

BACHELOR of ECONOMICS



**Thammasat University
Faculty of Economics
Bachelor of Economics (International Program)**

AC201 Fundamental Accounting

Semester 1/2015

Course Package OY 02

Topic:

Reporting and Interpreting
Liabilities and Time Value of Money
Concept

Session:

Session OY 02

Instructor:

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REPORTING AND INTERPRETING LIABILITIES AND TIME VALUE OF MONEY CONCEPT

Chapter Take-Aways

1. Define, measure, and report liabilities.

Strictly speaking, accountants define liabilities as probable future sacrifices of economic benefits that arise from past transactions. They are classified on the balance sheet as either current or long-term. Current liabilities are short-term obligations that will be paid within the current operating cycle of the business or within one year of the balance sheet date, whichever is longer. Long-term liabilities are all obligations not classified as current.

2. Analyze the accounts payable turnover ratio.

This ratio is computed by dividing cost of goods sold by accounts payable. It shows how quickly management is paying its trade creditors and is considered to be a measure of liquidity.

3. Report notes payable and explain the time value of money.

A note payable specifies the amount borrowed, when it must be repaid, and the interest rate associated with the debt. Accountants must report the debt and the interest as it accrues. The time value of money refers to the fact that interest accrues on borrowed money with the passage of time.

4. Report contingent liabilities.

A contingent liability is a potential liability that has arisen as the result of a past event. Such liabilities are disclosed in a note if the obligation is reasonably possible.

5. Explain the importance of working capital and its impact on cash flows.

Working capital is used to fund the operating activities of a business. Changes in working capital accounts affect the statement of cash flows. Cash flows from operating activities are increased by decreases in current assets (other than cash) or increases in current liabilities. Cash flows from operating activities are decreased by increases in current assets (other than cash) or decreases in current liabilities.

6. Report long-term liabilities.

Usually, long-term liabilities will be paid more than one year in the future. Accounting for long-term debt is based on the same concepts used in accounting for short-term debt.

7. Compute present values.

The present value concept is based on the time value of money. Simply stated, a dollar to be received in the future is worth less than a dollar available today (present value). This concept can be applied either to a single payment or multiple payments called annuities. Either tables or Excel can be used to determine present values.

8. Apply present value concepts to liabilities.

Accountants use present value concepts to determine the reported amounts of liabilities. A liability involves the payment of some amount at a future date. The reported liability is not the amount of the future payment. Instead, the liability is reported at the amount of the present value of the future payment.

Key Ratios

Accounts payable turnover is a measure of how quickly a company pays its creditors. It is computed as follows:

$$\text{Accounts Payable Turnover} = \text{Cost of Goods Sold} \div \text{Average Accounts Payable}$$

Finding Financial Information

Balance Sheet

Under Current Liabilities

Liabilities listed by account title, such as:

Accounts payable

Accrued liabilities

Notes payable

Current portion of long-term debt

Under Noncurrent Liabilities

Liabilities listed by account title, such as:

Long-term debt

Deferred taxes

Bonds

Income Statement

Liabilities are shown only on the balance sheet, never on the income statement. Transactions affecting liabilities often affect an income statement account. For example, accrued salary compensation affects an income statement account (compensation expense) and a balance sheet account (salaries payable).

Statement of Cash Flows

Under Operating Activities (indirect method)

Net income

+ Increases in most current liabilities

– Decreases in most current liabilities

Under Financing Activities

+ Increase in long-term liabilities

– Decreases in long-term liabilities

Notes

Under Summary of significant accounting policies

Description of pertinent information concerning accounting treatment of liabilities. Normally, there is minimal information.

Under a Separate Note

If not listed on the balance sheet, a listing of the major classifications of liabilities with information about maturities and interest rates. Information about contingent liabilities is reported in the notes.

Chapter Outline

Notes

LO 1 – Define, measure, and report current liabilities.

I. Liabilities Defined and Classified

- A. Liabilities – Probable debts or obligations that result from past transactions, which will be paid with assets or services
 - 1. When recorded, a liability at its current cash equivalent (i.e., the cash amount a creditor would accept to settle the liability immediately)
 - 2. Classifications of liabilities on the balance sheet:
 - a. Current liabilities – Short-term obligations that will be paid within the current operating cycle of the business or within one year of the balance sheet date, whichever is longer.
 - b. Noncurrent liabilities – All other liabilities
 - 3. Liquidity – Ability to pay current obligations

LO 2 – Analyze the accounts payable turnover ratio.

II. Current Liabilities

- A. Accounts Payable (or Trade Accounts Payable)
 - 1. Created when goods and services are provided on credit
 - 2. Trade credit is a relatively inexpensive way to finance the purchase of inventory because interest does not normally accrue on accounts payable
- B. Key Ratio Analysis: Accounts Payable Turnover Ratio
 - 1. Accounts Payable Turnover Ratio = $\text{Cost of Goods Sold} \div \text{Average Accounts Payable}$
 - 2. Quick Assets – Cash, marketable securities, and accounts receivable
 - 3. Measures how quickly management is paying trade accounts
 - 4. High ratio normally suggests that a company is paying its suppliers in a timely manner
 - a. Might not reflect reality if a company pays some creditors on time but is late with others
 - b. Subject to manipulation; managers could be late in paying creditors during the entire year but catch up at year-end so that the ratio is at an acceptable level
 - 5. Can be stated more conservatively as:
 $\text{Average Age of Payables} = 365 \text{ Days} \div \text{Turnover Ratio}$
- C. Accrued Liabilities – Expenses that have been incurred but have not been paid at the end of the accounting period
 - 1. Accrued Taxes Payable
 - a. Like individuals, corporations must pay taxes on the income they earn
 - b. Corporate tax rates are graduated; large corporations paying a top federal tax rate of 35%
 - c. Corporations may also pay state and local income taxes and, in some cases, foreign income taxes

2. Accrued Compensation and Related Costs
 - a. At the end of each accounting period, there are usually salaries not yet paid
 - b. Companies must also report the cost of unpaid benefits, including retirement programs, vacation time, and health insurance
 - c. Accrued Vacation Liability
 - i. Starbucks estimates the cost of accrued vacation time to be \$125,000

Dr. Compensation Expense	125,000	
		(+E, -SE)
Cr. Accrued Vacation Liability (+L)		125,000

Assets = Liabilities + Stockholders' Equity
 $0 = \text{Accrued Vacation Liability (L)} + 125,000 + \text{Compensation Expense (E)} - 125,000$
 - ii. The vacations are taken

Dr. Accrued Vacation Liability (-L)	125,000	
		Cr. Cash (-A)
		125,000

Assets = Liabilities + Stockholders' Equity
 $\text{Cash (A)} - 125,000 = \text{Accrued Vacation Liability (L)} - 125,000$
3. Payroll Taxes
 - a. All payrolls are subject to a variety of taxes, including federal, state, and local income taxes, Social Security taxes, and federal and state unemployment taxes
 - i. Employees pay some; employers pay others
 - ii. Reporting is similar for each type of payroll tax
 - b. Employee Income Taxes
 - i. Employers are required to withhold income taxes for each employee
 - ii. Amount tax withheld is recorded by the employer as a current liability until remitted to government
 - c. Employee and Employer FICA Taxes
 - i. Social Security taxes are required by the Federal Insurance Contributions Act (FICA)
 - ii. FICA taxes are imposed in equal amounts on both the employee and the employer
 - iii. Effective 1/1/10, the Social Security tax rate was 6.2% on the first \$106,800 paid to each employee during the year
 - iv. Separate 1.45% Medicare tax applies to all income
 - v. Total FICA tax rate is 7.65% on wages up to \$106,800 and 1.45% on all wages above \$106,800

- d. Employer Unemployment Taxes
- i. Employers pay unemployment taxes through the Federal Unemployment Tax Act (FUTA) and State Unemployment Tax Acts (SUTA)
 - ii. The SUTA rate and specified amount of wages vary by state
 - iii. FUTA:
 - FUTA federal tax rate is 6.2% percent on taxable wages up to the first \$7,000 for each employee
 - Certain employers may receive a credit for SUTA taxes paid, up to 5.4%
 - For most large employers, FUTA rate is 0.8% of wages up to \$7,000 for each employee
- e. Starbucks accumulated the following information in its records for the first two weeks of June 2015:
- | | |
|-------------------------------|-------------|
| Salaries and wages earned | \$1,800,000 |
| Income taxes withheld | 275,000 |
| FICA taxes (employees' share) | 105,000 |
| FUTA taxes | 2,300 |
- i. First entry records amounts paid to employees or withheld from amounts they have earned:

Dr. Compensation Expense	1,800,000	
(+E, -SE)		
Cr. Liability for Income Taxes Withheld		275,000
(+L)		
FICA Payable (+L)		105,000
Cash (-A)		1,420,000

Assets = Liabilities + Stockholders' Equity
 Cash (A) - 1,420,000 = Liability for Income Taxes Withheld (L) + 275,000 + FICA Payable (L) + 105,000 + Compensation Expense (E) - 1,800,000
 - ii. Second entry records the taxes that employers must pay:

Dr. Compensation Expense	107,300	
(+ E, -SE)		
Cr. FICA Payable (+L)		105,000
FUTA Payable (+L)		2,300

Assets = Liabilities + Stockholders' Equity
 0 = FICA Payable (L) + 105,000 + FUTA Payable (L) + 2,300 + Compensation Expense (E) - 107,300

LO 3 – Report notes payable and explain the time value of money.

D. Notes Payable

1. Notes Payable – Formal written contract that specifies the amount borrowed, repayment date, and the interest rate
2. Formula to calculate interest:
Interest = Principal × Interest Rate × Time
3. On 11/1/14, Starbucks borrows \$100,000 cash on a one-year, 12% note payable with interest is payable on 3/31/15 and 10/31/15

Dr. Cash (+A)	100,000	
Cr. Note Payable (+L)		100,000

Assets = Liabilities + Stockholders' Equity
Cash (A) + 100,000 = Note Payable (L) + 100,000

4. Interest in the amount of 2,000 (or \$100,000 × 12% × 2/15) is owed as of 12/31/14

Dr. Interest Expense (+E, –SE)	2,000	
Cr. Interest Payable (+L)		2,000

Assets = Liabilities + Stockholders' Equity
0 = Interest Payable (L) + 2,000 + Interest Expense (E) – 2,000

5. On 3/31/15, Starbucks pays \$5,000 in interest (\$2,000 accrued at 12/31/15 + \$3,000 for first 3 months of 2016)

Dr. Interest Expense (+E, –SE)	3,000	
Cr. Interest Payable (–L)	2,000	
Cash (–A)		5,000

Assets = Liabilities + Stockholders' Equity
Cash (A) – 5,000 = Interest Payable (L) – 3,000 + Interest Expense (E) – 2,000

E. Current Portion of Long-Term Debt

1. A company must reclassify its long-term debt as a current liability within a year of its maturity date
2. In some cases, companies will refinance debt when it comes due rather than pay out cash currently on hand
 - a. Under IFRS, the actual refinancing must take place by the balance sheet date
 - b. Under GAAP, the ability to refinance must be in place before the financial statements are issued.

