

TO GET MORE UNDERSTANDING ABOUT

$$\frac{MU_x}{P_x} = \frac{MU_y}{P_y}$$

(RATIONAL SPENDING RULE)

LET'S CONSIDER THE FOLLOWING EXAMPLE:

SUPPOSE

$$P_x = 2 \text{ BAHT/UNIT}$$

$$P_y = 1 \text{ " " "}$$

$$M = 9 \text{ BAHT/DAY}$$

X	(UTILS)			Y	(UTILS)		
	TU _x	MU _x	MU _x /P _x (P _x =2)		TU _y	MU _y	MU _y /P _y (P _y =1)
1	10	10	5	1	8	8	
2	18	8	4	2	15	7	
3	24	6	3	3	21	6	
4	28	4	2	4	26	5	
5	31	3	1.5	5	30	4	
6	33	2	1	6	33	3	

PROBLEM:

$$\text{MAX } TU(X, Y)$$

$$\text{s.t. BUDGET CONSTRAINT}$$

FIRST ROUND

IN CHOOSING BETWEEN 1ST UNIT OF X & 1ST UNIT OF Y, HE SHOULD BUY 1ST OF Y B/C

$$\frac{MU_y}{P_y} = 8 > \frac{MU_x}{P_x} = 5$$

TU => 8 UTILS

(X, Y) => 1Y

MONEY LEFT => 9 - 1 = 8 BAHT

SECOND ROUND

IN CHOOSING BETWEEN 1ST UNIT OF X AND 2ND UNIT OF Y, HE SHOULD BUY 2ND OF Y B/C

$$\frac{MU_y}{P_y} = 7 > \frac{MU_x}{P_x} = 5$$

TU => 8 + 7 = 15 UTILS

(X, Y) => YY

MONEY LEFT => 8 - 1 = 7 BAHT

THIRD ROUND

SHOULD HE BUY 1ST UNIT OF X OR 3RD UNIT OF Y?

HE SHOULD BUY 3RD UNIT OF Y B/C $\frac{MU_y}{P_y} = 6 > \frac{MU_x}{P_x} = 5$

TU = 8 + 7 + 6 = 21 UTILS

(X, Y) => YYY

MONEY LEFT => 7 - 1 = 6 BAHT

FOURTH ROUND

SHOULD HE BUY 1ST UNIT OF X OR 4TH UNIT OF Y?

SINCE $\frac{MU_x}{P_x} = 5 = \frac{MU_y}{P_y} = 5$, THEN HE CAN BUY BOTH OF THEM! (MONEY PERMITTED)

$$TU = 8 + 7 + 6 + 10 + 5 = 36 \text{ UTILS}$$

$$(X, Y) \Rightarrow \underbrace{Y Y Y Y}_2 + X$$

$$\text{MONEY LEFT} = 6 - 2 - 1 = 3 \text{ BAHT}$$

FIFTH ROUND

SHOULD HE BUY 2ND UNIT OF X OR 5TH UNIT OF Y?

$$\text{SINCE } \frac{MU_x}{P_x} = 4 = \frac{MU_y}{P_y} = 4,$$

THEN HE CAN JUST BUY BOTH OF THEM.

$$TU = \underbrace{8 + 7 + 6 + 10 + 5}_{36} + 8 + 4 = 48 \text{ UTILS}$$

NOTICE THAT ONCE MONEY IS SPENT UP, $\frac{MU_x}{P_x} = \frac{MU_y}{P_y}$

Q: WHY $(3, 3)$ IS AN INFERIOR OPTION?

$$\begin{aligned} W/ (3, 3) \Rightarrow TU &= TU_x + TU_y \\ &= 24 + 21 \\ &= 45 \text{ UTILS} \end{aligned}$$

