

# EE211

# PRINCIPLES OF MICROECONOMICS

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Topic 4:

Consumer Surplus, Producer Surplus, and the  
Efficiency of Markets

# Topics

- Consumer Surplus
- Producer Surplus
- Market Efficiency

# Welfare Economics – Well-being

Basic questions: what, how, for whom?

- Recall: the allocation of resources refers to:
  - how much of each good is produced
  - which producers produce it
  - which consumers consume it
- **Welfare economics**: the study of how the allocation of resources affects economic well-being
  - Consumer's well-being is measured by **consumer surplus**.
  - Producer's well-being is measured by **producer surplus**.
  - Both contribute to **total surplus (or social welfare)**.

# Willingness to Pay (WTP)

- A consumer's **willingness to pay** for a good is the **maximum amount the buyer will pay for that good**.
  - WTP measures how much s/he **values** the good.
- Example: 4 buyers' WTP for an iPhone

Consumer	WTP
Nadech	\$350 ✓
James	300 ✓
Mario	250 ✓
Ken	200 ✗

Suppose the price of an iPhone is \$250.

Q: Who will buy an iPhone?

➔ N, J, M

Q: What is quantity demanded?

➔ 3

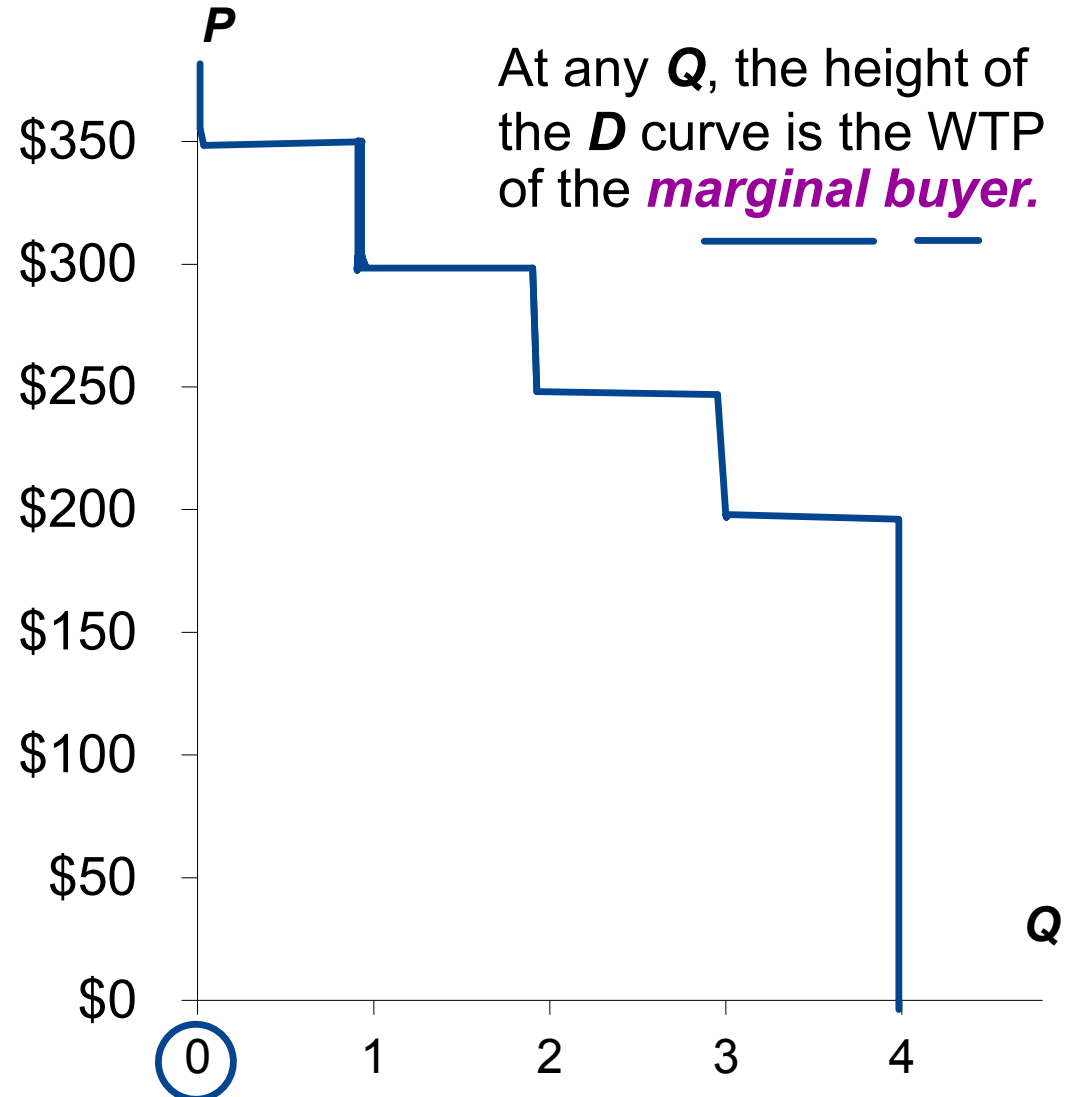
"revealed" preference

# Deriving the Demand Curve

Buy if  $WTP \geq P$

Consumer	WTP
Nadech	\$350
James	300
Mario	250
Ken	200

$P$	$Q^d$
\$351+	0
301 – 350	1
251 – 300	2
201 – 250	3
0 – 200	4



# Consumer Surplus

- **Consumer surplus (CS)** is the **difference between what a consumer is willing to pay and what s/he actually pays.**
- Mathematically,  **$CS = WTP - P$ .**
- Example:

Consumer	WTP
Nadech	\$350
James	300
Mario	250
Ken	200

CS

Suppose  $P = \$250$ .