F. Deferred Revenues

1. Deferred Revenues – Revenues that have been collected but not earned; they are liabilities until the goods or services have been provided
2. Under the revenue principle, revenue cannot be recorded until it has been earned
 - a. Deferred revenues are reported as a liability because cash has been collected but the related revenue has not been earned by the end of the accounting period
 - b. These obligations are classified as current or long-term, depending on when they must be satisfied

- E. Estimated Liabilities Reported on the Balance Sheet
1. Some recorded liabilities are based on estimates because the exact amount will not be known until a future date
 2. Warranties
 - a. An estimated liability is created when a company offers a warranty with the products it sells
 - b. The cost of providing future repair work must be estimated and recorded as a liability (and expense) in the period in which the product is sold

LO 4 – Report contingent liabilities.

- F. Estimated Liabilities Reported in the Notes
1. Contingent liability – A potential liability that has arisen as the result of a past event; it is not an effective liability until some future event occurs
 2. Whether situation produces a recorded or contingent liability depends on two factors:
 - a. Probability of future economic sacrifice
 - i. Probable—the chance that the future event or events will occur is high
 - ii. Reasonably possible—the chance that the future event or events will occur is more than remote but less than likely
 - iii. Remote—the chance that the future event or events will occur is slight
 - b. Ability of management to estimate the amount of the liability
 3. Possibilities:
 - a. Subject to estimate
 - i. Probable – record as liability
 - ii. Reasonably possible – disclose in note
 - iii. Remote – disclosure not required
 - b. Not subject to estimate
 - i. Probable – disclose in note
 - ii. Reasonably possible – disclose in note
 - iii. Remote – disclosure not required

LO 5 – Explain the importance of changes in working capital and its impact on cash flows.

- III. Working Capital Management
- A. Working Capital = Current Assets – Current Liabilities
 1. Business with too little working capital runs risk of not meeting obligations to creditors
 2. Too much working capital may tie up resources in unproductive assets
 - B. Focus on Cash Flows – Working Capital and Cash Flows
 1. A net decrease in current liabilities is subtracted in computing cash flows from operations
 2. A net increase in current liabilities is added in computing cash flows from operations

LO 6 – Report long-term liabilities.

III. Long-Term Liabilities

A. Long-Term Liabilities

1. Secured debt – Specific assets are pledged as collateral
2. Unsecured debt – Creditor relies primarily on the borrower’s integrity and general earning power

B. Long-Term Notes Payable and Bonds

1. Private placement – Long-term debt raised directly from financial service organizations
2. Bonds – Publicly traded debt
 - a. Bondholders can sell their bonds to other investors prior to maturity
 - b. Because bonds provide liquidity to investors, they are more likely to lend money to company
3. Generally, accounting for long-term debt is same as for short-term notes payable; liability is recorded when the debt is incurred and interest expense is recorded

C. Lease Liabilities

1. Operating lease – Does not meet any of the four criteria (see below) established by GAAP and does not cause the recording of an asset and liability
 - a. No liability is recorded when operating lease created
 - b. Instead, company records rent expense as it uses the asset
2. Capital lease – Meets at least one of the four criteria established by GAAP; results in an asset and a liability
 - a. Criteria:
 - i. The lease term is 75% or more of the asset’s expected economic life
 - ii. Ownership of the asset is transferred to the lessee at the end of the lease term.
 - iii. The lease contract permits the lessee to purchase the asset at a price that is lower than its fair market value
 - iv. The present value of the lease payments is 90% or more of the fair market value of the asset when the lease is signed

b. To record a capital lease, it is necessary to determine the current cash equivalent of the required lease payments

c. Starbucks signs a lease for new delivery trucks; the lease is a capital lease with a current cash equivalent of \$250,000

Dr. Leased Equipment (+A)	250,000	
Cr. Lease Payable (+L)		250,000

Assets = Liabilities + Stockholders’ Equity

Leased Equipment (A) + 250,000 = Lease Payable (L) + 250,000

LO 7 – Compute present values.

IV. Present Value Concepts

A. Present Value

1. Present value – Current value of an amount to be received in the future; a future amount discounted for compound interest
2. In a present value problem, you know the dollar amount of a cash flow that will occur in the future and need to determine its value now

B. Present Value of a Single Amount

1. Formula to compute the present value of a single amount:
Present value = $1 \div (1 + i)^n \times \text{Amount}$
2. Formula is not difficult to use; however, most analysts use present value tables, calculators, or Excel
3. Today is 1/1/14 and you have the opportunity to receive \$1,000 cash on 12/31/16. At an interest rate of 10% per year, how much is the \$1,000 payment worth today?
 - a. Present value factor – For $i = 10\%$, $n = 3$, present value of \$1 is 0.7513
 - b. Present value = $\$1,000 \times 0.7513 = \751.30

C. Present Value of an Annuity

1. Annuity – A series of periodic cash receipts or payments that are equal in amount each interest period
2. You are to receive \$1,000 cash on each December 31, 2014, 2015, and 2016. How much would the sum of these three \$1,000 future amounts be worth on January 1, 2014, assuming an interest rate of 10% per year?
 - a. Present value factor – For $i = 10\%$, $n = 3$, present value of an annuity of \$1 is 2.4869
 - b. Present value = $\$1,000 \times 2.4869 = \$2,486.80$

D. Interest Rates and Interest Periods

1. When interest periods are less than a year, the values of n and i must be restated to be consistent with the length of the interest period
2. If compounding is quarterly:
 - a. The interest period is one quarter of a year (i.e., four periods per year), and the quarterly interest rate is one quarter of the annual rate (i.e., 3 percent per quarter)
 - b. 12% interest compounded quarterly for five years requires use of $n = 20$ and $i = 3\%$.

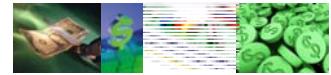
LO 8 – Apply present value concepts to liabilities.

- E. Accounting Applications of Present Value
 - 1. Computing the amount of a liability with a single payment
 - 2. Computing the amount of a liability with an annuity
 - 3. Computing the amount of a lease liability
- VI. Chapter Supplement A: Present Value Computations using Excel
 - A. Present Value of a Single Payment
 - 1. Use Excel to compute the present value
 - 2. Enter the present value formula: $=\text{Payment}/(1+i)^n$
 - B. Present Value of an Annuity
 - 1. Select the function button (fx)
 - 2. In drop down menu, under the Select Category heading, pick "Financial," scroll down under Select Function, and click on "PV"
 - 3. In new drop down box, enter specific information for problem and click "OK"
- VII. Chapter Supplement B: Deferred Taxes
 - A. Deferred Taxes – Reported as a long-term liability
 - 1. Deferred tax items – exist because of timing differences caused by reporting revenues and expenses according to GAAP on a company's income statement and according to the Internal Revenue Code on the tax return
 - 2. Temporary differences – timing differences that cause deferred income taxes and will reverse, or turn around, in the future
 - 3. Deferred tax amounts always reverse themselves
 - B. Example
 - 1. In 2014, Starbucks owned a building that originally cost \$10 million; book value on the balance sheet is \$8.5 million; for tax purposes, book value is \$6.5 million
 - a. The \$2 million difference is caused by using straight-line depreciation for financial reporting and accelerated depreciation for tax purposes
 - b. The company has delayed (or deferred) paying federal income taxes by reporting more depreciation on its tax return than it did on its income statement
 - c. The amount of deferred tax liability is computed by multiplying the timing difference by the corporate tax rate (34%):
Deferred Tax Liability = \$2 million \times 34% = \$680,000
 - d. If there were no other deferred tax items, a deferred tax liability of \$680,000 is reported on balance sheet

2. At the end of the following year, 2015, the company would compare the tax book value and the GAAP book value of the building
- The tax book value of the building was \$6 million and the GAAP book value was \$8.2 million
 - The timing difference is \$2.2 million, resulting in a deferred tax liability of \$748,000 ($\$2.2 \text{ million} \times 34\%$)
 - The income tax expense reported under GAAP = income tax payment +/- change in deferred taxes
- | | |
|-------------------------|---------|
| Dr. Income Tax Expense | 618,000 |
| (+E, -SE) | |
| Cr. Deferred Taxes (+L) | 68,000 |
| Income Taxes Payable | 550,000 |
| (+L) | |
- Assets = Liabilities + Stockholders' Equity
 $0 = \text{Deferred Taxes (L)} + 68,000 + \text{Income Taxes Payable (L)} + 550,000 + \text{Income Tax Expense (E)} - 618,000$

VIII. Chapter Supplement C: Future Value Concepts

- Future Value – the sum to which an amount will increase as the result of compound interest
- Future Value of a Single Payment
 - In future value of a single amount problems, you are asked to calculate how much money you will have in the future as the result of investing a certain amount in the present
 - On 1/1/14, you deposit \$1,000 in a savings account at 10% annual interest, compounded annually. What will the account balance be at the end of 3 years?
 - Future value factor – For $i = 10\%$, $n = 3$, present value of \$1 is 1.3310
 - Future value = $\$1,000 \times 1.3310 = \$1,331$
- Future Value of an Annuity
 - Annuity – a series of periodic cash receipts or payments that are equal in amount each interest period
 - At the end of each year for three years, you deposit \$1,000 cash in a savings account at 10% interest per year. You make the first \$1,000 deposit on 12/31/14, the second one on 12/31/15, and the third one on 12/31/16. What will the account balance be at the end of 3 years?
 - Future value factor – For $i = 10\%$, $n = 3$, present value of annuity of \$1 is 3.3100
 - Future value = $\$1,000 \times 3.3100 = \$3,310$

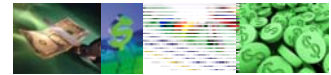


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**REPORTING AND INTERPRETING
LIABILITIES AND
TIME VALUE OF MONEY CONCEPT**

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Capital Structure

Capital Structure -- The acquisition of assets is financed from two sources: **Debt & Equity**. The mix of debt and equity for a company is called the **capital structure**.

