

# The Production, Cost and Technology of Health Care (Part 1)

EE 474 Health Economics

Semester 1/2012

# Topics

- Production and the Possibilities for Substitution
  - Short-Run Production Curves
  - Input Substitution
- Costs in Theory and Practice
  - Derivation of the Cost Function
  - Cost Minimization
  - Economies of Scale and Scope
  - Long-Run Cost Curve
- Technical and Allocative Inefficiency

# Production

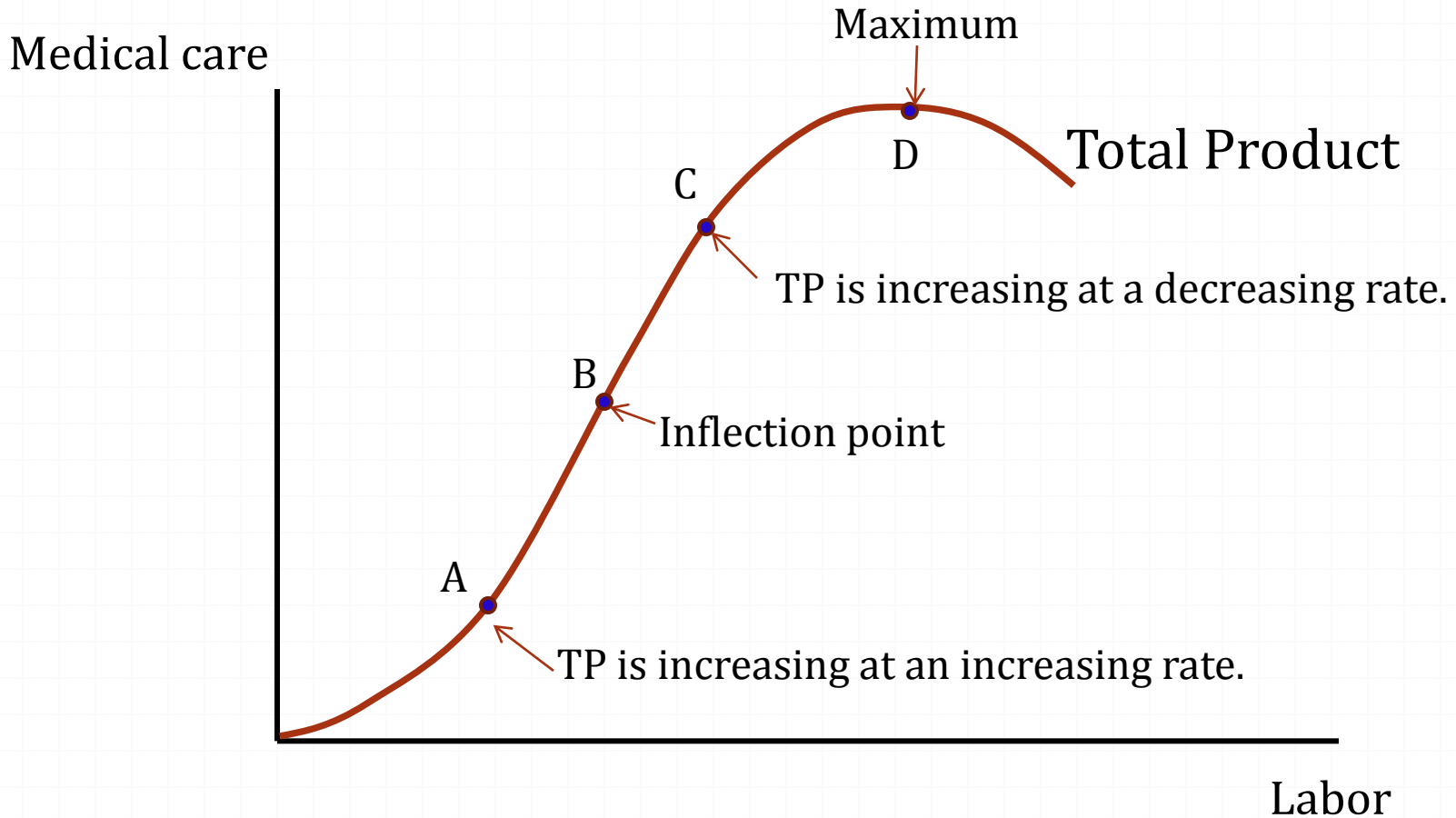
## ◦ Short-run production

- A production in which *at least* one input cannot be modified within a given period of time.
- **Fixed inputs** – fixed at all levels of output, e.g. capital, salary
- **Variable inputs** – vary by the amount of output, e.g. labor

## ◦ Long-run production

- A production in which *all inputs* can be changed over time

# Recall: Short-run Production



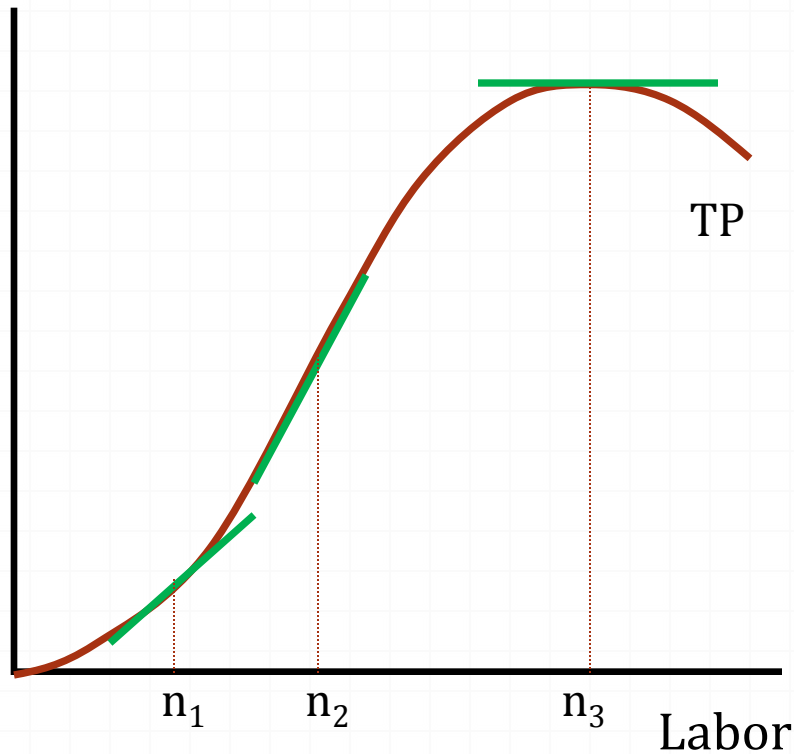
# Marginal Product

- Economists are concerned about **efficiency** and **optimization**.
  - How much output is generated by each additional unit of an input
  - Want to know *how much input to buy*
- **Marginal product** measures the amount of output (q) increased from using an additional unit of input (L).
  - MP is the **slope** of the production function.

