

Answer Sheet Cover Page
Final Examination Semester 2/2020

(Readable handwriting and printed version are acceptable)

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Total pages 37

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Student Signature Harit Hatawong

Date 28/05/2021

Question 1

From the data set "Final_q1-1_no.dta":

Model for the degree of acceptance is stated as follows:

$Prob(y_i=j|X) = f(x_1, x_2, x_3, x_4)$ (1) where: y_i is categorical data = 1 for disagree, = 2 for neutral, and = 3 for agree.

x_k is independent variable k . $k = 1, 2, 3, 4$.

(a) Estimate the model using multinomial logit model using $y_i=0$ is the base outcome. Make interpretation of your estimated results (sign & meaning (in term of rrr), overall test, goodness of fit, and individual test). Perform IIA test whether it is appropriated to apply multinomial logit in this case? Give explanation why IIA is important for multinomial logit. Determine whether multinomial logit is appropriated for this case? Why? (5 points).

Estimate the model using multinomial logit

```
mlogit y x1 x2 x3 x4, base(0) nolog
```

Multinomial logistic regression	Number of obs	=	170
	LR chi2(8)	=	90.03
	Prob > chi2	=	0.0000
Log likelihood = -106.20802	Pseudo R2	=	0.2977

	y	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
0		(base outcome)					
1							
	x1	-1.17921	.6174172	-1.91	0.056	-2.389325	.0309056
	x2	-.8208919	.7587919	-1.08	0.279	-2.308097	.6663129
	x3	-.3951391	.6225677	-0.63	0.526	-1.615349	.8250711
	x4	.6475044	.2489556	2.60	0.009	.1595603	1.135448
	_cons	-7.756696	3.533794	-2.20	0.028	-14.6828	-.8305878
2							
	x1	-1.040842	.6753533	-1.54	0.123	-2.36451	.2828262
	x2	-1.66206	.7889336	-2.11	0.035	-3.208341	-.1157786
	x3	.7053513	.6628839	1.06	0.287	-.5938773	2.00458
	x4	1.800799	.3022596	5.96	0.000	1.208381	2.393217
	_cons	-25.869	4.507788	-5.74	0.000	-34.70411	-17.0339

```
. est store m1
```

```
. fitstat
```

Measures of Fit for mlogit of y

Log-Lik Intercept Only:	-151.224	Log-Lik Full Model:	-106.208
D(155):	212.416	LR(8):	90.032
		Prob > LR:	0.000
McFadden's R2:	0.298	McFadden's Adj R2:	0.198
Maximum Likelihood R2:	0.411	Cragg & Uhler's R2:	0.495
Count R2:	0.259	Adj Count R2:	0.023
AIC:	1.426	AIC*n:	242.416
BIC:	-583.633	BIC':	-48.946

Perform IIA test

```
mlogit y x1 x2 x3 x4 if y!=2 , base(0) nolog
```

```
Multinomial logistic regression      Number of obs   =      62
                                      LR chi2(4)         =      9.36
                                      Prob > chi2        =     0.0526
Log likelihood = -35.008522           Pseudo R2       =     0.1180
```

	y	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
0		(base outcome)					
1							
	x1	-.9900573	.5961108	-1.66	0.097	-2.158413	.1782984
	x2	-.5350665	.7317338	-0.73	0.465	-1.969238	.8991053
	x3	-.2076114	.643533	-0.32	0.747	-1.468913	1.05369
	x4	.5845398	.2453425	2.38	0.017	.1036773	1.065402
	_cons	-7.222523	3.635066	-1.99	0.047	-14.34712	-.0979251

```
. est store m2
```

```
. hausman m1 m2, alleqs constant
```

---- Coefficients ----				
	(b)	(B)	(b-B)	sqrt(diag(V_b-V_B))
	m1	m2	Difference	S.E.
x1	-1.17921	-.9900573	-.1891526	.1607978
x2	-.8208919	-.5350665	-.2858253	.2008254
x3	-.3951391	-.2076114	-.1875277	.
x4	.6475044	.5845398	.0629646	.0422605
_cons	-7.756696	-7.222523	-.5341731	.

b = consistent under Ho and Ha; obtained from mlogit
B = inconsistent under Ha, efficient under Ho; obtained from mlogit

Test: Ho: difference in coefficients not systematic

```
chi2(5) = (b-B)'[(V_b-V_B)^(-1)](b-B)
          = 1.26
Prob>chi2 = 0.9394
(V_b-V_B is not positive definite)
```

Find rrr

```
. mlogit y x1 x2 x3 x4, base(0) rrr nolog
```

```
Multinomial logistic regression      Number of obs   =     170
                                      LR chi2(8)         =    90.03
                                      Prob > chi2        =     0.0000
Log likelihood = -106.20802           Pseudo R2       =     0.2977
```

	y	RRR	Std. Err.	z	P> z	[95% Conf. Interval]	
0		(base outcome)					
1							
	x1	.3075216	.1898691	-1.91	0.056	.0916915	1.031388
	x2	.440039	.333898	-1.08	0.279	.0994504	1.947045
	x3	.6735864	.4193531	-0.63	0.526	.1988212	2.282043
	x4	1.910766	.475696	2.60	0.009	1.172995	3.112569
	_cons	.0004279	.001512	-2.20	0.028	4.20e-07	.435793
2							
	x1	.3531572	.2385059	-1.54	0.123	.0939953	1.326874
	x2	.1897477	.1496983	-2.11	0.035	.0404236	.8906724
	x3	2.024558	1.342047	1.06	0.287	.5521821	7.422975
	x4	6.054483	1.830026	5.96	0.000	3.34806	10.94866
	_cons	5.82e-12	2.63e-11	-5.74	0.000	8.48e-16	4.00e-08

Answer1A: Interpretation

Sign&meaning (rrr)

From rrr stats all of the independent variables have the positive correlation on choosing both choice $y=1$ and $y=2$

Which x_1 impact more on choosing $y=2$

x_2 impact more on choosing $y=1$

x_3 impact more on choosing $y=1$

x_4 impact more on choosing $y=2$

Overall test:

The model is jointly significant in overall test at 95% confidence (since $p\text{-value} < 0.05$)

Individual test:

Most of the parameters are insignificant z-test except x_4

Goodness of fit

Pseudo R-square is quite low

As well as the counted R-square that lower than 0.5, So the model should be improved

Appropriateness

For the IIA test we accept the H_0 , which mean that the data is IIA and the MN logit is appropriated over the nested logit/ASM Probit model by the way the model has a lot of insignificant parameters.

The reason that we need IIA because if it's dependent the choice maker will choose differently when the some choice are limited which the MNlogit cannot capture that effect.

(b) Estimate the model using order probit model of y_i . Make interpretation of your estimated results (sign & meaning, overall test, goodness of fit, and individual test). Perform the test to determine whether order probit is appropriated in this case? Give explanation why? (5 points).

Estimate the model using order probit model

```
oprobit y x1 x2 x3 x4, nolog
```

```
Ordered probit regression               Number of obs   =       170
                                         LR chi2(4)      =       81.97
                                         Prob > chi2     =       0.0000
Log likelihood = -110.23758             Pseudo R2      =       0.2710
```

y	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
x1	-.2304638	.2306873	-1.00	0.318	-.6826026	.2216749
x2	-.4890222	.2370505	-2.06	0.039	-.9536326	-.0244118
x3	.4885566	.2200936	2.22	0.026	.0571811	.9199322
x4	.6858598	.0912415	7.52	0.000	.5070297	.86469
/cut1	9.475686	1.391637			6.748128	12.20324
/cut2	10.68547	1.443344			7.856569	13.51437

Perform the Order probit test

```
. gologit2 y x1 x2 x3 x4,pl sto(oprobit) link(p)
```

```
Generalized Ordered Probit Estimates      Number of obs      =      170
                                         LR chi2(4)          =      81.97
                                         Prob > chi2         =      0.0000
Log likelihood = -110.23758               Pseudo R2          =      0.2710
```

```
( 1)  [0]x1 - [1]x1 = 0
( 2)  [0]x2 - [1]x2 = 0
( 3)  [0]x3 - [1]x3 = 0
( 4)  [0]x4 - [1]x4 = 0
```

	y	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
0							
	x1	-.2304639	.2306873	-1.00	0.318	-.6826026	.2216749
	x2	-.4890222	.2370505	-2.06	0.039	-.9536326	-.0244119
	x3	.4885566	.2200936	2.22	0.026	.0571811	.9199322
	x4	.6858598	.0912415	7.52	0.000	.5070297	.86469
	_cons	-9.475686	1.391637	-6.81	0.000	-12.20324	-6.748128
1							
	x1	-.2304639	.2306873	-1.00	0.318	-.6826026	.2216749
	x2	-.4890222	.2370505	-2.06	0.039	-.9536326	-.0244119
	x3	.4885566	.2200936	2.22	0.026	.0571811	.9199322
	x4	.6858598	.0912415	7.52	0.000	.5070297	.86469
	_cons	-10.68547	1.443344	-7.40	0.000	-13.51437	-7.856569

```
. gologit2 y x1 x2 x3 x4,npl sto(goprobit) link(p)
```

```
Generalized Ordered Probit Estimates      Number of obs      =      170
                                         LR chi2(8)          =      87.15
                                         Prob > chi2         =      0.0000
Log likelihood = -107.65138               Pseudo R2          =      0.2881
```

	y	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
0							
	x1	-.52637	.3142369	-1.68	0.094	-1.142263	.0895229
	x2	-.5121628	.3475867	-1.47	0.141	-1.19342	.1690946
	x3	.1676545	.3253398	0.52	0.606	-.4699997	.8053088
	x4	.5981086	.1208501	4.95	0.000	.3612467	.8349704
	_cons	-7.775535	1.858973	-4.18	0.000	-11.41905	-4.132015
1							
	x1	-.0834852	.2646317	-0.32	0.752	-.6021539	.4351834
	x2	-.5111958	.2583224	-1.98	0.048	-1.017498	-.0048931
	x3	.5913589	.2451609	2.41	0.016	.1108523	1.071865
	x4	.716643	.1072266	6.68	0.000	.5064828	.9268032
	_cons	-11.31812	1.712532	-6.61	0.000	-14.67462	-7.961616

```
. lrtest oprobit goprobit, stats
```

```
Likelihood-ratio test      LR chi2(4) =      5.17
(Assumption: oprobit nested in goprobit)  Prob > chi2 =      0.2701
```

Akaike's information criterion and Bayesian information criterion

Model	Obs	ll(null)	ll(model)	df	AIC	BIC
oprobit	170	-151.2241	-110.2376	6	232.4752	251.29
goprobit	170	-151.2241	-107.6514	10	235.3028	266.6607

Note: N=Obs used in calculating BIC; see [R] BIC note.