Debt

Equity

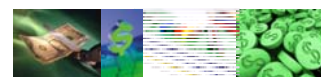
Debt Financing -- Sources of Financing Provided by **Creditors**

Interest is a legal obligations

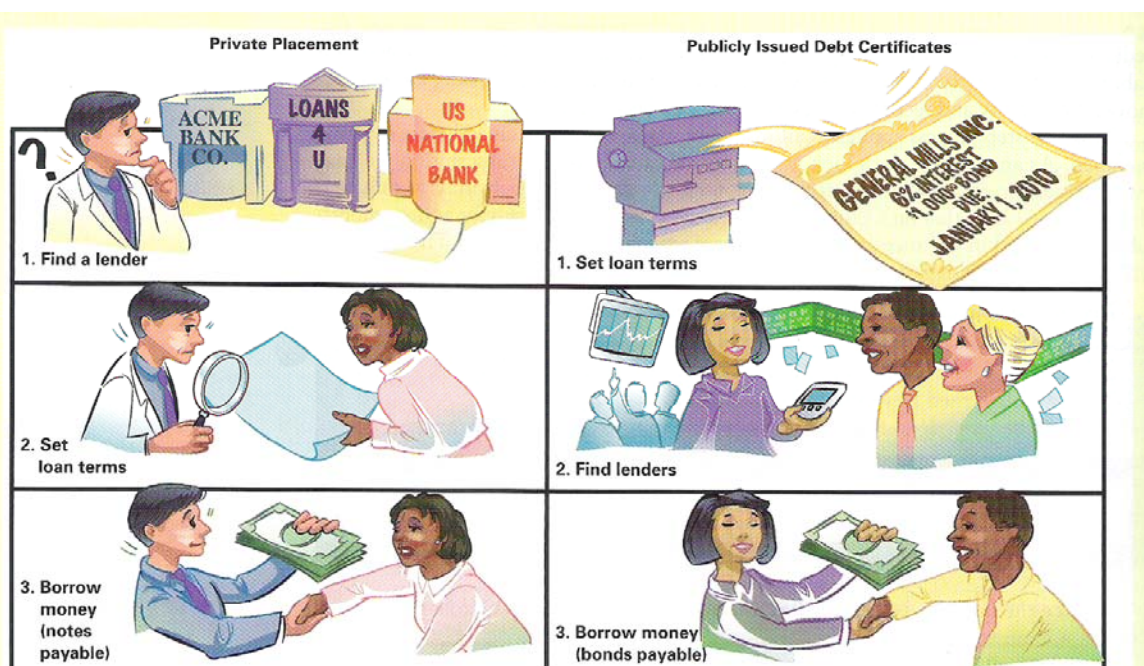
Creditors can force bankruptcy

Equity Financing – Sources of Financing Provided by **Owners**

Dividend is a board of directors' discretion



Sources of Debt Financing



3



Liabilities - Defined

Liabilities:

Probable debts or obligations of the entity that result from past transactions, which will be paid with assets or services.

Maturity = 1 year or less

Current liabilities:

Short-term obligations that will be paid in cash (or other current assets) within the current operating cycle or one year, whichever is longer.

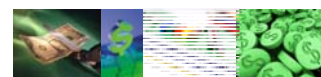
Maturity > 1 year

Noncurrent (long-term) liabilities:

All of the entity's obligations that are not classified as current liabilities.

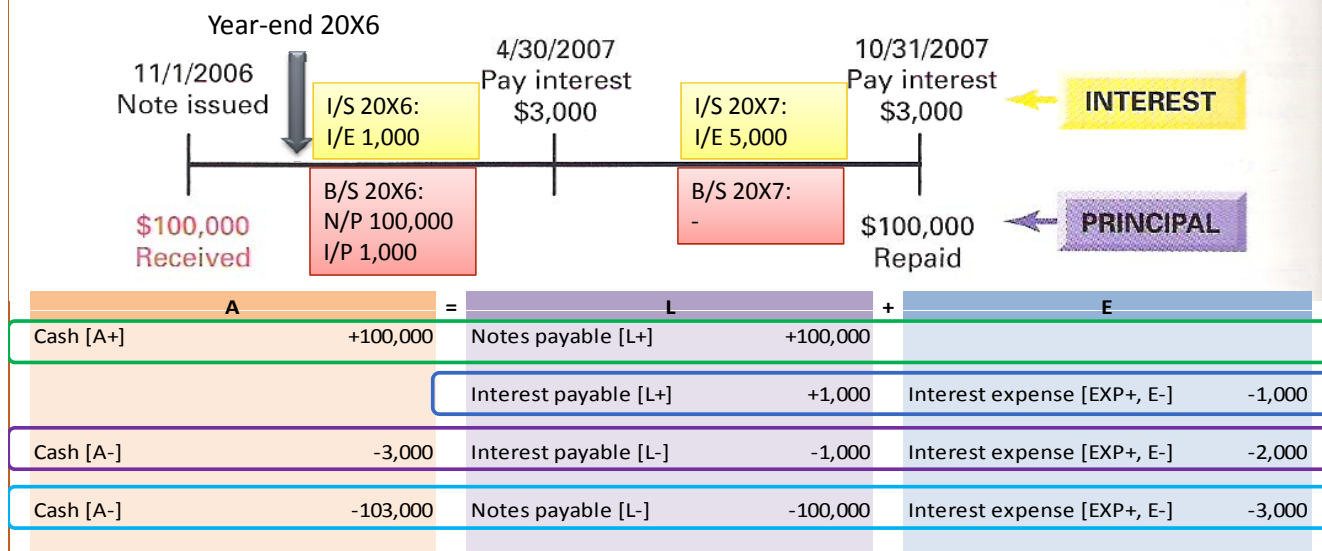


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Example: Notes Payable

Assume that on November 1, 20X6, Company A negotiates with Bank B to borrow ₪ 100,000 cash on a one-year note. Bank B charges 6% interest per year. Interest payments are to be made in two cash installments, on April 30 and October 31. The principal is to be repaid on the notes' October 31, 20X7, maturity date.



Time Value of Money

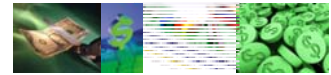
• “Time is money”

• **Time value of money concept** refers to costs or benefits derived from holding or not holding money over time.

• **Interest** is the cost of using money for a specific period.

• **Simple interest** is the interest cost for one or more periods **when the principal sum – the amount on which interest is computed – stays the same from period to period.**

• **Compound interest** is the interest cost for two or more periods **when after each period, the interest earned in that period is added to the amount on which interest is computed in future periods.**



Simple Interest

• Example of simple interest:

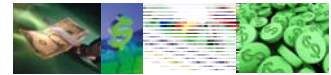
- The Company accepts an 8 percent, 30,000 Baht note due in 90 days. How much will the Company receive at that time?

- The interest is calculated as follows:

- Interest = Principal x Rate x Time
= 30,000 x 8/100 x 90/365
= 591.78 Baht

- Therefore, the total that the Company will receive is 30,591 Baht, calculated as follows:

- Total = Principal + Interest
= 30,000 + 591.78
= 30,591.78 Baht



Compound Interest

• Example of compound interest:

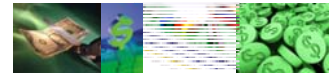
- The Company deposits 5,000 Baht in an account that pays 6 percent interest. It expects to leave the principal and accumulated interest in the account for three years. How much will the account total at the end of three years?

- *Assume that the interest is paid at the end of the year and is added to the principal at that time, and that this total in turn earns interest*

- The amount at the end of three years is computed as follows:

(1) Year	(2) Principal Amount at Beginning of Year	(3) Annual Amount of Interest (Col. 2 x 6%)	(4) Accumulated Amount at End of Year (Col. 2 + Col. 3)
1	5,000.00	300.00	5,300.00
2	5,300.00	318.00	5,618.00
3	5,618.00	337.08	5,955.08

- At the end of three years, the Company will have 5,955.08 Baht in its account.

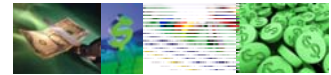


Future Value

- ◆ **Future value is the amount an investment will be worth at a future date if invested at compound interest.**
 - ◆ An example of question asking about future value is *“what is the future value of a single sum (5,000 Baht) at compound interest (6 percent) for three years?”*



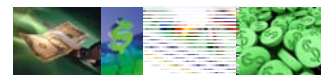
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Future Value of a Single Sum (FV)

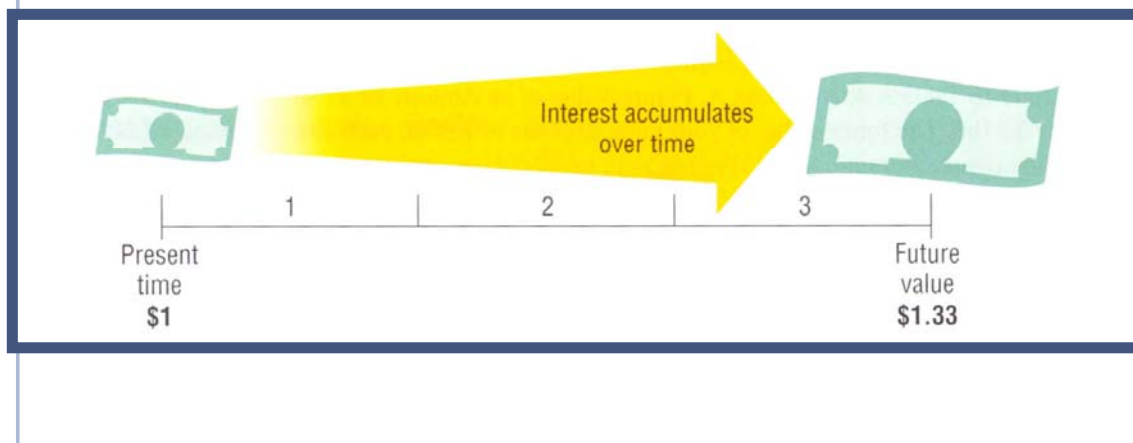
- ◆ **In future value of a single amount problems, you will be asked to calculate how much money you will have in the future as the result of investing a certain amount in the present.**
 - ◆ If you were to receive a gift of 10,000 Baht, for instance, you might decide to put it in a savings account and use the money as a down payment on a house after you graduate. The future value computation would tell you how much money will be available when you graduate.
 - ◆ To solve a future value problem, you need to know three items:
 - ◆ Amount to be invested
 - ◆ Interest rate (i) the amount will earn
 - ◆ Number of periods (n) in which the amount will earn interest

10



Future Value of a Single Sum (Cont.)

- Since the future value concept is based on compound interest, the amount of interest for each period is calculated by multiplying the principal plus any interest not paid out in prior periods.
 - Graphically, the calculation of the future value of 1 Baht for three periods and an interest rate of 10 percent may be represented as follows:



11



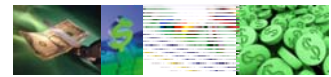
Future Value of a Single Sum (Cont.)

