

- a. State reduced form models of this system. Estimate reduced form models using OLS and prediction of the endogenous variables.

Reduced form :

$$\ln S_t = \beta_1 + \beta_2 \ln P_{x2t} + \beta_3 \ln P_{x3t} + \beta_4 \ln P_{x4t} + \beta_5 \ln \delta DP_t + W_1$$

$$\ln D_t = \beta_5 + \beta_6 \ln P_{x2t} + \beta_7 \ln P_{x3t} + \beta_8 \ln P_{x4t} + \beta_9 \ln \delta DP_t + W_2$$

$$\ln P_{Dt} = \beta_{10} + \beta_{11} \ln P_{x2t} + \beta_{12} \ln P_{x3t} + \beta_{13} \ln P_{x4t} + \beta_{14} \ln \delta DP_t + W_3$$

Estimate reduced form using OLS :

$$\hat{\ln S}_t = 24.657 - 0.450 \ln P_{x2t} - 0.924 \ln P_{x3t} - 0.388 \ln P_{x4t} + 0.344 \ln \delta DP_t$$

$$\hat{\ln D}_t = 27.186 - 0.489 \ln P_{x2t} - 0.724 \ln P_{x3t} - 0.578 \ln P_{x4t} + 0.127 \ln \delta DP_t$$

$$\hat{\ln P}_t = 2.877 + 0.132 \ln P_{x2t} + 0.094 \ln P_{x3t} + 0.494 \ln P_{x4t} + 0.163 \ln \delta DP_t$$

- b. Estimate structural form using predicted endogenous variables as independent variables in the structural form models.

$$\ln P_{x2t} = 134.049 + 7.882 \hat{\ln S}_t - 11.349 \hat{\ln D}_t - 7.396 \hat{\ln P}_{Dt}$$

$$\ln P_{x3t} = -26.741 - 2.97 \hat{\ln S}_t + 3.532 \hat{\ln D}_t + 2.547 \hat{\ln P}_{Dt}$$

$$\ln P_{x4t} = -34.28 - 2.38 \hat{\ln S}_t + 3.01 \hat{\ln D}_t + 3.246 \hat{\ln P}_{Dt}$$

$$\ln \delta DP_t = -6.725 + 2.56 \hat{\ln S}_t - 1.97 \hat{\ln D}_t + 0.821 \hat{\ln P}_{Dt}$$

- c. Estimate this system equations model using OLS, 2SLS, 3SLS, and I3SLS. Determine whether there exists endogeneity bias in the estimated results. Concerning on the asymptotic property, which model is the most appropriated model? Why? What do β_{21} and β_{22} mean?

Estimate system equations using OLS;

$$\ln S_t = 41.495 - 1.112 \ln P_{Dt} - 0.419 \ln P_{X2t} - 0.942 \ln P_{X3t} - 0.521 \ln P_{X4t} \quad (1')$$

$$\ln D_t = 31.036 - 2.181 \ln P_{Dt} + 0.578 \ln \delta DP_t \quad (2')$$

2SLS ;

$$\ln S_t = 18.6 + 2.106 \ln P_{Dt} - 0.728 \ln P_{X2t} - 1.122 \ln P_{X3t} - 1.429 \ln P_{X4t}$$

$$\ln D_t = 35.935 - 2.574 \ln P_{Dt} + 0.521 \ln \delta DP_t$$

3SLS ;

$$\ln S_t = 17.849 + 2.172 \ln P_{Dt} - 0.799 \ln P_{X2t} - 1.33 \ln P_{X3t} - 1.17 \ln P_{X4t}$$

$$\ln D_t = 35.935 - 2.574 \ln P_{Dt} + 0.521 \ln \delta DP_t$$

I3SLS ;

$$\ln S_t = 17.379 + 2.213 \ln P_{Dt} - 0.844 \ln P_{X2t} - 1.46 \ln P_{X3t} - 1.01 \ln P_{X4t}$$

$$\ln D_t = 35.935 - 2.574 \ln P_{Dt} + 0.521 \ln \delta DP_t$$

When using the hausman test to determine whether there exists endogeneity, it turns out that H_0 can't be rejected as the p-value = 0.5659. Thus, there is no endogeneity bias in the estimated results.

Concerning on the asymptotic property, there exists a correlation between residuals across equations. Thus, from the situation where there is no endogeneity, but exist residuals' correlation (correlation between residual of (1') & (2') is 0.2422), the model of 3L3 and I3L3 should be used.

