

Cost. = the least cost of producing a given output Q
 ↳ most efficient way to use the best
 quantity of input $L + K$
 at the given price P_L, P_K
 using the best technology available
 (production function)
 in the given time frame } Short-Run
 Long-Run.

Short-Run Costs Least cost of producing a given output Q
 where at least one input is fixed.

Inputs — Labor with price $= w = \text{wage}$. } fixed
 — Capital with price $= r = \text{interest}$

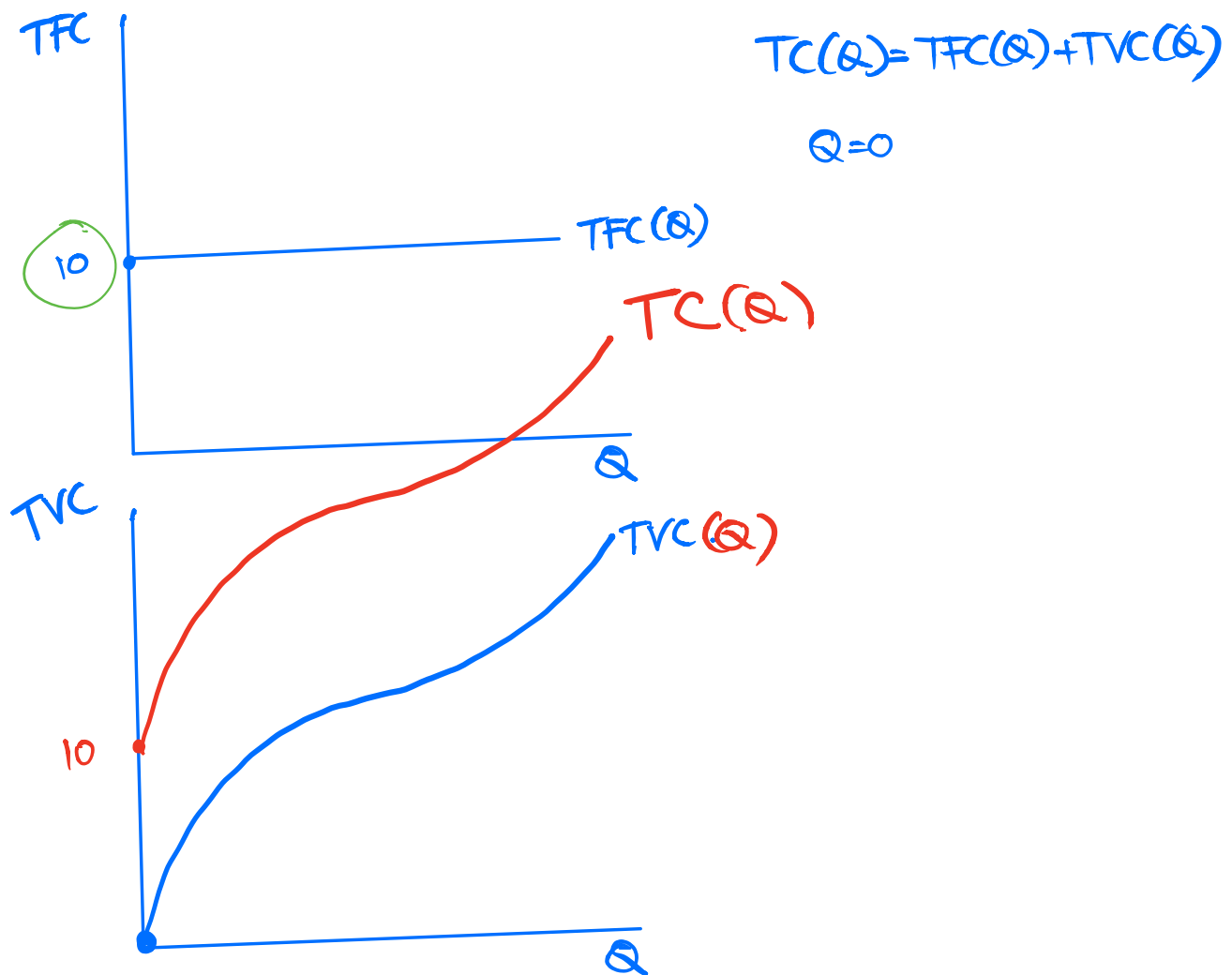
K is assumed to be the fixed input at $K = K_0$.
 at price $r \Rightarrow r \cdot K_0 = \text{Total Fixed Cost.}$
 $= \text{TFC}(Q)$
 — unchanged with Q