Find the marginal effect

```
margins, dydx(*) predict(outcome(0))
```

```
Average marginal effects      Number of obs      =      170
Model VCE      : OIM
```

```
Expression      : Pr(y==0), predict(outcome(0))
dy/dx w.r.t.    : x1 x2 x3 x4
```

		Delta-method				[95% Conf. Interval]	
		dy/dx	Std. Err.	z	P> z		
x1		.0302728	.0301228	1.00	0.315	-.0287668	.0893124
x2		.0642359	.0320269	2.01	0.045	.0014644	.1270075
x3		-.0641748	.0293559	-2.19	0.029	-.1217112	-.0066383
x4		-.0900917	.0132688	-6.79	0.000	-.1160981	-.0640853

```
margins, dydx(*) predict(outcome(1))
```

```
Average marginal effects      Number of obs      =      170
Model VCE      : OIM
```

```
Expression      : Pr(y==1), predict(outcome(1))
dy/dx w.r.t.    : x1 x2 x3 x4
```

		Delta-method				[95% Conf. Interval]	
		dy/dx	Std. Err.	z	P> z		
x1		.0287292	.0292413	0.98	0.326	-.0285827	.086041
x2		.0609606	.0289968	2.10	0.036	.0041278	.1177934
x3		-.0609026	.0269385	-2.26	0.024	-.1137011	-.008104
x4		-.085498	.0123244	-6.94	0.000	-.1096533	-.0613427

```
. margins, dydx(*) predict(outcome(2))
```

```
Average marginal effects      Number of obs      =      170
Model VCE      : OIM
```

```
Expression      : Pr(y==2), predict(outcome(2))
dy/dx w.r.t.    : x1 x2 x3 x4
```

		Delta-method				[95% Conf. Interval]	
		dy/dx	Std. Err.	z	P> z		
x1		-.059002	.0589341	-1.00	0.317	-.1745107	.0565068
x2		-.1251965	.0591178	-2.12	0.034	-.2410652	-.0093279
x3		.1250773	.0542158	2.31	0.021	.0188164	.2313383
x4		.1755897	.0141639	12.40	0.000	.1478289	.2033505

Answer1B: Interpretation

Sign&meaning (rrr)

From marginal effects

x1 has positive impact on choosing y= 0,1 but negative impact on choosing y=2

x2 has positive impact on choosing y= 0,1 but negative impact on choosing y=2

x3 has negative impact on choosing y= 0,1 but positive impact on choosing y=2

x4 has negative impact on choosing y= 0,1 but positive impact on choosing y=2

Overall test:

The model is jointly significant in overall test at 95% confidence (since p-value < 0.05)

Individual test:

Most of the parameters including cut, cut2 are significant z-test except x1

Goodness of fit

Pseudo R-square is quite low which mean that the model has the room to be improved

Appropriateness

For the order probit test we accept the H0, which mean that the ordered probit model is appropriated

From the data set "Final_q1-2_no.dta":

In the study of decision to subscribe mobile phone services, three choices have been studied

including AIS, DTAC, and TRUE. The probit model can be stated as:

$$I = \beta_0 + \beta_1 x_1 + \beta_2 x_2 + \beta_3 x_3 + \beta_4 x_4 + u \quad (2)$$

and where:

$$Pr(Y_{ji} = 1) = \Phi(I_{ji})$$

I_{ji} is index variables.

Y_{ji} is decision to choose financial choice J , value equals to 1 if choosing

choice J or 0 if not. $J = 1$ for AIS, 2 for DTAC, 3 for TRUE. x_{ki} is independent variable k .

$\Phi(\cdot)$ is multivariate normal probability distribution function. u_{ji} is disturbance term.

(c) Estimate models for Y_{1i} , Y_{2i} , and Y_{3i} assuming that the probability functions follow separate normal distribution function. Should we use these three separate probit models? Why? (4 points)

Estimate by using separete probit model

```
probit y1 x1 x2 x3 x4
```

```
Iteration 0:   log likelihood = -378.95508
Iteration 1:   log likelihood = -365.61869
Iteration 2:   log likelihood = -365.57585
Iteration 3:   log likelihood = -365.57585
```

Probit regression	Number of obs	=	550
	LR chi2(4)	=	26.76
	Prob > chi2	=	0.0000
Log likelihood = -365.57585	Pseudo R2	=	0.0353

	y1	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]
x1		1.319276	.3993005	3.30	0.001	.5366617 2.101891
x2		-.7117926	.3853228	-1.85	0.065	-1.467011 .0434263
x3		.6175273	.177546	3.48	0.001	.2695435 .9655112
x4		.1600324	.1925305	0.83	0.406	-.2173205 .5373853
_cons		-.7849445	.3029845	-2.59	0.010	-1.378783 -.1911057

```
. probit y2 x1 x2 x3 x4
```

```
Iteration 0:   log likelihood = -368.47383
Iteration 1:   log likelihood = -362.24519
Iteration 2:   log likelihood = -362.23271
Iteration 3:   log likelihood = -362.23271
```

```
Probit regression               Number of obs   =       550
                               LR chi2(4)        =       12.48
                               Prob > chi2        =       0.0141
Log likelihood = -362.23271     Pseudo R2      =       0.0169
```

	y2	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]
	x1	-.5130818	.3819133	-1.34	0.179	-1.261618 .2354544
	x2	-.7095044	.3776776	-1.88	0.060	-1.449739 .03073
	x3	-.2425533	.176711	-1.37	0.170	-.5889005 .1037938
	x4	.5990051	.1995009	3.00	0.003	.2079904 .9900197
	_cons	.2977989	.3017738	0.99	0.324	-.2936668 .8892647

```
. probit y3 x1 x2 x3 x4
```

```
Iteration 0:   log likelihood = -333.39437
Iteration 1:   log likelihood = -327.917
Iteration 2:   log likelihood = -327.9036
Iteration 3:   log likelihood = -327.9036
```

```
Probit regression               Number of obs   =       550
                               LR chi2(4)        =       10.98
                               Prob > chi2        =       0.0268
Log likelihood = -327.9036     Pseudo R2      =       0.0165
```

	y3	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]
	x1	-.6271044	.3935507	-1.59	0.111	-1.39845 .1442407
	x2	.8273167	.3913541	2.11	0.035	.0602768 1.594357
	x3	-.3804693	.1979142	-1.92	0.055	-.7683741 .0074355
	x4	-.2350291	.1921388	-1.22	0.221	-.6116142 .141556
	_cons	-.4836421	.3169133	-1.53	0.127	-1.104781 .1374966

Answer 1C: in my opinion, we should not use the separate model since the choices are seemingly correlate because the customer must choose only one of them. As well as the models have very low R-square and insignificant in individual test

By the way we should try the multivariate model appropriateness test first before decision.

(d) Estimate models for Y_{1i} , Y_{2i} , and Y_{3i} assuming that the probability functions follow multivariate normal probability distribution function (MV Probit models). Determine whether MVProbit is appropriated. Why? How does the MV Probit models differ from three separate probit models? (6 points)

```
mvprobit (y1 x1 x2 x3 x4) (y2 x1 x2 x3 x4) (y3 x1 x2 x3 x4)
```

```
Iteration 0:   log likelihood = -1055.7122
Warning: cannot do Cholesky factorization of rho matrix
Warning: cannot do Cholesky factorization of rho matrix
Iteration 1:   log likelihood = -948.02163
Iteration 2:   log likelihood = -934.40808
Iteration 3:   log likelihood = -932.8107
Iteration 4:   log likelihood = -932.80435
Iteration 5:   log likelihood = -932.80434
```

```
Multivariate probit (SML, # draws = 5)      Number of obs   =       550
                                              Wald chi2(12)    =       37.21
Log likelihood = -932.80434                  Prob > chi2      =       0.0002
```


		Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
y1	x1	1.171117	.3893354	3.01	0.003	.4080335	1.9342
	x2	-.6025208	.3795038	-1.59	0.112	-1.346335	.141293
	x3	.6046014	.1786074	3.39	0.001	.2545374	.9546655
	x4	.1480072	.1915597	0.77	0.440	-.227443	.5234574
	_cons	-.7106655	.3050131	-2.33	0.020	-1.30848	-.1128509
y2	x1	-.5643036	.3755779	-1.50	0.133	-1.300423	.1718157
	x2	-.6138367	.3747629	-1.64	0.101	-1.348359	.1206851
	x3	-.2591482	.1782002	-1.45	0.146	-.608414	.0901177
	x4	.5646381	.1983093	2.85	0.004	.175959	.9533172
	_cons	.3151067	.2995943	1.05	0.293	-.2720874	.9023007
y3	x1	-.5475637	.3858414	-1.42	0.156	-1.303799	.2086715
	x2	.6638133	.3859124	1.72	0.085	-.0925611	1.420188
	x3	-.2722606	.1869458	-1.46	0.145	-.6386676	.0941464
	x4	-.1936979	.195082	-0.99	0.321	-.5760516	.1886558
	_cons	-.4581402	.3194547	-1.43	0.152	-1.08426	.1679795
/atrho21		-.6213012	.0749254	-8.29	0.000	-.7681523	-.474445
/atrho31		-.4110659	.0740692	-5.55	0.000	-.5562389	-.2658929
/atrho32		-.3237628	.0710803	-4.55	0.000	-.4630777	-.1844479
rho21		-.5520333	.0520926	-10.60	0.000	-.6458538	-.4417878
rho31		-.3893774	.0628392	-6.20	0.000	-.5051815	-.2597991
rho32		-.3129053	.0641209	-4.88	0.000	-.4325893	-.1823843
Likelihood ratio test of rho21 = rho31 = rho32 = 0:							
		chi2(3) = 245.816	Prob > chi2 = 0.0000				

Answer 1D: from the estimated result

We can reject H0 from Lr test which mean that there's correlation between dependent variable so,using the multivariate probit model is appropriated over separate model.

It's different because we run the model which assume that we have the correlated dependent variable instead of non-correlated. And in this case the data are following that assumption making mvprobit is appropriated.

