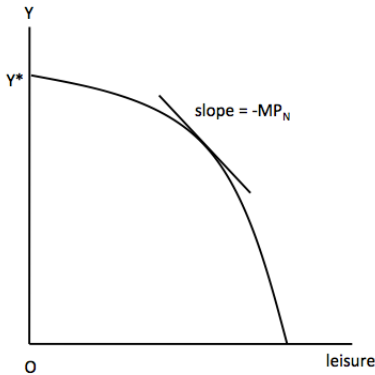


EE312 Macroeconomics, 2/2013 (Sec. 046402)

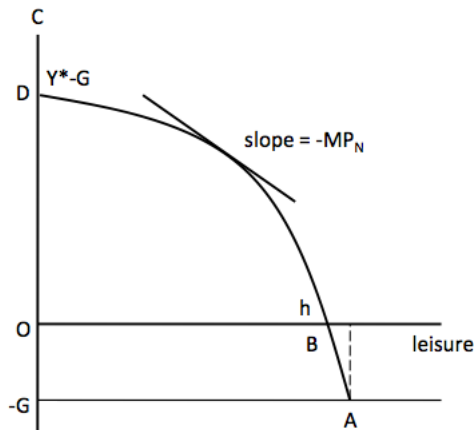
Chapter 3 (Part 2)

1. PPF (Y, ℓ) : output as a function of leisure



- $Y = zF(K, h - \ell)$, which is a relationship between output and leisure.
- Y^* is the level when $\ell = 0$, and it is the maximum output level.
- $Y^* = zF(K, h)$
- The relation between Y and ℓ is a mirror image of the production function with slope $= -MP_N$.

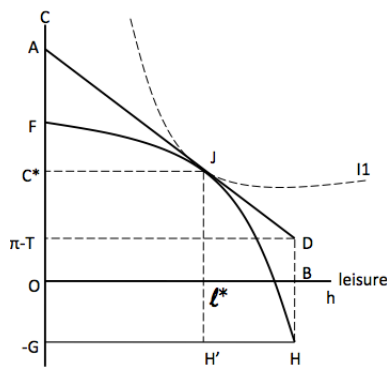
2. PPF (C, ℓ)



- PPF gives the trade-off between consumption and leisure, given technology.
- DB is feasible ($C \geq 0$); AB is not feasible (C is negative).
- The slope of PPF is **the marginal rate of transformation (MRT)** of ℓ to C , the rate at which leisure is converted to consumption through work, given technology.

$$MRT_{\ell, C} = MP_N = -\text{slope of PPF}$$

3. Put the PPF (C, ℓ) together with the consumer's indifference curve.

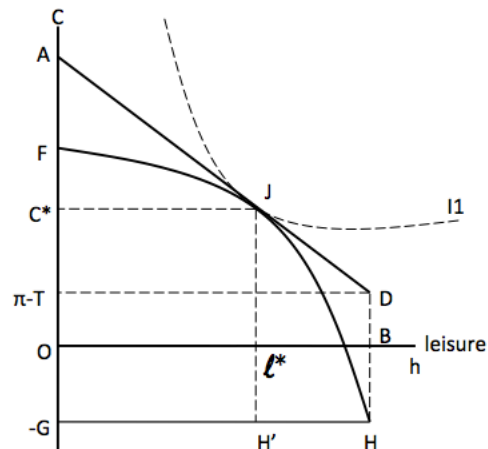


- J is the equilibrium consumption bundle (C^*, ℓ^*) where $MRS_{\ell, C} = w$
- In equilibrium,
$$MP_N = w = MRT_{\ell, C} = MRS_{\ell, C}$$
- The firm and the consumer both optimize at J.
- The firm demands labor equal to $h - \ell^*$ and produces $Y^* = zF(K, h - \ell)$.
- Max. profit: $\pi^* = zF(K, h - \ell) - w(h - \ell^*) = DH$.
- $DB = \pi^* - G = \pi^* - T$.

- ADB is the budget constraint; the slope $= -w$.
- $DB =$ the consumer's dividend income minus taxes $= \pi^* - T = \pi^* - G =$ the firm's max. profit minus G .
- $C^* =$ consumption goods demanded by the consumer $=$ quantity of consumption goods produced by the firm.
- $h - \ell^* =$ quantity of labor supplied by the consumer $=$ quantity of labor demanded by the firm;
- $\ell^* =$ leisure desired by the consumer.

