

Seemingly Unrelated Regression (SUR) Models

```

set obs 400
mat C=(1,0.9\0.9,1)
corr2data u1 u2, n(400) means(0 0) sds(8 9) corr(C)
g x1=rnormal(1,10)
g x2=rnormal(2,20)
g x3=rnormal(-1,10)
g x4=rnormal(3,10)
g y1=1+0.1*x1+0.2*x2+u1
g y2=2+0.1*x3+0.2*x4+u2

```

```
. reg y1 x1 x2
```

Source	SS	df	MS	Number of obs	=	400
-----+						
Model	6396.30768	2	3198.15384	F(2, 397)	=	49.77
Residual	25510.4448	397	64.2580474	Prob > F	=	0.0000
-----+						
Total	31906.7525	399	79.9667982	R-squared	=	0.2005
-----+						
				Adj R-squared	=	0.1964
				Root MSE	=	8.0161

y1	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
-----+						
x1	.1223002	.0428067	2.86	0.005	.0381441	.2064563
x2	.1940088	.0198093	9.79	0.000	.1550646	.232953
_cons	.9955992	.4032669	2.47	0.014	.2027936	1.788405

```
. reg y2 x3 x4
```

Source	SS	df	MS	Number of obs	=	400
-----+						
Model	1880.45146	2	940.22573	F(2, 397)	=	11.62
Residual	32120.5595	397	80.9082104	Prob > F	=	0.0000
-----+						
Total	34001.011	399	85.2155664	R-squared	=	0.0553
-----+						
				Adj R-squared	=	0.0505
				Root MSE	=	8.9949

y2	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
-----+						
x3	.0331711	.0439497	0.75	0.451	-.0532321	.1195743
x4	.2248807	.0481634	4.67	0.000	.1301936	.3195679
_cons	1.907247	.4633147	4.12	0.000	.9963895	2.818104

```
. sureg (y1 x1 x2) (y2 x3 x4)
```

Seemingly unrelated regression

Equation	Obs	Parms	RMSE	"R-sq"	chi2	P
-----+						
y1	400	2	7.98606	0.2005	514.34	0.0000
y2	400	2	8.975366	0.0523	122.98	0.0000

	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
-----+						
y1	-----+					
x1	.1239373	.0187545	6.61	0.000	.0871791	.1606955
x2	.1926824	.0086663	22.23	0.000	.1756968	.2096681
_cons	.9967315	.3997738	2.49	0.013	.2131893	1.780274
-----+						
y2	-----+					
x3	.0811216	.0192349	4.22	0.000	.0434218	.1188213
x4	.2068554	.0210995	9.80	0.000	.1655012	.2482097
_cons	1.97418	.4507025	4.38	0.000	1.090819	2.85754

Example:

Study on trading value of three different groups of investors including individual, institution, and foreign investors. The models are as follows:

$$QLN_t = \beta_{10} + \beta_{11}SET_t + \beta_{12}PE_t + \beta_{13}DY_t + \beta_{14}DUM_t + \varepsilon_{1t}$$

$$QLI_t = \beta_{20} + \beta_{21}SET_t + \beta_{22}PE_t + \beta_{23}DY_t + \beta_{24}DUM_t + \beta_{25}DJ_t + \beta_{26}IB_t + \varepsilon_{2t}$$

$$QF_t = \beta_{30} + \beta_{31}SET_t + \beta_{32}PE_t + \beta_{33}DY_t + \beta_{34}DUM_t + \beta_{35}FX_t + \beta_{36}IB_t + \varepsilon_{3t}$$

The disturbance terms ε_{1t} , ε_{2t} , and ε_{3t} are assumed to be correlated.

OLS:

```
. reg3 (qln set pe dy dum) (qli set dj ib pe dy dum) (qf set fx ib pe dy dum), o
Multivariate regression
```

Equation	Obs	Parms	RMSE	"R-sq"	F-Stat	P
qln	84	4	5047.675	0.4640	17.10	0.0000
qli	84	6	1826.843	0.2180	3.58	0.0021
qf	84	6	5802.913	0.4669	11.24	0.0000