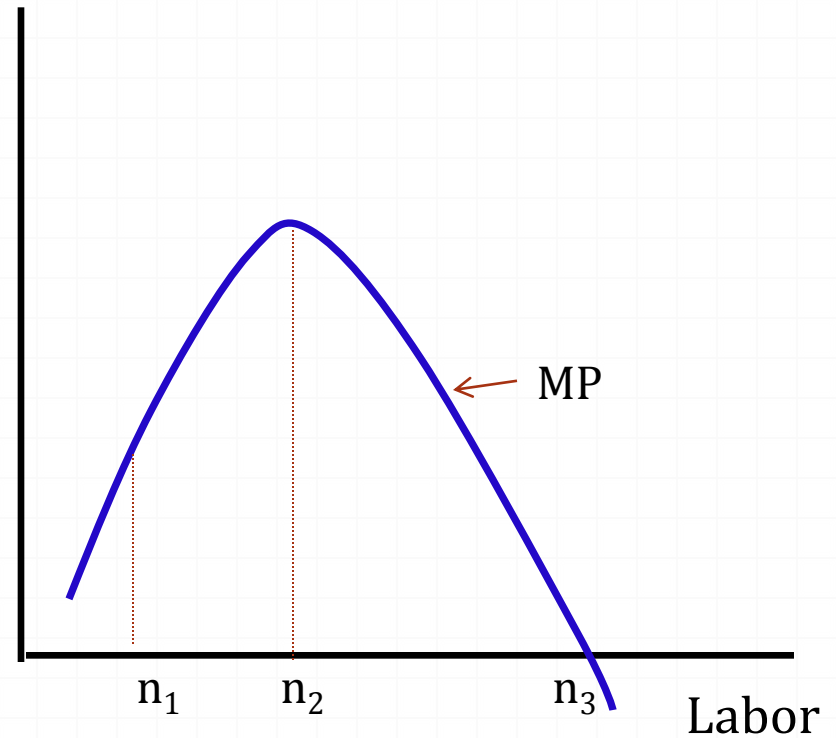
$$MP_L = \frac{\Delta \text{Output}}{\Delta \text{Labor Input}} = \frac{\Delta q}{\Delta L}$$

# Marginal Product Curve

TP



MP

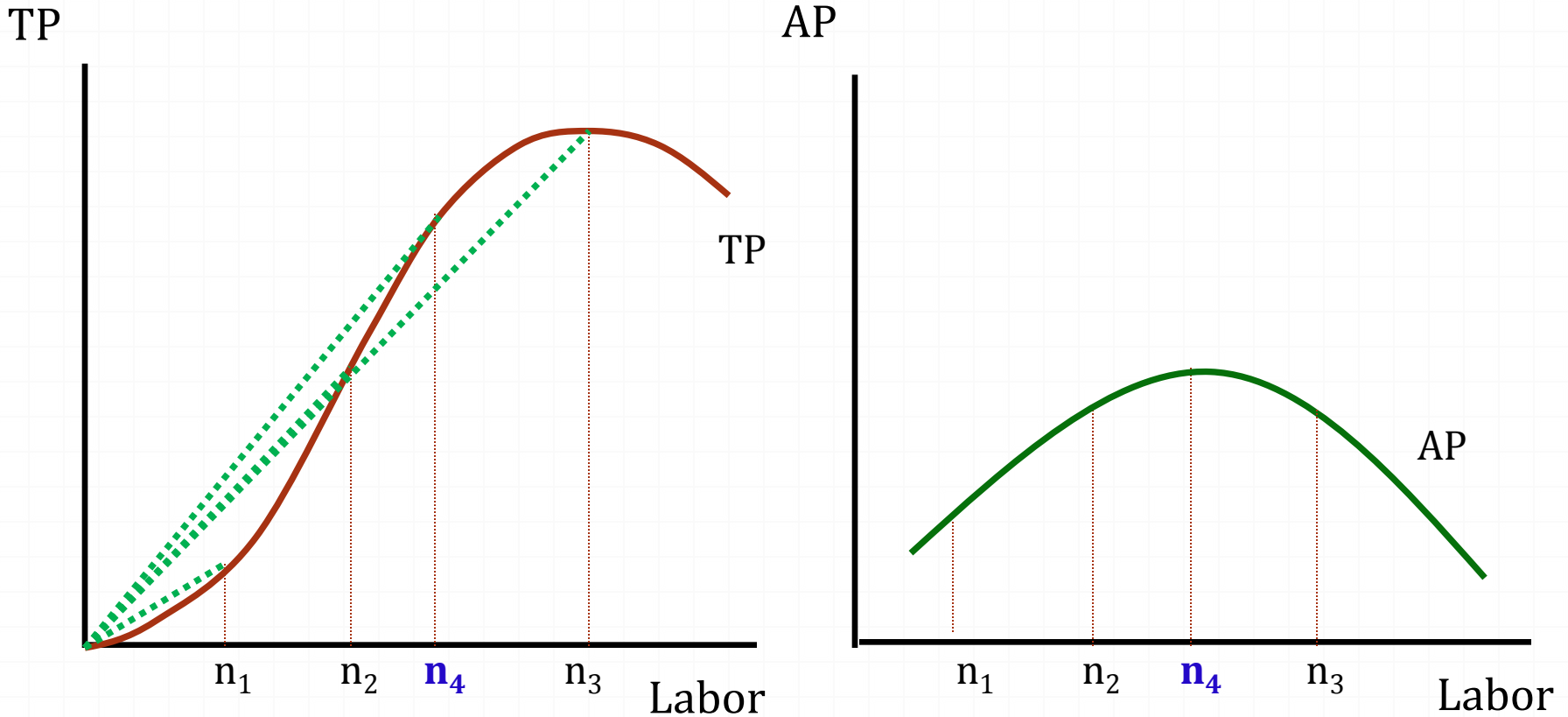


# Average Product

- The **average product (AP)** is the amount of output that is produced on average per unit of input.
- AP varies with the level of input.
- AP is the slope of a ray from the origin to a point on the production function.

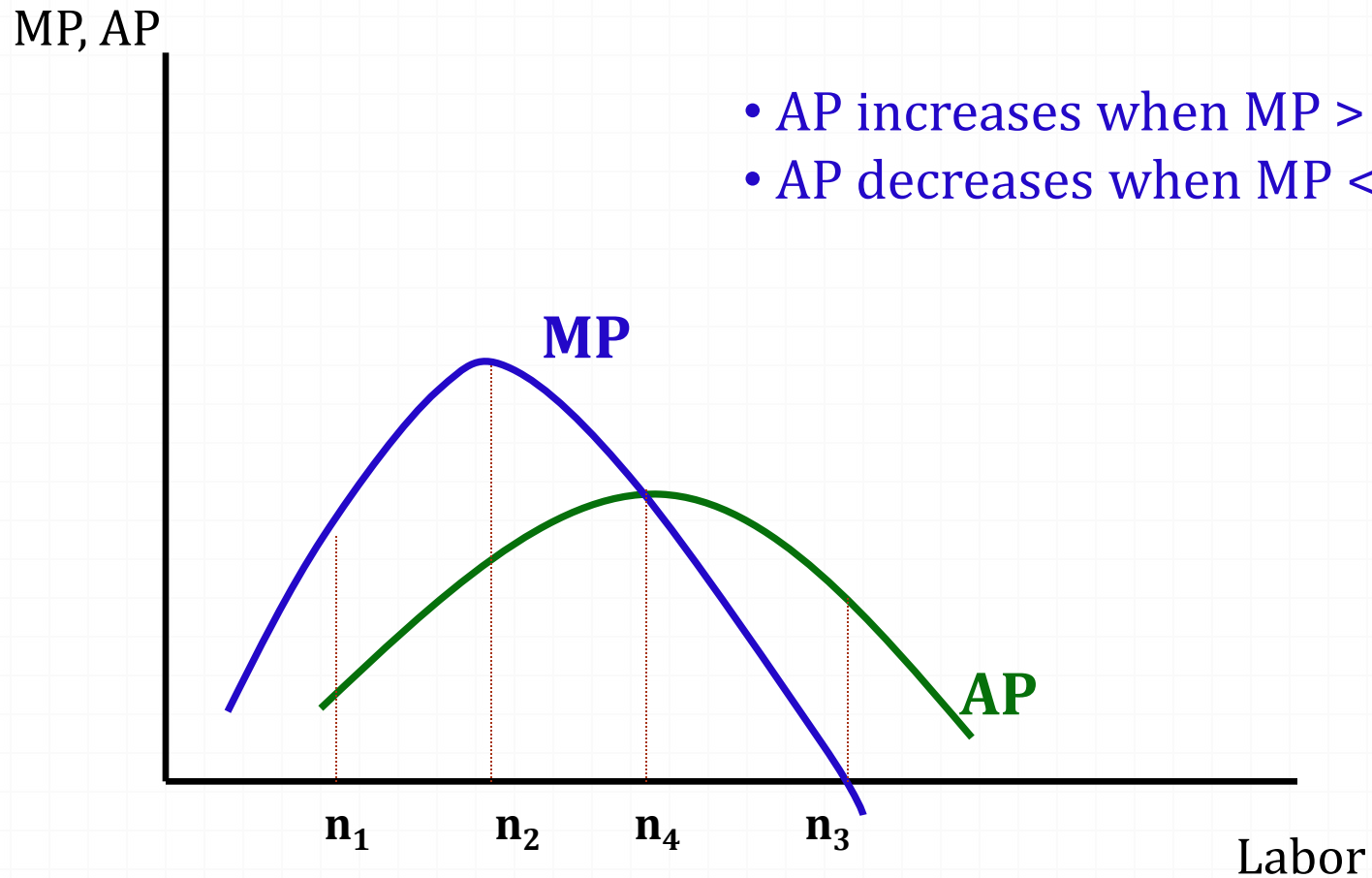
$$AP_L = \frac{\text{Output}}{\text{Labor Input}} = \frac{q}{L}$$