L is variable, at price w .

$wL = \text{Total Variable Cost.}$
 $= \text{TVC}(Q)$

Total Cost = Total Fixed Cost + Total Variable Cost

$$TC(Q) = TFC(Q) + TVC(Q)$$

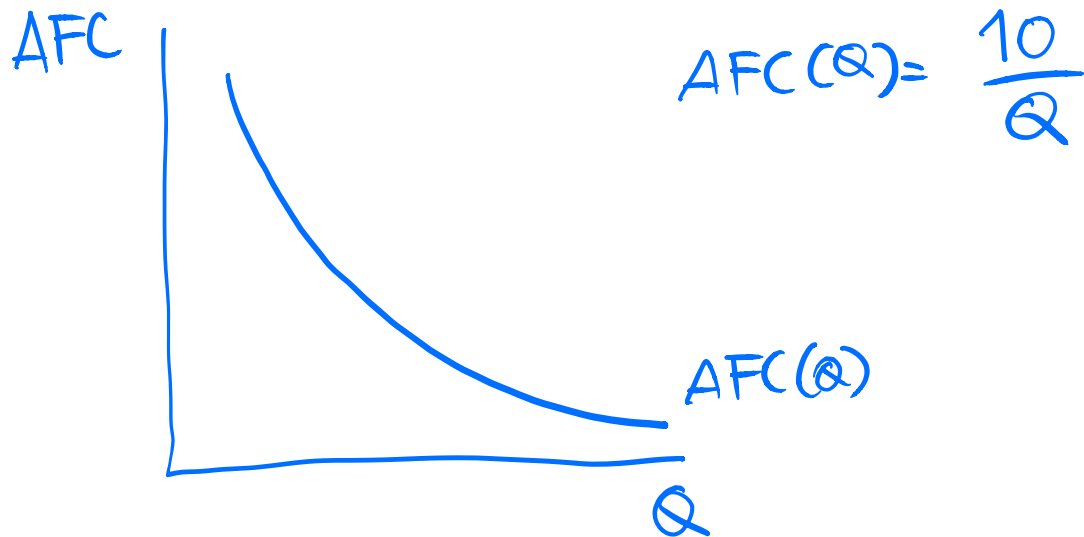


$$TC(Q) = TFC(Q) + TVC(Q)$$