β_{21} means when domestic price at time t increases 1%, on average, domestic demand will decrease -2.571%.

Moreover, β_{22} means when δDP at time t increases 1%, on average, domestic demand will increase 0.521%.

Additional Issue:

excess demand $\rightarrow P \uparrow$

excess supply $\rightarrow P \downarrow$

If equilibrium doesn't hold $D_t \neq S_t$, when $D_t > S_t$; then $Q_t = S_t$ but when $D_t < S_t$; then $Q_t = D_t$, where Q_t is transaction quantity at time t .

$$\ln Q_t = \beta_{10} + \beta_{11} \ln P_{Dt} + \beta_{12} \ln P_{X2t} + \beta_{13} \ln P_{X3t} + \beta_{14} \ln P_{X4t} + \varepsilon_{1t} \quad (3)$$

$$\ln Q_t = \beta_{20} + \beta_{21} \ln P_{Dt} + \beta_{22} \ln GDP_t + \varepsilon_{2t} \quad (4)$$

- d. Generate $\ln Q_t$ and estimate the above system equations (model (3) and model (4)) using OLS, 2SLS, and 3SLS using Q_t , and P_{Dt} as endogenous variables and P_{X2t} , P_{X3t} , P_{X4t} , and GDP_t as exogenous variables.

Estimate the system equations using ...

OLS;

$$\ln Q_t = 40.102 - 1.35 \ln P_{dt} - 0.386 \ln P_{x2t} - 0.678 \ln P_{x3t} - 0.361 \ln P_{x4t}$$

$$\ln Q_t = 31.036 - 2.181 \ln P_{dt} + 0.578 \ln GDP_t$$

2SLS;

$$\ln Q_t = 24.956 - 0.775 \ln P_{dt} - 0.591 \ln P_{x2t} - 0.797 \ln P_{x3t} - 0.961 \ln P_{x4t}$$

$$\ln Q_t = 35.935 - 2.574 \ln P_{dt} + 0.521 \ln GDP_t$$

3SLS;

$$\ln Q_t = 24.720 - 0.796 \ln P_{dt} - 0.613 \ln P_{x2t} - 0.862 \ln P_{x3t} - 0.88 \ln P_{x4t}$$

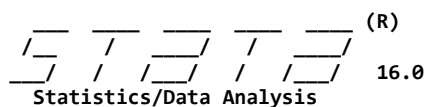
$$\ln Q_t = 35.935 - 2.574 \ln P_{dt} + 0.521 \ln GDP_t$$

- e. What are the problems, in term of economic concept and econometric technique, of the estimated results in d?

Using OLS to estimate the system of equation that has a simultaneous bias will lead to a biased, inconsistent, and inefficient estimation.

Moreover, using 2SLS will lead to a biased system.

3SLS, also, leads to a biased system and if there exists any specification error in one of the equation, it will spread through all equations.



(R)

MP - Parallel Edition

Copyright 1985-2019 StataCorp LLC
StataCorp
4905 Lakeway Drive
College Station, Texas 77845 USA
800-STATA-PC <http://www.stata.com>
979-696-4600 stata@stata.com
979-696-4601 (fax)

20-student 2-core Stata lab perpetual license:

Serial number: 501606222284
Licensed to: Faculty of economics
Thammasat University

Notes:

1. Unicode is supported; see [help unicode advice](#).
2. More than 2 billion observations are allowed; see [help obs advice](#).
3. Maximum number of variables is set to 5000; see [help set maxvar](#).
4. New update available; type `-update all-`

```
1 . log using "C:\Users\user\Documents\BE TU\BE Classwork\Year2\EE426\HW2\2.3.smcl"
```

```
name: <unnamed>  
log: C:\Users\user\Documents\BE TU\BE Classwork\Year2\EE426\HW2\2.3.smcl  
log type: smcl  
opened on: 3 Feb 2021, 20:11:46
```

```
2 . use "C:\Users\user\Documents\BE TU\BE Classwork\Year2\EE426\HW2\assign2.dta"
```

```
3 . describe
```