# Average Product Curve





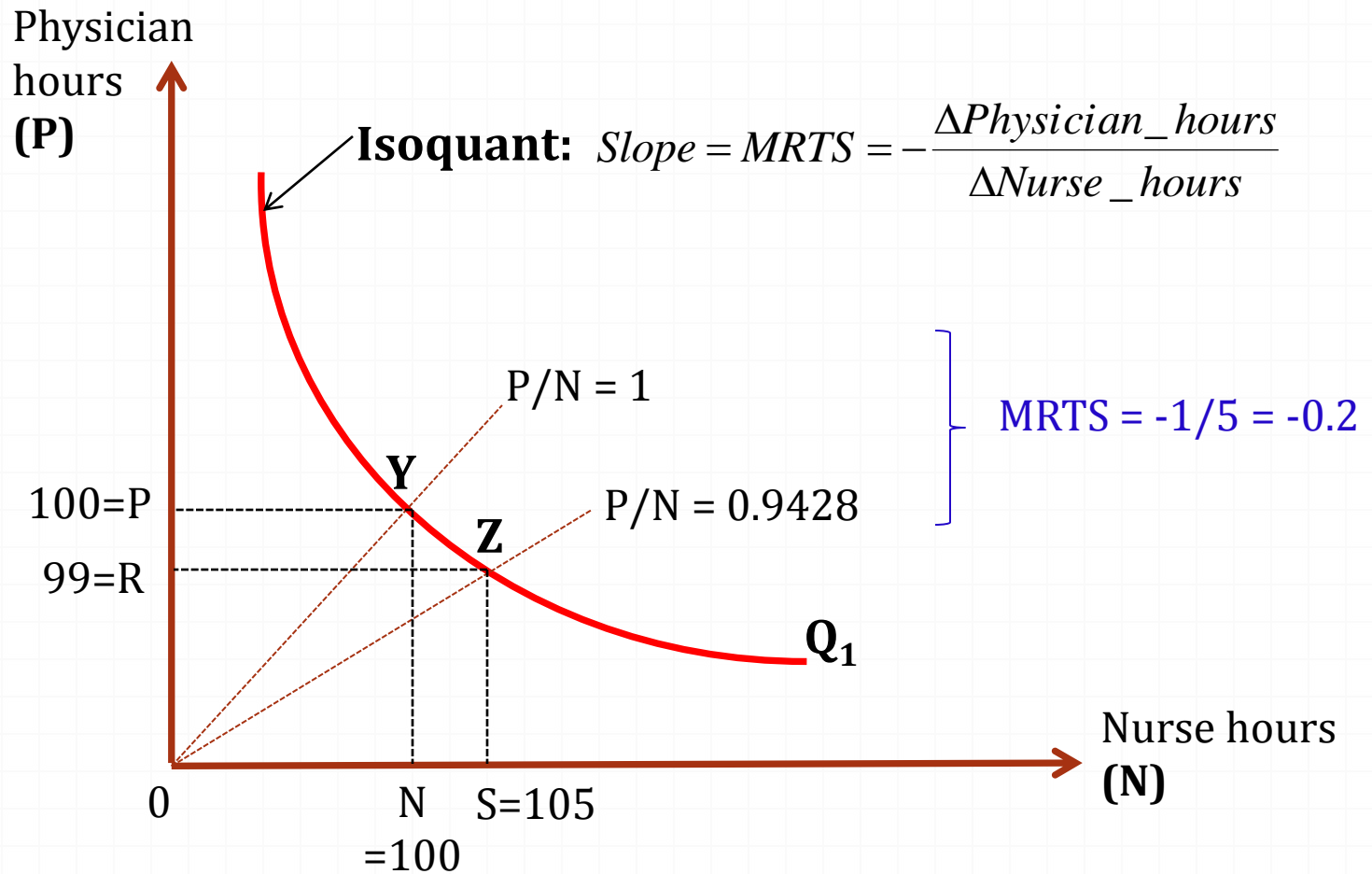
# MP and AP Curves



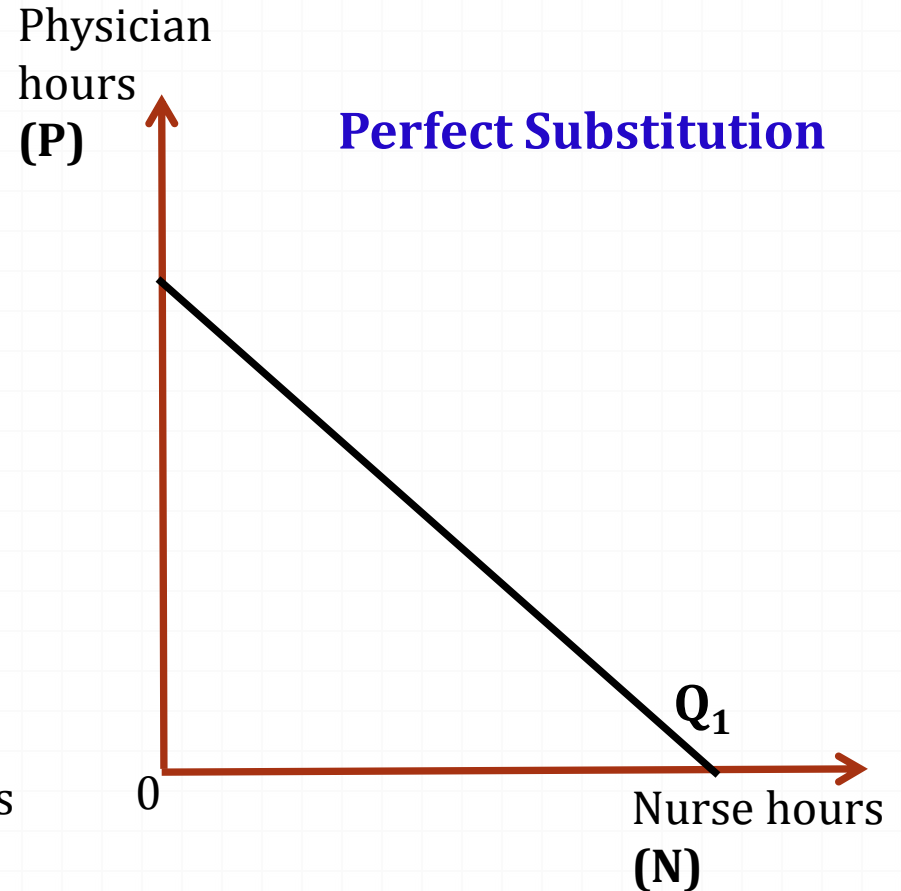
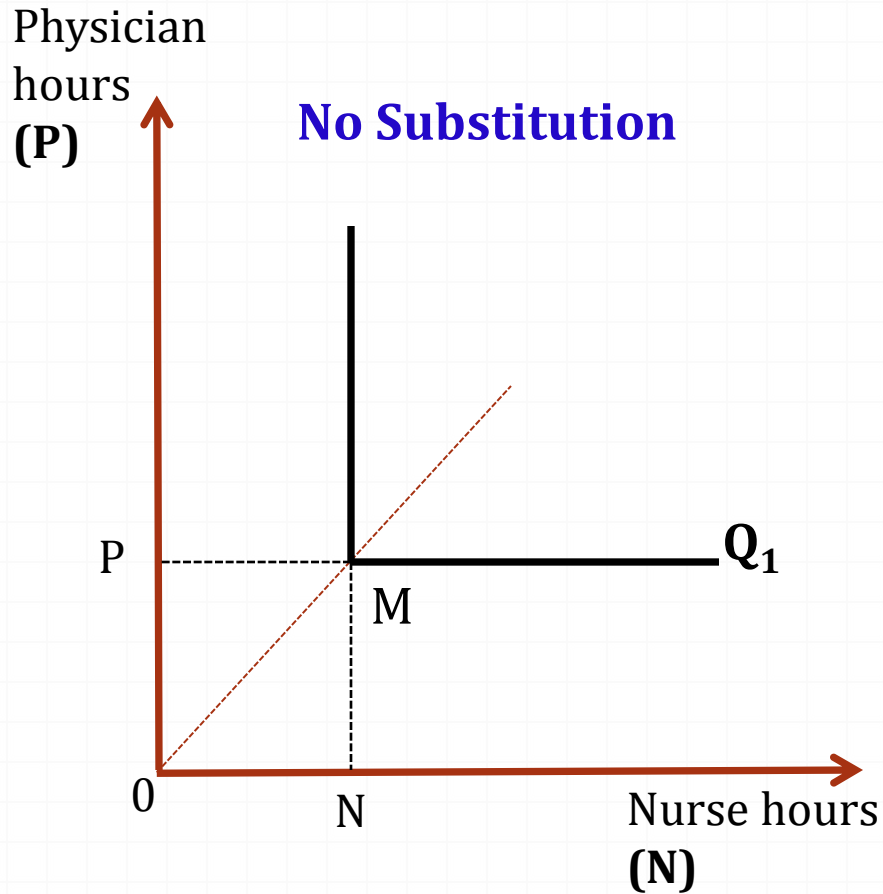
# Possibilities for Substitution