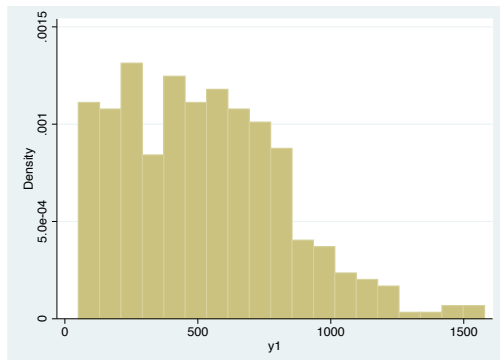
Question 2

From the data set "Final_q2_no.dta": According to the following model,

$$y_{ki} = \beta_{k0} + \beta_{k1}x_i + u_{ki} \quad (3) \text{ where: } y_{ki} \text{ is Dependent variable, } k=1, 2, 3. x_i \text{ is Independent variable } u_i \text{ is Stochastic disturbance term}$$

(a) Plot histogram of y_{1i}, y_{2i}, y_{3i} , compute descriptive statistics of these three variables. Determine limitations of these three dependent variables. (5 points)

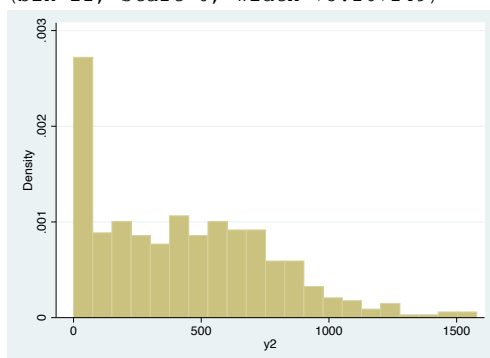
```
hist y1
(bin=19, start=50.217594, width=80.436449)
```



```
sum y1
```

Variable	Obs	Mean	Std. Dev.	Min	Max
y1	369	522.0268	305.5502	50.21759	1578.51

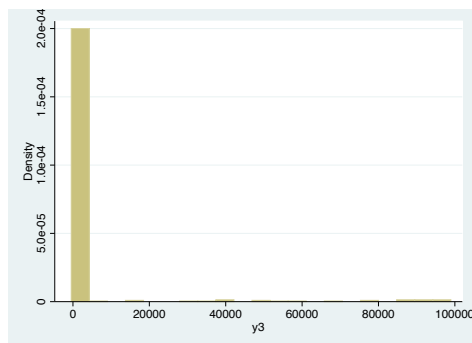
```
hist y2
(bin=21, start=0, width=75.167149)
```



```
. sum y2
```

Variable	Obs	Mean	Std. Dev.	Min	Max
y2	450	429.054	340.6061	0	1578.51

```
hist y3
(bin=21, start=-450.62051, width=4733.4406)
```



```
. sum y3
```

Variable	Obs	Mean	Std. Dev.	Min	Max
y3	450	3648.754	15405.28	-450.6205	98951.63

Answer2A:

For y1 seem like we have the left truncated data limitation according to the histogram which lower limit is around 50

For y2 we have censored data limitation since we have a lot of 0 value in y2

For y3 we have outlier limitation

b) Estimate the model (3) for y_{li} using OLS and truncated regression model. Determine the most appropriated model in this case. Why? What is the major problem in this case? What will happen if we ignore the problem? (5 points)

run the model using OLS

```
reg y1 x
```

Source	SS	df	MS	Number of obs	=	369
Model	10067286.6	1	10067286.6	F(1, 367)	=	152.11
Residual	24289539.5	367	66184.0312	Prob > F	=	0.0000
Total	34356826.1	368	93360.9404	R-squared	=	0.2930
				Adj R-squared	=	0.2911
				Root MSE	=	257.26

y1	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
x	171.428	13.8996	12.33	0.000	144.0952 198.7609
_cons	-32.15492	46.88712	-0.69	0.493	-124.356 60.0462

```
. est store m_y1hat
```

run the model using truncated regression

```
. truncreg y1 x, ll(50) nolog
(note: 0 obs. truncated)
```

```
Truncated regression
Limit: lower = 50 Number of obs = 369
      upper = +inf Wald chi2(1) = 112.14
Log likelihood = -2532.9115 Prob > chi2 = 0.0000
```

y1	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]
x	243.5473	22.99863	10.59	0.000	198.4709 288.6238
_cons	-350.6846	88.77073	-3.95	0.000	-524.6721 -176.6972

```

/sigma | 307.6565 17.05061 18.04 0.000 274.2379 341.0751
-----
. est store m_yltrunc

```

Perform the appropriateness test

```

. lrtest m_ylhat m_yltrunc ,force

Likelihood-ratio test                                LR chi2(1) = 75.32
(Assumption: m_ylhat nested in m_yltrunc)           Prob > chi2 = 0.0000

```

Answer2B:

According to sample selection bias test, we can reject the H_0 which mean that the truncated regression is the appropriated model.

And in the case of using OLS, ignore the problem we will have Bias estimated results since the data is not normal distributed

c) Estimate the model (3) for y_{2i} using OLS and Tobit model. Determine the most appropriated model in this case. Why? What is the major problem in this case? What will happen if we ignore the problem? (5 points)

run the model using OLS

```

reg y2 x

Source |         SS          df           MS       Number of obs   =        450
-----+-----
Model | 19859200.8            1 19859200.8       F(1, 448)         =       276.04
Residual | 32230409.6          448  71942.8785       Prob > F           =        0.0000
Total | 52089610.4          449 116012.495       R-squared          =       0.3813
                                           Adj R-squared       =       0.3799
                                           Root MSE           =       268.22

-----+-----
y2 |         Coef.   Std. Err.      t    P>|t|     [95% Conf. Interval]
-----+-----
x | 202.2362      12.17228     16.61  0.000    178.3143    226.158
_cons | -183.0503     38.95095     -4.70  0.000   -259.5996   -106.5011

```

```

. est store m_y2hat

```

run the model using Tobit

```

. tobit y2 x, ll(0)

Tobit regression                                Number of obs   =        450
                                                LR chi2(1)      =       224.96
                                                Prob > chi2      =        0.0000
Log likelihood = -2793.2596                    Pseudo R2       =       0.0387

-----+-----
y2 |         Coef.   Std. Err.      t    P>|t|     [95% Conf. Interval]
-----+-----
x | 237.8077      14.46312     16.44  0.000    209.3839    266.2315
_cons | -320.499     47.07641     -6.81  0.000   -413.0165   -227.9816
-----+-----
/sigma | 299.6877     11.07962          27.7  0.000    277.9134    321.4621
-----+-----
66 left-censored observations at y2 <= 0
384 uncensored observations
0 right-censored observations

. est store m_y2censor

```

Perform the appropriateness test

```
. lrtest m_y2hat m_y2censor, force
```

```
Likelihood-ratio test                               LR chi2(1)  =    721.15
(Assumption: m_y2hat nested in m_y2censor)          Prob > chi2 =    0.0000
```

Answer2C:

According to test, we can reject the H_0 which mean that the Tobit model is the appropriated model.

And in the case of using OLS, ignore the problem of censored data we will have Bias estimated results since the data is not normal distributed

(d) Estimate the model (3) for y_{3i} using OLS and Tobit model. Determine the most appropriated model in this case. Why? What is the major problem in this case? What will happen if we ignore the problem? (5 points)

run the model using OLS

```
reg y3 x
```

Source	SS	df	MS	Number of obs	=	450
Model	9.1336e+09	1	9.1336e+09	F(1, 448)	=	42.00
Residual	9.7424e+10	448	217464814	Prob > F	=	0.0000
Total	1.0656e+11	449	237322670	R-squared	=	0.0857
				Adj R-squared	=	0.0837
				Root MSE	=	14747

y3	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
x	4337.105	669.2255	6.48	0.000	3021.894 5652.316
_cons	-9478.277	2141.503	-4.43	0.000	-13686.92 -5269.639

```
. est store m_y3hat
```

run the model using Tobit

```
. tobit y3 x, ul(2000)
```

```
Tobit regression                               Number of obs    =    450
                                                LR chi2(1)       =   197.15
                                                Prob > chi2       =    0.0000
Log likelihood = -3206.3445                    Pseudo R2        =    0.0298
```

y3	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
x	294.0083	18.7774	15.66	0.000	257.1058 330.9108
_cons	-435.0138	59.90649	-7.26	0.000	-552.7457 -317.2818
/sigma	410.5882	14.36172			382.3636 438.8127

```
0 left-censored observations
426 uncensored observations
24 right-censored observations at y3 >= 2000
```

```
. est store m_y3outlier
```

Perform the appropriateness test

```
. lrtest m_y3hat m_y3outlier,force
```

Likelihood-ratio test
(Assumption: m_y3hat nested in m_y3outlier)

LR chi2(1) = 3501.25
Prob > chi2 = 0.0000

Answer2D:

According to test, we can reject the H_0 which mean that the Tobit model is the appropriated model.

And in the case of using OLS, ignore the problem of outlier we will have Bias estimated results since the data is not normal distributed by the way we can solve the problem with OLS with the limitation as well but the estimated data of tobit model will be still more accurate.

Question3

From the data set "Final_q3_no.dta":

The generalized linear regression model can be stated as:

and where:

$$I_i = \beta_0 + \beta_1 x_{1i} + \beta_2 x_{2i} + \beta_3 x_{3i} + \beta_4 x_{4i} + u_i \quad (4)$$

$$\Pr(Y_i = y_i) = f(I_i)$$

I_i is index variables.

y_i is counted number 0, 1, 2,... x_{ki} is independent variable k .

$f(\cdot)$ is either Poisson or Negative Binomial probability distribution function. u_i is disturbance term.

- (a) Estimate models for Y_i assuming that the model is traditional linear regression model. Create histogram for Y_i . Determine whether there is limitation of dependent variable in this case. If yes, what type of limitation is it? (3 points)

Estimate the model using OLS

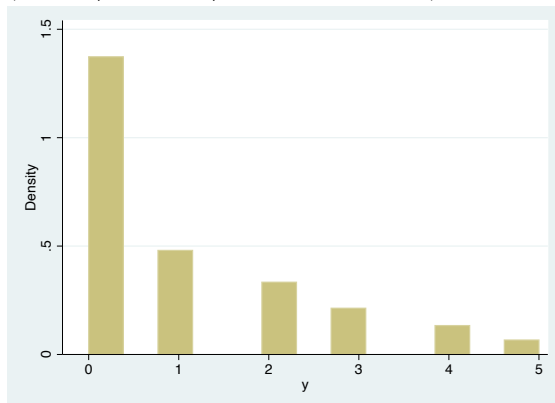
```
reg y x1 x2 x3 x4
```

Source	SS	df	MS	Number of obs	=	195
Model	39.0914001	4	9.77285004	F(4, 190)	=	5.75
Residual	322.826549	190	1.6990871	Prob > F	=	0.0002
Total	361.917949	194	1.86555644	R-squared	=	0.1080
				Adj R-squared	=	0.0892
				Root MSE	=	1.3035

y	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
x1	.0850608	.0447949	1.90	0.059	-.0032985 .1734201
x2	.1381494	.047924	2.88	0.004	.0436179 .2326809
x3	.2165669	.0693506	3.12	0.002	.079771 .3533628
x4	-.0356706	.0491106	-0.73	0.469	-.1325426 .0612014
_cons	.9640755	.1109524	8.69	0.000	.7452187 1.182932

Histogram of y

```
. hist y
(bin=13, start=0, width=.38461538)
```



Answer3A:

Yes, there's the limitation of dependent variable which is the count data
Which using OLS may causes in negative value prediction which make no sense

(b) Estimate models for Y_i assuming that the probability functions follow Poisson probability distribution. Perform GOF test and determine whether Poisson is appropriated in this case. Interpret the estimated result (sign and meaning (in term of incidence-rate ratios), overall test, individual test, pseudo R , marginal effects). (5 points)

