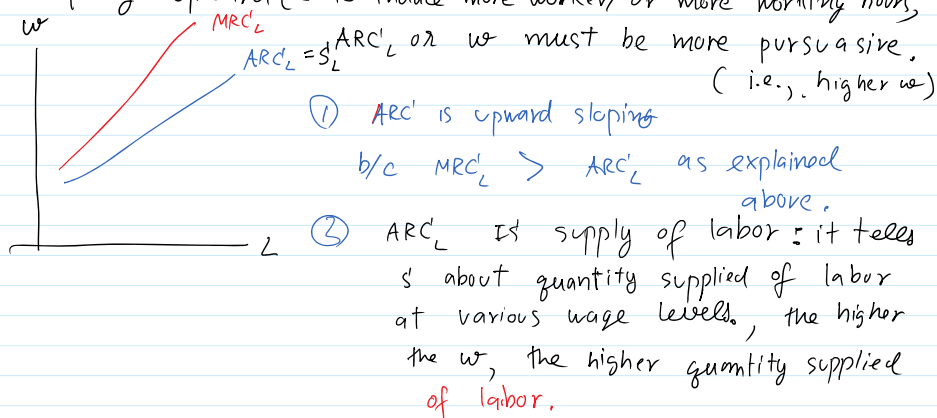
Marginal Resource Cost (MRC'_L) = $\frac{\Delta TRC}{\Delta L} = \frac{360 - 200}{3 - 2} = 160$ bght/hr

Notice that $MRC'_L > ARC'_L$
(160) > (120)

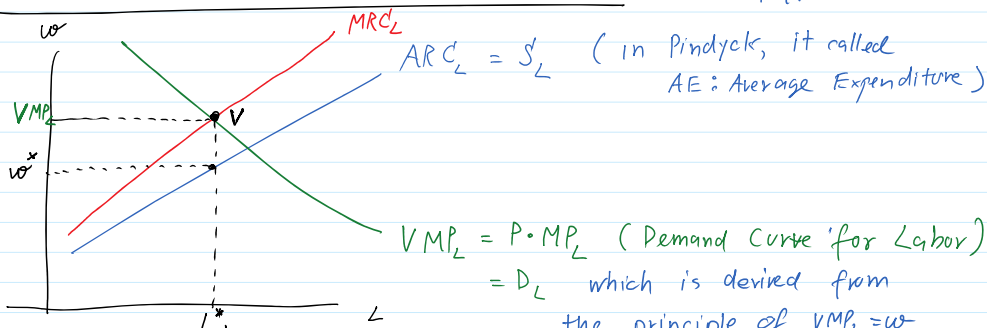
	1 st hr	2 nd hr	3 rd hr	ARC	MRC
$A/F(L=2)$	100	100	-	100	-
$A/F(L=3)$	$(+20)$ 120	$(+20)$ 120	$(+20)$ 120	120	160 !!!

(+20 + 20 + 20)

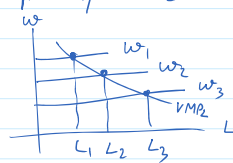
As a result from this intuition, if S_L or ARC'_L curve is upward sloping, it would imply that MRC'_L curve must lie above ARC'_L curve so that ARC'_L curve is sloping upward (= to induce more worker/or more working hours,



Now we can discuss about how many L that the Monopsonist should hire in order to maximize his profits. FYI



- Now, comparing between VMP_L and MRC'_L : the principle of $VMP_L = w$.
when $VMP_L > MRC'_L$, more L should be hired.
Stop hiring when $VMP_L = MRC'_L$ (point V)
- At $L = L^*$, workers' reservation price is w^* (minimum level of wage that would induce workers to supply $L = L^*$ read from S_L curve.)
- As $VMP_L > w^*$ or $VMP_L - w^* > 0$, it reflects



" Monopsonistic Exploitation Rate "

as output mkt is competitive ^{the} actually it is w .

MATH BOX :

$$\max_L \pi(L) = P \cdot Q(L) - ARC(L) \cdot L$$

F.O.C. :

$$P \cdot \frac{\partial Q(L)}{\partial L} - \left(ARC'(L) \cdot \frac{\partial L}{\partial L} + L \frac{\partial ARC(L)}{\partial L} \right) = 0$$

$$P \cdot MP_L - (MRC'_L) = 0 \quad (\text{why?})$$

D-I-Y: verify that $ARC'(L) + L \frac{\partial ARC(L)}{\partial L} = MRC'_L$.