- Now, consider the production with *more than two variable inputs* (e.g. physicians and nurses) in the short run.
- We are interested in the **ability to substitute one input (e.g. physicians) for another input (e.g. nurses)** while maintaining the level of output.
- The degree to which one input can be replaced by another input, while output remains constant, is measured by the ***slope of the isoquant***, which is equal to the **marginal rate of technical substitution (MRTS)**.

# Substitution between Physicians and Nurses



# Substitution: Extreme Cases



Question: Would these two cases be possible in the real world?

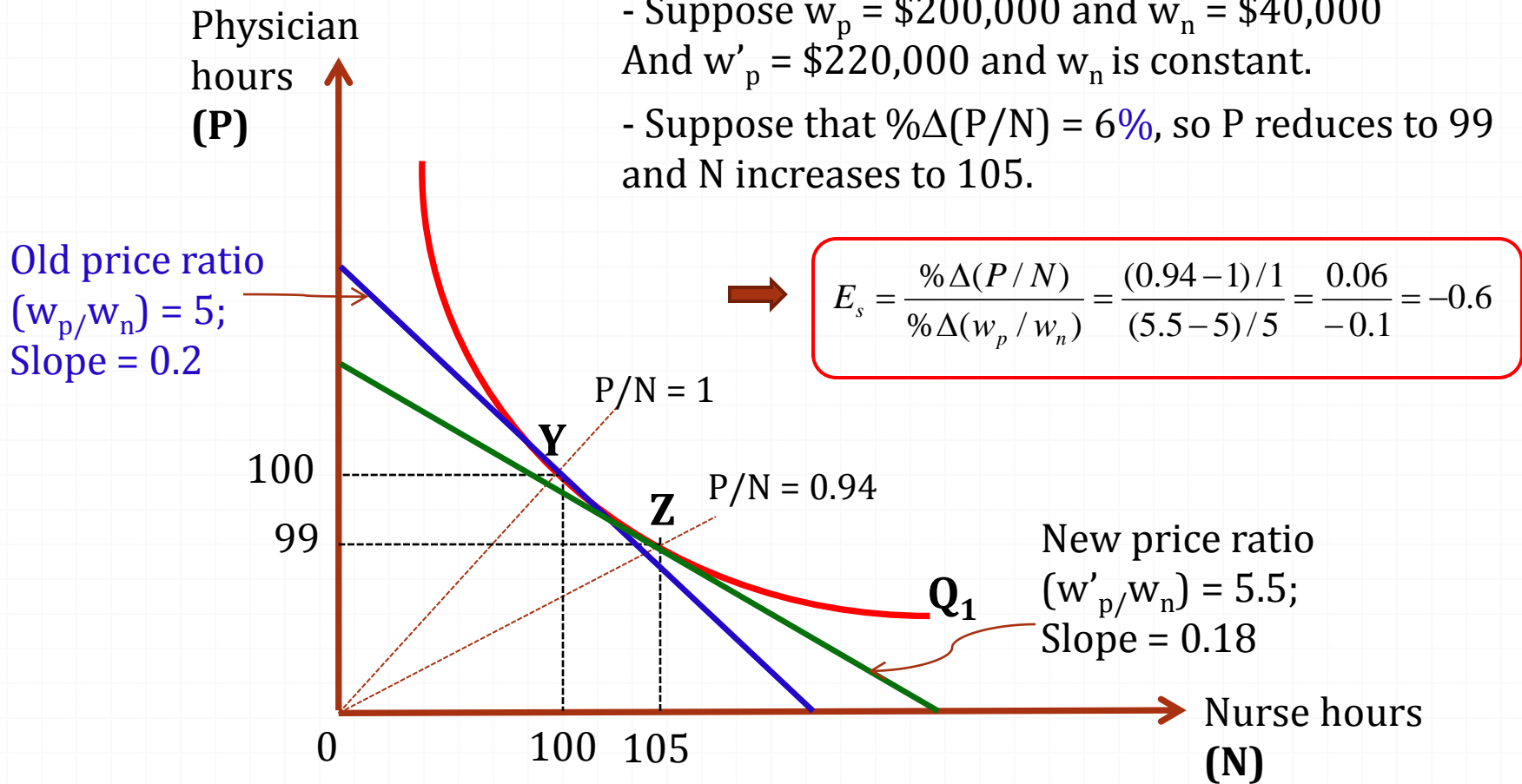
# Elasticities of Input Substitution

- If an input price changes, a cost-minimizing firm would respond by shifting away from the *costlier* input to the *cheaper* input.
- The new input combination is determined by the elasticity of substitution of inputs.
- The **elasticity of substitution ( $E_s$ )** measures the responsiveness of a cost-minimizing firm to changes in relative input prices:

$$E_s = \frac{\text{Percentage change in factor input ratio}}{\text{Percentage change in factor price ratio}}$$