Estimate the model using poisson

```
poisson y x1 x2 x3 x4, nolog
```

```
Poisson regression              Number of obs   =       195
                                LR chi2(4)         =       38.94
                                Prob > chi2         =       0.0000
Log likelihood = -277.20544      Pseudo R2      =       0.0656
```

	y	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
	x1	.0839503	.0335816	2.50	0.012	.0181315	.149769
	x2	.1356394	.0359108	3.78	0.000	.0652555	.2060234
	x3	.2241043	.0545131	4.11	0.000	.1172605	.330948
	x4	-.0355363	.0372572	-0.95	0.340	-.108559	.0374865
	_cons	-.1320593	.0924644	-1.43	0.153	-.3132863	.0491677

Perform GOF test

```
. estat gof

Deviance goodness-of-fit = 319.1382
Prob > chi2(190)         = 0.0000

Pearson goodness-of-fit = 332.0219
Prob > chi2(190)         = 0.0000
```

Find the irr

```
. lincom x1, irr
```

```
( 1)  [y]x1 = 0
```

y	IRR	Std. Err.	z	P> z	[95% Conf. Interval]	
(1)	1.087575	.0365225	2.50	0.012	1.018297	1.161566

```
. lincom x2, irr
```

```
( 1)  [y]x2 = 0
```

y	IRR	Std. Err.	z	P> z	[95% Conf. Interval]	
(1)	1.145269	.0411276	3.78	0.000	1.067432	1.228782

```
. lincom x3, irr
```

```
( 1)  [y]x3 = 0
```

y	IRR	Std. Err.	z	P> z	[95% Conf. Interval]	
(1)	1.251201	.0682069	4.11	0.000	1.124412	1.392287

```
. lincom x4, irr
```

```
( 1)  [y]x4 = 0
```

y	IRR	Std. Err.	z	P> z	[95% Conf. Interval]	
(1)	.9650877	.0359565	-0.95	0.340	.8971259	1.038198

Marginal effect from mean

```
mfx
```

```
Marginal effects after poisson
```

```
    y = Predicted number of events (predict)  
    = .92331529
```

variable	dy/dx	Std. Err.	z	P> z	[	95% C.I.	]	X
x1	.0775126	.0306	2.53	0.011	.017545	.13748	-.28246	
x2	.125238	.0322	3.89	0.000	.062134	.188342	.842848	
x3	.2069189	.04827	4.29	0.000	.112306	.301532	-.298846	
x4	-.0328112	.03432	-0.96	0.339	-.100086	.034463	-.805838	

```
.
```


Answer3B: Interpretation

Appropriateness

From the GOF test we reject the H_0 which mean that the Poisson model is not the appropriated one

Sign&meaning

IRR

From IRR all of the independent variables, x_1 , x_2 , x_3 and x_4 , are having the positive impact on dependent variable, y

Marginal effect

the marginal effect from mean x_1, x_2, x_3 have the positive impact on y value but x_4 has the negative impact on y

Overall test:

The model is jointly significant in overall test at 95% confidence (since $p\text{-value} < 0.05$)

Individual test:

Most of the parameters including cut, cut2 are significant z-test except x_1

Goodness of fit

Pseudo R-square is quite low which mean that the model has the room to be improved

(c) Estimate models for Y_i assuming that the probability functions follow Negative Binomial probability distribution. Determine whether Negative Binomial regression model is appropriated in this case. Interpret your estimated result (sign and meaning (in term of incidence-rate ratios), overall test, individual test, pseudo R , marginal effects). (5 points)

Estimate the model using negative binomial regression

```
. nbreg y x1 x2 x3 x4, nolog
```

```
Negative binomial regression      Number of obs      =      195
                                LR chi2(4)                =      20.86
Dispersion      = mean           Prob > chi2          =      0.0003
Log likelihood = -262.50416       Pseudo R2           =      0.0382
```

y	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
x1	.1119462	.0518511	2.16	0.031	.0103199	.2135725
x2	.1546279	.0519008	2.98	0.003	.0529041	.2563516
x3	.2156335	.0708465	3.04	0.002	.0767769	.3544901
x4	-.0389698	.0499954	-0.78	0.436	-.136959	.0590193
_cons	-.1533718	.1221099	-1.26	0.209	-.3927028	.0859592
/lnalpha	-.201489	.2917749			-.7733572	.3703792
alpha	.8175126	.2385296			.4614612	1.448284

LR test of alpha=0: chibar2(01) = 29.40

Prob >= chibar2 = 0.000

Find the IRR

```
nbreg y x1 x2 x3 x4,ir nolog
```

```
Negative binomial regression          Number of obs   =          195
                                      LR chi2(4)         =          20.86
Dispersion      = mean                Prob > chi2       =          0.0003
Log likelihood = -262.50416           Pseudo R2        =          0.0382
```

	y	IRR	Std. Err.	z	P> z	[95% Conf. Interval]	
	x1	1.118453	.057993	2.16	0.031	1.010373	1.238093
	x2	1.167224	.0605799	2.98	0.003	1.054329	1.292207
	x3	1.240648	.0878956	3.04	0.002	1.079801	1.425454
	x4	.9617797	.0480845	-0.78	0.436	.872006	1.060796
	_cons	.8578107	.1047472	-1.26	0.209	.6752294	1.089762
	/lnalpha	-.201489	.2917749			-.7733572	.3703792
	alpha	.8175126	.2385296			.4614612	1.448284
LR test of alpha=0: chibar2(01) = 29.40				Prob >= chibar2 = 0.000			

Marginal effect

```
. mfx
```

```
Marginal effects after nbreg
```

```
y = Predicted number of events (predict)
   = .91603373
```

variable	dy/dx	Std. Err.	z	P> z	[95% C.I.]		X
x1	.1025465	.04734	2.17	0.030	.00976	.195333	-.28246
x2	.1416443	.04734	2.99	0.003	.048867	.234422	.842848
x3	.1975276	.06457	3.06	0.002	.070968	.324087	-.298846
x4	-.0356977	.04579	-0.78	0.436	-.125448	.054053	-.805838

Answer3C: Intepretation

Appropriateness

From the overdispersion test we reject the H0 which mean that the negative binomial model is appropriated

Sign&meaning

IRR

From IRR all of the independent variables, x1, x2, x3 and x4, are having the positive impact on dependent variable, y

Marginal effect

the marginal effect from mean x1,x2,x3 have the positive impact on y value but x4 has the negative impact on y

Overall test:

The model is jointly significant in overall test at 95% confidence (since p-value < 0.05)

Individual test:

all the parameters are significant in z-test except x4

Goodness of fit

Pseudo R-square is quite low which mean that the model has the room to be improved

(d) Estimate models for Y_i assuming that the model is Zero Inflated Poisson (x_{1i} , x_{2i} , and x_{3i} are independent variables in Poisson model and x_{4i} is independent variable in Inflated (Logit) model). Interpret your estimated result. Determine which model (Linear regression model, Poisson, Negative Binomial, or ZIP) is the most appropriated model in this case? Why? (provide the tests) (7 points)

Estimate the model using zero inflated poisson

```
zip y x1 x2 x3 , inflate(x4) vuong
```

Fitting constant-only model:

```
Iteration 0:  log likelihood = -295.02298
Iteration 1:  log likelihood = -269.78844
Iteration 2:  log likelihood = -268.15628
Iteration 3:  log likelihood = -268.14904
Iteration 4:  log likelihood = -268.14904
```

Fitting full model:

```
Iteration 0:  log likelihood = -268.14904
Iteration 1:  log likelihood = -260.90347
Iteration 2:  log likelihood = -260.50346
Iteration 3:  log likelihood = -260.50243
Iteration 4:  log likelihood = -260.50243
```

Zero-inflated Poisson regression	Number of obs	=	195
	Nonzero obs	=	92
	Zero obs	=	103

Inflation model = logit	LR chi2(3)	=	15.29
Log likelihood = -260.5024	Prob > chi2	=	0.0016

	y	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]
y						
	x1	.0991548	.0425576	2.33	0.020	.0157434 .1825661
	x2	.1208637	.0400449	3.02	0.003	.0423772 .1993502
	x3	.1553467	.0562608	2.76	0.006	.0450775 .2656159
	_cons	.3521057	.1147728	3.07	0.002	.1271551 .5770564
inflate						
	x4	.0579183	.1008572	0.57	0.566	-.1397582 .2555947
	_cons	-.511083	.2578789	-1.98	0.047	-1.016516 -.0056497

Vuong test of zip vs. standard Poisson: z = 2.57 Pr>z = 0.0051

```
. mfx
```

Marginal effects after zip

```
y = Predicted number of events (predict)
= .92949079
```

variable	dy/dx	Std. Err.	z	P> z	[95% C.I.]	X
x1	.0921635	.03931	2.34	0.019	.015117 .16921	-.28246
x2	.1123417	.03649	3.08	0.002	.040819 .183864	.842848
x3	.1443933	.05102	2.83	0.005	.044397 .244389	-.298846
x4	-.0195994	.03441	-0.57	0.569	-.087044 .047846	-.805838

Answer3D:

Intepretation of ZIP

Appropriateness

From the vuong test we reject the H_0 which mean that the zero inflated poisson is appropriated.

Sign&meaning (Marginal effect)

the marginal effect from mean x_1, x_2, x_3 have the positive impact on y value but x_4 has the negative impact on y

Overall test:

The model is jointly significant in overall test at 95% confidence (since $p\text{-value} < 0.05$)

Individual test:

all the parameters are significant in z-test except x_4

Goodness of fit

Pseudo R-square is quite low which mean that the model has the room to be improved

The most appropriate model: according to the GOF test, overdispersion test and vuong test
The appropriate models are negative binomial and zero-inflated poisson by the way we have to compare in detailed between them

- 1.sign&meaning => both are similar
 - 2.overall test => both are jointly significant
 - 3.individual test => both are having insignificant in x_4
 - 4.log-likelihood value => the negative binomial has the lowest log-likelihood value
- Making it's the most appropriated model.

Question4

From the data set "Final_q4_no.dta":

(a) Test whether the series y_t and x_t are stationary series and determine their order of integration. Give explanation of the process of the test. Why is testing equation important? Why is stationary property important to time series analysis? (5 points)

ADF test for y

```
dfuller y, trend lags(1) regress
```

Augmented Dickey-Fuller test for unit root Number of obs = 498

		----- Interpolated Dickey-Fuller -----		
Test	Statistic	1% Critical Value	5% Critical Value	10% Critical Value

Z(t)	-15.067	-3.980	-3.420	-3.130

MacKinnon approximate p-value for Z(t) = 0.0000

D.y		Coef.	Std. Err.	t	P> t	[95% Conf. Interval]

y						

L1.		-.9740824	.0646506	-15.07	0.000	-1.101106	-.8470584
LD.		-.0594414	.0449986	-1.32	0.187	-.1478537	.028971
_trend		.0016711	.0021088	0.79	0.428	-.0024722	.0058144
_cons		.8261467	.6117395	1.35	0.177	-.3757854	2.028079

ADF test for x

```
. dfuller x, trend lags(1) regress
```

Augmented Dickey-Fuller test for unit root Number of obs = 498

		----- Interpolated Dickey-Fuller -----			
	Test	1% Critical	5% Critical	10% Critical	
	Statistic	Value	Value	Value	
Z(t)	-15.219	-3.980	-3.420	-3.130	

MacKinnon approximate p-value for Z(t) = 0.0000

D.x		Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
x						
L1.		-.9857164	.064769	-15.22	0.000	-1.112973 -.8584597
LD.		-.050295	.0450108	-1.12	0.264	-.1387313 .0381413
_trend		.0026639	.0030113	0.88	0.377	-.0032527 .0085804
_cons		.4094375	.8696255	0.47	0.638	-1.299183 2.118058

.