$$TFC \rightarrow \frac{dTFC}{dQ} = 0$$

$$\rightarrow AFC(Q) = \frac{TFC(Q)}{Q}$$

Q	AFC
1	10
2	5
3	3.33
4	2.5
5	2
⋮	



$$\frac{TC(Q)}{Q} = \frac{TFC(Q)}{Q} + \frac{TVC(Q)}{Q}$$

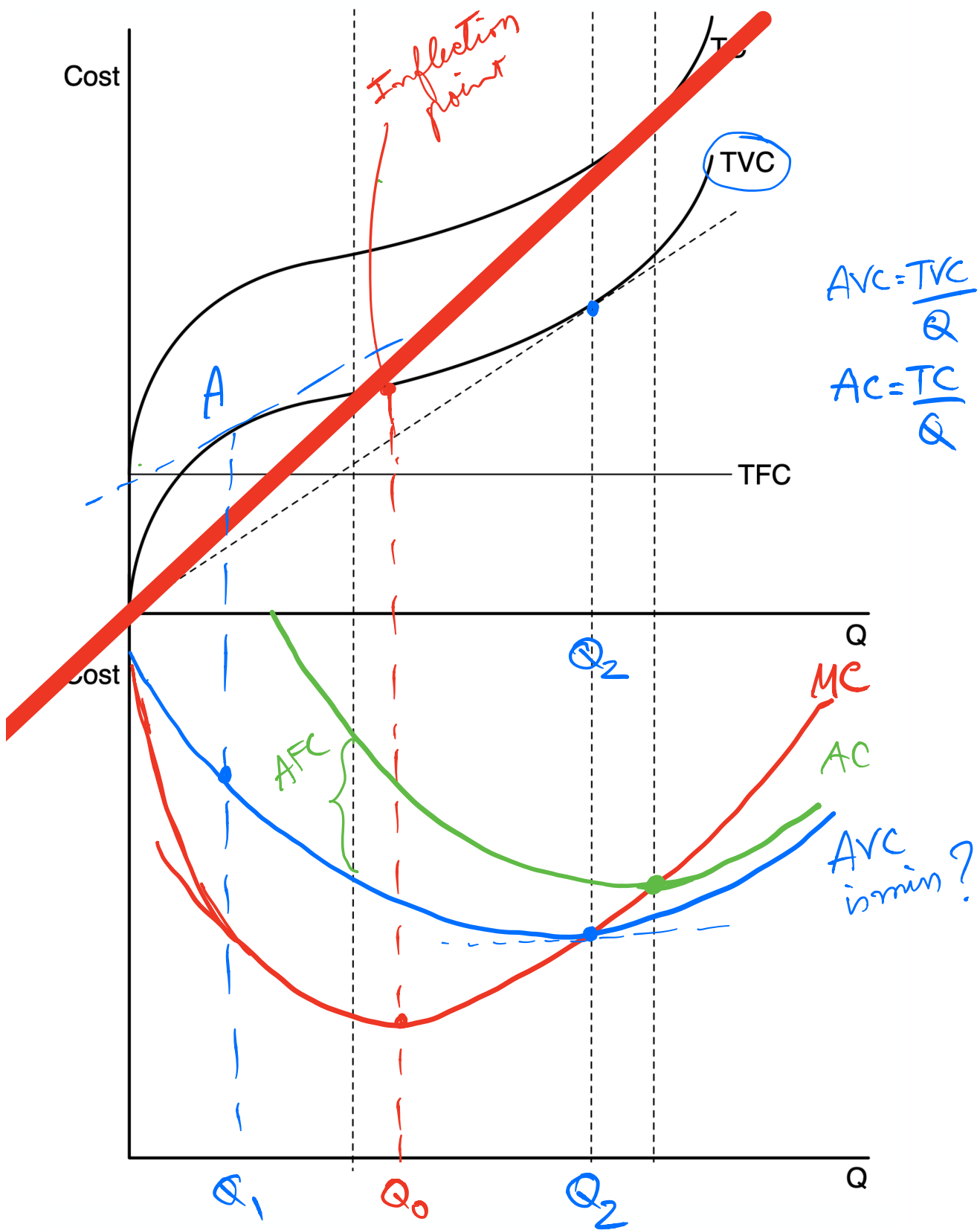
$$\Rightarrow AC(Q) = AFC(Q) + AVC(Q)$$