↑ extra cost when hiring an extra unit of worker (or factor)

So, $VMP_L = MRC'_L$ +++
(CASE 3)
(point V in the graph)

Note: As $MRC'_L = w + L \frac{\partial w}{\partial L}$

$$\begin{aligned} &= w + L \frac{\partial w}{\partial L} \cdot \frac{w}{w} \\ &= w + \frac{\partial w}{\partial L} \cdot \frac{L}{w} \cdot w \\ &= w + \frac{w}{E_L} \end{aligned}$$

WAGE ELASTICITY OF LABOR SUPPLY

where

$E_L = \frac{\partial L}{\partial w} \cdot \frac{w}{L}$

At Equilibrium, $VMP_L = MRC'_L$. So, we can write

$$VMP_L = w + \frac{w}{E_L} \Rightarrow \frac{VMP_L - w}{w} = \frac{1}{E_L}$$

Exploitation Rate is inversely related as a percentage of wage

The higher the E_L , the lower exploitation rate, vice versa. w/wage elasticity.

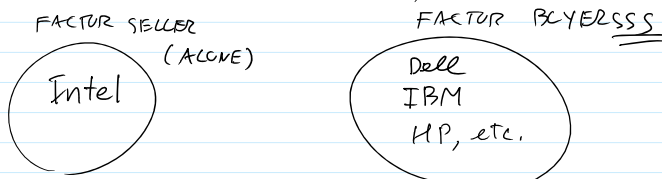
= If workers in the village has an outside option (sth to do if not working for this company), the monopsonist cannot make much gap of $VMP - w$. (= pay w closer to VMP_L)!

ONLY ONE FACTOR SELLER which is a labor union

CASE 4 (LABOR UNION CASE)

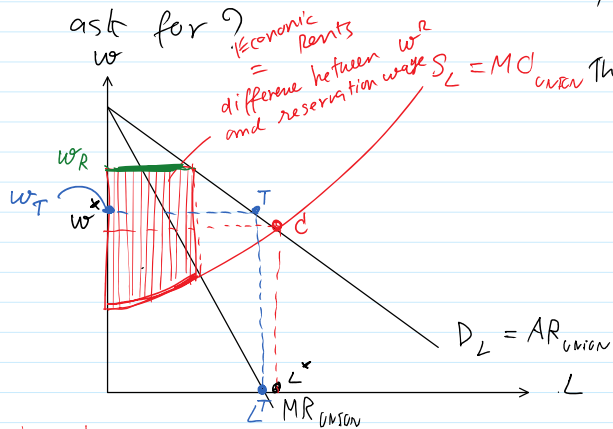
ANOTHER EXAMPLE

In the past, when we had only Intel as a computer ship maker (No AMD yet),



Q: How many workers the Labor Union would decide to release for work when many many firms come to ask for w mic w a

... among workers the labor union would decide to release for work when many many firms come to ask for?



The Union views L^* (workers) as sth it has to decide to sell.

The Union has 3 options ① Goal: maximize # of workers hired.

The union will set $w = w^*$ and then $L = L^*_{max}$

② Goal: maximize total wages paid to workers.

The union will set w such that $MR_U = 0$. Wage = w_T .

③ Goal: maximize "economic rents" obtained by workers (who get employed)

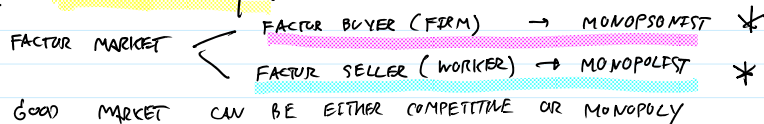
The union will set L such that $MR_U = MC'_U$ (PODUT A)

The economic rent will be

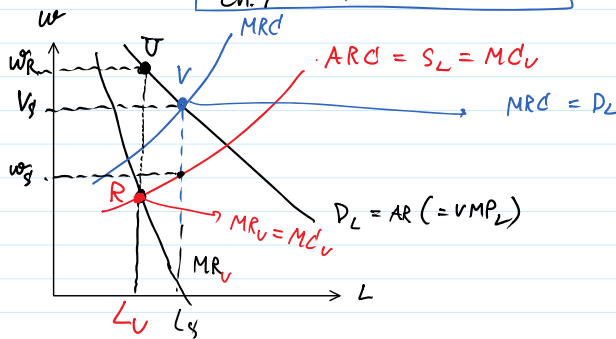
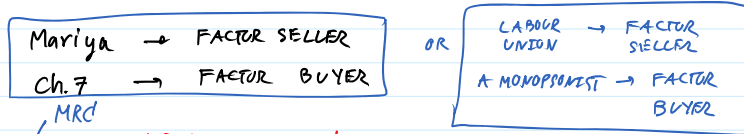
BIG PICTURE ...