- Example of Future Value of a Single Sum:**
 - Assume that on January 1, 2009, you deposit 1,000 Baht in a savings account at 10 percent annual interest, compounded annually.
 - At the end of three years, the 1,000 Baht will have increased to 1,331 Baht as follows:

(1) Year	(2) Principal Amount at Beginning of Year	(3) Annual Amount of Interest (Col. 2 x 10%)	(4) Accumulated Amount at End of Year (Col. 2 + Col. 3)
1	1,000.00	100.00	1,100.00
2	1,100.00	110.00	1,210.00
3	1,210.00	121.00	1,331.00

- FV Table
 - $FV = PV \times FV \text{ Factor}$
1,331 = 1,000 x 1.3310
- Financial calculator:
 - $PV = 1,000, I = 10\%, n = 3 \rightarrow FV = 1,331$

12



BA II Plus™ Calculator



BA II PLUS™ Calculator

TVM and Amortization Worksheet Variables

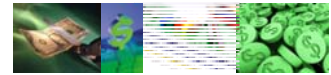
Variable	Key	Display	Type of Variable
Number of periods	N	N	Enter-or-compute
Interest rate per year	I/Y	I/Y	Enter-or-compute
Present value	PV	PV	Enter-or-compute
Payment	PMT	PMT	Enter-or-compute
Future value	FV	FV	Enter-or-compute
Number of payments per year	2nd [P/Y]	P/Y	Enter-only
Number of compounding periods per year	↓	C/Y	Enter-only
End-of-period payments	2nd [BGN]	END	Setting
Beginning-of-period payments	2nd [SET]	BGN	Setting
Starting payment	2nd [AMORT]	P1	Enter-only
Ending payment	↓	P2	Enter-only
Balance	↓	BAL	Auto-compute
Principal paid	↓	PRN	Auto-compute
Interest paid	↓	INT	Auto-compute

Resetting the TVM and Amortization Worksheet Variables

- To reset all calculator variables and formats to default values (including TVM and amortization variables), press **2nd** [RESET] **ENTER**:

Variable	Default	Variable	Default
N	0	END/BGN	END
I/Y	0	P1	1
PV	0	P2	1
PMT	0	BAL	0
FV	0	PRN	0
P/Y	1	INT	0
C/Y	1		

- To reset only the TVM variables (**N**, **I/Y**, **PV**, **PMT**, **FV**) to default values, press **2nd** [CLR TVM].
- To reset **P/Y** and **C/Y** to default values, press **2nd** [P/Y] **2nd** [CLR WORK].
- To reset the Amortization worksheet variables (**P1**, **P2**, **BAL**, **PRN**, **INT**) to default values, press **2nd** [CLR WORK] while in the Amortization worksheet.
- To reset **END/BGN** to the default value, press **2nd** [BGN] **2nd** [CLR WORK].

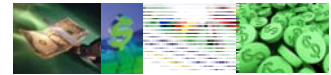


Future Value of An Annuity (FVA)

- **Ordinary annuity is a series of equal payments made at the end of equal intervals of time, with compound interest of these payments.**
 - The future value of an annuity includes compound interest on each payment from the date of payment to the end of the term of the annuity. Each new payment accumulates less interest than prior payments, only because the number of periods remaining in which to accumulate interest decreases.

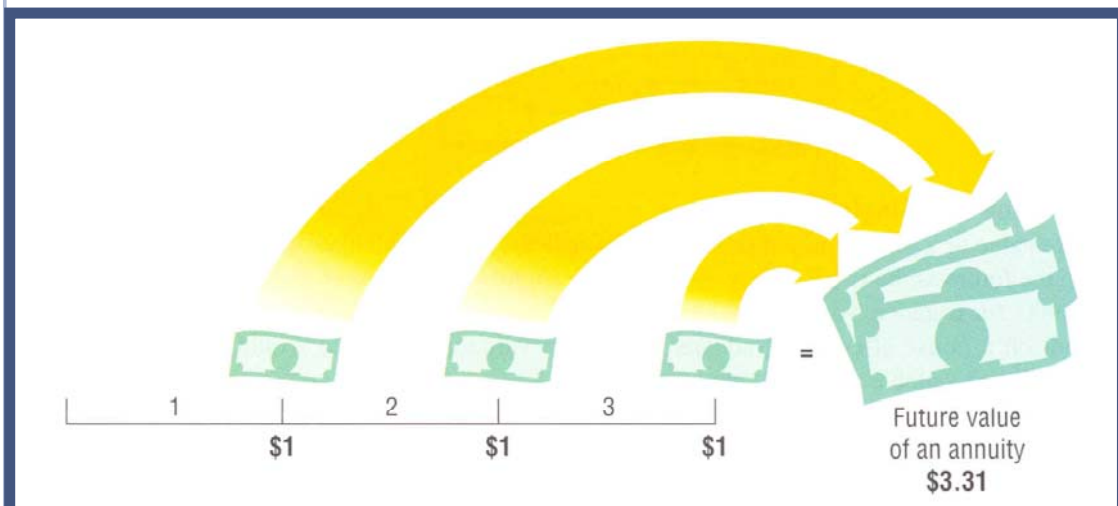


15

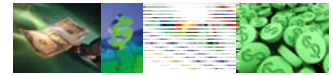


Future Value of An Annuity (Cont.)

- The future value of annuity of 1 Baht for three periods at 10 percent may be represented graphically as:



16

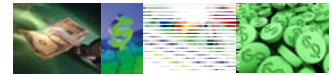


Future Value of An Annuity (Cont.)

• Example of Future Value of an Annuity:

- Assume that each year for three years, you deposit 1,000 Baht cash in a savings account at 10 percent interest per year. You make the first 1,000 Baht deposit on December 31, 2009, the second one on December 31, 2010, and the third and last one on December 31, 2011.
 - The first 1,000 Baht deposit earns compound interest for two years (for a total principal and interest of 1,210 Baht); the second deposit earns interest for one year (for a total principal and interest of 1,100 Baht). The third deposit earns no interest because it was made on the day that the balance is computed.
 - Thus, the total amount in the savings account at the end of three years is 3,310 Baht (1,210 + 1,100 + 1,000).

17



Future Value of An Annuity (Cont.)

• Compound interest calculation

(1) Year	(2) Principal Amount at Beginning of Year	(3) Annual Amount of Interest (Col. 2 x 10%)	(4) Periodic Payment	(5) Total Amount Accumulated at the End of the Year (Col. 2 + Col.3 + Col. 4)
1	-	-	1,000.00	1,000.00
2	1,000.00	100.00	1,000.00	2,100.00
3	2,100.00	210.00	1,000.00	3,310.00

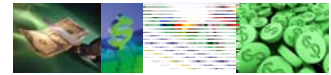
• FV Table

$$\begin{aligned}
 \bullet \text{ FV} &= \text{PMT} \times \text{FVA Factor} \\
 3,310 &= 1,000 \times 3.3100
 \end{aligned}$$

• Financial calculator

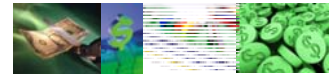
$$\bullet \text{ PMT} = 1,000, \text{ I} = 10\%, \text{ n} = 3 \rightarrow \text{FV} = 3,310$$

18



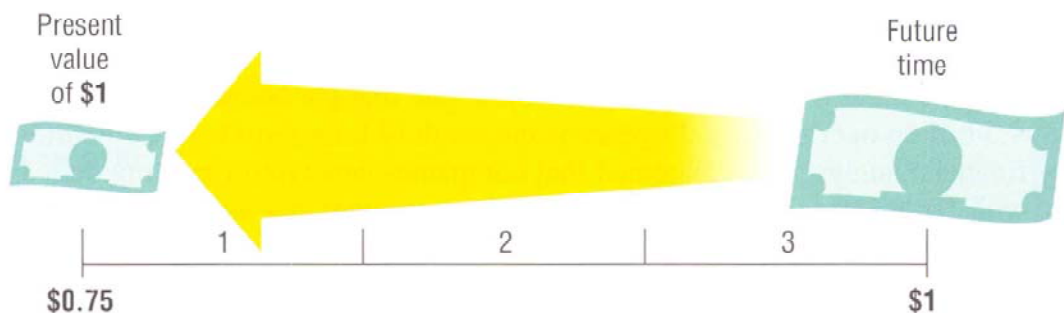
Present Value

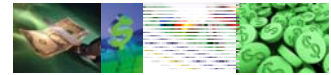
- **Present value** is the amount that must be invested today at a given rate of interest to produce a given future value.
 - The amount to be received in the future (future value) is not worth as much as today as an amount received today (present value).
 - Example:
 - The Company needs 1,000 Baht one year from now. How much does she have to invest today to achieve that goal if the interest rate is 5 percent?
 - Recall: $PV \times (1 + i)^n = FV$
 - $PV = FV / (1 + i)^n$
 - Thus, $PV = 1,000 / (1.05)$
 - $PV = 952.38 \text{ Baht}$



Present Value of a Single Sum (PV)

- **Present value of a single sum**
 - The present value of a single amount is the worth to you today of receiving that amount some time in the future.
 - Graphically, the present value of 1 Baht due at the end of the third period with an interest rate of 10 percent can be represented as follows:





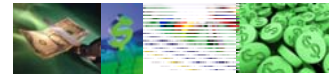
Present Value of a Single Sum (Cont.)

Example of Present Value of a Single Sum

- Suppose the Company wants to be sure of having 4,000 Baht at the end of three years. How much must it invest today in a 5 percent savings account to achieve this goal?
 - The calculation is presented as follows:

(1) Year	(2) Amount at the End of Year	÷	(3) Divided by (1 + i)	(4) Present Value at the Beginning of Year (Col. 2 ÷ Col. 3)
1	4,000.00	÷	1.05	3,809.52
2	3,809.52	÷	1.05	3,628.12
3	3,628.12	÷	1.05	3,455.35

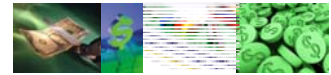
- The Company must invest 3,455.35 Baht today to achieve a value of 4,000 Baht in three years.



Present Value of a Single Sum (Cont.)