	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
qln						
set	-345.1613	48.03645	-7.19	0.000	-439.8026	-250.52
pe	-534.6304	168.594	-3.17	0.002	-866.7938	-202.467
dy	-2115.715	539.4979	-3.92	0.000	-3178.632	-1052.797
dum	-3718.633	1984.562	-1.87	0.062	-7628.613	191.3469
_cons	12337.82	3805.531	3.24	0.001	4840.173	19835.47
qli						
set	-48.97907	18.3963	-2.66	0.008	-85.22341	-12.73473
dj	135.2776	59.33954	2.28	0.024	18.36695	252.1882
ib	88.29653	67.38561	1.31	0.191	-44.46645	221.0595
pe	-182.7578	83.29688	-2.19	0.029	-346.8691	-18.64644
dy	-917.2405	392.641	-2.34	0.020	-1690.821	-143.6602
dum	-628.3281	860.6836	-0.73	0.466	-2324.045	1067.389
_cons	3089.883	1839.067	1.68	0.094	-533.4418	6713.207
qf						
set	376.5217	55.84303	6.74	0.000	266.4999	486.5436
fx	102.815	218.4466	0.47	0.638	-327.5679	533.1979
ib	-98.88969	210.3643	-0.47	0.639	-513.3488	315.5695
pe	751.3749	273.1862	2.75	0.006	213.1441	1289.606
dy	3042.807	1235.314	2.46	0.014	608.9934	5476.62
dum	3324.652	3827.915	0.87	0.386	-4217.098	10866.4
_cons	-18891.85	8782.692	-2.15	0.033	-36195.49	-1588.212

SUR:

```
. reg3 (qln set pe dy dum) (qli set dj ib pe dy dum) (qf set fx ib pe dy dum), sur
Seemingly unrelated regression
```

Equation	Obs	Parms	RMSE	"R-sq"	chi2	P
qln	84	4	4895.142	0.4640	72.72	0.0000
qli	84	6	1797.71	0.1739	18.59	0.0049
qf	84	6	5563.745	0.4653	76.49	0.0000

	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	

qln							
set		-345.1613	46.58486	-7.41	0.000	-436.4659	-253.8566
pe		-534.6304	163.4993	-3.27	0.001	-855.0831	-214.1776
dy		-2115.715	523.1951	-4.04	0.000	-3141.158	-1090.271
dum		-3718.633	1924.592	-1.93	0.053	-7490.764	53.49775
_cons		12337.82	3690.534	3.34	0.001	5104.508	19571.13

qli							
set		-36.4466	16.72057	-2.18	0.029	-69.21832	-3.674872
dj		11.63355	15.65562	0.74	0.457	-19.05089	42.318
ib		115.9576	61.82175	1.88	0.061	-5.210785	237.126
pe		-199.5312	78.51039	-2.54	0.011	-353.4088	-45.6537
dy		-1040.228	365.219	-2.85	0.004	-1756.044	-324.4121
dum		-1001.492	802.6055	-1.25	0.212	-2574.57	571.5858
_cons		3753.84	1719.156	2.18	0.029	384.3559	7123.324

qf							
set		380.311	52.87754	7.19	0.000	276.673	483.9491
fx		3.099417	18.89913	0.16	0.870	-33.9422	40.14104
ib		-118.3508	64.30475	-1.84	0.066	-244.3858	7.684168
pe		736.5373	193.5326	3.81	0.000	357.2204	1115.854
dy		3165.703	677.6422	4.67	0.000	1837.549	4493.857
dum		4714.671	2238.532	2.11	0.035	327.2284	9102.113
_cons		-16243.51	4380.287	-3.71	0.000	-24828.71	-7658.301

Alternative Command for SUR:

```
. sureg (qln set pe dy dum) (qli set dj ib pe dy dum) (qf set fx ib pe dy dum)
Seemingly unrelated regression
```

Equation	Obs	Parms	RMSE	"R-sq"	chi2	P
qln	84	4	4895.142	0.4640	72.72	0.0000
qli	84	6	1797.71	0.1739	18.59	0.0049
qf	84	6	5563.745	0.4653	76.49	0.0000