Contains data from C:\Users\user\Documents\BE TU\BE Classwork\Year2\EE426\HW2\assign2.dta

```
obs: 22  
vars: 9 28 Jan 2021 13:32
```

variable name	storage type	display format	value label	variable label
obs	int	%8.0g		OBS
st	long	%12.0g		ST
dt	long	%12.0g		DT
pm	float	%9.0g		PD
t	float	%9.0g		TT
px2	float	%9.0g		PX2
px3	float	%9.0g		PX3
gdp	float	%9.0g		GNP
px4	float	%9.0g		PX4

Sorted by: **obs**

```
4 . tsset  
time variable: obs, 1986 to 2007  
delta: 1 unit
```

```
5 . gen lst=ln(st)
```

```
6 . gen ldt=ln(dt)
```

```
7 . gen lpd=ln(pm+t)
```

8 . gen lpx2=ln(px2)
 9 . gen lpx3=ln(px3)
 10 . gen lpx4=ln(px4)
 11 . gen lgdp=ln(gdp)
 12 . reg lst lpx2 lpx3 lpx4 lgdp

Source	SS	df	MS	Number of obs	=	22
Model	4.64569724	4	1.16142431	F(4, 17)	=	37.32
Residual	.529104674	17	.031123804	Prob > F	=	0.0000
				R-squared	=	0.8978
				Adj R-squared	=	0.8737
Total	5.17480192	21	.246419139	Root MSE	=	.17642

lst	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
lpx2	-.4503744	.1515961	-2.97	0.009	-.7702142 -.1305347
lpx3	-.9242052	.2783356	-3.32	0.004	-1.511442 -.3369685
lpx4	-.3883793	.4222332	-0.92	0.371	-1.279214 .5024549
lgdp	.3438812	.1913463	1.80	0.090	-.0598242 .7475865
_cons	24.65741	5.309757	4.64	0.000	13.4548 35.86002

13 . reg ldt lpx2 lpx3 lpx4 lgdp

Source	SS	df	MS	Number of obs	=	22
Model	3.4026552	4	.850663799	F(4, 17)	=	26.43
Residual	.54721789	17	.032189288	Prob > F	=	0.0000
				R-squared	=	0.8615
				Adj R-squared	=	0.8289
Total	3.94987309	21	.188089195	Root MSE	=	.17941

ldt	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
lpx2	-.4887365	.1541691	-3.17	0.006	-.8140049 -.1634682
lpx3	-.7243134	.2830597	-2.56	0.020	-1.321517 -.1271097
lpx4	-.577921	.4293997	-1.35	0.196	-1.483875 .3280333
lgdp	.1265855	.194594	0.65	0.524	-.2839719 .5371429
_cons	27.18614	5.399879	5.03	0.000	15.79339 38.57889

14 . reg lpd lpx2 lpx3 lpx4 lgdp

Source	SS	df	MS	Number of obs	=	22
Model	.17707359	4	.044268398	F(4, 17)	=	6.76
Residual	.111247189	17	.006543952	Prob > F	=	0.0019
				R-squared	=	0.6142
				Adj R-squared	=	0.5234
Total	.288320779	21	.013729561	Root MSE	=	.08089

lpd	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
lpx2	.1318015	.0695123	1.90	0.075	-.0148567 .2784596
lpx3	.0939842	.127627	0.74	0.472	-.1752851 .3632535
lpx4	.4939641	.1936093	2.55	0.021	.0854842 .9024439
lgdp	.1632779	.0877392	1.86	0.080	-.0218357 .3483914
_cons	2.87652	2.434717	1.18	0.254	-2.260283 8.013322

```

15 . quietly reg l1t lpx2 lpx3 lpx4 lgdp
16 . predict l1that
    (option xb assumed; fitted values)
17 . quietly reg ldt lpx2 lpx3 lpx4 lgdp
18 .
19 .
20 . predict ldthat
    (option xb assumed; fitted values)
21 . quietly reg lpd lpx2 lpx3 lpx4 lgdp
22 . predict lpdhat
    (option xb assumed; fitted values)
23 . reg lpx2 l1that ldthat lpdhat

```

Source	SS	df	MS	Number of obs	=	22
Model	2.31080462	3	.770268206	F(3, 18)	=	523.00
Residual	.026510047	18	.00147278	Prob > F	=	0.0000
				R-squared	=	0.9887
				Adj R-squared	=	0.9868
Total	2.33731467	21	.111300698	Root MSE	=	.03838

lpx2	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
l1that	7.882244	.3538245	22.28	0.000	7.138886	8.625602
ldthat	-11.34949	.4859372	-23.36	0.000	-12.37041	-10.32858
lpdhat	-7.395525	.4092558	-18.07	0.000	-8.255339	-6.53571
_cons	134.0489	6.201205	21.62	0.000	121.0206	147.0771

```

24 . reg lpx3 l1that ldthat lpdhat