- PV Table
 - $PV = FV \times PV \text{ factor}$
 $3,455.35 = 4,000 \times 0.8640$
- Financial calculator
 - $FV = 4,000, I = 10\%, n = 3 \rightarrow PV = 3,455.35$



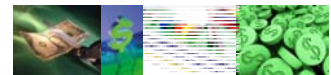


Present Value of an Annuity (PVA)

Present value of an ordinary annuity

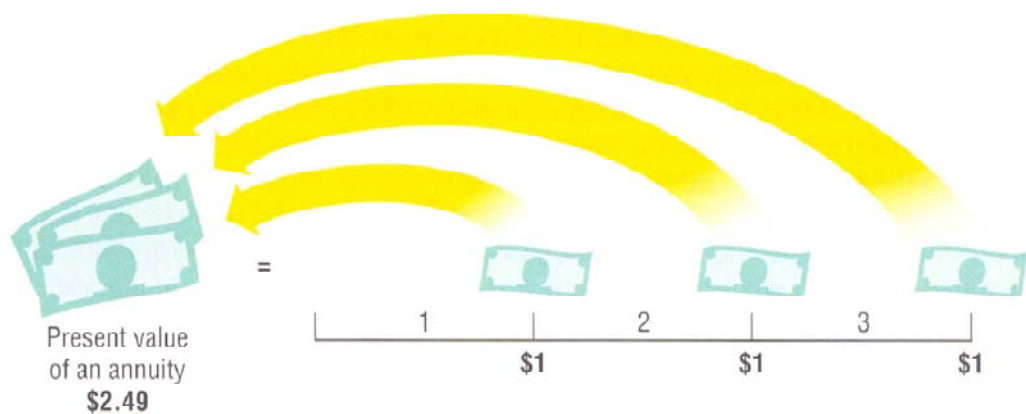
- ◆ Recall that an annuity is a series of consecutive payments characterized by
 - ◆ An equal dollar amount each interest period.
 - ◆ Interest periods of equal length (year, half a year, quarter, or month)
 - ◆ An equal interest rate each interest period.
- ◆ The present value of an annuity is the value now of a series of equal amounts to be received (or paid out) for some specified number of periods in the future. It is computed by discounting each of the equal periodic amounts.

23

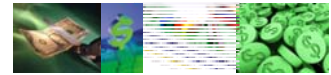


Present Value of an Annuity (Cont.)

- ◆ The present value of an annuity of 1 Baht for three periods at 10 percent interest may be represented graphically as follows:



24



Present Value of an Annuity (Cont.)

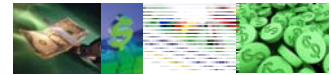
• Example of Present Value of an Annuity:

- The Company has sold a piece of property and is to receive 15,000 Baht in three equal annual payments of 5,000 Baht beginning one year from today. What is the present value of this sale if the current interest rate is 5 percent?

- PV Table

Future Receipt (Annuity)			x	Present Value Factor	=	Present Value
Year 1	Year 2	Year 3				
5,000.00				0.952	=	฿4,760.00
	5,000.00			0.907	=	฿4,535.00
		5,000.00		0.864	=	฿4,320.00
						<u>฿13,615.00</u>

25



Present Value of an Annuity (Cont.)

- Or PVA Table

- $PV = PMT \times PVA \text{ Factor}$

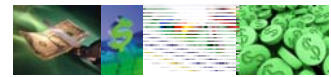
- $13,615 = 5,000 \times 2.723$

- Financial calculator

- $PMT = 5,000, I = 5\%, n = 3 \rightarrow PV = 13,615$



26



Using Formulas to Determine FV and PV

- **Future Value of a Single Sum**

- $FV = PV \times (1 + i)^n$

- **Future Value of an Annuity**

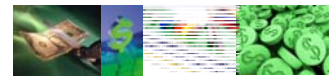
- $FVA = PMT \left[\frac{(1 + i)^n - 1}{i} \right]$

- **Present Value of a Single Sum**

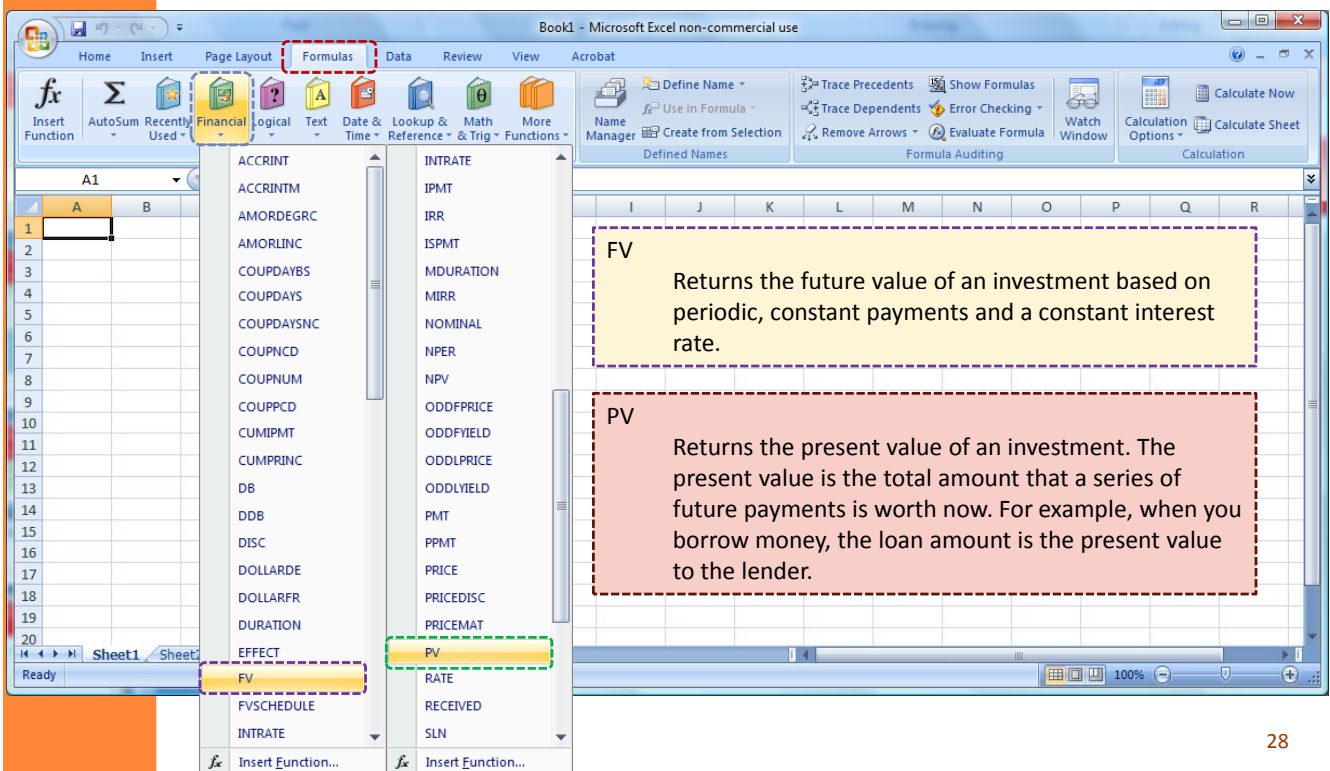
- $PV = FV / (1 + i)^n$

- **Present Value of an Annuity**

- $PVA = PMT \left[\frac{1 - (1 / (1 + i)^n)}{i} \right]$



Using Excel to determine FV and PV



Book1 - Microsoft Excel non-commercial use

Formulas

Financial

FV

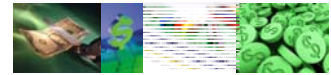
PV

FV

Returns the future value of an investment based on periodic, constant payments and a constant interest rate.

PV

Returns the present value of an investment. The present value is the total amount that a series of future payments is worth now. For example, when you borrow money, the loan amount is the present value to the lender.



Future Value Calculation with Excel

Function Arguments

FV

Rate = number

Nper = number

Pmt = number

Pv = number

Type = number

=

Returns the future value of an investment based on periodic, constant payments and a constant interest rate.

Rate is the interest rate per period. For example, use 6%/4 for quarterly payments at 6% APR.

Formula result =

[Help on this function](#) OK Cancel

Rate is the interest rate per period.

Nper is the total number of payment periods in an annuity.

Pmt is the payment made each period; it cannot change over the life of the annuity. Typically, pmt contains principal and interest but no other fees or taxes. If pmt is omitted, you must include the pv argument.

Pv is the present value, or the lump-sum amount that a series of future payments is worth right now. If pv is omitted, it is assumed to be 0 (zero), and you must include the pmt argument.

Type is the number 0 or 1 and indicates when payments are due. If type is omitted, it is assumed to be 0.

Syntax

FV(rate,nper,pmt,pv,type)

Function Arguments

FV

Rate 10% = 0.1

Nper 3 = 3

Pmt = number

Pv 1000 = 1000

Type = number

= -1331

Returns the future value of an investment based on periodic, constant payments and a constant interest rate.

Pv is the present value, or the lump-sum amount that a series of future payments is worth now. If omitted, Pv = 0.

Formula result = -\$1,331.00

[Help on this function](#) OK Cancel

Future Value of a Single Sum

Function Arguments

FV

Rate 10% = 0.1

Nper 3 = 3

Pmt 1000 = 1000

Pv = number

Type = number

= -3310

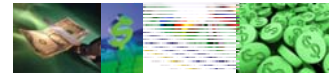
Returns the future value of an investment based on periodic, constant payments and a constant interest rate.

Pmt is the payment made each period; it cannot change over the life of the investment.

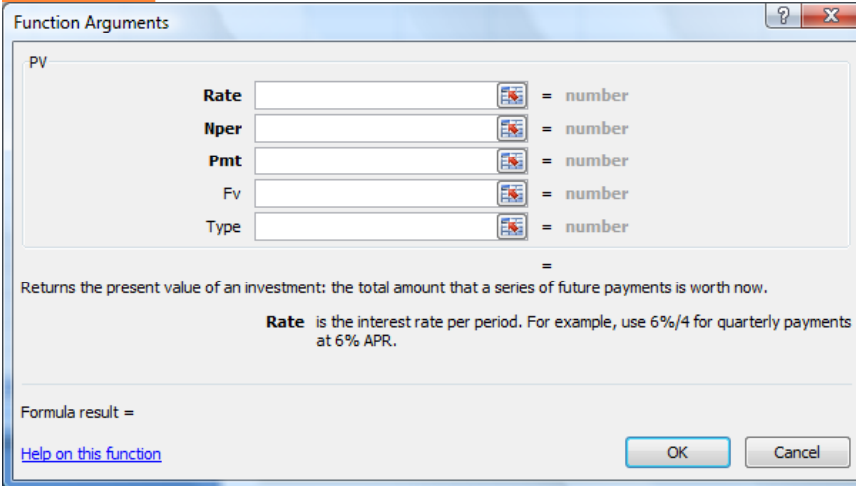
Formula result = -\$3,310.00

[Help on this function](#) OK Cancel

Future Value of an Annuity



Present Value Calculation with Excel



Function Arguments

PV

Rate = number

Nper = number

Pmt = number

Fv = number

Type = number

=

Returns the present value of an investment: the total amount that a series of future payments is worth now.