Answer4A:

From the ADF test we can reject H0 in both variable which mean that we don't have the unit root in those variables. So, they are stationary data in the other word they're first order integration.

For the ADF test process we check the regression of 1st difference and lag term in the case whether we have any relationship left in them.

If we have the relationship between them, we don't have unit root

But if we have no relationship left, we have the unit root

The testing equation is important because misspecification error will lead to bias in the estimated result. So, we cannot summarize anything from the test.

In time series analysis, the stationary condition is important because the impact of non-stationary will result in spurious regression leading to wrong conclusion.

(b) Estimate Autoregressive Integrated Moving Average (ARIMA(p,d,q)) model for y_t – determine the most appropriated order for p, d, and q using SBIC given the maximum lag equals 4. Make dynamic forecast for period time = 501 to 505. (5 points)

Answer4B:

Find the appropriated order of ARIMA

```

forvalues p = 1(1)4{
  2. forvalues q = 1(1)4{
  3.       display " estimate arima`p'0`q'"
  4.       qui arima y, arima(`p',0,`q') nolog
  5.       est store arima`p'0`q'
  6.   }
  7. }
estimate arima101
estimate arima102
estimate arima103
estimate arima104
estimate arima201
estimate arima202
estimate arima203
estimate arima204
estimate arima301
estimate arima302
estimate arima303
estimate arima304
estimate arima401
estimate arima402
estimate arima403
estimate arima404

.
end of do-file

. est table arima*,star(0.1 0.05 0.01) stat(N ll chi2 aic bic)

```

Variable	arima101	arima102	arima103	arima104
Y				
_cons	1.301666***	1.3074418***	1.3031432***	1.3040346***
ARMA				
ar				
L1.	-.86557047***	.81429377***	-.86427274***	-.82909595***
L2.				
L3.				
L4.				
ma				
L1.	.82439723***	-.84805452***	.83578301***	.8009985***
L2.		.06903768	.03064571	.02950302
L3.			.01809936	.04960661
L4.				.0475399
sigma				
_cons	6.7289966***	6.7299216***	6.7268287***	6.7198324***
Statistics				
N	500	500	500	500
ll	-1662.6926	-1662.7619	-1662.536	-1662.0178
chi2	58.685883	22.152105	58.420897	49.186114
aic	3333.3852	3335.5239	3337.0719	3338.0356
bic	3350.2436	3356.5969	3362.3596	3367.5378

legend: * p<.1; ** p<.05; *** p<.01

Variable	arima201	arima202	arima203	arima204
Y				
_cons	1.3073551***	1.3075824***	1.3076332***	1.308031***
ARMA				
ar				
L1.	.72833656***	.01069941	-.02391453	-.03883203
L2.	.07343696	.73210465***	.72886425***	.68853566**

L3.					
L4.					
ma					
L1.		-.76420028***	-.02937305	-.00720022	.00857444
L2.			-.6650084**	-.66251356**	-.63712588**
L3.				.02176552	.02159808
L4.					.02591727

sigma					
_cons		6.7292866***	6.717086***	6.7159767***	6.7140828***

Statistics					
N		500	500	500	500
ll		-1662.7092	-1661.8275	-1661.7334	-1661.6033
chi2		19.097086	22.261236	23.402544	22.065999
aic		3335.4184	3335.6549	3337.4668	3339.2066
bic		3356.4915	3360.9426	3366.9691	3372.9234

legend: * p<.1; ** p<.05; *** p<.01

Variable		arima301	arima302	arima303	arima304

Y					
_cons		1.3030581***	1.30767***	1.3222961***	1.3224072***

ARMA					
ar					
L1.		-.85123464***	-.05144311	1.0589742***	1.0600046***
L2.		.03402859	.72972779***	.66956782**	.66743078*
L3.		.02022783	.02220492	-.84473861***	-.84357622***
L4.					
ma					
L1.		.82424826***	.02123612	-1.1139831***	-1.1138522***
L2.			-.66391706**	-.57543987*	-.57405983
L3.				.81620891***	.81322241***
L4.					.00161096

sigma					
_cons		6.7267628***	6.7160989***	6.6327376	6.6327349

Statistics					
N		500	500	500	500
ll		-1662.5206	-1661.7401	-1657.5933	-1657.5927
chi2		59.442039	24.064744	55190.708	54913.937
aic		3337.0413	3337.4802	3329.1866	3331.1855
bic		3362.3289	3366.9825	3358.6889	3364.9024

legend: * p<.1; ** p<.05; *** p<.01

Variable		arima401	arima402	arima403	arima404

Y					
_cons		1.304488***	1.3077626***	1.322444***	1.3085509***

ARMA					
ar					
L1.		-.78736421***	-.07222081	1.0619352***	.06379198
L2.		.03406615	.65323856*	.66541253*	-.23017888
L3.		.05230227	.0238182	-.84491718***	-.06553786
L4.		.04891326	.02733522	.00165465	.70904435***
ma					
L1.		.75932045***	.04153469	-1.1157865	-.09628464
L2.			-.6018471	-.57193745	.31341447
L3.				.81439767	.06673855
L4.					-.65853127**

sigma					
_cons		6.7195128***	6.714347***	6.6327306	6.6743326***

Statistics					

N		500	500	500	500
ll		-1661.9967	-1661.6088	-1657.5927	-1658.9217
chi2		41.886103	21.434333	38010.909	1620.7592
aic		3337.9934	3339.2176	3331.1855	3337.8434
bic		3367.4956	3372.9345	3364.9024	3379.9895

legend: * p<.1; ** p<.05; *** p<.01

the most appropriated order is ARIMA(1,0,1) since it's the lowest BIC

Estimate the arima(1,0,1)

```
arima y, arima(1,0,1) nolog
```

ARIMA regression

```
Sample: 1 - 500
Log likelihood = -1662.693
Number of obs   = 500
Wald chi2(2)    = 58.69
Prob > chi2     = 0.0000
```

	y	Coef.	OPG Std. Err.	z	P> z	[95% Conf. Interval]
y						
	_cons	1.301666	.2963809	4.39	0.000	.7207701 1.882562
ARMA						
	ar					
	L1.	-.8655705	.1555056	-5.57	0.000	-1.170356 -.560785
	ma					
	L1.	.8243972	.1763698	4.67	0.000	.4787187 1.170076
	/sigma	6.728997	.2146963	31.34	0.000	6.3082 7.149794

Note: The test of the variance against zero is one sided, and the two-sided confidence interval is truncated at zero.

Dynamics Forecasting

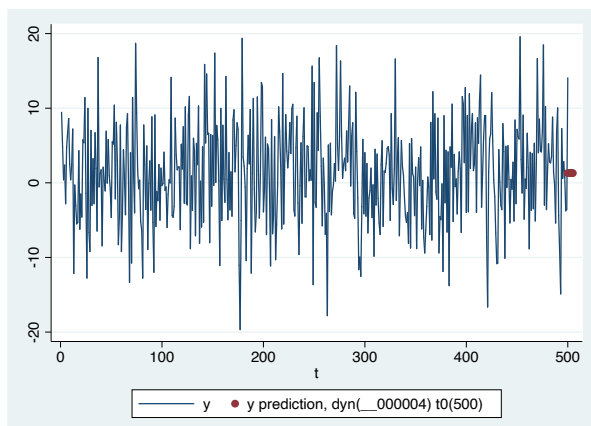
```
. set obs 505
number of observations (_N) was 500, now 505

. replace t=_n
(5 real changes made)

. predict y, y dynamic(.) t0(500)
variable y already defined
r(110);

. predict yhat, y dynamic(.) t0(500)
Note: beginning dynamic predictions in period 3.
(499 missing values generated)

. twoway(line y t,sort) (scatter yhat t, sort)
```



From the following GARCH model:

Mean Equation: VarianceEquation:

.

(c) Estimate model (5) using OLS by employing y_t as dependent variable and x_t as explanatory variable, determine whether ARCH-effect significantly occurs, and state null hypothesis of the test. Why the test is classified as LM test? (3 points)

Estimate model using OLS

reg y x

Source	SS	df	MS	Number of obs	=	500
Model	22596.1563	1	22596.1563	F(1, 498)	=	57285.96
Residual	196.433573	498	.394444925	Prob > F	=	0.0000
Total	22792.5899	499	45.6765328	R-squared	=	0.9914
				Adj R-squared	=	0.9914
				Root MSE	=	.62805

	y	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
	x	.6977603	.0029153	239.34	0.000	.6920325 .7034881
	_cons	.5175526	.028278	18.30	0.000	.4619937 .5731114

ARCH effect test

. estat archlm

LM test for autoregressive conditional heteroskedasticity (ARCH)

lags(p)	chi2	df	Prob > chi2
1	38.506	1	0.0000

H0: no ARCH effects vs. H1: ARCH(p) disturbance

.

Answer4C

From the ARCH effect LM test, we can reject H0, H0: no ARCH effects, which mean that we do have the ARCH effect in our case.

The reason that its's LM test because the test is based on restricted model which is OLS

(d) Estimate GARCH(p,q) for y_t using x_t as explanatory variable for mean equation (model (5) and (6)) – determine the most appropriated order p and q for variance equation using SBIC given the maximum lag equals to 2. Then, predict the variance of y_t using the estimated result of GARCH(p,q) model with the most appropriated lag. (4 points)

Answer4D :

Find the most appropriated order

```

forvalues p = 1(1)2{
  2. forvalues q = 1(1)2{
  3.           display " estimate garch`p'`q'"
  4.           qui arch y x, garch(1/\`p') arch(1/\`q') nolog
  5.           est store garch`p'`q'
  6. }
  7. }
estimate garch11
estimate garch12
estimate garch21
estimate garch22

.
end of do-file

. est table garch* , star(0.1 0.05 0.01) stat(N ll chi2 aic bic)

```

Variable		garch11	garch12	garch21	garch22
y	x	.69788579***	.69787087***	.69787574***	.69777417***
	_cons	.51826312***	.5182283***	.51823952***	.51597981***
ARCH	arch				
	L1.	.36201351***	.36039806***	.36077406***	.37189936***
	L2.		.01483425		.30792554**
	garch				
	L1.	.31635697***	.28933812	.32663124*	-.39040448
	L2.			-.00927871	.1071777
	_cons	.12891287***	.13442533*	.12900707***	.24574265***
	Statistics				
	N	500	500	500	500
	ll	-444.30123	-444.29481	-444.29646	-443.46007
	chi2	72628.104	72713.019	72680.391	74301.891
	aic	898.60246	900.58963	900.59293	900.92015
	bic	919.67551	925.87728	925.88058	930.4224

legend: * p<.1; ** p<.05; *** p<.01

based on our estimated result GARCH (1,1) is the most appropriated order since it's the lowest BIC among the others.