	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]
qln					
set	-345.1613	46.58486	-7.41	0.000	-436.4659 -253.8566
pe	-534.6304	163.4993	-3.27	0.001	-855.0831 -214.1776
dy	-2115.715	523.1951	-4.04	0.000	-3141.158 -1090.271
dum	-3718.633	1924.592	-1.93	0.053	-7490.764 53.49775
_cons	12337.82	3690.534	3.34	0.001	5104.508 19571.13

qli					
set	-36.4466	16.72057	-2.18	0.029	-69.21832 -3.674872
dj	11.63355	15.65562	0.74	0.457	-19.05089 42.318
ib	115.9576	61.82175	1.88	0.061	-5.210785 237.126
pe	-199.5312	78.51039	-2.54	0.011	-353.4088 -45.6537
dy	-1040.228	365.219	-2.85	0.004	-1756.044 -324.4121
dum	-1001.492	802.6055	-1.25	0.212	-2574.57 571.5858
_cons	3753.84	1719.156	2.18	0.029	384.3559 7123.324

qf					
set	380.311	52.87754	7.19	0.000	276.673 483.9491
fx	3.099417	18.89913	0.16	0.870	-33.9422 40.14104
ib	-118.3508	64.30475	-1.84	0.066	-244.3858 7.684168
pe	736.5373	193.5326	3.81	0.000	357.2204 1115.854
dy	3165.703	677.6422	4.67	0.000	1837.549 4493.857
dum	4714.671	2238.532	2.11	0.035	327.2284 9102.113
_cons	-16243.51	4380.287	-3.71	0.000	-24828.71 -7658.301

Simultaneous-Equation Models

Example: Klien's Model I

System equations model that frequently used is simultaneous equations model. A well know macroeconometrics model is Klien's (1950) Model I, which has the following equations form:

$$C_t = \alpha_0 + \alpha_1 P_t + \alpha_2 P_{t-1} + \alpha_3 (W_t^P + W_t^G) + \varepsilon_{1t} \quad (\text{Consumption}),$$

$$I_t = \beta_0 + \beta_1 P_t + \beta_2 P_{t-1} + \beta_3 K_{t-1} + \varepsilon_{2t} \quad (\text{Investment}),$$

$$W_t^P = \gamma_0 + \gamma_1 X_t + \gamma_2 X_{t-1} + \gamma_3 A_t + \varepsilon_{3t} \quad (\text{Private wages}),$$

$$X_t = C_t + I_t + G_t \quad (\text{equilibrium demand}),$$

$$P_t = X_t - T_t - W_t^P \quad (\text{private profits}),$$

$$K_t = K_{t-1} + I_t \quad (\text{capital stock}),$$

where C_t = Consumption at time t
 I_t = Investment at time t
 W_t^P = Private wages at time t
 X_t = Total demand at time t
 P_t = Private profits at time t
 K_t = Capital stock at time t
 G_t = Government nonwage spending at time t
 T_t = Indirect business taxes plus net exports at time t
 W_t^G = Government wage bill at time t
 A_t = Time trend measured as years from 1931

Endogenous variables are all variables on the left hand side including consumption (C_t), investment (I_t), and private wages (W_t^P). Exogenous variables include government nonwage spending (G_t), indirect business taxes plus net exports (T_t), government wage will (W_t^G), and time trend (A_t). However, there are also predetermined variables including total demand (X_t), private profit (P_t), and capital stock from last year (K_{t-1}). This system model consists of 3 behavior equation and 1 equilibrium condition, and 2 identities. This simultaneous model is a dynamic model for a small economy. Klein (1950) estimated this model using data from 1921 to 1941.

The model is estimated using the data from 1921 to 1941. Methods of estimation include Ordinary Least Squares (OLS), Two Stages Least Squares: 2SLS, (Three stage Least squares: 3SLS, and Iterative Three Stages Least Squares: I3SLS.

```
. tsset year
      time variable: year, 1920 to 1941
              delta: 1 unit
```

```
. g w = wg+wp
. g k = k1+i
. g yr=year-1931
. g p1 = l.p1
. g x1 = l.x
```

```
. reg c p p1 w
```

Source	SS	df	MS	Number of obs = 21		
Model	923.549937	3	307.849979	F(3, 17)	=	292.71
Residual	17.8794524	17	1.05173249	Prob > F	=	0.0000
-----				R-squared	=	0.9810
-----				Adj R-squared	=	0.9777
Total	941.429389	20	47.0714695	Root MSE	=	1.0255

c	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	

p	.1929343	.0912102	2.12	0.049	.0004977	.385371
p1	.0898847	.0906479	0.99	0.335	-.1013658	.2811351
w	.7962188	.0399439	19.93	0.000	.7119444	.8804931
_cons	16.2366	1.302698	12.46	0.000	13.48815	18.98506

```
. reg3 (c p p1 w), 2sls inst(t wg g yr p1 x1 k1)
```