Rate is the interest rate per period. For example, use 6%/4 for quarterly payments at 6% APR.

Formula result =

[Help on this function](#)

Rate is the interest rate per period.

Nper is the total number of payment periods in an annuity.

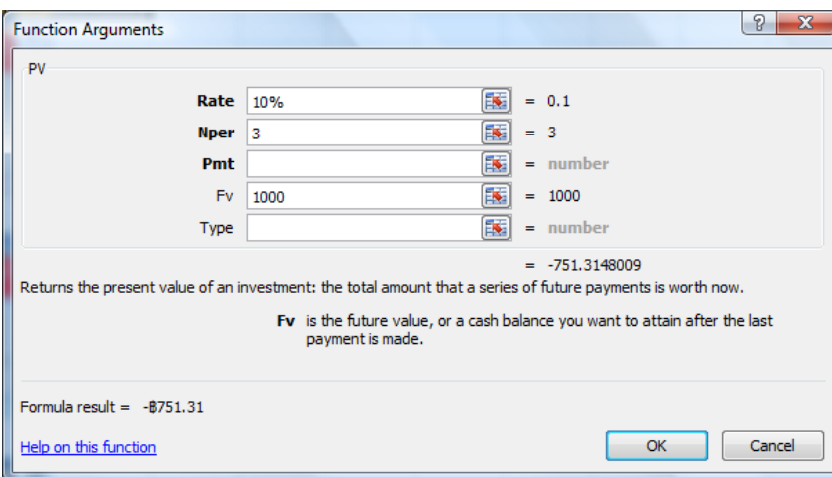
Pmt is the payment made each period and cannot change over the life of the annuity. Typically, pmt includes principal and interest but no other fees or taxes. If pmt is omitted, you must include the fv argument.

Fv is the future value, or a cash balance you want to attain after the last payment is made. If fv is omitted, it is assumed to be 0 (the future value of a loan, for example, is 0). You could then make a conservative guess at an interest rate and determine how much you must save each month. If fv is omitted, you must include the pmt argument.

Type is the number 0 or 1 and indicates when payments are due.

Syntax

PV(rate,nper,pmt,fv,type)



Function Arguments

PV

Rate 10% = 0.1

Nper 3 = 3

Pmt = number

Fv 1000 = 1000

Type = number

= -751.3148009

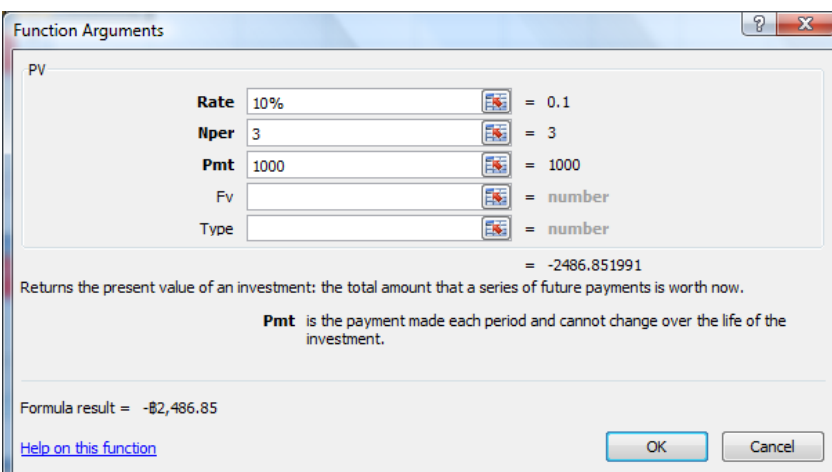
Returns the present value of an investment: the total amount that a series of future payments is worth now.

Fv is the future value, or a cash balance you want to attain after the last payment is made.

Formula result = -8751.31

[Help on this function](#)

Present Value of a Single Sum



Function Arguments

PV

Rate 10% = 0.1

Nper 3 = 3

Pmt 1000 = 1000

Fv = number

Type = number

= -2486.851991

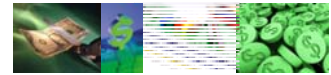
Returns the present value of an investment: the total amount that a series of future payments is worth now.

Pmt is the payment made each period and cannot change over the life of the investment.

Formula result = -82,486.85

[Help on this function](#)

Present Value of an Annuity



BA II Plus™ Calculator (Cont.)

Examples: Computing Value in Savings

These examples show you how to compute the future and present values of a savings account paying 0.5% compounded at the end of each year with a 20-year time frame.

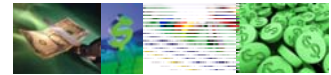
Computing Future Value

Example: If you open the account with \$5,000, how much will you have after 20 years?

To	Press	Display
Set all variables to defaults.	2nd [RESET] [ENTER]	RST 0.00
Enter number of payments.	20 [N]	N= 20.00 ◀
Enter interest rate.	.5 [I/Y]	I/Y= 0.50 ◀
Enter beginning balance.	5000 [+/-] [PV]	PV= -5,000.00 ◀
Compute future value.	[CPT] [FV]	FV= 5,524.48*

Answer: The account will be worth \$5,524.48 after 20 years.

33



BA II Plus™ Calculator (Cont.)

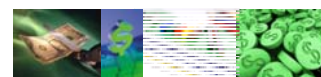
Computing Present Value

Example: How much money must you deposit to have \$10,000 in 20 years?

To	Press	Display
Enter final balance.	10000 [FV]	FV= 10,000.00 ◀
Compute present value.	[CPT] [PV]	PV= -9,050.63*

Answer: You must deposit \$9,050.63.

34

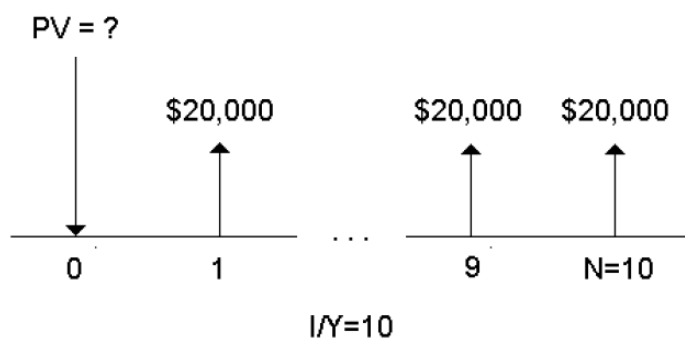


BA II Plus™ Calculator (Cont.)

Example: Computing Present Value in Annuities

The Furros Company purchased equipment providing an annual savings of \$20,000 over 10 years. Assuming an annual discount rate of 10%, what is the present value of the savings using an ordinary annuity and an annuity due?

Cost Savings for a Present-Value Ordinary Annuity



35



BA II Plus™ Calculator (Cont.)

To	Press	Display
Set all variables to defaults.	2nd [RESET] ENTER	RST 0.00
Enter number of payments.	10 N	N= 10.00 ◀
Enter interest rate per payment period.	10 I/Y	I/Y= 10.00 ◀
Enter payment.	20000 +/- PMT	PMT= -20,000.00 ◀
Compute present value (ordinary annuity).	CPT PV	PV= 122,891.34*

36



TABLE 1 Future Value of \$1
 $FV = \$1 (1 + i)^n$

n/i	1.0%	1.5%	2.0%	2.5%	3.0%	3.5%	4.0%	4.5%	5.0%	5.5%	6.0%	7.0%	8.0%	9.0%	10.0%	11.0%	12.0%	20.0%
1	1.01000	1.01500	1.02000	1.02500	1.03000	1.03500	1.04000	1.04500	1.05000	1.05500	1.06000	1.07000	1.08000	1.09000	1.10000	1.11000	1.12000	1.20000
2	1.02010	1.03022	1.04040	1.05063	1.06090	1.07123	1.08160	1.09203	1.10250	1.11303	1.12360	1.14490	1.16640	1.18810	1.21000	1.23210	1.25440	1.44000
3	1.03030	1.04568	1.06121	1.07689	1.09273	1.10872	1.12486	1.14117	1.15763	1.17424	1.19102	1.22504	1.25971	1.29503	1.33100	1.36763	1.40493	1.72800
4	1.04060	1.06136	1.08243	1.10381	1.12551	1.14752	1.16986	1.19252	1.21551	1.23882	1.26248	1.31080	1.36049	1.41158	1.46410	1.51807	1.57352	2.07360
5	1.05101	1.07728	1.10408	1.13141	1.15927	1.18769	1.21665	1.24618	1.27628	1.30696	1.33823	1.40255	1.46933	1.53862	1.61051	1.68506	1.76234	2.48832
6	1.06152	1.09344	1.12616	1.15969	1.19405	1.22926	1.26532	1.30226	1.34010	1.37884	1.41852	1.50073	1.58687	1.67710	1.77156	1.87041	1.97382	2.98598
7	1.07214	1.10984	1.14869	1.18869	1.22987	1.27228	1.31593	1.36086	1.40710	1.45468	1.50363	1.60578	1.71382	1.82804	1.94872	2.07616	2.21068	3.58318
8	1.08286	1.12649	1.17166	1.21840	1.26677	1.31681	1.36857	1.42210	1.47746	1.53469	1.59385	1.71819	1.85093	1.99256	2.14359	2.30454	2.47596	4.29982
9	1.09369	1.14339	1.19509	1.24886	1.30477	1.36290	1.42331	1.48610	1.55133	1.61909	1.68948	1.83846	1.99900	2.17189	2.35795	2.55804	2.77308	5.15978
10	1.10462	1.16054	1.21899	1.28008	1.34392	1.41060	1.48024	1.55297	1.62889	1.70814	1.79085	1.96715	2.15892	2.36736	2.59374	2.83942	3.10585	6.19174
11	1.11567	1.17795	1.24337	1.31209	1.38423	1.45997	1.53945	1.62285	1.71034	1.80209	1.89830	2.10485	2.33164	2.58043	2.85312	3.15176	3.47855	7.43008
12	1.12683	1.19562	1.26824	1.34489	1.42576	1.51107	1.60103	1.69588	1.79586	1.90121	2.01220	2.25219	2.51817	2.81266	3.13843	3.49845	3.89598	8.91610
13	1.13809	1.21355	1.29361	1.37851	1.46853	1.56396	1.66507	1.77220	1.88565	2.00577	2.13293	2.40985	2.71962	3.06580	3.45227	3.88328	4.36349	10.69932
14	1.14947	1.23176	1.31948	1.41297	1.51259	1.61869	1.73168	1.85194	1.97993	2.11609	2.26090	2.57853	2.93719	3.34173	3.79750	4.31044	4.88711	12.83918
15	1.16097	1.25023	1.34587	1.44830	1.55797	1.67535	1.80094	1.93528	2.07893	2.23248	2.39656	2.75903	3.17217	3.64248	4.17725	4.78459	5.47357	15.40702
16	1.17258	1.26899	1.37279	1.48451	1.60471	1.73399	1.87298	2.02237	2.18287	2.35526	2.54035	2.95216	3.42594	3.97031	4.59497	5.31089	6.13039	18.48843
17	1.18430	1.28802	1.40024	1.52162	1.65285	1.79468	1.94790	2.11338	2.29202	2.48480	2.69277	3.15882	3.70002	4.32763	5.05447	5.89509	6.86604	22.18611
18	1.19615	1.30734	1.42825	1.55966	1.70243	1.85749	2.02582	2.20848	2.40662	2.62147	2.85434	3.37993	3.99602	4.71712	5.55992	6.54355	7.68997	26.62333
19	1.20811	1.32695	1.45681	1.59865	1.75351	1.92250	2.10685	2.30786	2.52695	2.76565	3.02560	3.61653	4.31570	5.14166	6.11591	7.26334	8.61276	31.94800
20	1.22019	1.34686	1.48595	1.63862	1.80611	1.98979	2.19112	2.41171	2.65330	2.91776	3.20714	3.86968	4.66096	5.60441	6.72750	8.06231	9.64629	38.33760
21	1.23239	1.36706	1.51567	1.67958	1.86029	2.05943	2.27877	2.52024	2.78596	3.07823	3.39956	4.14056	5.03383	6.10881	7.40025	8.94917	10.80385	46.00512
25	1.28243	1.45095	1.64061	1.85394	2.09378	2.36324	2.66584	3.00543	3.38635	3.81339	4.29187	5.42743	6.84848	8.62308	10.83471	13.58546	17.00006	95.39622
30	1.34785	1.56308	1.81136	2.09757	2.42726	2.80679	3.24340	3.74532	4.32194	4.98395	5.74349	7.61226	10.06266	13.26768	17.44940	22.89230	29.95992	237.37631
40	1.48886	1.81402	2.20804	2.68506	3.26204	3.95926	4.80102	5.81636	7.03999	8.51331	10.28572	14.97446	21.72452	31.40942	45.25926	65.00087	93.05097	1469.77160

