

Assignment 2

Raveena Rungsittiwat
6404640978

① $q = f(K, L)$ in long run = no fixed factor, $MP_L = 6$ $MP_K = 8$
 drop K , get L

9) $MRTS = \frac{\Delta K}{\Delta L} = \frac{MP_L}{MP_K} = \frac{6}{8} = 0.75$ #

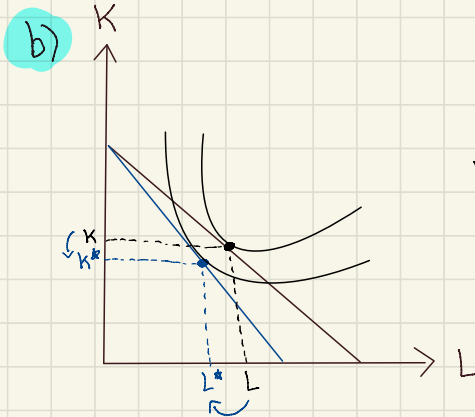
↓
marginal rate of
technical substitution
(= slope of Isocost)

∴ In order to keep the level of output the same, this firm needs to sacrifice
0.75 units of capital (ΔK) and get 1 unit of labor back. #

∴ Cost-minimization condition is $MRTS = MRMS$ (slope of isocost)
 ↓
slope of
Isocost

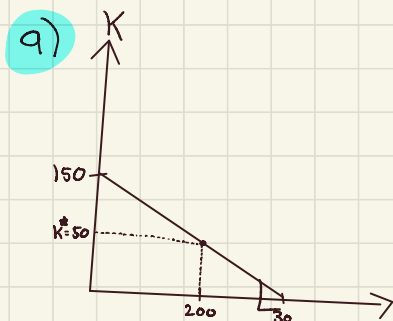
$$\frac{MP_L}{MP_K} = \frac{w}{r} \rightarrow \frac{MP_L}{w} = \frac{MP_K}{r} \rightarrow \frac{6}{3} = \frac{8}{r} \rightarrow r = 4$$

at q_0 , $r = \frac{3}{0.75} = \$4$ #
 ↑ wage rate
 ↓ MRTS



Wage Changes $3 \rightarrow 4$

2. $q = C(K, L)$ in long-run, require output = 3000



$$\begin{aligned} Q^* &= 3000 \quad TC = L \cdot w + K \cdot r \\ &= 200(10) + 50(20) \\ &= 3000 \end{aligned}$$

find intercept: $K=0 \rightarrow 3000 = 10L \rightarrow L=300$
 $L=0 \rightarrow 3000 = 20K \rightarrow K=150$

use to graph

∴ cost minimization $\rightarrow$ MRTS = MRMS
condition $\left| \frac{\partial K}{\partial L} \right| = \frac{w}{r}$

$$\left| \frac{-150}{300} \right| = \frac{10}{20} = \frac{1}{2} \quad \text{give 1 K gain 2 L} \quad \#$$

∴ The optimal choice in order to minimize the cost and keep the level of output, firm sacrifice 1 capital (K) and get 2 labor (L)

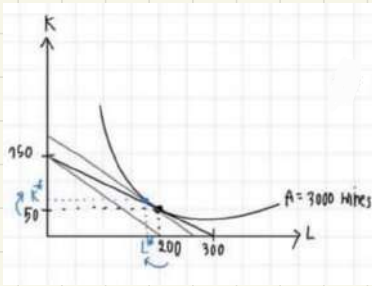
$$q(K^*, L^*) = q(50, 200) \quad \#$$

b) MP_L of 200^{th} labor = ?

$$\rightarrow \frac{MPL}{MPK} = \frac{w}{r}$$

$$\begin{aligned} MPL &= \frac{w}{r} \cdot MPK \\ &= \frac{10}{20} \cdot 8 \quad \text{MPK of 50th K} \\ &= 4 \cdot 4 = 16 \# \end{aligned}$$

c)



$\rightarrow$ Input for L increases

$$10 \rightarrow 15$$

$$3000 = 15L + 20K$$

when $L=0$: $3000=20K$; $K=150$
 $K=0$; $3000=15L$; $L=200$

d). In short-run production, at least 1 factor is fixed as firms take time to expand (K)

In long-run production,

all FOP are variable and can be adjusted.