4. Competitive Equilibrium VS. Social Planner Problem

Competitive Equilibrium



- In equilibrium,

$$MP_N = w = MRT_{\ell,C} = MRS_{\ell,C}$$
- The firm demands labor equal to $h - \ell^*$ and produces $Y^* = zF(K, h - \ell) = H'J$.
- Max. profit: $\pi^* = zF(K, h - \ell) - w(h - \ell) = DH$.
- ADB is the budget constraint; the slope = $-w$.
- $DB = \pi^* - T = \pi^* - G$ = the firm's max. profit minus G .
- C^* = consumption goods demanded by the consumer = quantity of consumption goods produced by the firm.
- ℓ^* = leisure desired by the consumer.
- $h - \ell^*$ = quantity of labor supplied by the consumer = quantity of labor demanded by the firm;

- **The first fundamental theorem of welfare economics :**

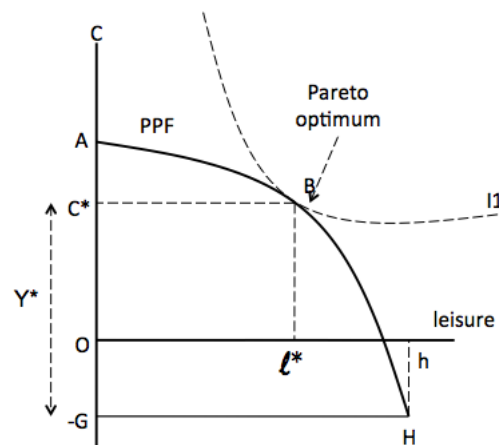
- Under certain conditions, a competitive equilibrium is Pareto optimal.
- Adam Smith's "Indivisible hand": an unrestricted, free market economy can produce socially optimal outcome.

- **The second fundamental theorem of welfare economics**

- Under certain conditions, a Pareto optimum is a competitive equilibrium.

- Remark: Pareto optimality ignores the distribution issue among individuals and is thus a narrow concept of social optimality.
- One result of the model is the equivalence between competitive equilibrium and the Pareto optimum.
- In the real-world social inefficiencies may arise from many possible sources; for example, externalities, distorting taxes, imperfect competition, imperfect information, etc.

Social Planner

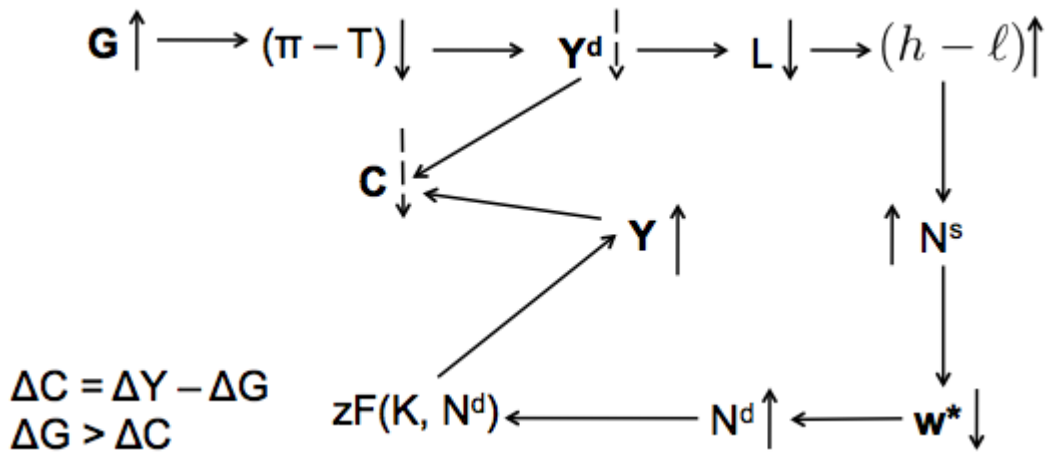


- The social planner simply maximizes the agents' utility subject to what is feasible, chooses a consumption bundle that is on the PPF and is on the highest possible indifference curve for the consumer.
- Comparison:
 - Representative consumer faces a linear or kinked budget constraint.
 - Social planner faces a concave PPF.
- The Pareto optimum is at B where the equality holds

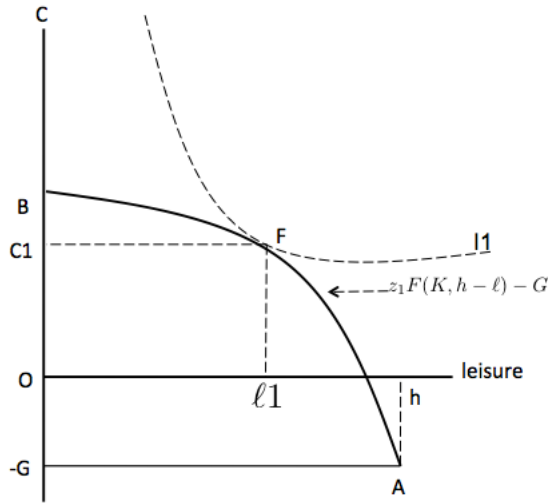
$$MRS_{\ell,C} = MRT_{\ell,C} = MP_N$$

- Note that we have the same condition for a competitive equilibrium.