Two-stage least-squares regression

Equation	Obs	Parms	RMSE	"R-sq"	F-Stat	P
c	21	3	1.135659	0.9767	225.93	0.0000

c	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	

p	.0173022	.1312046	0.13	0.897	-.2595153	.2941197
p1	.2162338	.1192217	1.81	0.087	-.0353019	.4677696
w	.8101827	.0447351	18.11	0.000	.7158	.9045654
_cons	16.55476	1.467979	11.28	0.000	13.45759	19.65192

Endogenous variables: c p w

Exogenous variables: t wg g yr p1 x1 k1

```
. reg p t wg g yr p1 x1 k1
```

Source	SS	df	MS	Number of obs = 21		
Model	294.248018	7	42.0354311	F(7, 13)	=	8.82
Residual	61.9500944	13	4.76539188	Prob > F	=	0.0004
-----				R-squared	=	0.8261
-----				Adj R-squared	=	0.7324
Total	356.198112	20	17.8099056	Root MSE	=	2.183

p	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	

t	-.9230977	.4337595	-2.13	0.053	-1.860178	.0139827
wg	-.0796076	2.533823	-0.03	0.975	-5.5536	5.394385
g	.4390162	.3911427	1.12	0.282	-.4059962	1.284029
yr	.3194049	.7781286	0.41	0.688	-1.36164	2.000449
p1	.8025008	.5188558	1.55	0.146	-.318419	1.923421
x1	.0220002	.2821641	0.08	0.939	-.5875783	.6315787
k1	-.2161035	.1191134	-1.81	0.093	-.4734323	.0412253
_cons	50.38438	31.63026	1.59	0.135	-17.94863	118.7174

```
. predict phat
(option xb assumed; fitted values)
(1 missing value generated)
```

```
. reg w t wg g yr pl x1 k1
```

Source	SS	df	MS	Number of obs =	21
Model	1101.80519	7	157.400741	F(7, 13) =	51.15
Residual	40.0071584	13	3.07747372	Prob > F =	0.0000
				R-squared =	0.9650
				Adj R-squared =	0.9461
Total	1141.81235	20	57.0906174	Root MSE =	1.7543

	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
t	-.6041532	.3485755	-1.73	0.107	-1.357205	.1488984
wg	.5562761	2.036218	0.27	0.789	-3.842705	4.955257
g	.8662196	.314328	2.76	0.016	.1871552	1.545284
yr	.7135829	.6253155	1.14	0.274	-.6373292	2.064495
pl	.8719211	.4169601	2.09	0.057	-.0288665	1.772709
x1	.0953288	.2267512	0.42	0.681	-.3945374	.5851951
k1	-.1229518	.0957213	-1.28	0.221	-.329745	.0838415
_cons	43.43552	25.41854	1.71	0.111	-11.47789	98.34894

```
. predict what
(option xb assumed; fitted values)
(1 missing value generated)
```

```
. reg c phat pl what
```

Source	SS	df	MS	Number of obs =	21
Model	874.172577	3	291.390859	F(3, 17) =	73.65
Residual	67.2568126	17	3.95628309	Prob > F =	0.0000
				R-squared =	0.9286
				Adj R-squared =	0.9160
Total	941.429389	20	47.0714695	Root MSE =	1.989

	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
phat	.0173023	.2297973	0.08	0.941	-.4675275	.5021322
pl	.2162337	.2088099	1.04	0.315	-.2243166	.6567841
what	.8101827	.0783509	10.34	0.000	.6448768	.9754886
_cons	16.55476	2.57108	6.44	0.000	11.13025	21.97926

All equations can be estimated in one single command in `reg3` as follows:

OLS:

```
reg3 (c p pl w) (i p pl k1) (wp x x1 yr), ols
```

Multivariate regression

Equation	Obs	Parms	RMSE	"R-sq"	F-Stat	P
c	21	3	1.02554	0.9810	292.7075	0.0000
i	21	3	1.009447	0.9313	76.87538	0.0000
wp	21	3	.7671466	0.9874	444.5687	0.0000