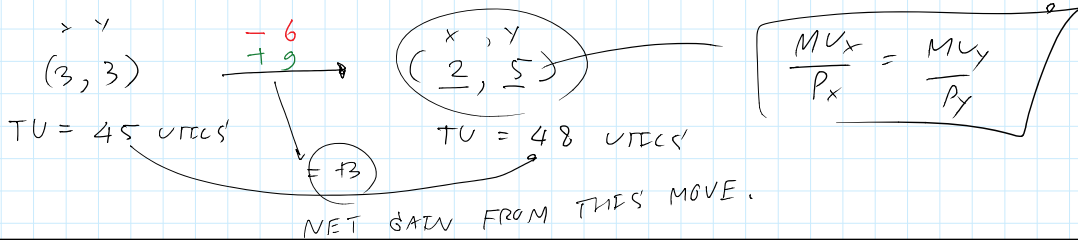
$$\text{BUDGET} = 2 \cdot 3 + 1 \cdot 3 = 6 + 3 = 9 \text{ BAHT}$$

$$(X^*, Y^*) = (2, 5)$$

OBSERVE THAT $W/ (3, 3) \Rightarrow \frac{MU_x}{P_x} < \frac{MU_y}{P_y}$
 $(=3) \quad (=6)$

SINCE $\frac{MU_y}{P_y} > \frac{MU_x}{P_x}$, THEN HE SHOULD BUY MORE OF Y AND LESS OF X

IN ORDER TO IMPROVE HIS UTILITY!



RAJIONAL SPENDING RULE : TO MAXIMIZE UTILITY SUBJECT TO

A BUDGET CONSTRAINT, HE SHOULD SPEND SUCH THAT...
 ONCE HE SPENT UP HIS BUDGET, PER BAHT SPENT ON X AND PER BAHT SPENT ON Y MUST DELIVER THE SAME MARGINAL UTILITY.

IN OTHER WORDS,

MARGINAL UTILITY PER BAHT SPENT ON X
 $\left(\frac{MU_x}{P_x} \right)$

MUST BE EQUAL TO

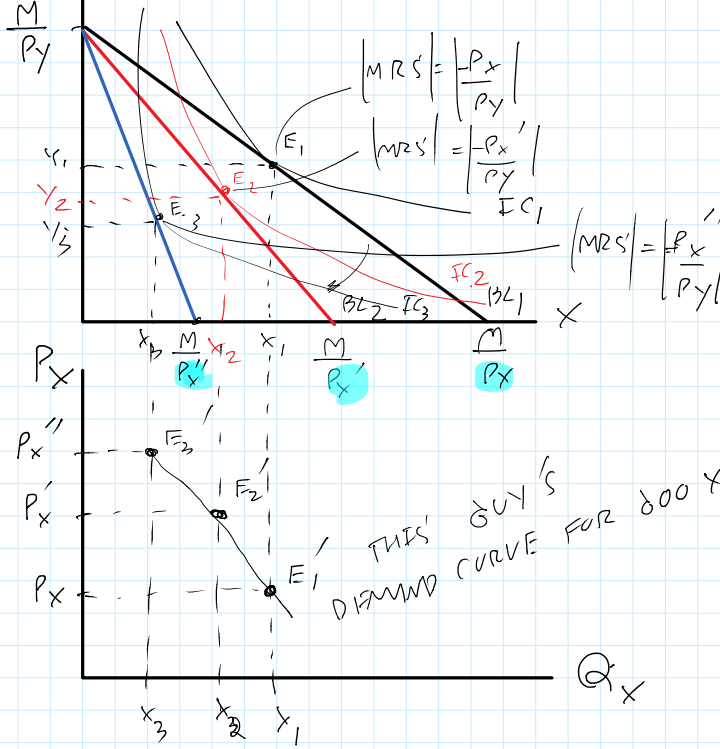
MARGINAL UTILITY PER BAHT SPENT ON Y
 $\left(\frac{MU_y}{P_y} \right)$

$$\underbrace{\text{PART SPENT ON X}}_{\left(\frac{MU_x}{P_x}\right)} = \underbrace{\text{PART SPENT ON Y}}_{\left(\frac{MU_y}{P_y}\right)}$$

"THE UTILITY MAXIMIZING RULE"

Q: WHERE DOES AN INDIVIDUAL DEMAND CURVE COME FROM?

A:



CONSIDER 2 GOODS: X, Y

P_x, P_y, M

NEXT, $P_x \uparrow$ FROM P_x TO P_x' .

FURTHER, $P_x \uparrow$ FROM P_x' TO P_x'' .