		GOOD MARKETS	
(WORKERS)	(FIRMS)	COMPETITIVE	MONOPOLY
FACTOR SELLER MKT	FACTOR BUYER MKT	COMPETITIVE	MONOPOLY
COMPETITIVE	COMPETITIVE	CASE I	CASE II
	MONOPOLY	CASE III (UNION IN FIRM)	---
	COMPETITIVE	CASE IV	---
MONOPOLY (EX: LABOR UNION) (CELEBRITY)	MONOPOLY	<div style="border: 1px solid black; border-radius: 50%; padding: 5px; display: inline-block;">CASE V</div> BILATERAL MONOPOLY	

CASE 5 Bilateral Monopoly



EXAMPLE



(MONOPSONIST WANTS TO HIRE L^S WHERE $MRC = D_L$ (OR $= VMP_L$) FACTOR BUYER WOULD BE WILLING TO PAY w_g . However, V_g which is value of marginal product that the union created $> w_g$. So, if this is the case, Monopsonistic Exploitation arises.

Now, Now about the Union?
 The Union, let's say, wants to maximize the rents.

The Union wants to hire

L_U where $MR_U = MC_U$ OR AT POINT R AND wants to get w_R which is higher than w_g !!! So negotiation starts.

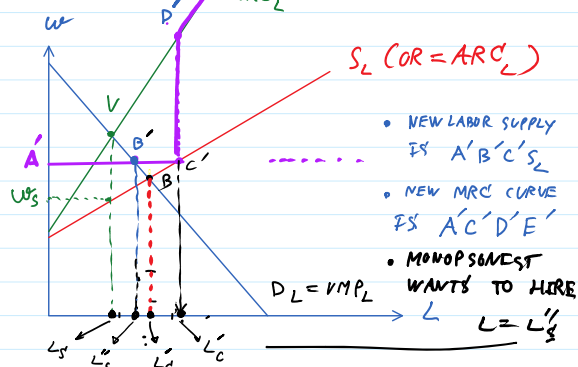
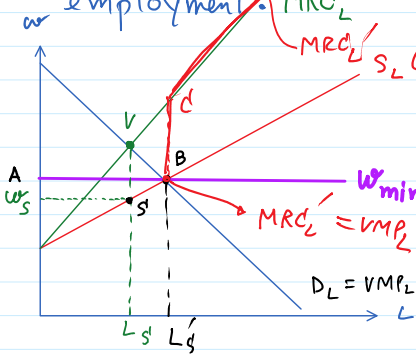
- If the Union has more bargaining power, the wage will stay close to w_R .
- If Monopsonist has more bargaining power, the wage will be close to w_g .

Special issue: Monopsonist & Minimum wage.

As we observed, Monopsonist exploits workers by paying w less than VMP workers generated. So, govt may impose

As we observed, Monopsonist exploits workers by paying w less than VMP workers generated. So, govt may impose

minimum wage to help workers and also to increase more employment.



- $Q_L^D = L_s'' < Q_L^S = L_s'$
 - NEW LABOR SUPPLY IS $A'B'C'S_L$
 - NEW MRC CURVE IS $A'C'D'E'$
 - MONOPSONIST WANTS TO HIRE $L = L_s''$
- ↓
unemployment occurs when minimum wage is set too high
- L_s'' is also less than L_s' !!

w/o minimum wage law, $L = L_s$, $w = w_s$ (MONOPSONIST'S HIRING RULE: $MRC_L = VMP_L$)

w/ minimum wage law, govt. sets $w_{min} = w_d$ (POINT V)
wage if labor market were to be competitive.

Now, $AB S_L$ becomes the new labor supply curve or the new ARC_L curve.

Notice the from A to B (the horizontal line), $ARC_L = MRC_L = w_{min}$
the new MRC_L curve is $ABCD$