➤ Nadech's CS = \$100

➤ James' CS = \$50

➤ Mario's CS = 0

➤ Ken's CS = 0

➤ Total CS = \$150

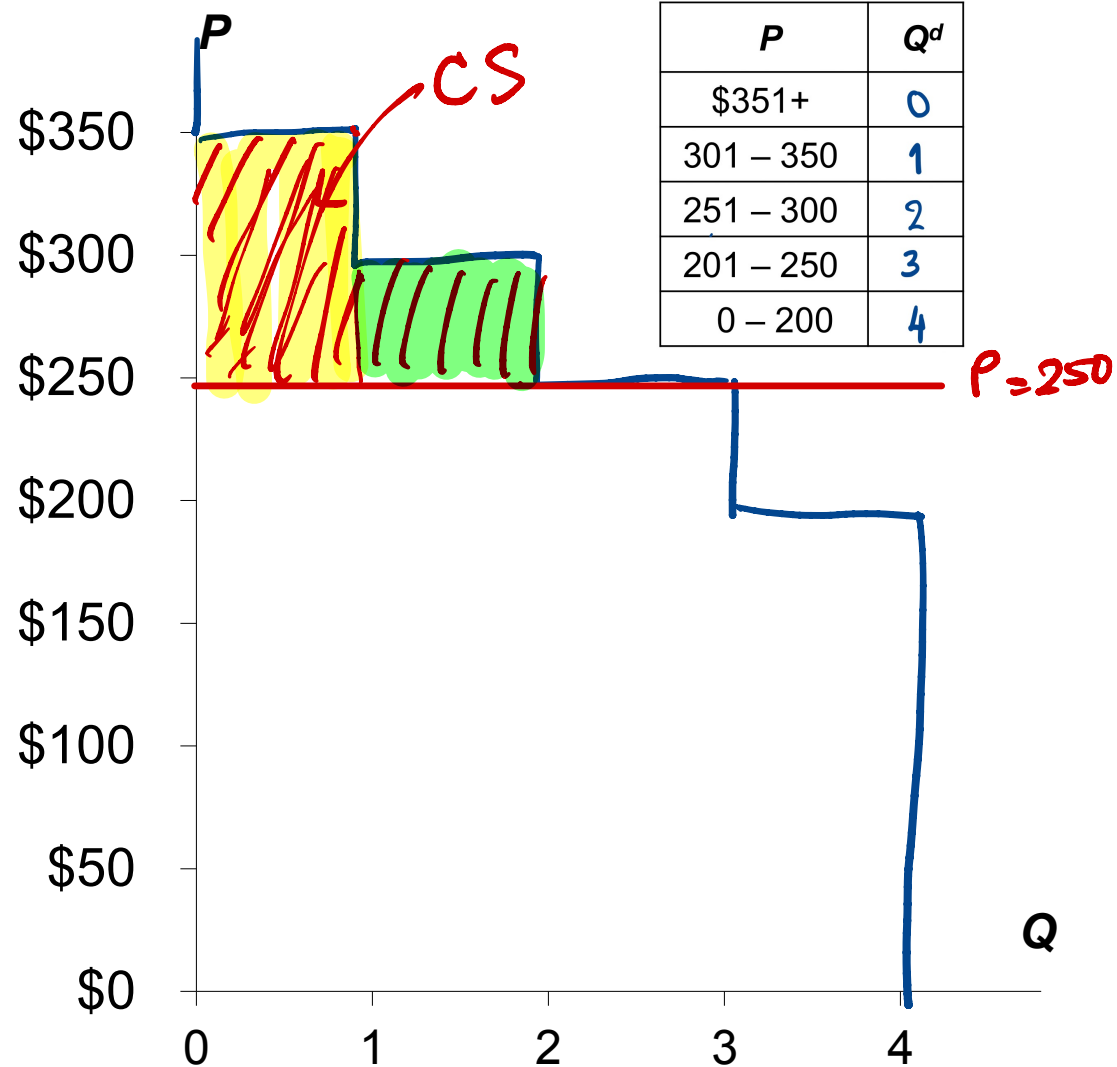
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# Consumer Surplus and WTP