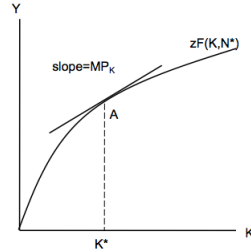
- The consumer works more, receives a lower real wage and consume less.
- Y but C This means that when government increases its spending, the firm produces more. The government takes a share of total output while the consumer takes a share of total output.
- In sum, The consumer's utility as the government expenditure increases.
- Chained effect : an increase in G



6. Application : (2) Effects of an increase in z (or K)

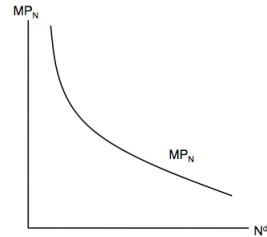


- Increases in z = better technology or organization.
- The production function rotates upwards with higher MP_N , given N .



- Not only more Y can be produced given N , but the MP_N i.e. the slope of the production function also increases for each N .

- The PPF rotates upwards.
- The new PPF is steeper than the original one.
- The PPF rotates upwards.
- MP_N for all N, ℓ



- Production function is steeper for all $N, \ell \rightarrow MP_N$ for all N, ℓ
This means that wage for all N, ℓ

• **substitution effect and income effect**

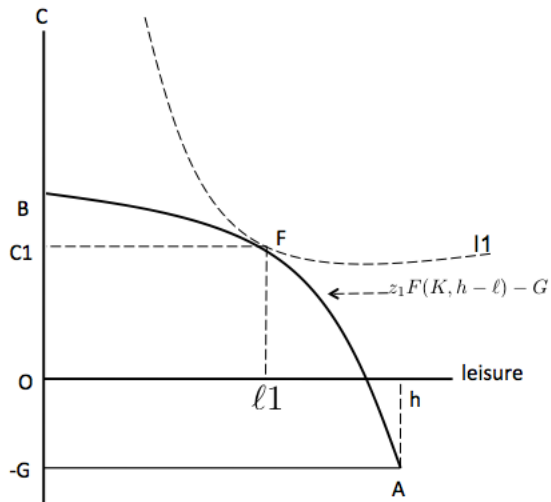
substitution effect : ℓ and C

leisure is costly.

income effect : ℓ and C

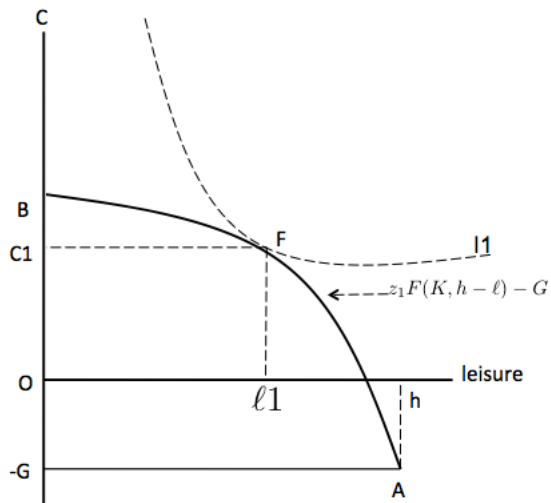
higher wage implies higher income.

- C (for sure)
- ℓ
 - substitution effect is equal to income effect, ℓ
 - substitution effect is greater than income effect, ℓ
 - substitution effect is less than income effect, ℓ



Equal Effect

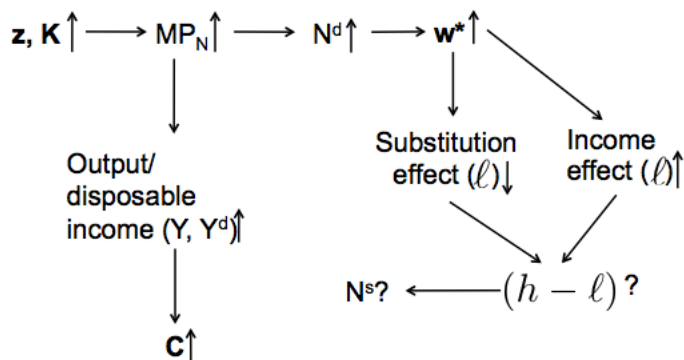
- = substitution effect (rising C and N, falling ℓ).
- = income effect (rising C and ℓ).
- Equal effects: ℓ^* and N^*
- Wage



Stronger Substitution Effect

- = substitution effect (rising C and N, falling ℓ).
- = income effect (rising C and ℓ).
- Stronger substitution effects: ℓ^* and N^*
- Wage

- Chained Effect : an increase in total factor productivity



- If SE = IE, N^s
- If SE > IE, N^s
- If SE < IE, N^s