# Substitution between Physicians and Nurses

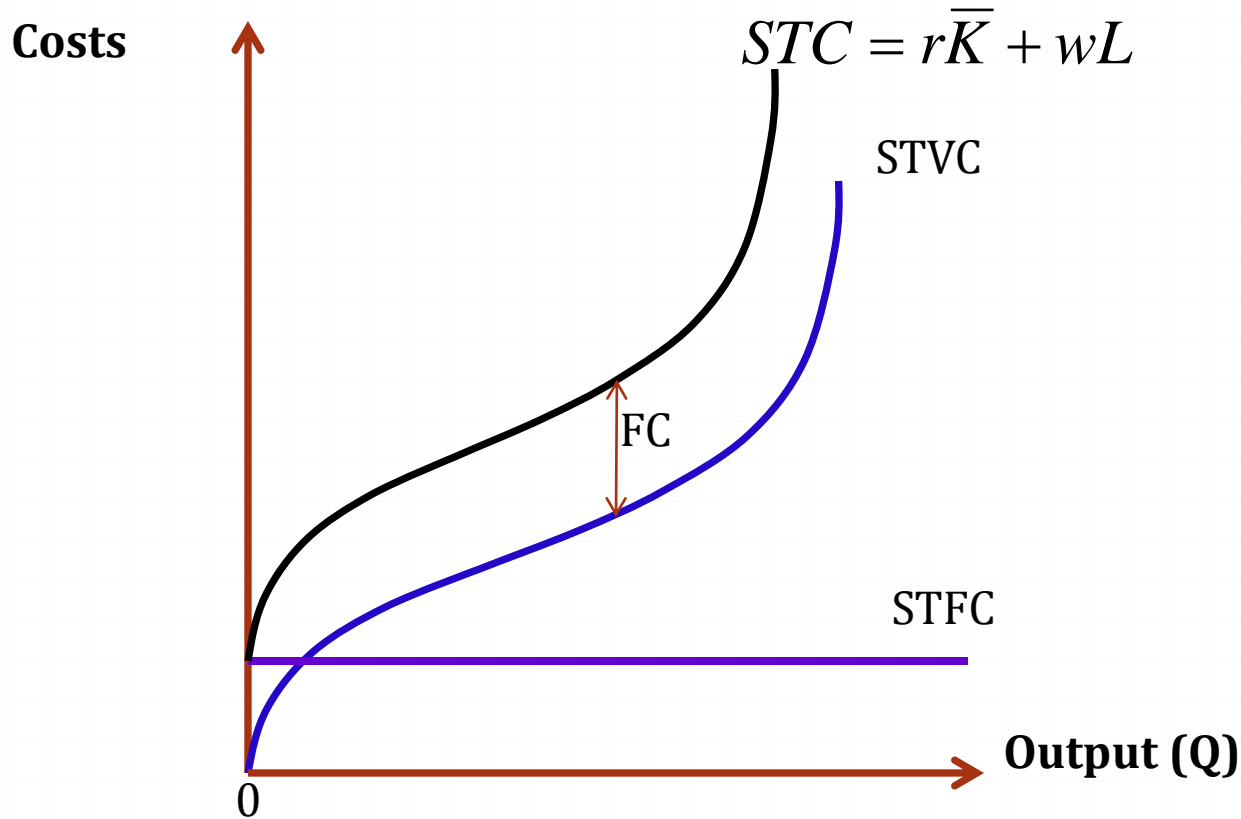
- Suppose  $w_p = \$200,000$  and  $w_n = \$40,000$   
And  $w'_p = \$220,000$  and  $w_n$  is constant.
- Suppose that  $\% \Delta(P/N) = 6\%$ , so P reduces to 99 and N increases to 105.



# Input Substitution: Application

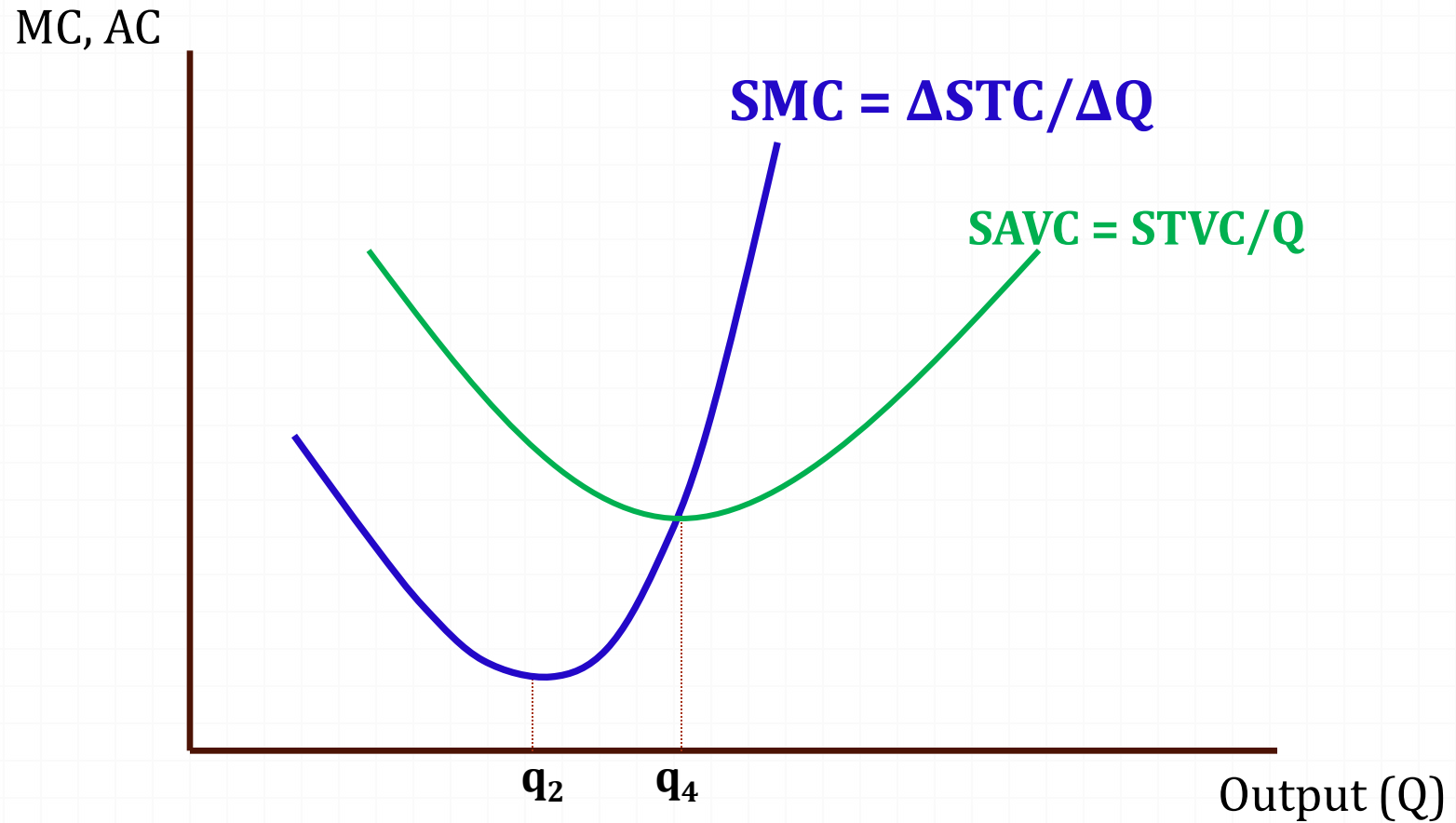
- The absolute values of  $E_s$  range between 0 and  $\infty$ .
  - $E_s = 0 \rightarrow$  No substitutability
  - Larger  $E_s \rightarrow$  Greater potential for substitutability
- The concept of input substitution can be applied particularly to the *long-run production*, where all inputs are flexible.
- Other examples of input substitution:
  - Substitution between health workers and new technology
  - Substitution between local physicians and foreign physicians (Think about AEC integration in 2015!)