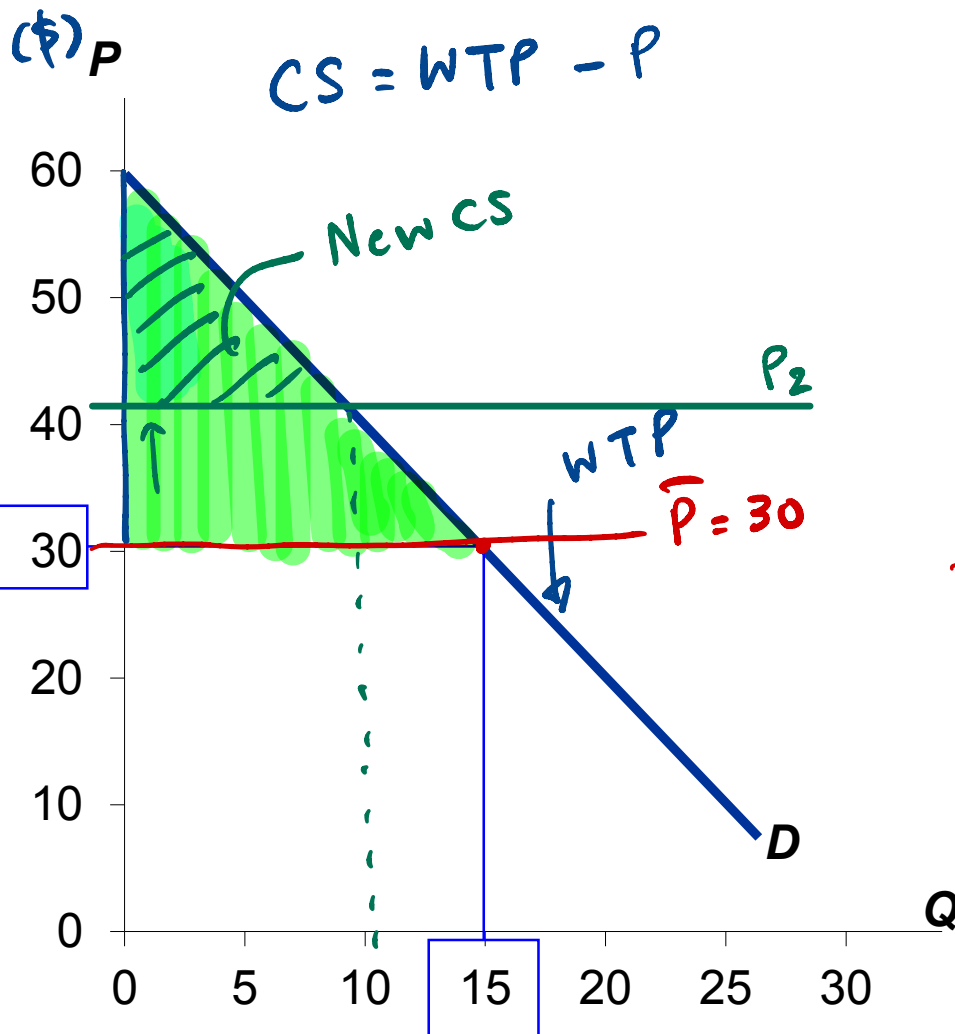
$$P = \$250$$

Total CS equals the area under the demand curve above the price, from 0 to  $Q$ .

$$CS = WTP - P$$



# Consumer Surplus: Many Buyers and Smooth Demand Curve



- Consumer surplus is the area under the demand curve above the price line.
- Suppose  $P = 30$ .

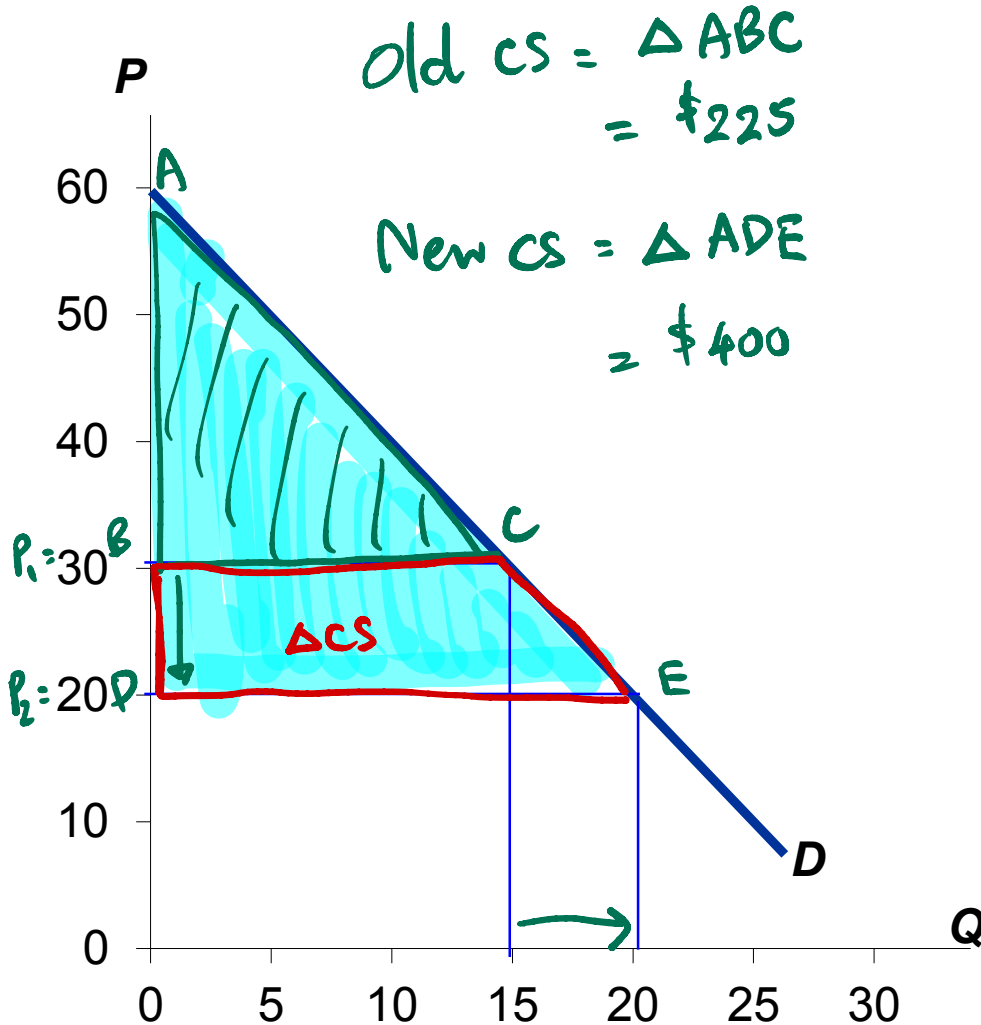
$$\triangleright CS = \frac{1}{2} \times 15 \times 30 = \$225$$

What if  $P \uparrow$  to  $P_2 = 40$ ?

$$\text{New CS} = \frac{1}{2} \times 10 \times 20 = \$100.$$

$$\text{As } P \uparrow, \Delta CS = \$100 - \$225 = -\$125$$

# Consumer Surplus When Price is lower.



- When the price is lower, the CS will be higher.
- Suppose price decreases from 30 to 20.
  - New CS =  $\frac{1}{2} \times 20 \times (60 - 20)$   
= \$400
  - $\Delta CS = \$400 - \$225$   
= \$175 =  $\square BCDE$

# Cost and the Supply Curve

- **Cost** is the value of everything a seller must give up to produce a good (*i.e.*, opportunity cost).
- It includes cost of all resources used to produce good, including value of the seller's time.
- Example: Costs of 4 sellers of iPhones.

