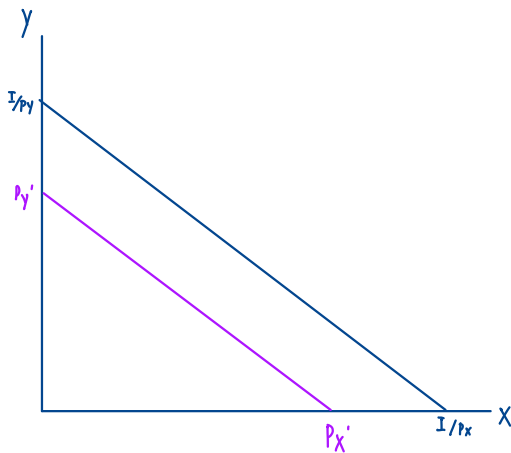


#1 If the price P_x and P_y increase 10% at the same time, with income remaining unchanged, show that this is equivalent to a reduction in income.

#2 Demonstrate how PCC with varying price P_y , (P_x and Income are fixed) can give us the price elasticity of Y to be equal to, less than, or greater than 1 in absolute value

7. A college student has two options for meals: eating at the dining hall for \$6 per meal, or eating a Cup O' Soup for \$1.50 per meal. Her weekly food budget is \$60.
- Draw the budget constraint showing the trade-off between dining-hall meals and Cups O' Soup. Assuming that she spends equal amounts on both goods, draw an indifference curve showing the optimum choice. Label the optimum as point A.
 - Suppose the price of a Cup O' Soup now rises to \$2. Using your diagram from [part \(a\)](#), show the consequences of this change in price. Assume that our student now spends only 30 percent of her income on dining-hall meals. Label the new optimum as point B.
 - What happened to the quantity of Cups O' Soup consumed as a result of this price change? What does this result say about the income and substitution effects? Explain.
 - Use points A and B to draw a demand curve for Cup O' Soup. What is this type of good called?

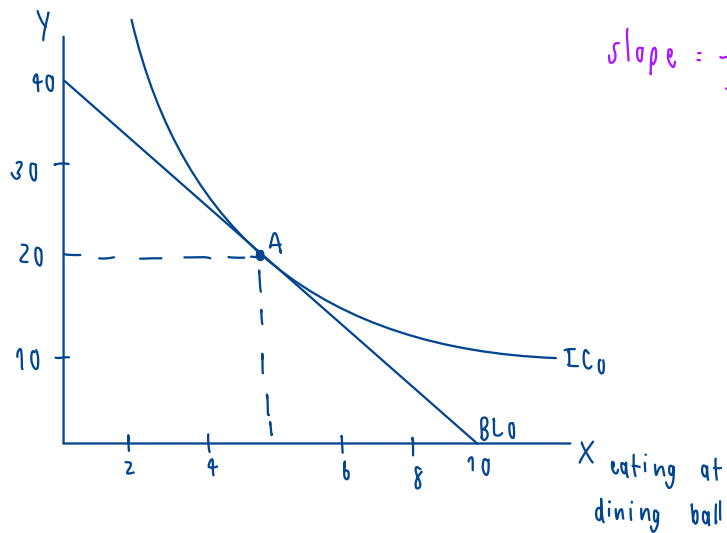
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from the graph, if the price change at the same time and the same rate leads to inflation.

(a.)

eating a cup o' soup



$$\text{slope} = -\frac{P_x}{P_y} = -\frac{40}{10} = -4$$

let $x \rightarrow$ eating at the dining hall ($\$ 6/\text{meal}$)

let $y \rightarrow$ eating a cup o' soup ($\$ 1.5/\text{meal}$)

her budget = $\$ 60$

$$BL_0 = P_x x + P_y y = 60$$

$$6x + 1.5y = 60$$

$$x=0, y=40$$

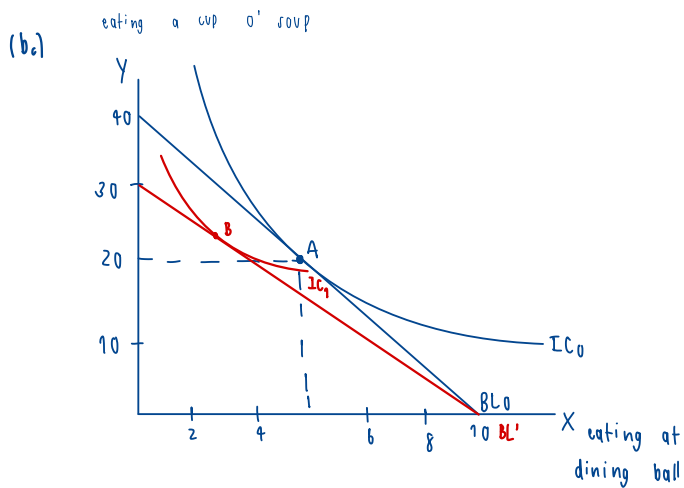
$$x=10, y=0$$

\therefore If she want to eat 1 meal at dining hall, she have to trade off 4 meal of eating a cup o' soup. And she spend equal amount on both

goods $\rightarrow 6x = 30 \rightarrow x = 5$

$$1.5y = 30 \rightarrow y = 20$$

\therefore At point A = she spends equal on both goods.



the price of cup o' soup rises to $\$2$ (from $1,5$)

$$6x + 2y = 60$$

$$x = 0, y = 30$$

$$x = 10, y = 0$$

now, the student spends only 30% of her budget on dining hall meals

$$\frac{30}{100} (60) = \$18 = P_x$$

$$18 + 2y = 60$$

$$2y = 42$$

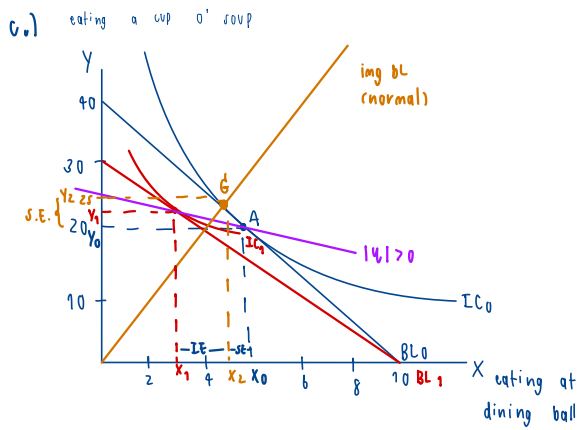
$$y = 21$$

can spend only $\$42$ on cup o' soup.

$$6x = 18, 2y = 42$$

$$x = 3, y = 21$$

At point $B = (3, 21)$ is the optimum



from A to B

total effect $\Delta X = X_1 - X_0$

$\Delta Y = Y_1 - Y_0$

slope of BL change from

$IC_0; \frac{P_x}{P_y} = 1 \rightarrow \frac{P_x'}{P_y} = \frac{30}{10} = 3$

she can consume less because the price of cup o' soup has increased.

from A to G \rightarrow sub effect

G can be determined by drawing an "imaginary budget line" that has the same slope as the new budget line $\frac{P_x'}{P_y} = 3$

to be tangent to the original IC_0 at G.

• sub effect for $X = X_0 - X_2$

for $Y = Y_2 - Y_0$

• Income effect - from G to B

change in $x = X_2 - X_1$

$Y = Y_2 - Y_1$