```

Source	SS	df	MS	Number of obs	=	22
Model	.767648444	3	.255882815	F(3, 18)	=	30.54
Residual	.15081264	18	.00837848	Prob > F	=	0.0000
				R-squared	=	0.8358
				Adj R-squared	=	0.8084
Total	.918461084	21	.043736242	Root MSE	=	.09153

lpx3	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
l1that	-2.969866	.8439206	-3.52	0.002	-4.742877	-1.196854
ldthat	3.532088	1.159028	3.05	0.007	1.097061	5.967114
lpdhat	2.547322	.9761318	2.61	0.018	.4965449	4.598099
_cons	-26.74069	14.79073	-1.81	0.087	-57.81486	4.333488

```

25 . reg lpx4 l1that ldthat lpdhat

```

Source	SS	df	MS	Number of obs	=	22
Model	.700820625	3	.233606875	F(3, 18)	=	85.28
Residual	.04930852	18	.002739362	Prob > F	=	0.0000
				R-squared	=	0.9343
				Adj R-squared	=	0.9233
Total	.750129145	21	.035720435	Root MSE	=	.05234

lpx4	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
l1that	-2.3835	.4825515	-4.94	0.000	-3.397303	-1.369697
ldthat	3.008628	.6627289	4.54	0.000	1.616286	4.40097
lpdhat	3.241577	.5581496	5.81	0.000	2.068948	4.414205
_cons	-34.27995	8.457301	-4.05	0.001	-52.04808	-16.51182

26 . reg lgdp lsthat ldthat lpdhat

Source	SS	df	MS	Number of obs	=	22
Model	2.84277855	3	.947592851	F(3, 18)	=	50.76
Residual	.33602584	18	.018668102	Prob > F	=	0.0000
				R-squared	=	0.8943
				Adj R-squared	=	0.8767
Total	3.17880439	21	.151371638	Root MSE	=	.13663

lgdp	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
lsthat	2.557554	1.259706	2.03	0.057	-.0889888 5.204097
ldthat	-1.973533	1.73006	-1.14	0.269	-5.608254 1.661189
lpdhat	.8213629	1.457055	0.56	0.580	-2.239796 3.882522
_cons	-6.725268	22.07787	-0.30	0.764	-53.10915 39.65861

27 . reg3 (lst lpd lpx2 lpx3 lpx4)(ldt lpd lgdp)

Three-stage least-squares regression

Equation	Obs	Parms	RMSE	"R-sq"	chi2	P
lst	22	4	.14721	0.9079	216.45	0.0000
ldt	22	2	.1301146	0.9057	207.90	0.0000

	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]
lst					
lpd	-1.205282	.3949379	-3.05	0.002	-1.979346 -.4312178
lpx2	-.360095	.122307	-2.94	0.003	-.5998124 -.1203776
lpx3	-.8002308	.2205881	-3.63	0.000	-1.232576 -.367886
lpx4	-.654296	.2956558	-2.21	0.027	-1.233771 -.0748213
_cons	42.05618	3.211606	13.10	0.000	35.76154 48.35081
ldt					
lpd	-2.250455	.2733233	-8.23	0.000	-2.786159 -1.714751
lgdp	.5339629	.0817519	6.53	0.000	.3737321 .6941937
_cons	32.24346	3.48226	9.26	0.000	25.41836 39.06856

Endogenous variables: lst ldt

Exogenous variables: lpd lpx2 lpx3 lpx4 lgdp

28 . reg3 (lst lpd lpx2 lpx3 lpx4)(ldt lpd lgdp), ols

Multivariate regression

Equation	Obs	Parms	RMSE	"R-sq"	F-Stat	P
lst	22	4	.1652258	0.9103	43.14	0.0000
ldt	22	2	.1391259	0.9069	92.53	0.0000

	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
lst					
lpd	-1.111835	.4515147	-2.46	0.019	-2.027549 -.1961207
lpx2	-.4189546	.1431634	-2.93	0.006	-.7093034 -.1286059
lpx3	-.9424196	.2585266	-3.65	0.001	-1.466736 -.4181034
lpx4	-.521346	.3441643	-1.51	0.139	-1.219344 .1766516
_cons	41.4946	3.661911	11.33	0.000	34.0679 48.9213
ldt					
lpd	-2.181329	.2946999	-7.40	0.000	-2.779008 -1.58365
lgdp	.5776586	.0887536	6.51	0.000	.397658 .7576593
_cons	31.03578	3.761201	8.25	0.000	23.40771 38.66385