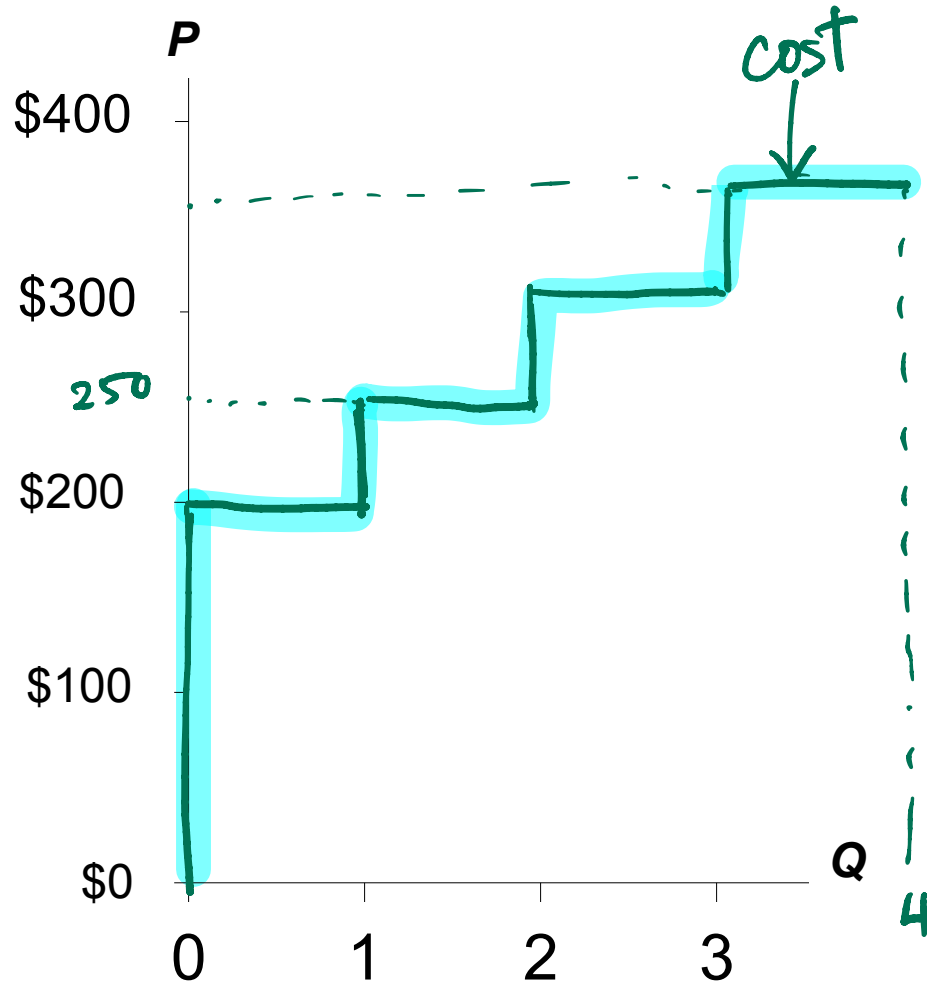
Seller	cost
I-store1	\$200
I-store2	250
I-store3	300
I-store4	350

A seller will only produce and sell the good if the price exceeds his or her cost.

Hence, cost is a measure of willingness to sell.

Sell if  $P \geq \text{cost}$ .

# Cost and the Supply Curve



$P$	$Q^s$
\$0 – 199	0
200 – 249	1
250 – <del>300</del> <sup>299</sup>	2
300+	4

Seller	cost
I-store1	\$200
I-store2	250
I-store3	300
I-store4	350

- At each  $Q$ , the height of the  $S$  curve is the cost of the *marginal seller*.

# Producer Surplus

- **Producer surplus (PS)** is the difference between what a seller is willing to sell (i.e. cost) and the price at which s/he actually sells.
- Mathematically,  $PS = P - Cost$ .
- Example:  $250 - cost = PS$