Run the model using GARCH(1,1)

```
arch y x, garch(1/1) arch(1/1) nolog
```

ARCH family regression

```

Sample: 1 - 500
Distribution: Gaussian
Log likelihood = -444.3012
Number of obs   =      500
Wald chi2(1)    =    72628.10
Prob > chi2     =      0.0000

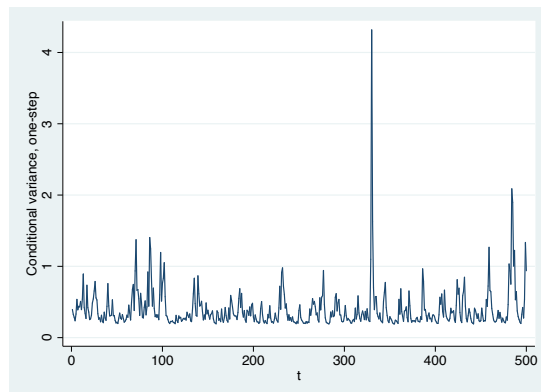
```

		Coef.	OPG Std. Err.	z	P> z	[95% Conf. Interval]	
y	x	.6978858	.0025896	269.50	0.000	.6928103	.7029613
	_cons	.5182631	.02399	21.60	0.000	.4712436	.5652826

ARCH							
	arch						
	L1.	.3620135	.0745312	4.86	0.000	.215935	.508092
	garch						
	L1.	.316357	.1209539	2.62	0.009	.0792917	.5534223
	_cons	.1289129	.0367809	3.50	0.000	.0568237	.201002

Predict the Variance

```
. predict sigma2, v
. line sigma2 t
```



(e) Among these three models, ARCH(1), GARCH(1,1), or EGARCH(1,1,1), which model is the most appropriated in this case? Why? What are the differences among ARCH, GARCH, and EGARCH? (3 points)

```
arch y x, arch(1/1) nolog
```

ARCH family regression

```
Sample: 1 - 500
Distribution: Gaussian
Log likelihood = -449.3242
```

Number of obs = 500
Wald chi2(1) = 66110.08
Prob > chi2 = 0.0000

	y	Coef.	OPG Std. Err.	z	P> z	[95% Conf. Interval]
y	x	.6978037	.0027139	257.12	0.000	.6924844 .7031229
	_cons	.5142993	.0246978	20.82	0.000	.4658924 .5627062
ARCH	arch					
	L1.	.3814361	.0785313	4.86	0.000	.2275175 .5353547
	_cons	.2422225	.0222802	10.87	0.000	.1985541 .2858908

```
. est store arch1
```

```
. arch y x, garch(1/1) arch(1/1) nolog
```

ARCH family regression

```
Sample: 1 - 500
Distribution: Gaussian
Log likelihood = -444.3012
```

Number of obs = 500
Wald chi2(1) = 72628.10
Prob > chi2 = 0.0000

	y	Coef.	OPG Std. Err.	z	P> z	[95% Conf. Interval]
--	---	-------	------------------	---	------	----------------------

y	x	.6978858	.0025896	269.50	0.000	.6928103	.7029613
	_cons	.5182631	.02399	21.60	0.000	.4712436	.5652826
ARCH							
arch	L1.	.3620135	.0745312	4.86	0.000	.215935	.508092
	L1.	.316357	.1209539	2.62	0.009	.0792917	.5534223
_cons		.1289129	.0367809	3.50	0.000	.0568237	.201002

. est store garch11

. arch y x, garch(1/1) arch(1/1) egarch(1/1) nolog

ARCH family regression

Sample: 1 - 500
Distribution: Gaussian
Log likelihood = -447.7399

Number of obs = 500
Wald chi2(1) = 66810.47
Prob > chi2 = 0.0000

y	x	OPG		z	P> z	[95% Conf. Interval]	
		Coef.	Std. Err.				
y	x	.6980592	.0027007	258.48	0.000	.692766	.7033524
	_cons	.5115844	.0250777	20.40	0.000	.462433	.5607358
ARCH							
egarch	L1.	.3632161	.1241115	2.93	0.003	.1199621	.6064701
	L1.	.6710909	.0925339	7.25	0.000	.4897278	.852454
garch	L1.	-.0061248	.0106994	-0.57	0.567	-.0270953	.0148457
	_cons	-.9202979	.1570814	-5.86	0.000	-1.228172	-.612424

. est store egarch111

. est table arch1 garch11 egarch11, star(0.1 0.05 0.01) stat(N ll chi2 aic bic)
estimation result egarch11 not found
r(111);

. est table arch1 garch11 egarch111, star(0.1 0.05 0.01) stat(N ll chi2 aic bic)

Variable		arch1	garch11	egarch111
y	x	.69780366***	.69788579***	.69805918***
	_cons	.51429931***	.51826312***	.51158439***
ARCH				
arch	L1.	.38143612***	.36201351***	.67109089***
	L1.		.31635697***	-.00612483
egarch	L1.			.36321612***
	_cons	.24222246***	.12891287***	-.92029794***
Statistics				
N		500	500	500
ll		-449.32421	-444.30123	-447.73993
chi2		66110.083	72628.104	66810.474

```
aic | 906.64842      898.60246      907.47987
bic | 923.50685      919.67551      932.76752
```

legend: * p<.1; ** p<.05; *** p<.01

Answer4E:

According to the estimated result, the model GARCH (1,1) is the most appropriated among them since it's the lowest BIC

The differences among them:

ARCH(1) => the volatility is depend on the shocks only (similar to MA model)

GARCH(1,1) => the volatility is depend on the shocks and also itself from the past (similar to ARMA)

EGARCH(1,1,1) => similar to GARCH but using the exponential function.

Question5

From the data set "Final_q5_no.dta": The following VARs models:

$$Y_t = A_0 + A_1 Y_{t-1} + \epsilon_t \quad (7)$$

where: $Y_t = \begin{pmatrix} y_t \\ x_t \end{pmatrix}$, $A_0 = \begin{pmatrix} a_{10} \\ a_{20} \end{pmatrix}$, $A_1 = \begin{pmatrix} a_{11} & a_{12} \\ a_{21} & a_{22} \end{pmatrix}$, $\epsilon_t = \begin{pmatrix} e_{1t} \\ e_{2t} \end{pmatrix}$

a) Estimate VARs models using y_t and x_t as endogenous variables and determine the most appropriated lags models using SBIC. (5 points).

Answer5A

Determine the appropriated lag

varsoc y x

```
Selection-order criteria
Sample: 5 - 500
Number of obs = 496
+-----+
| lag | LL LR df p FPE AIC HQIC SBIC |
+-----+
| 0 | -1366.82 |
| 1 | -1319.99 93.661* 4 0.000 .719617* 5.34672* 5.36669* 5.3976* |
| 2 | -1319.24 1.4968 4 0.827 .729115 5.35983 5.39312 5.44464 |
| 3 | -1318.29 1.8893 4 0.756 .738155 5.37215 5.41876 5.49088 |
| 4 | -1316.19 4.2107 4 0.378 .743819 5.37979 5.43971 5.53245 |
+-----+
Endogenous: y x
Exogenous: _cons
```

According to the estimated result the appropriated lag is order 1 that has the lowest SBIC

Run the VAR model with lag = 1

```
. var y x, lag(1/1)
```

Vector autoregression

```
Sample: 2 - 500
Log likelihood = -1330.499
FPE = .7268435
Number of obs = 499
AIC = 5.35671
HQIC = 5.376587
```

Det(Sigma_ml) = .7095726 SBIC = 5.407362

Equation	Parms	RMSE	R-sq	chi2	P>chi2
y	3	.993938	0.0154	7.794124	0.0203
x	3	.999539	0.0854	46.59298	0.0000

		Coef.	Std. Err.	z	P> z	[95% Conf. Interval]
y	L1.	.1397088	.050078	2.79	0.005	.0415578 .2378598
	L1.	.0571404	.0479562	1.19	0.233	-.036852 .1511328
	_cons	.3347512	.0544186	6.15	0.000	.2280928 .4414097
x	L1.	.3367226	.0503601	6.69	0.000	.2380185 .4354266
	L1.	.2072735	.0482264	4.30	0.000	.1127514 .3017955
	_cons	.1268942	.0547252	2.32	0.020	.0196347 .2341536

(b) Perform stability test and Granger exogeneity test. Determine whether assumptions of VARs are satisfied, explain your evaluation criteria. If the stability assumption is unsatisfied, what will happen? (5 points)

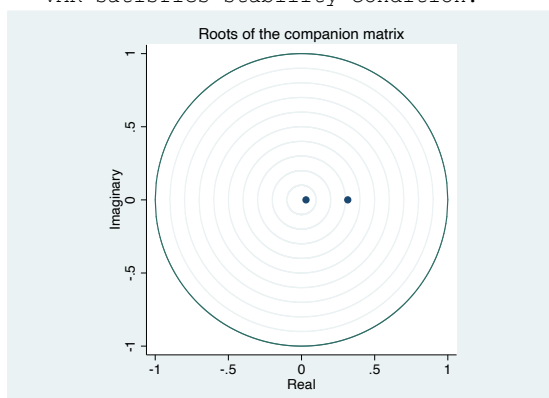
Stability test

varstable ,graph

Eigenvalue stability condition

Eigenvalue	Modulus
.3162556	.316256
.03072664	.030727

All the eigenvalues lie inside the unit circle.
VAR satisfies stability condition.



Granger exogeneity test

vargranger

Granger causality Wald tests

Equation	Excluded	chi2	df	Prob > chi2
y	x	1.4197	1	0.233
y	ALL	1.4197	1	0.233

	x	y	44.707	1	0.000	
	x	ALL	44.707	1	0.000	
+-----+						

Answer5B

From the stability test, all the eigenvalues are in the unit circle so, the system is stable

From the Granger exogeneity test, both y are endogenous variable since we accept the H0
But x is seemed to be exogenous variable

If the system is not stable it will lead to the spurious problem.