29 . reg3 (1st lpd lpx2 lpx3 lpx4)(ldt lpd lgdp), 2sls nodfk inst(lpx2 lpx3 lpx4 lgdp)

Two-stage least-squares regression

Equation	Obs	Parms	RMSE	"R-sq"	F-Stat	P
1st	22	4	.329951	0.6424	13.81	0.0000
ldt	22	2	.1454858	0.8982	89.20	0.0000

	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
1st						
lpd	2.10611	1.926677	1.09	0.282	-1.801371	6.013591
lpx2	-.7279628	.3026471	-2.41	0.021	-1.34176	-.114166
lpx3	-1.122146	.464304	-2.42	0.021	-2.063798	-.180494
lpx4	-1.428722	.7811544	-1.83	0.076	-3.012977	.1555325
_cons	18.59914	14.05113	1.32	0.194	-9.897873	47.09616
ldt						
lpd	-2.574157	.4046743	-6.36	0.000	-3.394875	-1.75344
lgdp	.5212921	.0955104	5.46	0.000	.327588	.7149961
_cons	35.93499	5.106302	7.04	0.000	25.57893	46.29105

Endogenous variables: 1st lpd ldt

Exogenous variables: lpx2 lpx3 lpx4 lgdp

30 . reg3 (1st lpd lpx2 lpx3 lpx4)(ldt lpd lgdp), 3sls nodfk inst(lpx2 lpx3 lpx4 lgdp)

Three-stage least-squares regression

Equation	Obs	Parms	RMSE	"R-sq"	chi2	P
1st	22	4	.2963642	0.6266	57.47	0.0000
ldt	22	2	.135203	0.8982	178.41	0.0000

	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
1st						
lpd	2.171576	1.926095	1.13	0.260	-1.603501	5.946652
lpx2	-.7990055	.2985983	-2.68	0.007	-1.384247	-.2137635
lpx3	-1.329743	.4560002	-2.92	0.004	-2.223487	-.4359989
lpx4	-1.171403	.775654	-1.51	0.131	-2.691657	.348851
_cons	17.84948	14.04122	1.27	0.204	-9.670808	45.36976
ldt						
lpd	-2.574157	.4046743	-6.36	0.000	-3.367304	-1.78101
lgdp	.5212921	.0955104	5.46	0.000	.3340951	.708489
_cons	35.93499	5.106302	7.04	0.000	25.92682	45.94316

Endogenous variables: 1st lpd ldt

Exogenous variables: lpx2 lpx3 lpx4 lgdp

31 . reg3 (1st lpd lpx2 lpx3 lpx4)(ldt lpd lgdp), 3sls ireg3 nodfk inst(lpx2 lpx3 lpx4 lgdp)

Iteration 1: tolerance = .1059484
 Iteration 2: tolerance = .04569793
 Iteration 3: tolerance = .01846611
 Iteration 4: tolerance = .00725496
 Iteration 5: tolerance = .00281814
 Iteration 6: tolerance = .00108981
 Iteration 7: tolerance = .00042072
 Iteration 8: tolerance = .00016231
 Iteration 9: tolerance = .0000626
 Iteration 10: tolerance = .00002414
 Iteration 11: tolerance = 9.310e-06
 Iteration 12: tolerance = 3.590e-06
 Iteration 13: tolerance = 1.384e-06
 Iteration 14: tolerance = 5.339e-07

Three-stage least-squares regression, iterated

Equation	Obs	Parms	RMSE	"R-sq"	chi2	P
1st	22	4	.3022006	0.6117	54.83	0.0000
ldt	22	2	.135203	0.8982	178.41	0.0000

	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
1st						
lpd	2.212666	2.005956	1.10	0.270	-1.718936	6.144268
lpx2	-.8435967	.3049354	-2.77	0.006	-1.441259	-.2459342
lpx3	-1.460044	.4623671	-3.16	0.002	-2.366267	-.5538216
lpx4	-1.009892	.7998393	-1.26	0.207	-2.577548	.557764
_cons	17.37893	14.61488	1.19	0.234	-11.26571	46.02357
ldt						
lpd	-2.574157	.4046743	-6.36	0.000	-3.367304	-1.78101
lgdp	.5212921	.0955104	5.46	0.000	.3340951	.708489
_cons	35.93499	5.106302	7.04	0.000	25.92682	45.94316