Seller	cost
I-store1	\$200
I-store2	250
I-store3	300
I-store4	350

PS

50

0

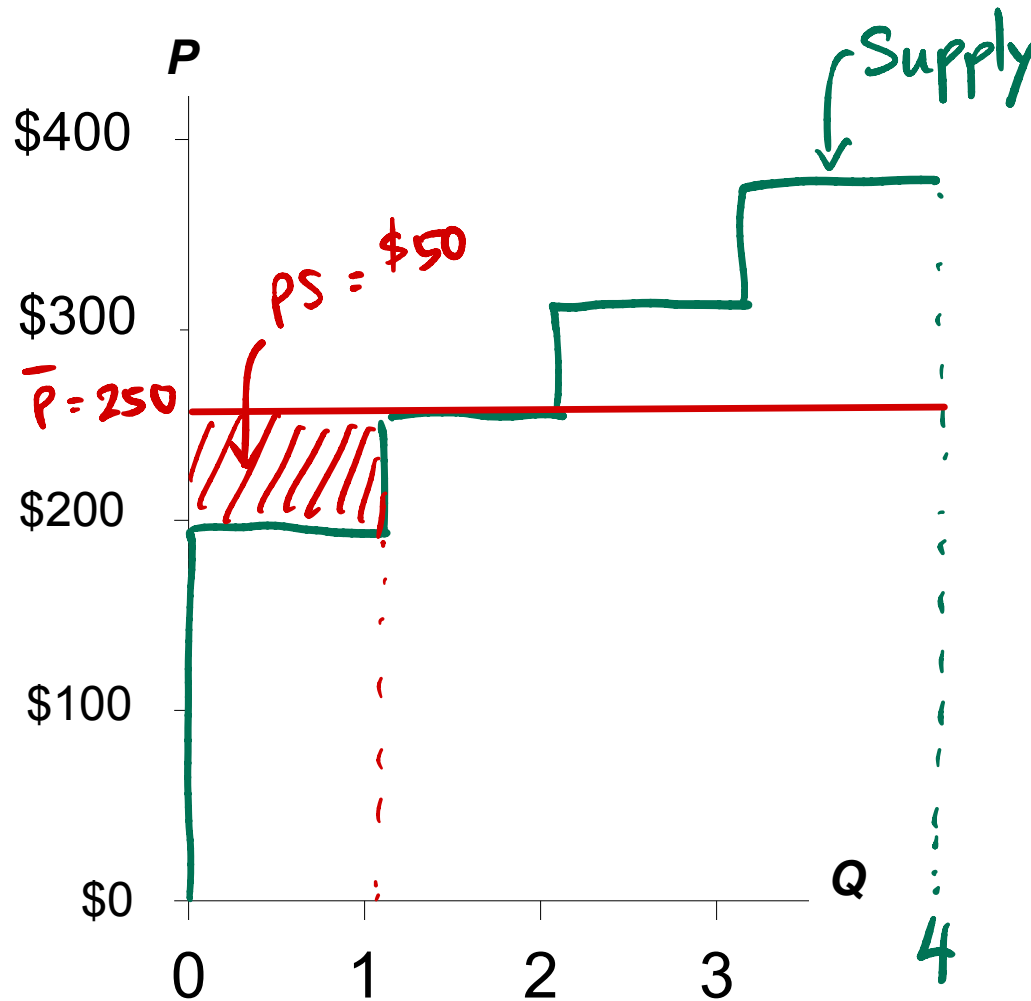
0

0

Suppose  $P = \$250$ . ✓

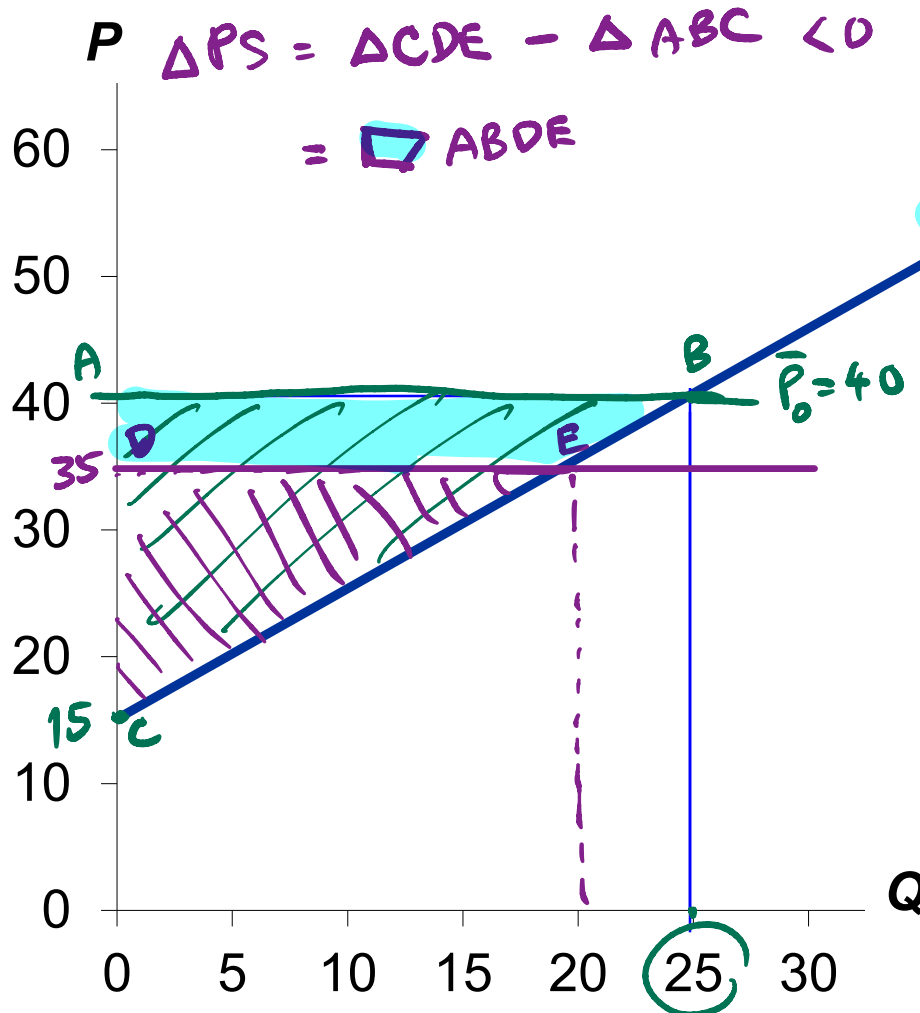
➤ Total PS = \$50

# Producer Surplus and the Supply Curve



Total PS equals the area above the supply curve under the price, from 0 to Q.

# Producer Surplus: Many Sellers and Smooth Supply Curve



- Producer surplus is the area above the supply curve and under the price line.