# Short-Run Cost Curve



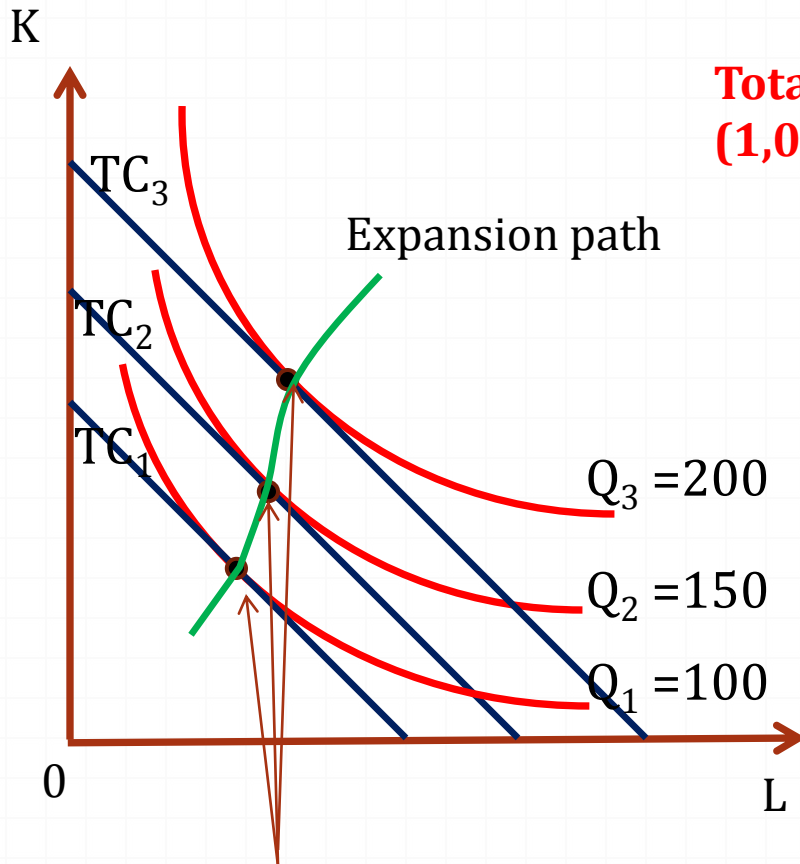


# Marginal Cost and Average Cost

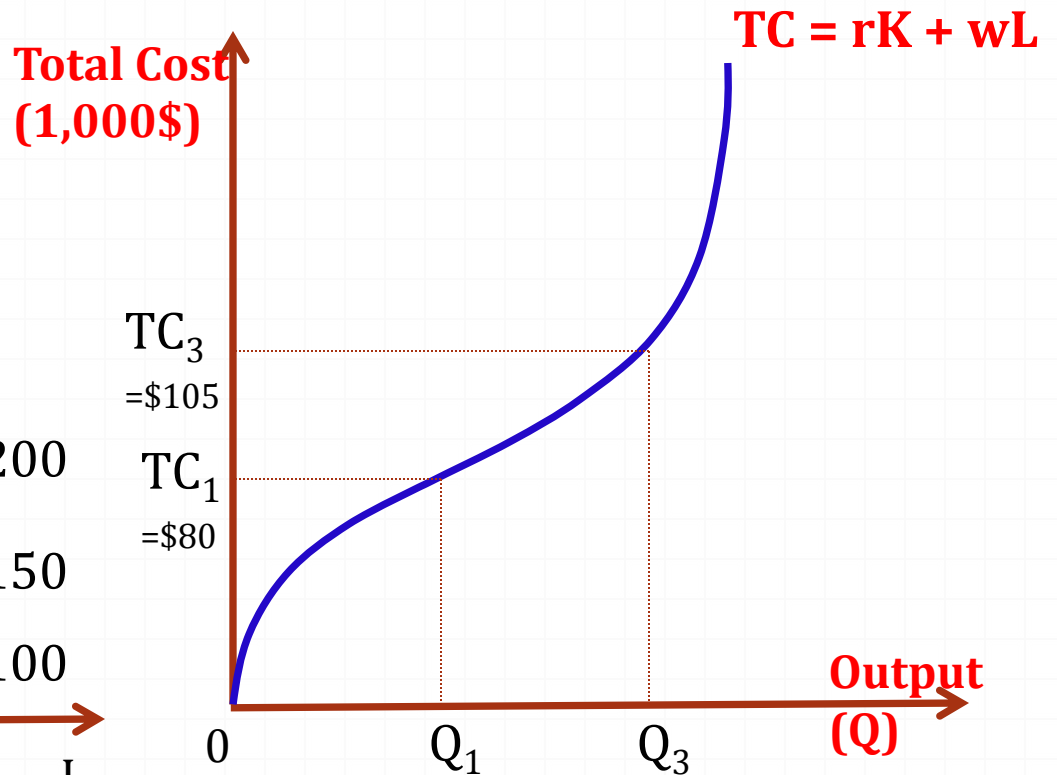


# Long-Run Cost Function

## Production Isoquants



## Total Cost Function



Cost-minimizing  
input combination

# Cost Minimization

○ Hospital's objective:

$$\text{Min } TC = rK + wL$$

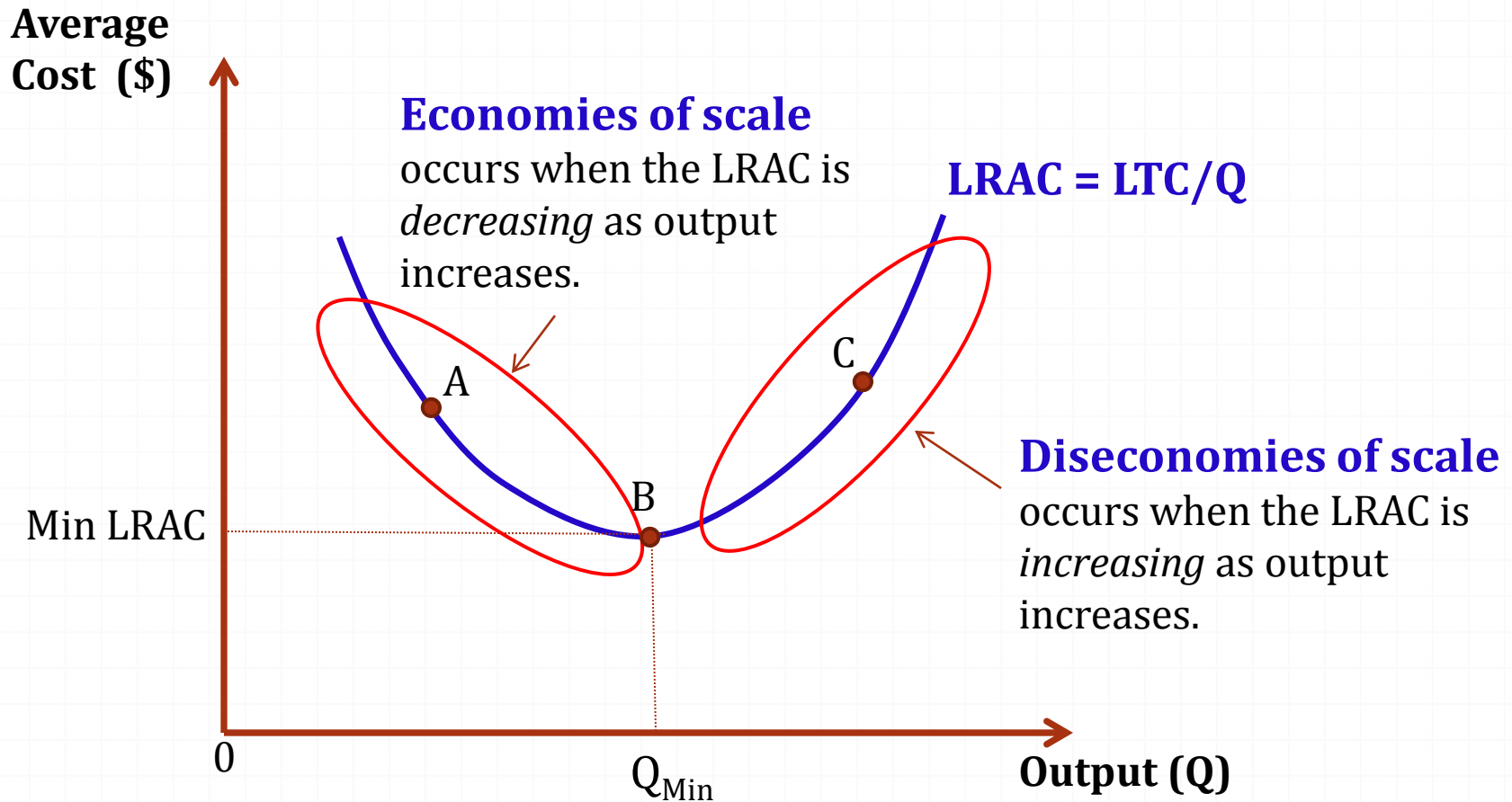
$$\text{Subject to } Q^* = Q(K, L)$$

→  $(K^*, L^*)$  is the **input combination** that gives the **least cost** at a given output level.