Endogenous variables: 1st lpd ldt
 Exogenous variables: lpx2 lpx3 lpx4 lgdp

```

32 .
33 .
34 . quietly reg3 (1st lpd lpx2 lpx3 lpx4)(ldt lpd lgdp), ols
35 . estimate store ols
36 . quietly reg3 (1st lpd lpx2 lpx3 lpx4)(ldt lpd lgdp), 2sls nodfk inst(lpx2 lpx3 lpx4 lgdp)
37 . estimate store twostage
38 . hausman twostage ols
  
```

	Coefficients			
	(b) twostage	(B) ols	(b-B) Difference	sqrt(diag(V_b-V_B)) S.E.
lpd	2.10611	-1.111835	3.217945	1.873023
lpx2	-.7279628	-.4189546	-.3090082	.266645
lpx3	-1.122146	-.9424196	-.1797266	.3856712
lpx4	-1.428722	-.521346	-.907376	.7012511

b = consistent under Ho and Ha; obtained from reg3
 B = inconsistent under Ha, efficient under Ho; obtained from reg3

Test: Ho: difference in coefficients not systematic

$$\begin{aligned}
 \text{chi2}(4) &= (b-B)'[(V_b-V_B)^{-1}](b-B) \\
 &= 2.95 \\
 \text{Prob}>\text{chi2} &= 0.5659
 \end{aligned}$$

```

39 . quietly reg 1st lpd lpx2 lpx3 lpx4
40 . estimate store ols1
  
```

```

41 . quietly reg3 ldt lpd lgdp
42 . estimate store twostage1
43 . hausman twostage1 ols1
    no coefficients in common; specify equations(matchlist)
    for problems with different equation names.
    r(498);
44 . quietly reg3 (1st lpd lpx2 lpx3 lpx4), 2sls nodfk inst(lpx2 lpx3 lpx4 lgdp)
45 . estimate store twostage1.1
    twostage1.1 invalid name
    r(7);
46 . estimate store twostage2
47 . hausman twostage2 ols1
    no coefficients in common; specify equations(matchlist)
    for problems with different equation names.
    r(498);
48 . quietly reg3 (1st lpd lpx2 lpx3 lpx4), 2sls
49 . estimate store twostage3
50 . hausman twostage3 ols1
    no coefficients in common; specify equations(matchlist)
    for problems with different equation names.
    r(498);
51 . quietly reg3 (1st lpd lpx2 lpx3 lpx4), ols
52 . estimate store happy
53 . hausman twostage3 happy

```

Note: the rank of the differenced variance matrix (θ) does not equal the number of coefficients being tested (4); be sure this is what you expect, or there may be problems computing the test. Examine the output of your estimators for anything unexpected and possibly consider scaling your variables so that the coefficients are on a similar scale.

	— Coefficients —		(b-B) Difference	sqrt(diag(V_b-V_B)) S.E.
	(b) twostage3	(B) happy		
lpd	-1.111835	-1.111835	0	0
lpx2	-.4189546	-.4189546	0	0
lpx3	-.9424196	-.9424196	0	0
lpx4	-.521346	-.521346	0	0

b = consistent under Ho and Ha; obtained from reg3
B = inconsistent under Ha, efficient under Ho; obtained from reg3

Test: Ho: difference in coefficients not systematic

chi2(θ) = (b-B)'[(V_b-V_B)⁻¹](b-B)
= 0.00
Prob>chi2 = .
(V_b-V_B is not positive definite)

```

54 . gen qt=st if dt>st
    (22 missing values generated)

```

```

55 . replace qt=dt if st>dt
    (22 real changes made)

56 . gen lqt=ln(qt)

57 . reg3 (lqt lpd lpx2 lpx3 lpx4)(lqt lpd lgdp), ols

```

Multivariate regression

Equation	Obs	Parms	RMSE	"R-sq"	F-Stat	P
lqt	22	4	.136235	0.9201	48.95	0.0000
2lqt	22	2	.1391259	0.9069	92.53	0.0000

