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name: <unnamed>
log: /Users/mien/Desktop/ee426/assignment12_6104640328.log
log type: text
opened on: 22 Apr 2021, 00:27:28

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1.
. reg y x1 x2 x3 x4

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Source	SS	df	MS	Number of obs	=	232
Model	44.7298499	4	11.1824625	F(4, 227)	=	5.96
Residual	425.748598	227	1.87554449	Prob > F	=	0.0001
				R-squared	=	0.0951
				Adj R-squared	=	0.0791
Total	470.478448	231	2.03670324	Root MSE	=	1.3695

y	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
x1	.1016201	.0435073	2.34	0.020	.0158904 .1873499
x2	.1345044	.0462142	2.91	0.004	.0434407 .225568
x3	-.0748194	.0480457	-1.56	0.121	-.1694919 .0198531
x4	.1684563	.0688243	2.45	0.015	.0328401 .3040725
_cons	.9568064	.107007	8.94	0.000	.7459523 1.16766

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2.
. histogram y
(bin=15, start=0, width=.33333333)
We have data limitation where dependent variable is counted data

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3.
. poisson y x1 x2 x3 x4

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Iteration 0: log likelihood = -342.88107
Iteration 1: log likelihood = -342.88107

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Poisson regression
Log likelihood = -342.88107
Number of obs = 232
LR chi2(4) = 43.33
Prob > chi2 = 0.0000
Pseudo R2 = 0.0594

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y	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]
x1	.0971474	.0306762	3.17	0.002	.0370231 .1572717
x2	.1293024	.0330916	3.91	0.000	.064444 .1941607
x3	-.0715533	.0342177	-2.09	0.037	-.1386187 -.0044879
x4	.1734482	.0507707	3.42	0.001	.0739395 .2729569
_cons	-.1284876	.0849064	-1.51	0.130	-.294901 .0379259

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. estat gof

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Deviance goodness-of-fit = 409.4921
Prob > chi2(227) = 0.0000

Pearson goodness-of-fit = 423.3541
Prob > chi2(227) = 0.0000

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According to GOF test, we reject H0 so Poisson is not appropriated.

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. mfx

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Marginal effects after poisson
y = Predicted number of events (predict)
= .95621703

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variable	dy/dx	Std. Err.	z	P> z	[95% C.I.]	X
x1	.092894	.02882	3.22	0.001	.036403 .149385	-.317697
x2	.1236411	.0308	4.01	0.000	.063277 .184005	.812709
x3	-.0684205	.03246	-2.11	0.035	-.13204 -.004801	-.818103
x4	.1658541	.04736	3.50	0.000	.073022 .258686	-.28275

. poisson y x1 x2 x3 x4, ir nolog

Poisson regression

Number of obs	=	232
LR chi2(4)	=	43.33
Prob > chi2	=	0.0000
Pseudo R2	=	0.0594

Log likelihood = -342.88107

y	IRR	Std. Err.	z	P> z	[95% Conf. Interval]
x1	1.102023	.0338059	3.17	0.002	1.037717 1.170314
x2	1.138034	.0376594	3.91	0.000	1.066566 1.214291
x3	.9309467	.0318548	-2.09	0.037	.8705599 .9955222
x4	1.189399	.0603866	3.42	0.001	1.076742 1.313844
_cons	.8794245	.0746687	-1.51	0.130	.7446053 1.038654

4.

. nbreg y x1 x2 x3 x4, ir nolog

Negative binomial regression

Number of obs	=	232
LR chi2(4)	=	21.24
Prob > chi2	=	0.0003
Pseudo R2	=	0.0324

Dispersion = mean

Log likelihood = -317.49278

y	IRR	Std. Err.	z	P> z	[95% Conf. Interval]
x1	1.137182	.0576476	2.54	0.011	1.029627 1.255973
x2	1.163009	.0589037	2.98	0.003	1.053105 1.284383
x3	.9349279	.0450052	-1.40	0.162	.8507526 1.027432
x4	1.188428	.084026	2.44	0.015	1.034641 1.365072
_cons	.8662692	.1019776	-1.22	0.223	.6877792 1.09108
/lnalpha	.0479945	.2389531			-.4203449 .5163339
alpha	1.049165	.2507012			.6568202 1.675872

LR test of alpha=0: chibar2(01) = 50.78 Prob >= chibar2 = 0.000

According to overdispersion test, H0 is rejected. Negative Binomial model might be appropriated since it's already confirmed it's not Poisson.

. mfx

Marginal effects after nbreg

y = Predicted number of events (predict)

= .94607122

variable	dy/dx	Std. Err.	z	P> z	[95% C.I.]	X
x1	.1216207	.04796	2.54	0.011	.02763 .215611	-.317697
x2	.1428671	.04796	2.98	0.003	.048862 .236872	.812709
x3	-.0636573	.04556	-1.40	0.162	-.152956 .025642	-.818103
x4	.1633214	.06686	2.44	0.015	.032269 .294374	-.28275

5.

. zip y x1 x2 x3 x4, inflate(x4) vuong

Zero-inflated Poisson regression	Number of obs	=	232
	Nonzero obs	=	106
	Zero obs	=	126
Inflation model = logit	LR chi2(4)	=	13.13
Log likelihood = -311.2255	Prob > chi2	=	0.0106

	y	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
y							
	x1	.0962618	.0402556	2.39	0.017	.0173622	.1751613
	x2	.0954378	.0373253	2.56	0.011	.0222815	.168594
	x3	-.0672218	.0358764	-1.87	0.061	-.1375383	.0030946
	x4	.0877817	.0527928	1.66	0.096	-.0156904	.1912537
	_cons	.4349837	.1120917	3.88	0.000	.2152881	.6546793
inflate							
	x4	-.2232387	.1282354	-1.74	0.082	-.4745754	.028098
	_cons	-.3696851	.1945938	-1.90	0.057	-.7510819	.0117117
Vuong test of zip vs. standard Poisson:					z =	3.71	Pr>z = 0.0001

We reject H_0 for Vuong test so the ZIP is appropriated.

6. Now we know that it's not Poisson for sure. However the test for NB and ZIP suggest that either one is appropriated. Looking the individual test, NB gives better result where only x3 is insignificant. The log likelihood of NB is also a bit higher. So NB might be the most appropriated one.