○ The set of all possible points of tangency between the isocost curves and the isoquants is called the **expansion path**.

○ Tells the relationship between a **given output** level and its **minimum cost**.

# Economies of Scale



# Economies of Scope

## ○ Definition:

For a **multiproduct firm**, **economies of scope** occur whenever it is possible to **produce two or more goods jointly more cheaply than they can be produced separately**.

- Mathematically, suppose a firm has 2 outputs  $Q_1$  and  $Q_2$ . Economies of scope exists if:

$$\mathbf{TC(Q_1, Q_2) > TC(Q_1, 0) + TC(0, Q_2)}$$

where  $TC(Q_1, Q_2)$  = the joint cost of producing both outputs together

$TC(Q_1, 0)$  = the cost of producing output 1 only

$TC(0, Q_2)$  = the cost of producing output 2 only

# Significance of Economies of Scale and Scope

- o Both concepts can provide implications to **public policy** and to **managerial policy**.
- o **Economies of scale:**
  - o Profit-maximizing firm
    - Prefers to produce where AC is still decreasing
  - o Society's perspective
    - Prefers lowest average costs (**not necessary where it max  $\pi$** )
- o **Economies of scope:**
  - o Provision of different departments in the same hospital
  - o Subsidization in teaching hospitals

# Empirical Cost-Function Studies

- “Structural” vs. “Behavioral” cost functions
  - Structural cost functions
    - Use production isoquants and isocost to estimate cost functions
  - Behavioral cost functions
    - Use other variables, e.g. teaching hospitals, to describe cost difference across different hospitals
- Challenges in conducting hospital cost studies
  - Case-mix problem
  - Treatment of quality
  - Lack reliable measures of hospital input prices
  - Problems with physicians’ input prices

# Efficiency

## o Technical efficiency

- Applies to production within a given firm
- Technical efficiency is achieved when a maximum output is being produced from a given input combination.

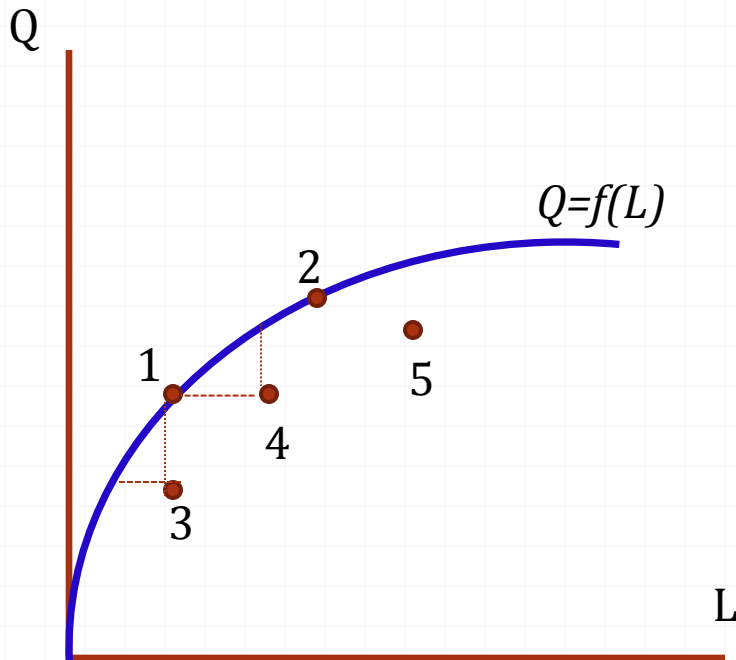
## o Allocative efficiency

- Requires the efficient allocation of inputs between firms and between outputs.
- Allocative efficiency is achieved when inputs are put into their best uses so that no further gains in output are possible.

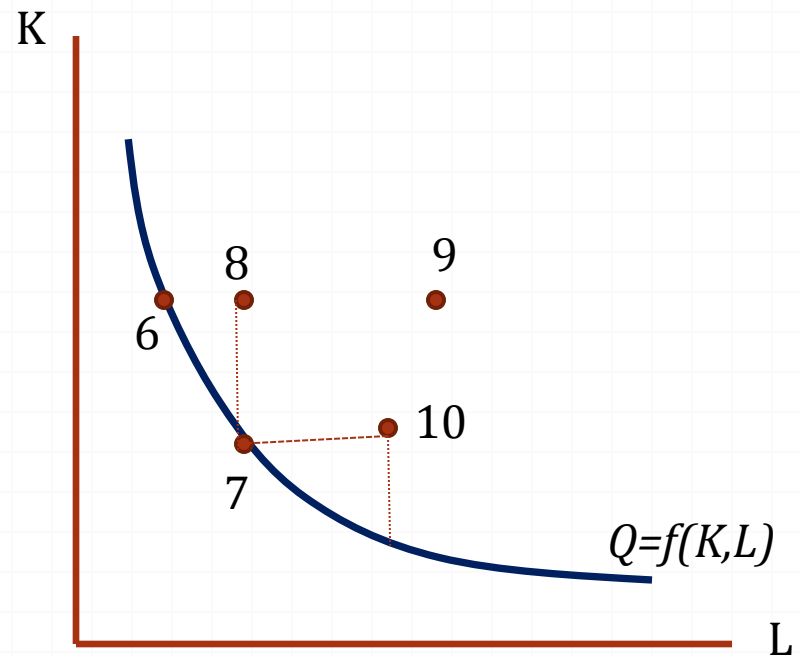


# Technical Efficiency

○ 1 Input



○ 2 Inputs



Technical inefficiency results when a firm uses more resources than necessary to produce a given level of output.

# Technical and Economic Efficiencies

Technology	K	L
A	3	4
B	4	2
C	3	3

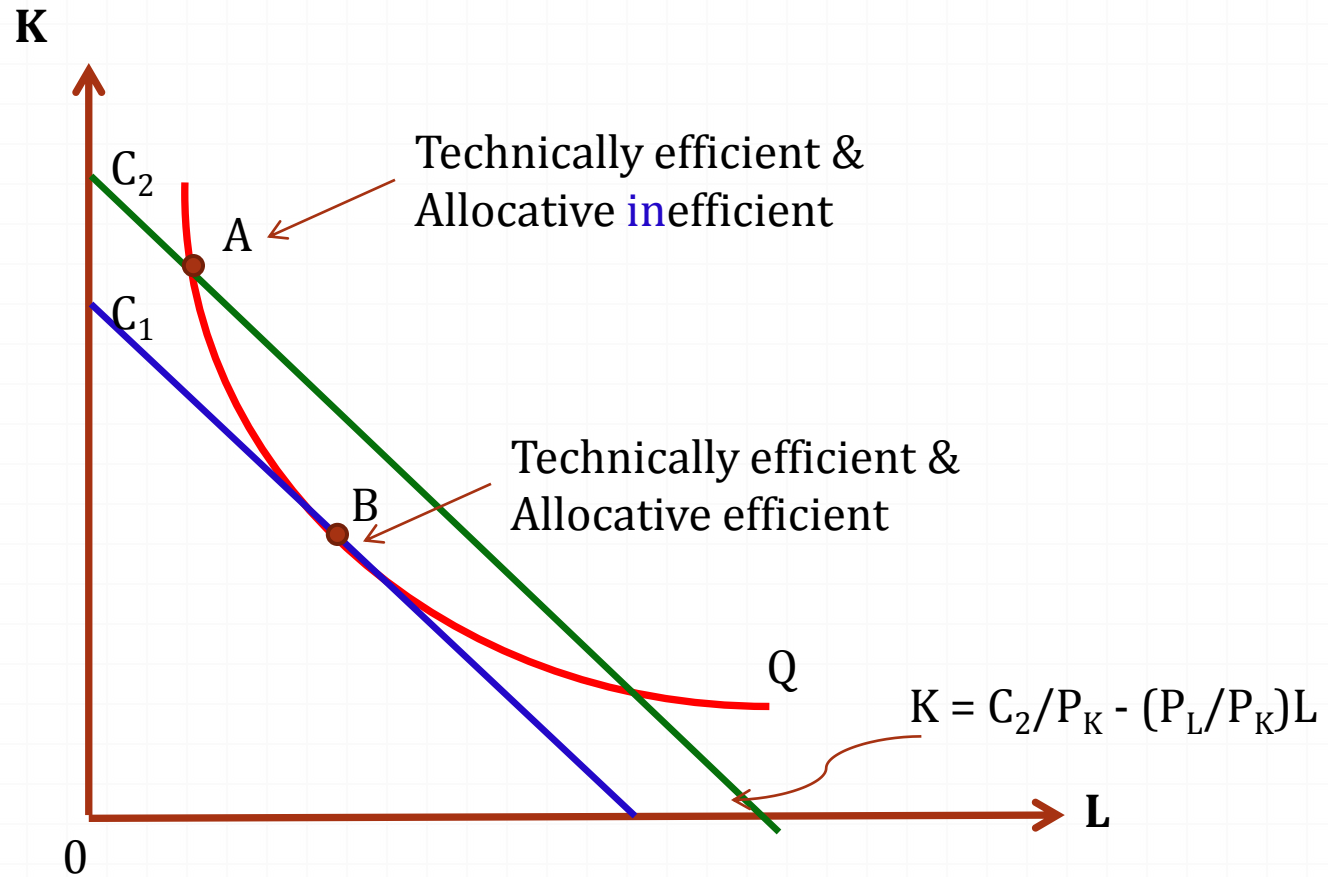
- Which technology is **technically inefficient**?
  - Technology A.
- Which technology is **allocative inefficient**?
  - We can't tell whether B or C costs less until we have prices.