	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
c					
p	.1929343	.0912102	2.12	0.039	.0098223 .3760464
pl	.0898847	.0906479	0.99	0.326	-.0920987 .271868
w	.7962188	.0399439	19.93	0.000	.716028 .8764095
_cons	16.2366	1.302698	12.46	0.000	13.62133 18.85188
i					
p	.4796356	.0971146	4.94	0.000	.28467 .6746012
pl	.3330387	.1008592	3.30	0.002	.1305554 .535522
k1	-.1117947	.0267276	-4.18	0.000	-.1654525 -.0581369
_cons	10.12579	5.465546	1.85	0.070	-.8467492 21.09833
wp					
x	.4394769	.0324076	13.56	0.000	.374416 .5045378
x1	.14609	.0374231	3.90	0.000	.07096 .22122
yr	.1302452	.0319103	4.08	0.000	.0661826 .1943077
_cons	1.497043	1.270031	1.18	0.244	-1.052651 4.046737

2SLS:

```
reg3 (c p pl w) (i p pl k1) (wp x x1 yr), 2sls nodfk inst(t wg g yr pl x1 k1)
```

Two-stage least-squares regression

Equation	Obs	Parms	RMSE	"R-sq"	F-Stat	P
c	21	3	1.135659	0.9767	279.0941	0.0000
i	21	3	1.307149	0.8849	50.89437	0.0000
wp	21	3	.7671548	0.9874	524.005	0.0000

	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
c					
p	.0173022	.1180494	0.15	0.884	-.2196919 .2542963
pl	.2162338	.107268	2.02	0.049	.0008844 .4315833
w	.8101827	.0402497	20.13	0.000	.729378 .8909874
_cons	16.55476	1.320793	12.53	0.000	13.90316 19.20636
i					
p	.1502219	.1732292	0.87	0.390	-.1975503 .4979941
pl	.6159434	.1627853	3.78	0.000	.2891382 .9427486
k1	-.1577876	.0361262	-4.37	0.000	-.2303141 -.0852612
_cons	20.27821	7.542704	2.69	0.010	5.135599 35.42082
wp					
x	.4388591	.0356319	12.32	0.000	.3673251 .5103931
x1	.1466739	.0388361	3.78	0.000	.0687071 .2246406

```

      yr | .1303956   .029141   4.47   0.000   .0718927   .1888985
     _cons | 1.500296   1.147779   1.31   0.197   -.8039674   3.804559
-----+-----

```

```

Endogenous variables:  c p w i wp x
Exogenous variables:  t wg g yr pl x1 k1
-----+-----

```

3SLS:

```
reg3 (c p pl w) (i p pl k1) (wp x x1 yr), 3sls inst(t wg g yr pl x1 k1)
```

Three-stage least squares regression

```

-----+-----
Equation      Obs   Parms      RMSE      "R-sq"      chi2      P
-----+-----
c              21     3      .9443305   0.9801     864.5909   0.0000
i              21     3      1.446736   0.8258     162.9808   0.0000
wp            21     3      .7211282   0.9863     1594.751   0.0000
-----+-----

```

```

-----+-----
          |      Coef.   Std. Err.      z    P>|z|      [95% Conf. Interval]
-----+-----
c        |
   p     |      .1248904   .1081291     1.16   0.248     -.0870387   .3368194
  pl     |      .1631439   .1004382     1.62   0.104     -.0337113   .3599992
   w     |      .790081    .0379379    20.83   0.000     .715724    .8644379
  _cons  |     16.44079   1.304549    12.60   0.000    13.88392   18.99766
-----+-----
i        |
   p     |     -.0130791   .1618962    -0.08   0.936     -.3303898   .3042316
  pl     |      .7557238   .1529331     4.94   0.000     .4559805   1.055467
  k1     |     -.1948482   .0325307    -5.99   0.000     -.2586072  -.1310893
  _cons  |     28.17785   6.793768     4.15   0.000    14.86231   41.49339
-----+-----
wp       |
   x     |      .4004919   .0318134    12.59   0.000     .3381388   .462845
  x1     |      .181291    .0341588     5.31   0.000     .1143411   .2482409
   yr    |      .149674    .0279352     5.36   0.000     .094922    .2044261
  _cons  |     1.797216   1.115854     1.61   0.107     -.3898181   3.984251
-----+-----