$\therefore$ when $w \uparrow$, in order to

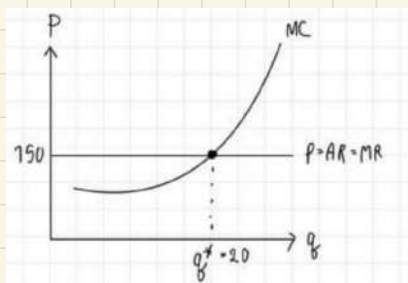
keep the same level of output, using less labor but more capital.

The production becomes more capital-intensive

#

3. perfectly competitive, 150/unit,

a.)



∴ Profit-maximization condition
: $MC = MR$

b.) $q^* = 20$ $ATC = 180$ $AFC = 60$

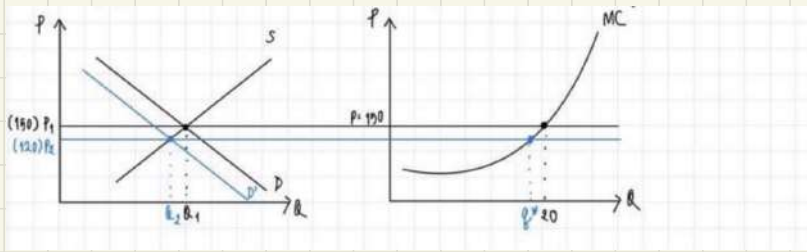
- $AVC = ATC - AFC = 180 - 60 = 120$ baht
- $TR = P \cdot q = 150 \cdot 20 = 3000$ baht
- $TC = ATC \cdot q = 180 \cdot 20 = 3600$ baht
- Profit = $TR - TC = 3000 - 3600 = -600$ baht

c.)

Yes the firm still should stay in the short-run market even though facing loss.

This is because the firm is in the least lost situation where $P > AVC$. The difference btw P and AVC still can use for paying the fixed costs since in short-run, fixed factors can't be adjusted.

d.7

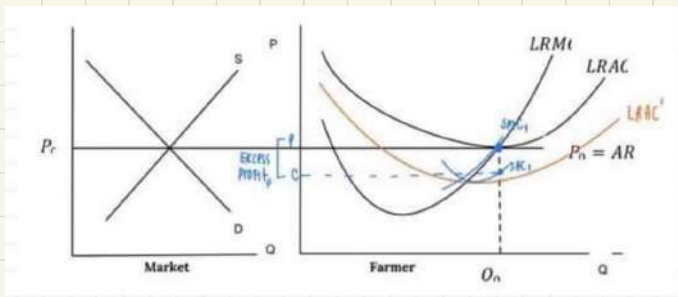


- when price market drops from $150 \rightarrow 120$, the equilibrium quantity and profit will be drop.
- Now $P = MC$, Keep producing at q^* or stop are indifferent.

4.) long-run eqbm, perfectly competitive

9.7 Subsidy will decrease TC. This makes LRAC drops. Since farmer is a price taker in the perfect competition, the competitive price and eqbm quantity remain constant. So, LRMC has no change as there is no change in q .