$$AC - AVC = AFC$$

$$\frac{d}{dQ} TC(Q) = \frac{d}{dQ} TFC(Q) + \frac{d}{dQ} TVC(Q)$$

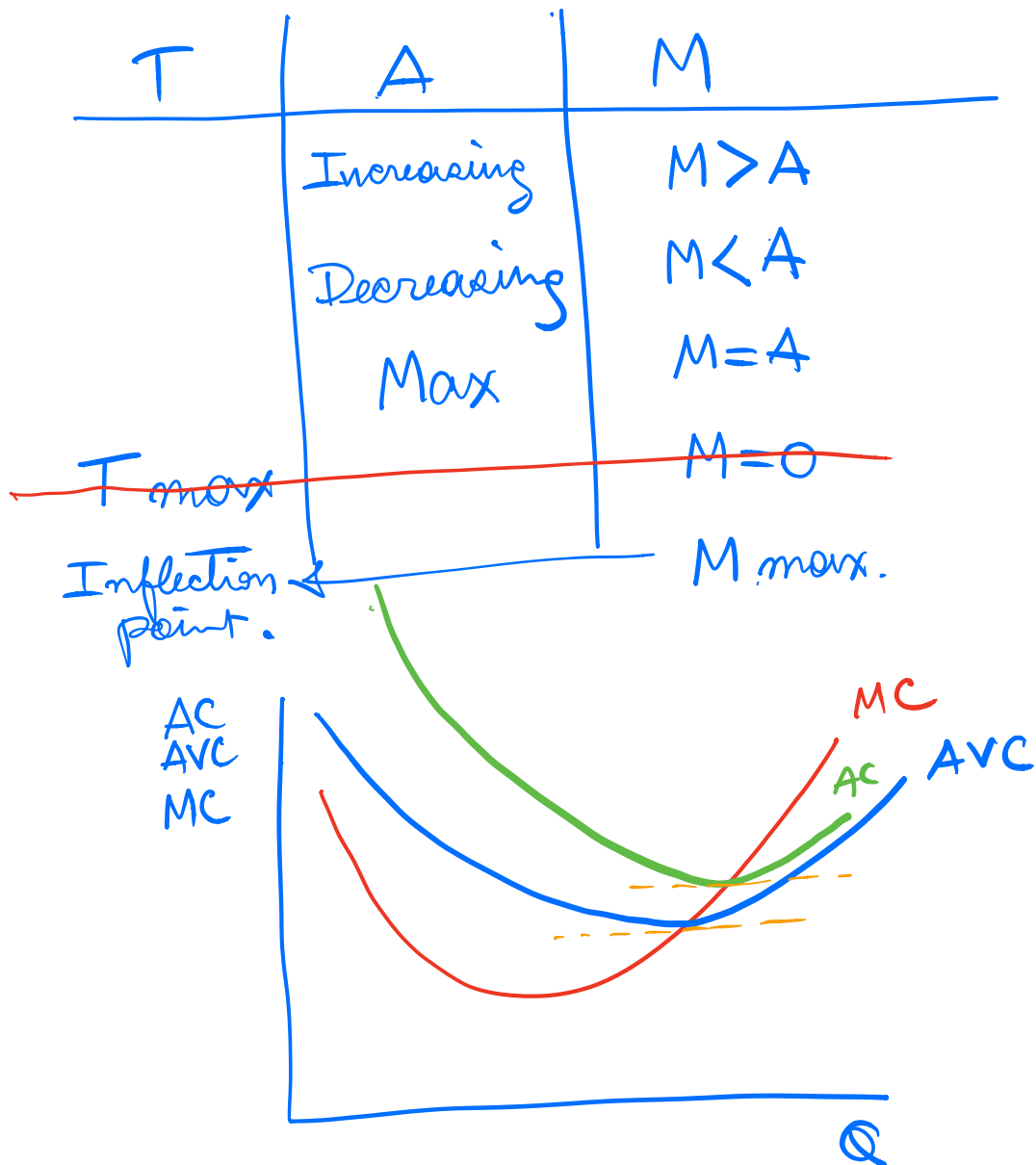
$\cancel{= 0}$

$MC(Q)$ $MC(Q)$



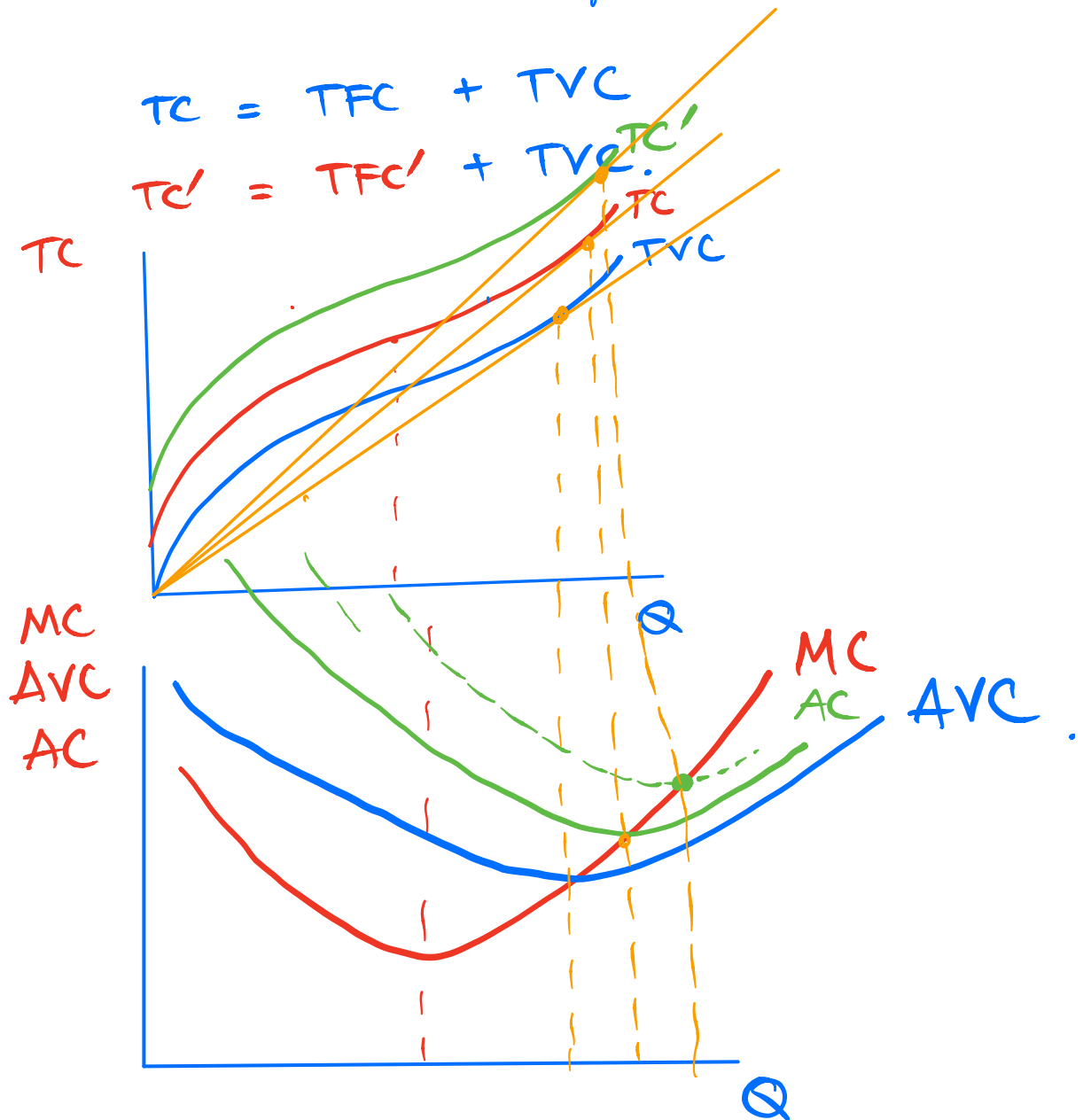
$$\frac{d}{dQ} TC(Q) = \frac{d}{dQ} (AC(Q) \cdot Q)$$

$$MC(Q) = AC(Q) + Q \cdot \frac{d}{dQ} AC(Q)$$



Changes in Cost Curves

- 1) Change in TFC — *assume K is fixed input.*
— higher rent
— higher price of K.



2 Change in TVC. producer has to
pay tax = 10 ~~B~~/unit.