```

```

Endogenous variables:  c p w i wp x
Exogenous variables:  t wg g yr pl x1 k1
-----+-----

```

13SLS:

```
reg3 (c p pl w) (i p pl k1) (wp x x1 yr), 3sls ireg3 inst(t wg g yr pl x1 k1)
```

```
Iteration 1:  tolerance = .37125491
```

```
..
```

```
Iteration 24:  tolerance = 7.049e-07
```

Three-stage least squares regression, iterated

```

-----+-----
Equation      Obs   Parms      RMSE      "R-sq"      chi2      P
-----+-----
c              21     3      .9565088   0.9796     970.3072   0.0000
i              21     3      2.134327   0.6209     56.77951   0.0000
wp            21     3      .7782334   0.9840     1312.188   0.0000
-----+-----

```

```

-----+-----
          |      Coef.   Std. Err.      z    P>|z|      [95% Conf. Interval]
-----+-----
c        |
   p     |      .1645096   .0961979     1.71   0.087     -.0240348   .3530539
  pl     |      .1765639   .0901001     1.96   0.050     -.0000291   .3531569
   w     |      .7658011   .0347599    22.03   0.000     .6976729   .8339294
  _cons  |     16.55899   1.224401    13.52   0.000    14.15921   18.95877
-----+-----

```

i							
p		-.3565316	.2601568	-1.37	0.171	-.8664296	.1533664
p1		1.011299	.2487745	4.07	0.000	.5237098	1.498888
k1		-.2602	.0508694	-5.12	0.000	-.3599022	-.1604978
_cons		42.89629	10.59386	4.05	0.000	22.13271	63.65987

wp							
x		.3747792	.0311027	12.05	0.000	.3138191	.4357394
x1		.1936506	.0324018	5.98	0.000	.1301443	.257157
yr		.1679262	.0289291	5.80	0.000	.1112263	.2246261
_cons		2.624766	1.195559	2.20	0.028	.2815124	4.968019

Endogenous variables: c p w i wp x							
Exogenous variables: t wg g yr p1 x1 k1							

Hausman Test:

```
. reg c p w p1
```

Source	SS	df	MS	Number of obs = 21		
Model	923.549937	3	307.849979	F(3, 17)	=	292.71
Residual	17.8794524	17	1.05173249	Prob > F	=	0.0000
-----				R-squared	=	0.9810
-----				Adj R-squared	=	0.9777
Total	941.429389	20	47.0714695	Root MSE	=	1.0255

c	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
p	.1929343	.0912102	2.12	0.049	.0004977	.385371
w	.7962188	.0399439	19.93	0.000	.7119444	.8804931
p1	.0898847	.0906479	0.99	0.335	-.1013658	.2811351
_cons	16.2366	1.302698	12.46	0.000	13.48815	18.98506

```
. estimates store ols
```

```
. ivregress 2sls c p1 (p w=t wg g yr p1 x1 k1)
```

Instrumental variables (2SLS) regression				Number of obs = 21		
-----				Wald chi2(3)	=	837.28
-----				Prob > chi2	=	0.0000
-----				R-squared	=	0.9767
-----				Root MSE	=	1.0218

c	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
p	.0173022	.1180494	0.15	0.883	-.2140704	.2486748
w	.8101827	.0402497	20.13	0.000	.7312947	.8890707
p1	.2162338	.107268	2.02	0.044	.0059925	.4264752
_cons	16.55476	1.320793	12.53	0.000	13.96605	19.14346

```
Instrumented: p w
Instruments: p1 t wg g yr x1 k1
```

```
. estimates store twostage
```

```
. hausman twostage ols
```

---- Coefficients ----				
	(b)	(B)	(b-B)	sqrt(diag(V_b-V_B))
	twostage	ols	Difference	S.E.
p	.0173022	.1929343	-.1756322	.0749424
w	.8101827	.7962188	.0139639	.004952
p1	.2162338	.0898847	.1263492	.057353

b = consistent under H_0 and H_a ; obtained from ivregress
B = inconsistent under H_a , efficient under H_0 ; obtained from regress

Test: H_0 : difference in coefficients not systematic

```
chi2(3) = (b-B)'[(V_b-V_B)^(-1)](b-B)
          = 8.81
Prob>chi2 = 0.0319
(V_b-V_B is not positive definite)
```