(c) Perform Impulse response function analysis (irf), Orthogonal impulse response function analysis (oirf), Cumulative impulse response function analysis (coirf), make interpretation of the analysis, and determine which variable has more impact (using Cholesky order – y_t, x_t). (5 points)

IRF

```
irf create order1, o(y x) step(10) set(irf01)
(file irf01.irf created)
(file irf01.irf now active)
(file irf01.irf updated)
```

```
. irf table irf, impulse(y x) response(y x)
```

Results from order1

+-----+						
	(1)	(1)	(1)		(2)	(2)
step	irf	Lower	Upper		irf	Lower
+-----+						
0	1	1	1	0	0	0
1	.139709	.041558	.23786	.336723	.238019	.435427
2	.038759	-.009591	.087109	.116837	.065895	.167779
3	.012091	-.007742	.031924	.037268	.012762	.061774
4	.003819	-.003751	.011389	.011796	.000589	.023003
5	.001208	-.001597	.004012	.003731	-.001027	.008489
6	.000382	-.000636	.0014	.00118	-.000724	.003084
7	.000121	-.000243	.000485	.000373	-.000358	.001104
8	.000038	-.00009	.000167	.000118	-.000154	.00039
9	.000012	-.000033	.000057	.000037	-.000062	.000137
10	3.8e-06	-.000012	.000019	.000012	-.000024	.000047
+-----+						

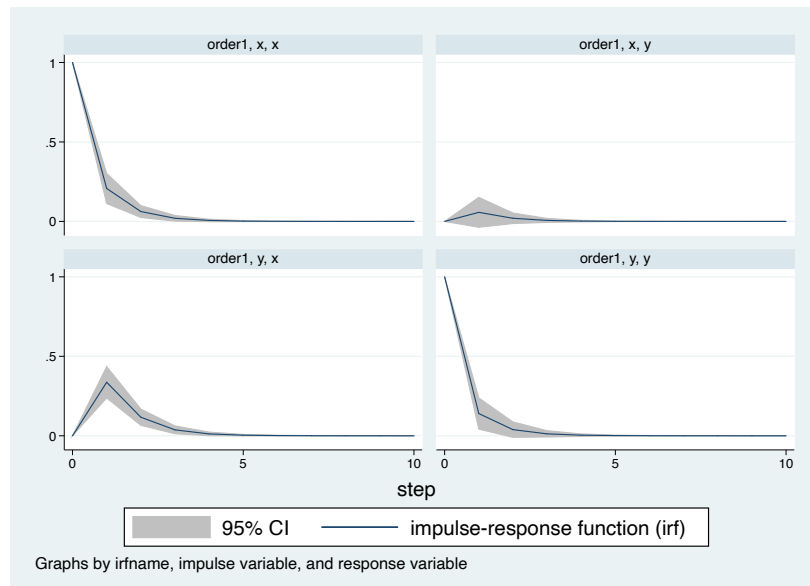
+-----+						
	(3)	(3)	(3)		(4)	(4)
step	irf	Lower	Upper		irf	Lower
+-----+						
0	0	0	0	1	1	1
1	.05714	-.036852	.151133	.207273	.112751	.301795
2	.019827	-.013254	.052907	.062203	.024891	.099515
3	.006324	-.006018	.018666	.019569	.001938	.0372
4	.002002	-.00257	.006574	.006186	-.001426	.013798
5	.000633	-.00103	.002296	.001956	-.001118	.00503
6	.0002	-.000395	.000796	.000619	-.000568	.001805
7	.000063	-.000147	.000274	.000196	-.000248	.000639
8	.00002	-.000054	.000094	.000062	-.0001	.000224
9	6.3e-06	-.000019	.000032	.00002	-.000039	.000078
10	2.0e-06	-6.8e-06	.000011	6.2e-06	-.000014	.000027
+-----+						

95% lower and upper bounds reported

(1) irfname = order1, impulse = y, and response = y
(2) irfname = order1, impulse = y, and response = x

```
(3) irfname = order1, impulse = x, and response = y
(4) irfname = order1, impulse = x, and response = x
```

```
. irf graph irf, impulse(y x) response(y x)
```



OIRF

```
irf table oirf, impulse(y x) response(y x)
```

Results from order1

step	(1) oirf	(1) Lower	(1) Upper	(2) oirf	(2) Lower	(2) Upper
0	.990946	.929466	1.05243	-.520071	-.601335	-.438807
1	.108727	.021924	.19553	.225877	.136485	.315269
2	.028097	-.004189	.060382	.083429	.04468	.122178
3	.008693	-.004787	.022172	.026753	.009658	.043849
4	.002743	-.002439	.007925	.008472	.000914	.01603
5	.000867	-.001062	.002797	.00268	-.000528	.005887
6	.000274	-.000429	.000978	.000847	-.000444	.002139
7	.000087	-.000166	.000339	.000268	-.000231	.000767
8	.000027	-.000062	.000117	.000085	-.000102	.000272
9	8.7e-06	-.000023	.00004	.000027	-.000042	.000095
10	2.7e-06	-8.1e-06	.000014	8.5e-06	-.000016	.000033

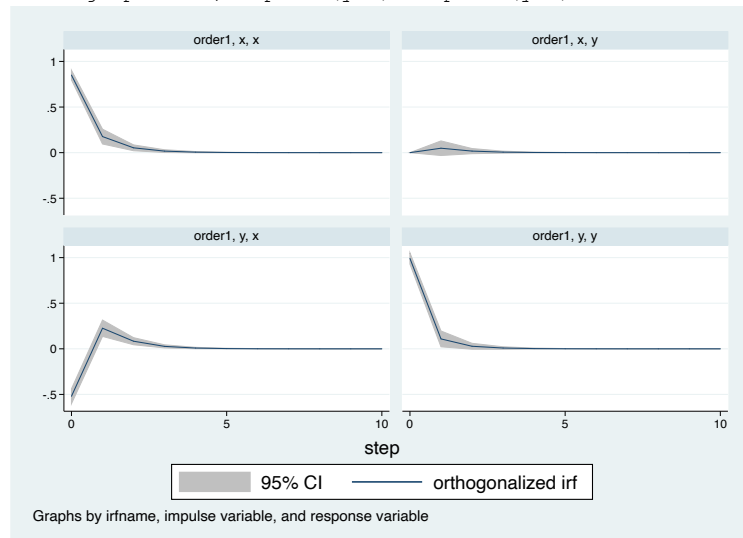
step	(3) oirf	(3) Lower	(3) Upper	(4) oirf	(4) Lower	(4) Upper
0	0	0	0	.850058	.797319	.902796
1	.048573	-.031383	.128528	.176194	.095105	.257284
2	.016854	-.011286	.044993	.052876	.02099	.084762
3	.005376	-.005121	.015873	.016635	.001612	.031657
4	.001702	-.002186	.00559	.005258	-.001221	.011737
5	.000538	-.000876	.001952	.001663	-.000952	.004278
6	.00017	-.000336	.000677	.000526	-.000483	.001535
7	.000054	-.000125	.000233	.000166	-.000211	.000544
8	.000017	-.000046	.00008	.000053	-.000085	.00019
9	5.4e-06	-.000016	.000027	.000017	-.000033	.000066
10	1.7e-06	-5.8e-06	9.2e-06	5.3e-06	-.000012	.000023

95% lower and upper bounds reported

```
(1) irfname = order1, impulse = y, and response = y
(2) irfname = order1, impulse = y, and response = x
(3) irfname = order1, impulse = x, and response = y
(4) irfname = order1, impulse = x, and response = x
```



```
. irf graph coirf, impulse(y x) response(y x)
```



COIRF

```
. irf table coirf, impulse(y x) response(y x)
```

Results from order1

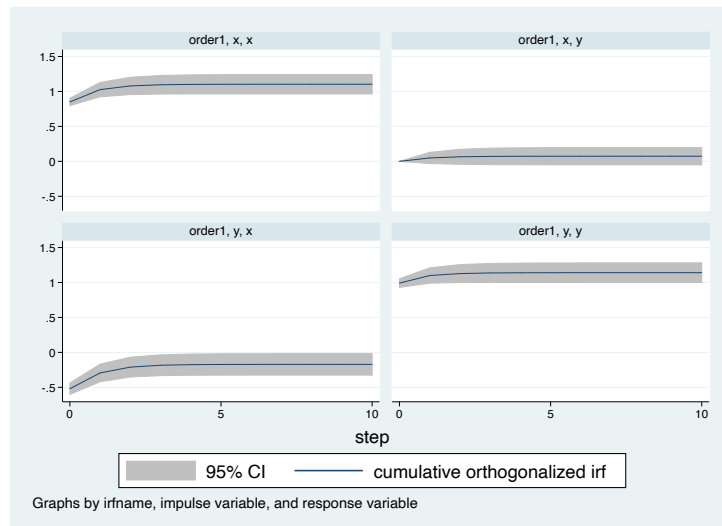
step	(1) coirf	(1) Lower	(1) Upper	(2) coirf	(2) Lower	(2) Upper
0	.990946	.929466	1.05243	-.520071	-.601335	-.438807
1	1.09967	.989473	1.20987	-.294194	-.420671	-.167717
2	1.12777	.999326	1.25621	-.210765	-.352446	-.069084
3	1.13646	1.00031	1.27262	-.184012	-.33288	-.035143
4	1.13921	1.00004	1.27837	-.175539	-.327399	-.023679
5	1.14007	.999798	1.28035	-.17286	-.325878	-.019841
6	1.14035	.999677	1.28102	-.172012	-.325459	-.018565
7	1.14043	.999625	1.28124	-.171744	-.325345	-.018144
8	1.14046	.999604	1.28132	-.171659	-.325314	-.018005
9	1.14047	.999596	1.28134	-.171633	-.325306	-.017959
10	1.14047	.999593	1.28135	-.171624	-.325304	-.017944

step	(3) coirf	(3) Lower	(3) Upper	(4) coirf	(4) Lower	(4) Upper
0	0	0	0	.850058	.797319	.902796
1	.048573	-.031383	.128528	1.02625	.923734	1.12877
2	.065426	-.042226	.173079	1.07913	.955049	1.20321
3	.070802	-.047081	.188686	1.09576	.962683	1.22884
4	.072504	-.049137	.194145	1.10102	.964313	1.23773
5	.073042	-.049954	.196038	1.10268	.964594	1.24077
6	.073212	-.050265	.19669	1.10321	.964614	1.24181
7	.073266	-.05038	.196912	1.10338	.964599	1.24215
8	.073283	-.050422	.196988	1.10343	.964588	1.24227
9	.073289	-.050436	.197014	1.10345	.964583	1.24231
10	.07329	-.050442	.197022	1.10345	.96458	1.24232

95% lower and upper bounds reported

- (1) irfname = order1, impulse = y, and response = y
- (2) irfname = order1, impulse = y, and response = x
- (3) irfname = order1, impulse = x, and response = y
- (4) irfname = order1, impulse = x, and response = x

```
. irf graph coirf, impulse(y x) response(y x)
```



Answer5C

IRF analysis

Direction:

x has the positive impact on x itself and y

y has the negative impact on x and positive impact on y itself

Magnitude:

The most impact is x on x and y on y themselves,

followed by y on x (negative impact) and x on y
which mean that y has more impact on x than y

Duration:

All of them have the short duration in order to self-adjust to the equilibrium

(d) Perform Forecast error variance decomposition (fevd) and determine variable that has more impact on each endogenous variable. (3 points)

FEVD

```
irf table fevd, impulse(y x) response(y x)
```

Results from order1							
step	(1) fevd	(1) Lower	(1) Upper	(2) fevd	(2) Lower	(2) Upper	
0	0	0	0	0	0	0	
1	1	1	1	.272361	.205724	.338998	
2	.997632	.989845	1.00542	.299027	.234158	.363895	
3	.997349	.988646	1.00605	.302753	.23842	.367086	
4	.997321	.988511	1.00613	.303136	.238863	.367408	
5	.997318	.988495	1.00614	.303174	.238908	.36744	
6	.997317	.988494	1.00614	.303178	.238912	.367444	
7	.997317	.988493	1.00614	.303178	.238913	.367444	
8	.997317	.988493	1.00614	.303178	.238913	.367444	