# Technical and Economic Efficiencies

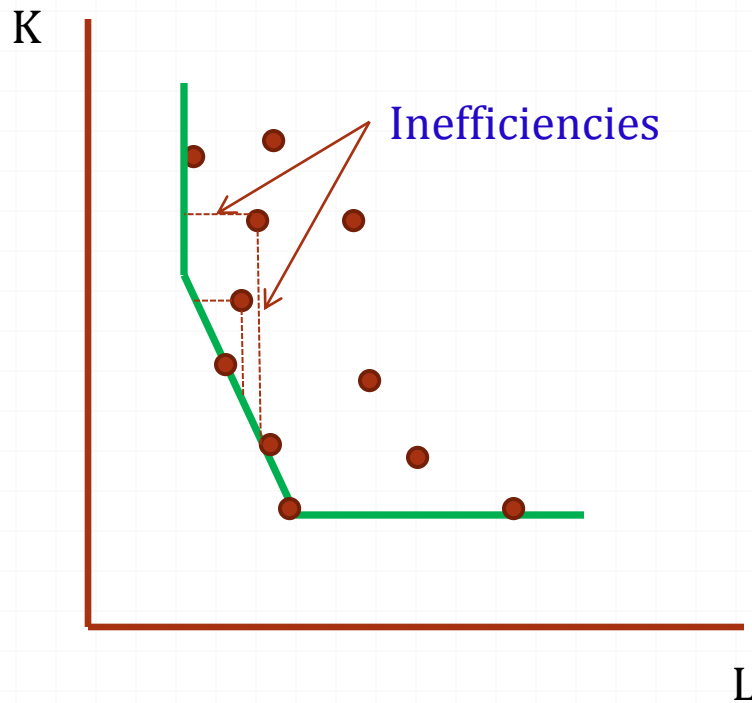
Technology	K	L	Cost (if $P_K=10, P_L=5$ )
A	3	4	\$50
B	4	2	\$50
C	3	3	\$45 😊

o Suppose  $P_K = 10$  and  $P_L = 5$ , which technology is allocatively efficient?

# Allocative Efficiency

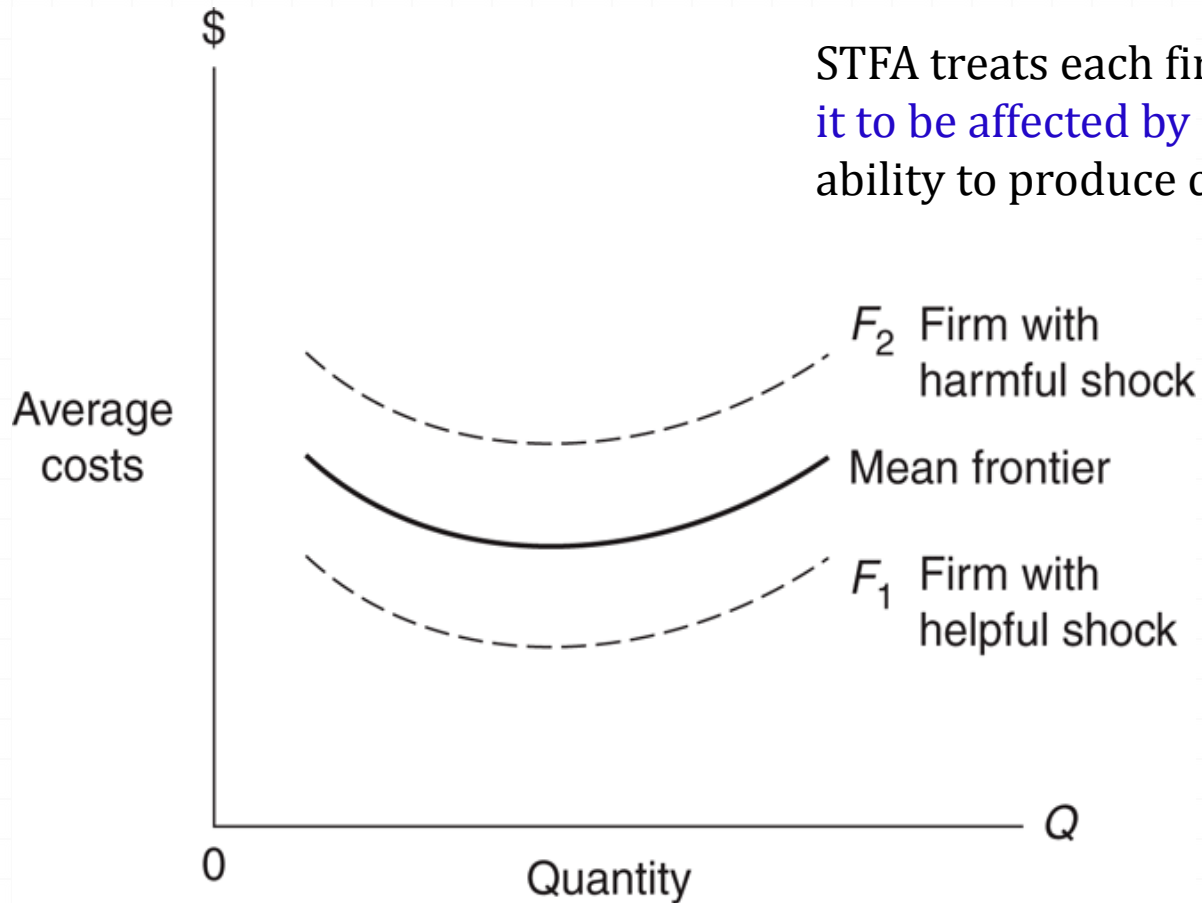


# Frontier Analysis: Data Envelope Analysis



The Data Envelope Analysis (DEA) identifies the **efficient outer shell enveloping** the data.

# Frontier Analysis: Stochastic Frontier Analysis (STFA)



STFA treats each firm uniquely by **assuming it to be affected by a potential shock** to its ability to produce care.

# Case Study:

## Efficiency of Public Hospitals in Thailand (Patamasiriwat, 2011)

- Examined cost efficiency of 3 different types of public hospitals in Thailand
- 2 Methods: DEA and STFA
- Finding:
  - An average efficiency score for the regional hospitals were found to be 94%, compared with 64% for provincial hospitals, and 81% for community hospitals
  - There were signs of resource underutilization.