	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lqt						
lpd	-1.353506	.3722912	-3.64	0.001	-2.108548	-.5984645
lpx2	-.3864994	.1180437	-3.27	0.002	-.6259031	-.1470957
lpx3	-.6782817	.2131651	-3.18	0.003	-1.110601	-.2459629
lpx4	-.3606189	.2837767	-1.27	0.212	-.9361448	.2149069
_cons	40.10218	3.019386	13.28	0.000	33.97858	46.22578
2lqt						
lpd	-2.181329	.2946999	-7.40	0.000	-2.779008	-1.58365
lgdp	.5776586	.0887536	6.51	0.000	.397658	.7576593
_cons	31.03578	3.761201	8.25	0.000	23.40771	38.66385

```

58 . reg3 (lqt lpd lpx2 lpx3 lpx4)(lqt lpd lgdp), 2sls nodfk inst(lpx3 lpx4 lgdp)
    Equation is not identified -- does not meet order conditions
    Equation lqt:  lqt lpd lpx2 lpx3 lpx4
    Exogenous variables:  lpx3 lpx4 lgdp
    r(481);

```

```

59 . reg3 (lqt lpd lpx2 lpx3 lpx4)(lqt lpd lgdp), 2sls nodfk inst(lpx2 lpx3 lpx4 lgdp)

```

Two-stage least-squares regression

Equation	Obs	Parms	RMSE	"R-sq"	F-Stat	P
lqt	22	4	.2329302	0.7665	20.29	0.0000
2lqt	22	2	.1454858	0.8982	89.20	0.0000

	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
lqt						
lpd	.7752765	1.360145	0.57	0.572	-1.983225	3.533778
lpx2	-.5909191	.2136549	-2.77	0.009	-1.024231	-.1576068
lpx3	-.7971771	.3277773	-2.43	0.020	-1.46194	-.132414
lpx4	-.9608797	.551459	-1.74	0.090	-2.079291	.1575311
_cons	24.95604	9.919453	2.52	0.016	4.838457	45.07362
2lqt						
lpd	-2.574157	.4046743	-6.36	0.000	-3.394875	-1.75344
lgdp	.5212921	.0955104	5.46	0.000	.327588	.7149961
_cons	35.93499	5.106302	7.04	0.000	25.57893	46.29105

Endogenous variables: lqt lpd
Exogenous variables: lpx2 lpx3 lpx4 lgdp

60 . reg3 (lqt lpd lpx2 lpx3 lpx4)(lqt lpd lgdp), 3sls inst(lpx2 lpx3 lpx4 lgdp)

Three-stage least-squares regression

Equation	Obs	Parms	RMSE	"R-sq"	chi2	P
lqt	22	4	.2056595	0.7644	81.74	0.0000
2lqt	22	2	.135203	0.8982	178.41	0.0000

	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
lqt						
lpd	.7879239	1.360114	0.58	0.562	-1.877851	3.453699
lpx2	-.6046439	.2134422	-2.83	0.005	-1.022983	-.1863049
lpx3	-.8372831	.3273419	-2.56	0.011	-1.478861	-.1957047
lpx4	-.9111679	.5511692	-1.65	0.098	-1.99144	.1691039
_cons	24.81121	9.918929	2.50	0.012	5.370467	44.25195
2lqt						
lpd	-2.574157	.4046743	-6.36	0.000	-3.367304	-1.78101
lgdp	.5212921	.0955104	5.46	0.000	.3340951	.708489
_cons	35.93499	5.106302	7.04	0.000	25.92682	45.94316

Endogenous variables: lqt lpd

Exogenous variables: lpx2 lpx3 lpx4 lgdp

61 . reg3 (lqt lpd lpx2 lpx3 lpx4)(lqt lpd lgdp), 3sls ireg inst(lpx2 lpx3 lpx4 lgdp)

Iteration 1: tolerance = .02535182
 Iteration 2: tolerance = .01003058
 Iteration 3: tolerance = .00390723
 Iteration 4: tolerance = .00151264
 Iteration 5: tolerance = .00058419
 Iteration 6: tolerance = .00022541
 Iteration 7: tolerance = .00008694
 Iteration 8: tolerance = .00003353
 Iteration 9: tolerance = .00001293
 Iteration 10: tolerance = 4.986e-06
 Iteration 11: tolerance = 1.923e-06
 Iteration 12: tolerance = 7.415e-07