TABLE 2 Present Value of \$1

$$PV = \frac{\$1}{(1 + i)^n}$$

n/i	1.0%	1.5%	2.0%	2.5%	3.0%	3.5%	4.0%	4.5%	5.0%	5.5%	6.0%	7.0%	8.0%	9.0%	10.0%	11.0%	12.0%	20.0%
1	0.99010	0.98522	0.98039	0.97561	0.97087	0.96618	0.96154	0.95694	0.95238	0.94787	0.94340	0.93458	0.92593	0.91743	0.90909	0.90090	0.89286	0.83333
2	0.98030	0.97066	0.96117	0.95181	0.94260	0.93351	0.92456	0.91573	0.90703	0.89845	0.89000	0.87344	0.85734	0.84168	0.82645	0.81162	0.79719	0.69444
3	0.97059	0.95632	0.94232	0.92860	0.91514	0.90194	0.88900	0.87630	0.86384	0.85161	0.83962	0.81630	0.79383	0.77218	0.75131	0.73119	0.71178	0.57870
4	0.96098	0.94218	0.92385	0.90595	0.88849	0.87144	0.85480	0.83856	0.82270	0.80722	0.79209	0.76290	0.73503	0.70843	0.68301	0.65873	0.63552	0.48225
5	0.95147	0.92826	0.90573	0.88385	0.86261	0.84197	0.82193	0.80245	0.78353	0.76513	0.74726	0.71299	0.68058	0.64993	0.62092	0.59345	0.56743	0.40188
6	0.94205	0.91454	0.88797	0.86230	0.83748	0.81350	0.79031	0.76790	0.74622	0.72525	0.70496	0.66634	0.63017	0.59627	0.56447	0.53464	0.50663	0.33490
7	0.93272	0.90103	0.87056	0.84127	0.81309	0.78599	0.75992	0.73483	0.71068	0.68744	0.66506	0.62275	0.58349	0.54703	0.51316	0.48166	0.45235	0.27908
8	0.92348	0.88771	0.85349	0.82075	0.78941	0.75941	0.73069	0.70319	0.67684	0.65160	0.62741	0.58201	0.54027	0.50187	0.46651	0.43393	0.40388	0.23257
9	0.91434	0.87459	0.83676	0.80073	0.76642	0.73373	0.70259	0.67290	0.64461	0.61763	0.59190	0.54393	0.50025	0.46043	0.42410	0.39092	0.36061	0.19381
10	0.90529	0.86167	0.82035	0.78120	0.74409	0.70892	0.67556	0.64393	0.61391	0.58543	0.55839	0.50835	0.46319	0.42241	0.38554	0.35218	0.32197	0.16151
11	0.89632	0.84893	0.80426	0.76214	0.72242	0.68495	0.64958	0.61620	0.58468	0.55491	0.52679	0.47509	0.42888	0.38753	0.35049	0.31728	0.28748	0.13459
12	0.88745	0.83639	0.78849	0.74356	0.70138	0.66178	0.62460	0.58966	0.55684	0.52598	0.49697	0.44401	0.39711	0.35553	0.31863	0.28584	0.25668	0.11216
13	0.87866	0.82403	0.77303	0.72542	0.68095	0.63940	0.60057	0.56427	0.53032	0.49856	0.46884	0.41496	0.36770	0.32618	0.28966	0.25751	0.22917	0.09346
14	0.86996	0.81185	0.75788	0.70773	0.66112	0.61778	0.57748	0.53997	0.50507	0.47257	0.44230	0.38782	0.34046	0.29925	0.26333	0.23199	0.20462	0.07789
15	0.86135	0.79985	0.74301	0.69047	0.64186	0.59689	0.55526	0.51672	0.48102	0.44793	0.41727	0.36245	0.31524	0.27454	0.23939	0.20900	0.18270	0.06491
16	0.85282	0.78803	0.72845	0.67362	0.62317	0.57671	0.53391	0.49447	0.45811	0.42458	0.39365	0.33873	0.29189	0.25187	0.21763	0.18829	0.16312	0.05409
17	0.84438	0.77639	0.71416	0.65720	0.60502	0.55720	0.51337	0.47318	0.43630	0.40245	0.37136	0.31657	0.27027	0.23107	0.19784	0.16963	0.14564	0.04507
18	0.83602	0.76491	0.70016	0.64117	0.58739	0.53836	0.49363	0.45280	0.41552	0.38147	0.35034	0.29586	0.25025	0.21199	0.17986	0.15282	0.13004	0.03756
19	0.82774	0.75361	0.68643	0.62553	0.57029	0.52016	0.47464	0.43330	0.39573	0.36158	0.33051	0.27651	0.23171	0.19449	0.16351	0.13768	0.11611	0.03130
20	0.81954	0.74247	0.67297	0.61027	0.55368	0.50257	0.45639	0.41464	0.37689	0.34273	0.31180	0.25842	0.21455	0.17843	0.14864	0.12403	0.10367	0.02608
21	0.81143	0.73150	0.65978	0.59539	0.53755	0.48557	0.43883	0.39679	0.35894	0.32486	0.29416	0.24151	0.19866	0.16370	0.13513	0.11174	0.09256	0.02174
24	0.78757	0.69954	0.62172	0.55288	0.49193	0.43796	0.39012	0.34770	0.31007	0.27666	0.24698	0.19715	0.15770	0.12640	0.10153	0.08170	0.06588	0.01258
25	0.77977	0.68921	0.60953	0.53939	0.47761	0.42315	0.37512	0.33273	0.29530	0.26223	0.23300	0.18425	0.14602	0.11597	0.09230	0.07361	0.05882	0.01048
28	0.75684	0.65910	0.57437	0.50088	0.43708	0.38165	0.33348	0.29157	0.25509	0.22332	0.19563	0.15040	0.11591	0.08955	0.06934	0.05382	0.04187	0.00607
29	0.74934	0.64936	0.56311	0.48866	0.42435	0.36875	0.32065	0.27902	0.24295	0.21168	0.18456	0.14056	0.10733	0.08215	0.06304	0.04849	0.03738	0.00506
30	0.74192	0.63976	0.55207	0.47674	0.41199	0.35628	0.30832	0.26700	0.23138	0.20064	0.17411	0.13137	0.09938	0.07537	0.05731	0.04368	0.03338	0.00421
31	0.73458	0.63031	0.54125	0.46511	0.39999	0.34423	0.29646	0.25550	0.22036	0.19018	0.16425	0.12277	0.09202	0.06915	0.05210	0.03935	0.02980	0.00351
40	0.67165	0.55126	0.45289	0.37243	0.30656	0.25257	0.20829	0.17193	0.14205	0.11746	0.09722	0.06678	0.04603	0.03184	0.02209	0.01538	0.01075	0.00068