9	.997317	.988493	1.00614	.303178	.238913	.367444	
10	.997317	.988493	1.00614	.303178	.238913	.367444	

	(3)	(3)	(3)	(4)	(4)	(4)	
step	fevd	Lower	Upper	fevd	Lower	Upper	
0	0	0	0	0	0	0	
1	0	0	0	.727639	.661002	.794276	
2	.002368	-.005418	.010155	.700973	.636105	.765842	
3	.002651	-.006052	.011354	.697247	.632914	.76158	
4	.002679	-.006131	.011489	.696864	.632592	.761137	
5	.002682	-.00614	.011505	.696826	.63256	.761092	
6	.002683	-.006141	.011506	.696822	.632556	.761088	
7	.002683	-.006141	.011507	.696822	.632556	.761087	
8	.002683	-.006141	.011507	.696822	.632556	.761087	
9	.002683	-.006141	.011507	.696822	.632556	.761087	
10	.002683	-.006141	.011507	.696822	.632556	.761087	

95% lower and upper bounds reported

- (1) irfname = order1, impulse = y, and response = y
- (2) irfname = order1, impulse = y, and response = x
- (3) irfname = order1, impulse = x, and response = y
- (4) irfname = order1, impulse = x, and response = x

Answer5D

According to forecast error variance decomposition, y has more impact on x

(e) Determine whether changing Cholesky order from – “ $y_t x_t$ ” to “ $x_t y_t$ ” will change the results of irf, oirf, coirf, and fevd. Why? or why not? (2 points)

Changing the Cholesky order

```
irf create order2, o(x y) step(10) set(irf02)
(file irf02.irf created)
(file irf02.irf now active)
(file irf02.irf updated)
```

```
. irf graph irf, impulse(y x) response(y x)
```

```
. irf table irf, impulse(y x) response(y x)
```

Results from order2

	(1)	(1)	(1)	(2)	(2)	(2)	
step	irf	Lower	Upper	irf	Lower	Upper	
0	1	1	1	0	0	0	
1	.139709	.041558	.23786	.336723	.238019	.435427	
2	.038759	-.009591	.087109	.116837	.065895	.167779	
3	.012091	-.007742	.031924	.037268	.012762	.061774	
4	.003819	-.003751	.011389	.011796	.000589	.023003	
5	.001208	-.001597	.004012	.003731	-.001027	.008489	
6	.000382	-.000636	.0014	.00118	-.000724	.003084	
7	.000121	-.000243	.000485	.000373	-.000358	.001104	
8	.000038	-.00009	.000167	.000118	-.000154	.00039	
9	.000012	-.000033	.000057	.000037	-.000062	.000137	
10	3.8e-06	-.000012	.000019	.000012	-.000024	.000047	

	(3)	(3)	(3)	(4)	(4)	(4)	
step	irf	Lower	Upper	irf	Lower	Upper	
0	0	0	0	1	1	1	
1	.05714	-.036852	.151133	.207273	.112751	.301795	
2	.019827	-.013254	.052907	.062203	.024891	.099515	
3	.006324	-.006018	.018666	.019569	.001938	.0372	

4		.002002	-.00257	.006574		.006186	-.001426	.013798	
5		.000633	-.00103	.002296		.001956	-.001118	.00503	
6		.0002	-.000395	.000796		.000619	-.000568	.001805	
7		.000063	-.000147	.000274		.000196	-.000248	.000639	
8		.00002	-.000054	.000094		.000062	-.0001	.000224	
9		6.3e-06	-.000019	.000032		.00002	-.000039	.000078	
10		2.0e-06	-6.8e-06	.000011		6.2e-06	-.000014	.000027	

95% lower and upper bounds reported

- (1) irfname = order2, impulse = y, and response = y
- (2) irfname = order2, impulse = y, and response = x
- (3) irfname = order2, impulse = x, and response = y
- (4) irfname = order2, impulse = x, and response = x

. irf table oirf, impulse(y x) response(y x)

Results from order2

step		(1) oirf	(1) Lower	(1) Upper		(2) oirf	(2) Lower	(2) Upper	
0		.845295	.792851	.897738		0	0	0	
1		.118095	.034806	.201384		.28463	.199347	.369912	
2		.032763	-.008158	.073683		.098761	.055267	.142256	
3		.010221	-.006556	.026997		.031503	.010696	.052309	
4		.003228	-.003174	.00963		.009971	.000478	.019464	
5		.001021	-.001351	.003392		.003154	-.000873	.00718	
6		.000323	-.000538	.001184		.000997	-.000614	.002608	
7		.000102	-.000206	.00041		.000315	-.000303	.000934	
8		.000032	-.000076	.000141		.0001	-.000131	.00033	
9		.00001	-.000028	.000048		.000032	-.000052	.000115	
10		3.2e-06	-9.9e-06	.000016		1.0e-05	-.00002	.00004	

step		(3) oirf	(3) Lower	(3) Upper		(4) oirf	(4) Lower	(4) Upper	
0		-.517157	-.597966	-.436348		.99653	.934704	1.05836	
1		-.015309	-.099451	.068832		.032416	-.055209	.12004	
2		-.000287	-.013162	.012589		.001564	-.024512	.02764	
3		.000049	-.003268	.003367		.000228	-.009287	.009743	
4		.00002	-.001001	.001041		.000064	-.003023	.003151	
5		6.4e-06	-.000317	.00033		.00002	-.000964	.001004	
6		2.0e-06	-.000101	.000105		6.3e-06	-.000306	.000319	
7		6.4e-07	-.000032	.000033		2.0e-06	-.000097	.000101	
8		2.0e-07	-.00001	.000011		6.3e-07	-.000031	.000032	
9		6.4e-08	-3.2e-06	3.4e-06		2.0e-07	-9.8e-06	.00001	
10		2.0e-08	-1.0e-06	1.1e-06		6.3e-08	-3.1e-06	3.3e-06	

95% lower and upper bounds reported

- (1) irfname = order2, impulse = y, and response = y
- (2) irfname = order2, impulse = y, and response = x
- (3) irfname = order2, impulse = x, and response = y
- (4) irfname = order2, impulse = x, and response = x

. irf graph oirf, impulse(y x) response(y x)

. irf table coirf, impulse(y x) response(y x)

Results from order2

step		(1) coirf	(1) Lower	(1) Upper		(2) coirf	(2) Lower	(2) Upper	
0		.845295	.792851	.897738		0	0	0	
1		.96339	.861135	1.06564		.28463	.199347	.369912	
2		.996152	.862544	1.12976		.383391	.265721	.501062	
3		1.00637	.859272	1.15347		.414894	.283031	.546757	
4		1.0096	.857305	1.1619		.424865	.287155	.562575	
5		1.01062	.856413	1.16483		.428019	.288027	.56801	
6		1.01094	.856049	1.16584		.429016	.288172	.56986	
7		1.01105	.855909	1.16618		.429331	.288179	.570484	
8		1.01108	.855856	1.1663		.429431	.288169	.570694	
9		1.01109	.855837	1.16634		.429463	.288162	.570764	

10	1.01109	.85583	1.16635	.429473	.288158	.570787	
----	---------	--------	---------	---------	---------	---------	--

step	(3) coirf	(3) Lower	(3) Upper	(4) coirf	(4) Lower	(4) Upper
0	-.517157	-.597966	-.436348	.99653	.934704	1.05836
1	-.532466	-.655786	-.409147	1.02895	.920552	1.13734
2	-.532753	-.666326	-.39918	1.03051	.913081	1.14794
3	-.532704	-.668918	-.39649	1.03074	.910047	1.15143
4	-.532684	-.669709	-.395658	1.0308	.908966	1.15264
5	-.532677	-.669959	-.395395	1.03082	.908609	1.15303
6	-.532675	-.670039	-.395312	1.03083	.908494	1.15316
7	-.532675	-.670064	-.395285	1.03083	.908458	1.1532
8	-.532674	-.670072	-.395277	1.03083	.908446	1.15321
9	-.532674	-.670075	-.395274	1.03083	.908443	1.15322
10	-.532674	-.670076	-.395273	1.03083	.908441	1.15322

95% lower and upper bounds reported

- (1) irfname = order2, impulse = y, and response = y
- (2) irfname = order2, impulse = y, and response = x
- (3) irfname = order2, impulse = x, and response = y
- (4) irfname = order2, impulse = x, and response = x

. irf graph coirf, impulse(y x) response(y x)

. irf table fevd, impulse(y x) response(y x)

Results from order2

step	(1) fevd	(1) Lower	(1) Upper	(2) fevd	(2) Lower	(2) Upper
0	0	0	0	0	0	0
1	.727639	.661002	.794276	0	0	0
2	.731281	.664826	.797736	.075352	.032679	.118026
3	.73157	.665099	.798041	.083665	.036757	.130573
4	.731598	.665124	.798073	.084503	.037097	.131908
5	.731601	.665126	.798076	.084587	.037126	.132048
6	.731601	.665126	.798076	.084595	.037128	.132062
7	.731601	.665126	.798076	.084596	.037128	.132064
8	.731601	.665126	.798076	.084596	.037128	.132064
9	.731601	.665126	.798076	.084596	.037128	.132064
10	.731601	.665126	.798076	.084596	.037128	.132064

step	(3) fevd	(3) Lower	(3) Upper	(4) fevd	(4) Lower	(4) Upper
0	0	0	0	0	0	0
1	.272361	.205724	.338998	1	1	1
2	.268719	.202264	.335174	.924648	.881974	.967321
3	.26843	.201959	.334901	.916335	.869427	.963243
4	.268402	.201927	.334876	.915497	.868092	.962903
5	.268399	.201924	.334874	.915413	.867952	.962874
6	.268399	.201924	.334874	.915405	.867938	.962872
7	.268399	.201924	.334874	.915404	.867936	.962872
8	.268399	.201924	.334874	.915404	.867936	.962872
9	.268399	.201924	.334874	.915404	.867936	.962872
10	.268399	.201924	.334874	.915404	.867936	.962872

95% lower and upper bounds reported

- (1) irfname = order2, impulse = y, and response = y
- (2) irfname = order2, impulse = y, and response = x
- (3) irfname = order2, impulse = x, and response = y
- (4) irfname = order2, impulse = x, and response = x

.

Answer5E

Yes, it will change and according to the printout especially on FEVD, the y has no impact on x instead which is a big change from the previous case

this thing happened because the Cholesky decomposition used to fix the under-identification problem of reduced form by putting the restriction on structural form assume some variable to have no contemporaneous effect on the other which will impact the FEVD value to be 0 and by changing the order it's mean that we change the restriction we put from one to other one. So, our estimated result on IRF, OIRF, COIRF and FEVD changed.