- Suppose  $P_0 = 40$ .

$$PS_0 = \frac{1}{2} \times 25 \times (40 - 15)$$

$$= \frac{625}{2} = \$312.5$$

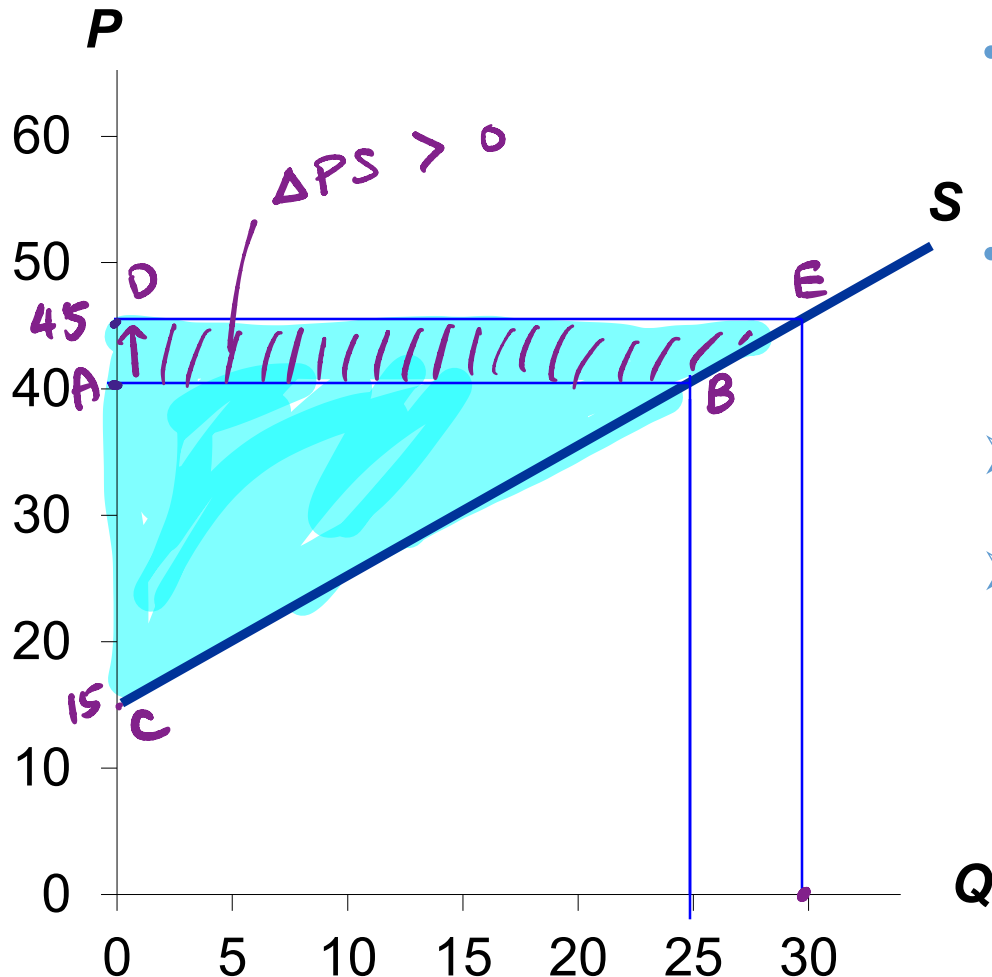
What if  $P \downarrow$  to  $P_1 = 35$ ?

$$PS_1 = \Delta CDE$$

$$= \frac{1}{2} \times 20 \times (35 - 15) = \$200$$

$$\Delta PS = \$200 - \$312.5 = -112.5$$

# Producer Surplus When Price is Higher



- When the price is higher, the PS will be higher.
- Suppose price increases from 40 to 45.

$$\begin{aligned}
 \text{➤ New PS} &= \frac{1}{2} \times 30 \times (45 - 15) \\
 &= \$450 \\
 \text{➤ } \Delta \text{PS} &= \Delta \text{DCE} - \Delta \text{ABC} \\
 &= \$450 - \$312.5 \\
 &= \$137.5
 \end{aligned}$$

# Total Surplus (a.k.a. Social Welfare)

$$CS = WTP - P$$

- $CS = (\text{value to buyers}) - (\text{amount paid by buyers})$

➤ CS measures the benefit buyers receive from participating in the market.

$$PS = P - \text{Cost}$$

- $PS = (\text{amount received by sellers}) - (\text{cost to sellers})$

➤ PS measures the benefit sellers receive from participating in the market.

*≡ Social surplus = Social welfare*

- $\text{Total surplus} = CS + PS = (WTP - P) - (P - \text{cost}) = WTP - \text{cost}$

➤ TS measures the total gains from trade in a market.

➤ We use total surplus as a measure of society's well-being.