TABLE 3 Future Value of an Ordinary Annuity of \$1

$$FVA = \frac{(1 + i)^n - 1}{i}$$

<i>n/i</i>	1.0%	1.5%	2.0%	2.5%	3.0%	3.5%	4.0%	4.5%	5.0%	5.5%	6.0%	7.0%	8.0%	9.0%	10.0%	11.0%	12.0%	20.0%
1	1.0000	1.0000	1.0000	1.0000	1.0000	1.0000	1.0000	1.0000	1.0000	1.0000	1.0000	1.0000	1.0000	1.0000	1.0000	1.0000	1.0000	1.0000
2	2.0100	2.0150	2.0200	2.0250	2.0300	2.0350	2.0400	2.0450	2.0500	2.0550	2.0600	2.0700	2.0800	2.0900	2.1000	2.1100	2.1200	2.2000
3	3.0301	3.0452	3.0604	3.0756	3.0909	3.1062	3.1216	3.1370	3.1525	3.1680	3.1836	3.2149	3.2464	3.2781	3.3100	3.3421	3.3744	3.6400
4	4.0604	4.0909	4.1216	4.1525	4.1836	4.2149	4.2465	4.2782	4.3101	4.3423	4.3746	4.4399	4.5061	4.5731	4.6410	4.7097	4.7793	5.3680
5	5.1010	5.1523	5.2040	5.2563	5.3091	5.3625	5.4163	5.4707	5.5256	5.5811	5.6371	5.7507	5.8666	5.9847	6.1051	6.2278	6.3528	7.4416
6	6.1520	6.2296	6.3081	6.3877	6.4684	6.5502	6.6330	6.7169	6.8019	6.8881	6.9753	7.1533	7.3359	7.5233	7.7156	7.9129	8.1152	9.9299
7	7.2135	7.3230	7.4343	7.5474	7.6625	7.7794	7.8983	8.0192	8.1420	8.2669	8.3938	8.6540	8.9228	9.2004	9.4872	9.7833	10.0890	12.9159
8	8.2857	8.4328	8.5830	8.7361	8.8923	9.0517	9.2142	9.3800	9.5491	9.7216	9.8975	10.2598	10.6366	11.0285	11.4359	11.8594	12.2997	16.4991
9	9.3685	9.5593	9.7546	9.9545	10.1591	10.3685	10.5828	10.8021	11.0266	11.2563	11.4913	11.9780	12.4876	13.0210	13.5795	14.1640	14.7757	20.7989
10	10.4622	10.7027	10.9497	11.2034	11.4639	11.7314	12.0061	12.2882	12.5779	12.8754	13.1808	13.8164	14.4866	15.1929	15.9374	16.7220	17.5487	25.9587
11	11.5668	11.8633	12.1687	12.4835	12.8078	13.1420	13.4864	13.8412	14.2068	14.5835	14.9716	15.7836	16.6455	17.5603	18.5312	19.5614	20.6546	32.1504
12	12.6825	13.0412	13.4121	13.7956	14.1920	14.6020	15.0258	15.4640	15.9171	16.3856	16.8699	17.8885	18.9771	20.1407	21.3843	22.7132	24.1331	39.5805
13	13.8093	14.2368	14.6803	15.1404	15.6178	16.1130	16.6268	17.1599	17.7130	18.2868	18.8821	20.1406	21.4953	22.9534	24.5227	26.2116	28.0291	48.4966
14	14.9474	15.4504	15.9739	16.5190	17.0863	17.6770	18.2919	18.9321	19.5986	20.2926	21.0151	22.5505	24.2149	26.0192	27.9750	30.0949	32.3926	59.1959
15	16.0969	16.6821	17.2934	17.9319	18.5989	19.2957	20.0236	20.7841	21.5786	22.4087	23.2760	25.1290	27.1521	29.3609	31.7725	34.4054	37.2797	72.0351
16	17.2579	17.9324	18.6393	19.3802	20.1569	20.9710	21.8245	22.7193	23.6575	24.6411	25.6725	27.8881	30.3243	33.0034	35.9497	39.1899	42.7533	87.4421
17	18.4304	19.2014	20.0121	20.8647	21.7616	22.7050	23.6975	24.7417	25.8404	26.9964	28.2129	30.8402	33.7502	36.9737	40.5447	44.5008	48.8837	105.9306
18	19.6147	20.4894	21.4123	22.3863	23.4144	24.4997	25.6454	26.8551	28.1324	29.4812	30.9057	33.9990	37.4502	41.3013	45.5992	50.3959	55.7497	128.1167
19	20.8109	21.7967	22.8406	23.9460	25.1169	26.3572	27.6712	29.0636	30.5390	32.1027	33.7600	37.3790	41.4463	46.0185	51.1591	56.9395	63.4397	154.7400
20	22.0190	23.1237	24.2974	25.5447	26.8704	28.2797	29.7781	31.3714	33.0660	34.8683	36.7856	40.9955	45.7620	51.1601	57.2750	64.2028	72.0524	186.6880
21	23.2392	24.4705	25.7833	27.1833	28.6765	30.2695	31.9692	33.7831	35.7193	37.7861	39.9927	44.8652	50.4229	56.7645	64.0025	72.2651	81.6987	225.0256
30	34.7849	37.5387	40.5681	43.9027	47.5754	51.6227	56.0849	61.0071	66.4388	72.4355	79.0582	94.4608	113.2832	136.3075	164.4940	199.0209	241.3327	1181.8816
40	48.8864	54.2679	60.4020	67.4026	75.4013	84.5503	95.0255	107.0303	120.7998	136.6056	154.7620	199.6351	259.0565	337.8824	442.5926	581.8261	767.0914	7343.8578

TABLE 4 Present Value of an Ordinary Annuity of \$1

$$PVA = \frac{1 - \frac{1}{(1 + i)^n}}{i}$$

<i>n/i</i>	1.0%	1.5%	2.0%	2.5%	3.0%	3.5%	4.0%	4.5%	5.0%	5.5%	6.0%	7.0%	8.0%	9.0%	10.0%	11.0%	12.0%	20.0%
1	0.99010	0.98522	0.98039	0.97561	0.97087	0.96618	0.96154	0.95694	0.95238	0.94787	0.94340	0.93458	0.92593	0.91743	0.90909	0.90090	0.89286	0.83333
2	1.97040	1.95588	1.94156	1.92742	1.91347	1.89969	1.88609	1.87267	1.85941	1.84632	1.83339	1.80802	1.78326	1.75911	1.73554	1.71252	1.69005	1.52778
3	2.94099	2.91220	2.88388	2.85602	2.82861	2.80164	2.77509	2.74896	2.72325	2.69793	2.67301	2.62432	2.57710	2.53129	2.48685	2.44371	2.40183	2.10648
4	3.90197	3.85438	3.80773	3.76197	3.71710	3.67308	3.62990	3.58753	3.54595	3.50515	3.46511	3.38721	3.31213	3.23972	3.16987	3.10245	3.03735	2.58873
5	4.85343	4.78264	4.71346	4.64583	4.57971	4.51505	4.45182	4.38998	4.32948	4.27028	4.21236	4.10020	3.99271	3.88965	3.79079	3.69590	3.60478	2.99061
6	5.79548	5.69719	5.60143	5.50813	5.41719	5.32855	5.24214	5.15787	5.07569	4.99553	4.91732	4.76654	4.62288	4.48592	4.35526	4.23054	4.11141	3.32551
7	6.72819	6.59821	6.47199	6.34939	6.23028	6.11454	6.00205	5.89270	5.78637	5.68297	5.58238	5.38929	5.20637	5.03295	4.86842	4.71220	4.56376	3.60459
8	7.65168	7.48593	7.32548	7.17014	7.01969	6.87396	6.73274	6.59589	6.46321	6.33457	6.20979	5.97130	5.74664	5.53482	5.33493	5.14612	4.96764	3.83716
9	8.56602	8.36052	8.16224	7.97087	7.78611	7.60769	7.43533	7.26879	7.10782	6.95220	6.80169	6.51523	6.24689	5.99525	5.75902	5.53705	5.32825	4.03097
10	9.47130	9.22218	8.98259	8.75206	8.53020	8.31661	8.11090	7.91272	7.72173	7.53763	7.36009	7.02358	6.71008	6.41766	6.14457	5.88923	5.65022	4.19247
11	10.36763	10.07112	9.78685	9.51421	9.25262	9.00155	8.76048	8.52892	8.30641	8.09254	7.88687	7.49867	7.13896	6.80519	6.49506	6.20652	5.93770	4.32706
12	11.25508	10.90751	10.57534	10.25776	9.95400	9.66333	9.38507	9.11858	8.86325	8.61852	8.38384	7.94269	7.53608	7.16073	6.81369	6.49236	6.19437	4.43922
13	12.13374	11.73153	11.34837	10.98319	10.63496	10.30274	9.98565	9.68285	9.39357	9.11708	8.85268	8.35765	7.90378	7.48690	7.10336	6.74987	6.42355	4.53268
14	13.00370	12.54338	12.10625	11.69091	11.29607	10.92052	10.56312	10.22283	9.89864	9.58965	9.29498	8.74547	8.24424	7.78615	7.36669	6.98187	6.62817	4.61057
15	13.86505	13.34323	12.84926	12.38138	11.93794	11.51741	11.11839	10.73955	10.37966	10.03758	9.71225	9.10791	8.55948	8.06069	7.60608	7.19087	6.81086	4.67547
16	14.71787	14.13126	13.57771	13.05500	12.56110	12.09412	11.65230	11.23402	10.83777	10.46216	10.10590	9.44665	8.85137	8.31256	7.82371	7.37916	6.97399	4.72956
17	15.56225	14.90765	14.29187	13.71220	13.16612	12.65132	12.16567	11.70719	11.27407	10.86461	10.47726	9.76322	9.12164	8.54363	8.02155	7.54879	7.11963	4.77463
18	16.39827	15.67256	14.99203	14.35336	13.75351	13.18968	12.65930	12.15999	11.68959	11.24607	10.82760	10.05909	9.37189	8.75563	8.20141	7.70162	7.24967	4.81219
19	17.22601	16.42617	15.67846	14.97889	14.32380	13.70984	13.13394	12.59329	12.08532	11.60765	11.15812	10.33560	9.60360	8.95011	8.36492	7.83929	7.36578	4.84350
20	18.04555	17.16864	16.35143	15.58916	14.87747	14.21240	13.59033	13.00794	12.46221	11.95038	11.46992	10.59401	9.81815	9.12855	8.51356	7.96333	7.46944	4.86958
21	18.85698	17.90014	17.01121	16.18455	15.41502	14.69797	14.02916	13.40472	12.82115	12.27524	11.76408	10.83553	10.01680	9.29224	8.64869	8.07507	7.56200	4.89132
25	22.02316	20.71961	19.52346	18.42438	17.41315	16.48151	15.62208	14.82821	14.09394	13.41393	12.78336	11.65358	10.67478	9.82258	9.07704	8.42174	7.84314	4.94759
30	25.80771	24.01584	22.39646	20.93029	19.60044	18.39205	17.29203	16.28889	15.37245	14.53375	13.76483	12.40904	11.25778	10.27365	9.42691	8.69379	8.05518	4.97894
40	32.83469	29.91585	27.35548	25.10278	23.11477	21.35507	19.79277	18.40158	17.15909	16.04612	15.04630	13.33171	11.92461	10.75736	9.77905	8.95105	8.24378	4.99660

Notes payable and Notes receivable

Information:

Company **A** issued notes payable to Company **B** from the borrowing transaction.

Issuance date	Apr. 1, 20X1	Interest rate per year	12%
Maturity date	Mar. 31, 20X3	Interest payment dates - <i>Semiannually</i>	Mar. 31 and Sept. 30
Note term	2 years	Principal	1,000,000

Notes payable - A				Notes receivable - B		
Date	General Journal	Debit	Credit	General Journal	Debit	Credit
04-01-X1						
09-30-X1						
12-31-X1						
03-31-X2						
09-30-X2						
12-31-X2						
03-31-X3						