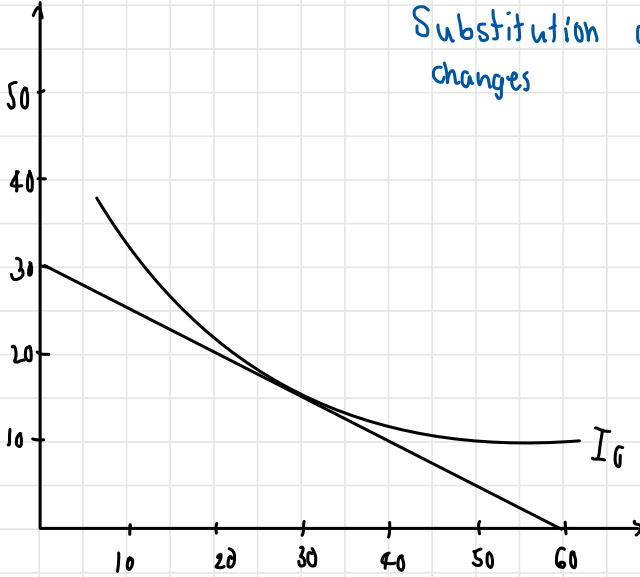


HW 11 due 3 Apr. 2022

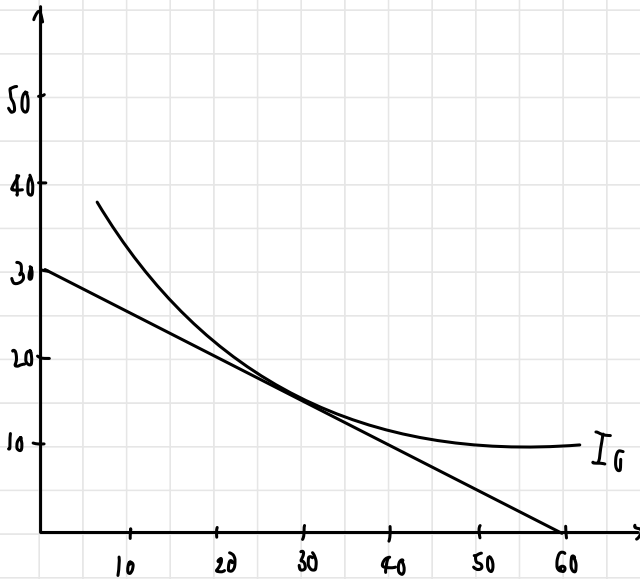
640161299 - Thien

Substitution and Income Effect when P_y changes



$P_x = 2$
 $P_y = 4$
Budget = 120
 $P_y \uparrow$ to 3

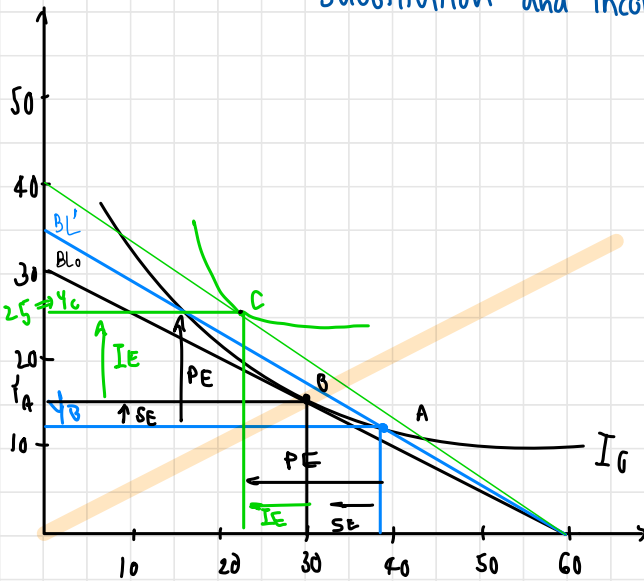
show substitution Effect and Income effect with x being inferior goods



$P_x = 2$
 $P_y = 4$
Budget = 120
 P_x increase to 3

Show substitution effect and income effect with x being luxury goods.

Substitution and Income Effect when P_y changes.



$P_x = 2$
 $P_y = 4$
 Budget = 120
 P_x increase to 3

show substitution Effect and Income effect with x being inferior goods

\downarrow As x is luxury goods it means that if $P_x \uparrow \rightarrow Q_x \downarrow$
 $P_x \downarrow \rightarrow Q_x \uparrow$

- Originally, this consumer consume at point A where it is having an optimum utility and spending all of budget effectively, which $x = 30$ units and $y = 15$ units.

\rightarrow Max Q_x that can consume: $\frac{120}{2} = 60$ units

\rightarrow " Q_y " " "

$\frac{120}{4} = 30$ units

- Substitution Effect (A \rightarrow B)

As price of Y decreases, consumer will consume more Y (from $Y_A \rightarrow Y_B$): normal good and have to sub by decreasing amount of X from X_A to X_B , keeping the same utility; change from point A \rightarrow B which create imaginary budget line as BL'

\therefore SE: $P_y \downarrow \rightarrow Q_y \uparrow$ sub by $Q_x \downarrow$; \bar{u}

- Income Effect (B \rightarrow C)

As P_y decreases to 3, therefore this consumer has more ability to buy product Y; having more real income [$\frac{P}{P_y} \uparrow$] so consumer will consume $Q_x \downarrow$: inferior good

$Q_y \uparrow$: normal good (law of Demand)

\rightarrow max Q_y is $\frac{120}{3} = 40$ units

\rightarrow max Q_x remain the same as price does not change so the budget line rotate from BL_0 to BL_1

\therefore IE: $P_y \downarrow \rightarrow$ Real Inc. $\uparrow \rightarrow Q_x \downarrow$ & $Q_y \uparrow$

Sorry for
late kub Ajarn
I forget to submit
on time because I
got cold yesterday.