# Efficiency

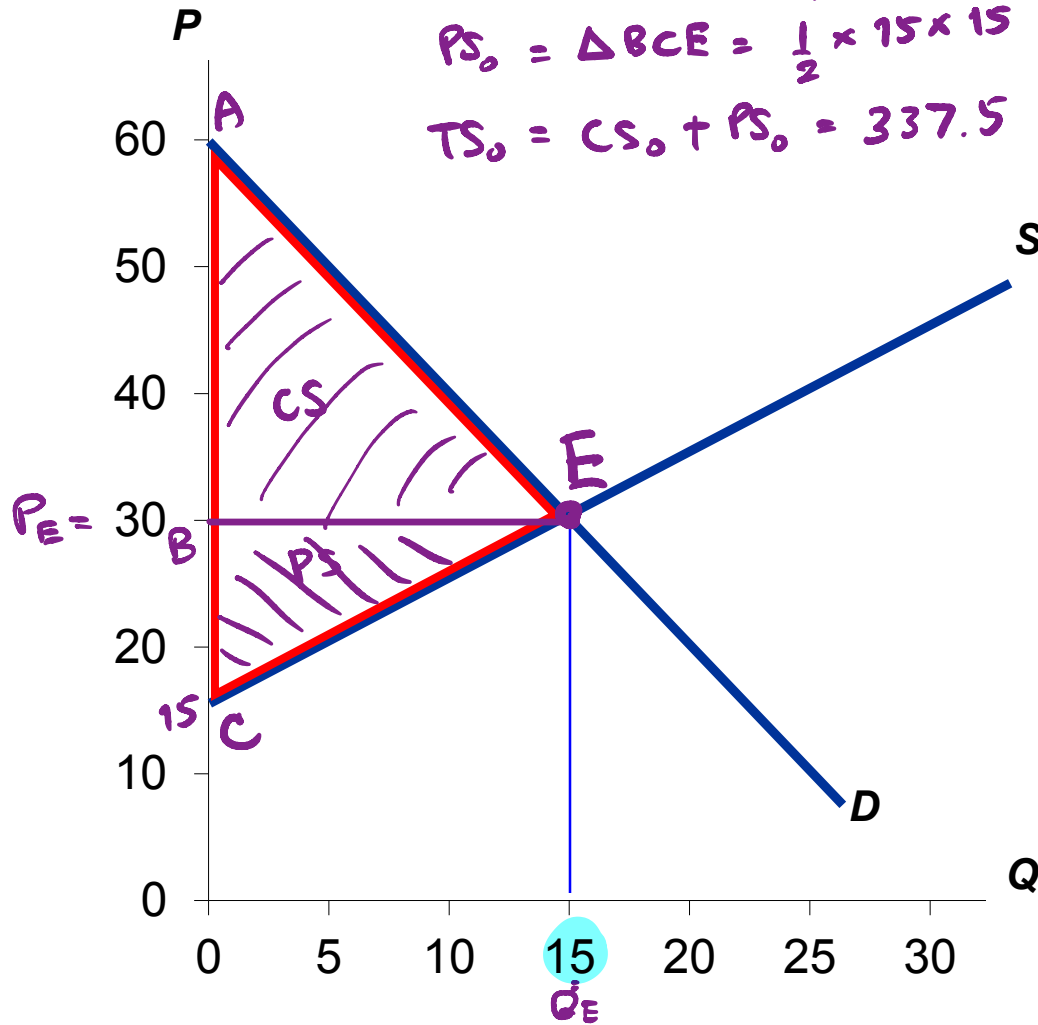
- Total Surplus = CS + PS
- Total Surplus = (value to buyers) – (cost to sellers)
- An allocation of resources is efficient if it maximizes total surplus. Efficiency means:
  - Raising or lowering the quantity of a good would not increase total surplus.
  - The goods are being produced by the producers with lowest cost.
  - The goods are being consumed by the buyers who value them most highly.

# Market Equilibrium

$$\text{At } E, CS_0 = \Delta ABE = \frac{1}{2} \times 15 \times 30 = \$225$$

$$PS_0 = \Delta BCE = \frac{1}{2} \times 15 \times 15 = \$112.5$$

$$TS_0 = CS_0 + PS_0 = 337.5$$

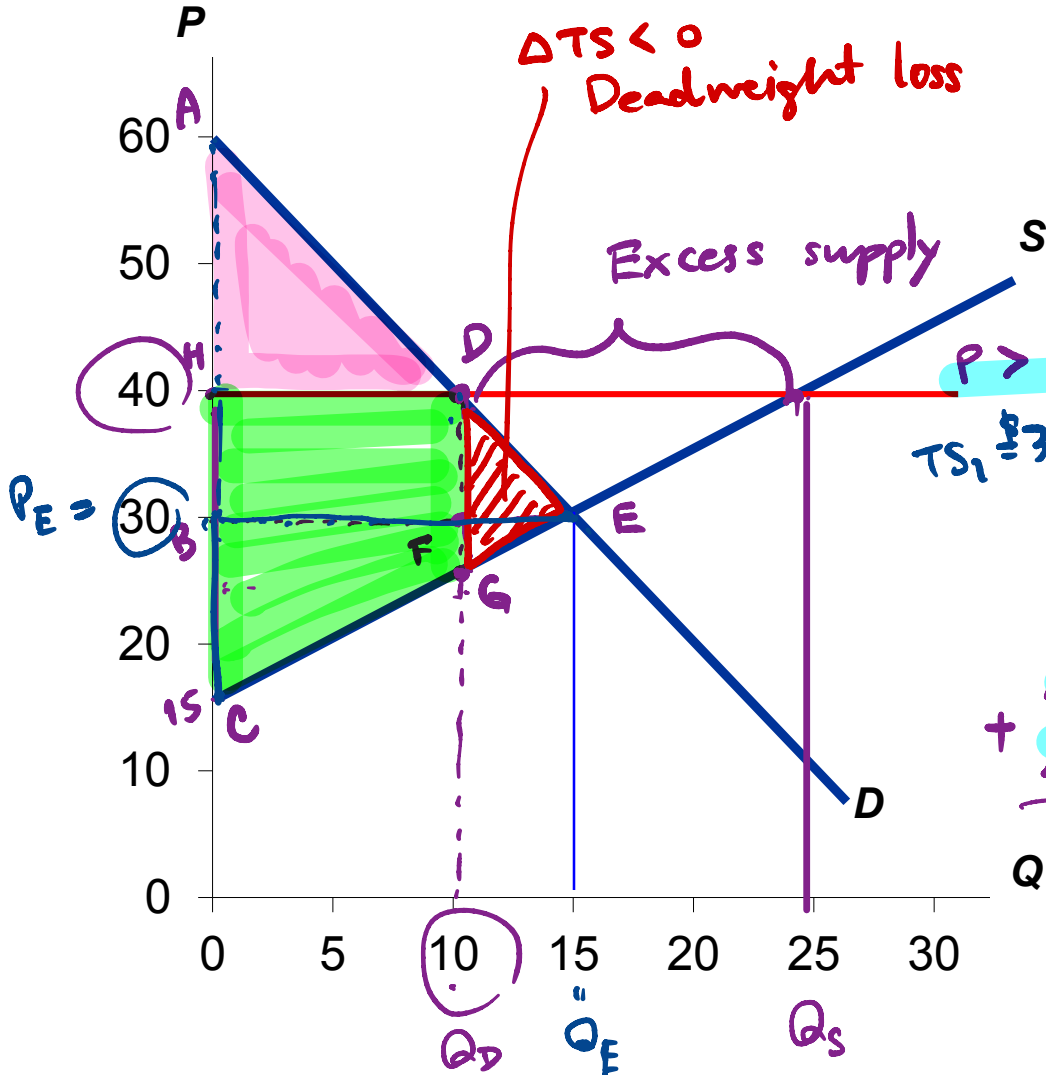


- The equilibrium quantity maximizes total surplus. =  $\Delta ACE$
- Why?
- No excess supply nor excess demand