Three-stage least-squares regression, iterated

Equation	Obs	Parms	RMSE	"R-sq"	chi2	P
lqt	22	4	.2063295	0.7629	80.89	0.0000
2lqt	22	2	.135203	0.8982	178.41	0.0000

	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
lqt						
lpd	.795862	1.370509	0.58	0.561	-1.890287	3.482011
lpx2	-.6132584	.214736	-2.86	0.004	-1.034133	-.1923836
lpx3	-.8624556	.3291486	-2.62	0.009	-1.507575	-.2173363
lpx4	-.8799661	.5549316	-1.59	0.113	-1.967612	.2076798
_cons	24.72031	9.994251	2.47	0.013	5.131936	44.30868
2lqt						
lpd	-2.574157	.4046743	-6.36	0.000	-3.367304	-1.78101
lgdp	.5212921	.0955104	5.46	0.000	.3340951	.708489
_cons	35.93499	5.106302	7.04	0.000	25.92682	45.94316

Endogenous variables: lqt lpd

Exogenous variables: lpx2 lpx3 lpx4 lgdp

62 . log close
name: <unnamed>
log: C:\Users\user\Documents\BE TU\BE Classwork\Year2\EE426\HW2\2.3.smcl
log type: smcl
closed on: 3 Feb 2021, 22:27:25

63 .

```

name: <unnamed>
log: C:\Users\user\Documents\BE TU\BE Classwork\Year2\EE426\HW2\25.smcl
log type: smcl
opened on: 4 Feb 2021, 08:14:06

```

```
1 . do "C:\Users\user\AppData\Local\Temp\STD102c_000000.tmp"
```

```
2 . tsset
    time variable: obs, 1986 to 2007
    delta: 1 unit
```

```
3 . gen lst=ln(st)
```

```
4 . gen ldt=ln(dt)
```

```
5 . gen lpd=ln(pm+t)
```

```
6 . gen lpx2=ln(px2)
```

```
7 . gen lpx3=ln(px3)
```

```
8 . gen lpx4=ln(px4)
```

```
9 . gen lgdp=ln(gdp)
```

```
10 .
    end of do-file
```

```
11 . reg lst lpd lpx2 lpx3 lpx4
```

Source	SS	df	MS	Number of obs	=	22
Model	4.71070935	4	1.17767734	F(4, 17)	=	43.14
Residual	.464092568	17	.027299563	Prob > F	=	0.0000
				R-squared	=	0.9103
				Adj R-squared	=	0.8892
Total	5.17480192	21	.246419139	Root MSE	=	.16523

lst	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
lpd	-1.111835	.4515147	-2.46	0.025	-2.064448 - .1592222
lpx2	-.4189546	.1431634	-2.93	0.009	-.7210029 - .1169063
lpx3	-.9424196	.2585266	-3.65	0.002	-1.487863 - .3969762
lpx4	-.521346	.3441643	-1.51	0.148	-1.247469 .2047773
_cons	41.4946	3.661911	11.33	0.000	33.76865 49.22056

```
12 . reg ldt lpd lgdp
```

Source	SS	df	MS	Number of obs	=	22
Model	3.58210899	2	1.79105449	F(2, 19)	=	92.53
Residual	.367764099	19	.019356005	Prob > F	=	0.0000
				R-squared	=	0.9069
				Adj R-squared	=	0.8971
Total	3.94987309	21	.188089195	Root MSE	=	.13913

ldt	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
lpd	-2.181329	.2946999	-7.40	0.000	-2.798143 -1.564515
lgdp	.5776586	.0887536	6.51	0.000	.3918952 .7634221
_cons	31.03578	3.761201	8.25	0.000	23.1635 38.90807

```
13 . quietly reg l1t lpd lpx2 lpx3 lpx4
```

```
14 . predict u1hat  
(option xb assumed; fitted values)
```

```
15 . predict u1hat, resid  
variable u1hat already defined  
r(110);
```

```
16 . predict uhat1, resid
```

```
17 . quietly reg ldt lpd lgdp
```

```
18 . predict uhat2, resid
```

```
19 . corr uhat1 uhat2  
(obs=22)
```

	uhat1	uhat2
uhat1	1.0000	
uhat2	0.2422	1.0000

```
20 . log close  
name: <unnamed>  
log: C:\Users\user\Documents\BE TU\BE Classwork\Year2\EE426\HW2\25.smcl  
log type: smcl  
closed on: 4 Feb 2021, 09:07:17
```