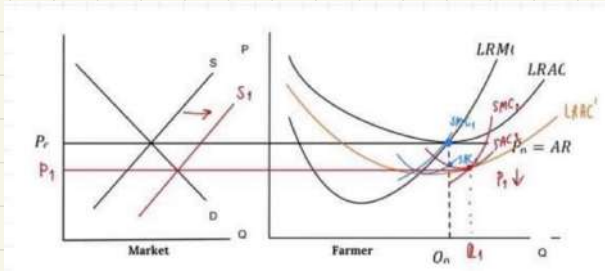
b.) No, because the profit maximization is when $P = LRMC$. Both P and $LRMC$ do not change, the optimal quantity to maximize profit will be the same (Q_0)



when $LRAC \downarrow$ SAC at Q_0 gives average cost C .

when $P > C$, there is "excess profit"

C. In long-run, excess profit will attract new farmers to market $\rightarrow$ supply $\uparrow$

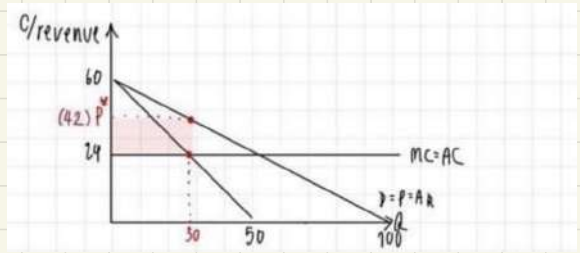


When supply $\uparrow$, This leads to Price drop in market.

This will increase the optimal quantity to maximize profit.

5. a.) When D is linear, MR is 2 times Steeper

$$= MR: P = 60 - 1.2Q \quad \#$$



b) Profit - maximizing condition

$$MR = MC$$

$$60 - 1.2Q = 24$$

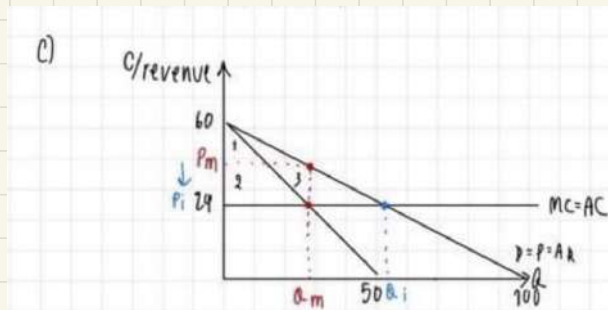
$$Q^* = 30 \text{ units} \quad \#$$

$$P = 60 - 0.6(30) = 42$$

$$\begin{aligned} \therefore \text{profit} (\pi) &= (P - c) \cdot Q \\ &= (42 - 24) \cdot 30 = 540 \text{ MB} \quad \# \end{aligned}$$

area shaded

C.)



- Ideal price : $P = MC$
- quantity $\uparrow$ from $Q_m \rightarrow Q_i$
- before intervention
 $CS = 1$ $PS = 2(24)$ $DWL = 3$
- after intervention
 $CS = 1+2+3$ $PS = -$ $DWL = -$

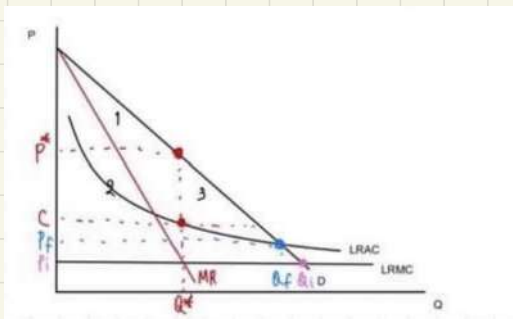
Therefore, Intervention prevents HL

from taking the advantages from

Consumer and removes the DWL .

6.

9.7



$$\text{Eqbm } Q^* : MR = LRMC$$

$$CS = 1$$

$$DWL = 3$$

$$\text{producers profit} = 2$$

$$\downarrow (P^* - C) \cdot Q^*$$

b.) Lerner's index $\rightarrow i = \frac{P - mc}{P} \rightarrow \frac{50 - 10}{50} = 0.8$ #

c.) Ideal price $\rightarrow P = mc \rightarrow 10\$$ #

(at P_i , Firm faces loss bc $P < LRAC$)

d.) Fair price $\rightarrow P = LRAC$ #

(at P_f , no DWL bc firm is at normal profit).