# Market Equilibrium: Welfare Loss When $P > P_E$

At  $P_E$ ,  $CS_0 = \Delta ABE = \frac{1}{2} \times 30 \times 15 = 225$   
 $PS_0 = \Delta BEC = \frac{1}{2} \times 15 \times 15 = 112.5$   
 $TS_0 = 337.5$

→ What is CS and PS?  
 $TS_0 = 337.5$



$CS_1 = \Delta ADH$

$PS_1 = \square HDBCF + \triangle BFGC$

$TS_1 = CS_1 + PS_1 = \square ADGC$

$P > P_E$   
 $TS_1 = 300$

$$\begin{cases} CS_1 = \frac{1}{2} \times 10 \times (60 - 40) = 100 \\ PS_1 = \frac{1}{2} \times 10 \times (15 + 25) = 200 \end{cases}$$

$PS_1 = \square HDBCF + \square BFGC$

$\Delta CS = \Delta ADH - \Delta ABE = (\square HDBCF + \Delta DFE)$

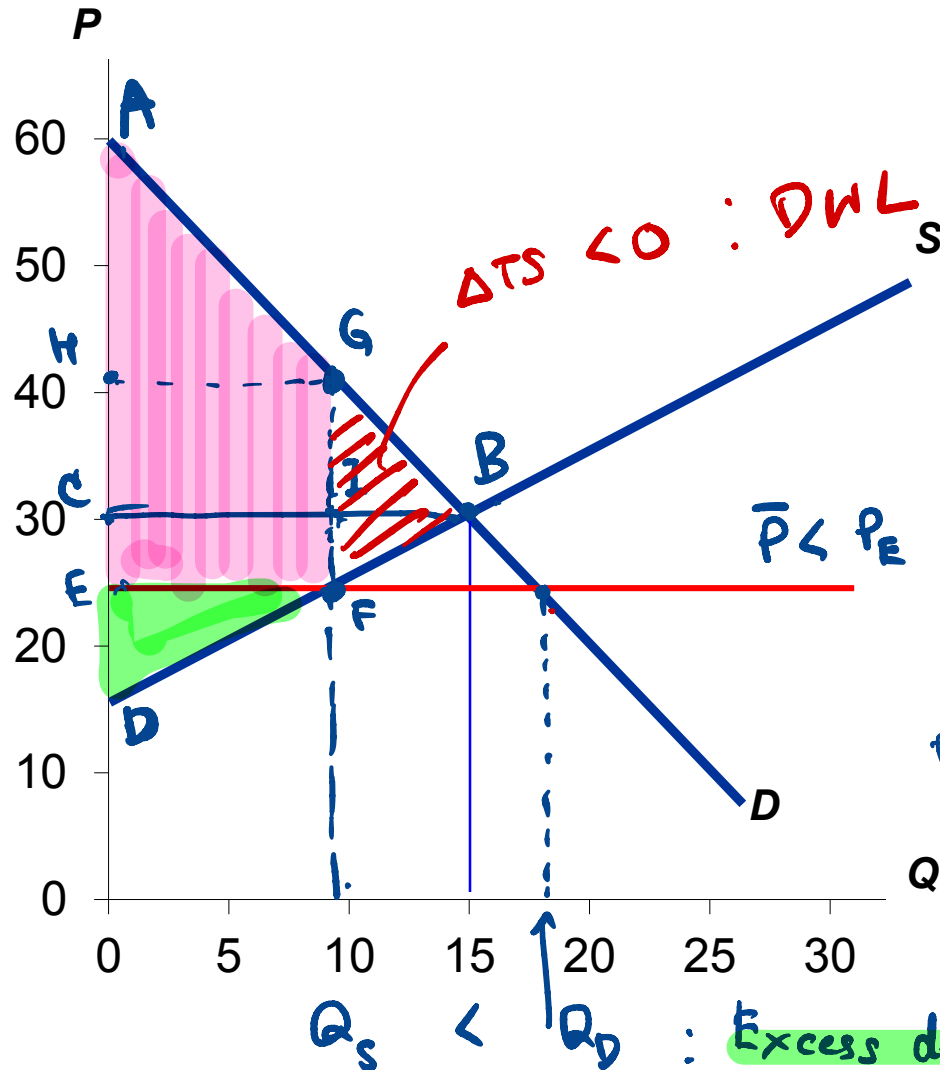
$+ \Delta PS = \square HDBCF + \square BFGC - (\square BEGC + \triangle FGE)$

$\Delta TS = -\Delta DFE - \Delta FGE = 300 - 337.5$

$\Delta TS = -\Delta DGE$

$= -37.5$

# Market Equilibrium: Welfare Loss When $\bar{P} < P_E$



At  $P_E$ ,  $CS_0 = \Delta ABC$

$PS_0 = \Delta BCD$ .

At  $\bar{P}$ ,  $\bar{P} < P_E$ ,  $Q = Q_S$

$PS_1 = \Delta EDF$

$CS_1 = \square AGEF$

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$\Delta CS = CS_1 - CS_0$

$= \square AGCI + CIEF -$   
 $(\square AGCI + GIB)$

$\Delta CS = CIEF - \Delta GIB$

$\Delta PS = PS_1 - PS_0$

$= \Delta EDF - (EDF + CIEF + IBF)$

$\Delta PS = -CIEF - \Delta IBF$

$\Delta TS = \Delta CS + \Delta PS$

$= \Delta GBF < 0$