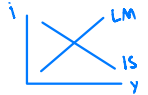


Exercise 6 -

- The IS-LM Model is a general equilibrium model, which means that... 2 + markets are in equilibrium at the same time with common price. There are... 2... markets, which are... good & service and money markets. The price that clears these markets is... interest rate (i). The IS curve represents a... negative... relationship between... i... and... real Y. This is because... when i increases, it discourages investment, so both AE and output Y decrease. The LM curve represents a... positive... relationship between... i... and... real Y. This is because... when income Y increases, money demand increases so i is reduced to lower Md $\Rightarrow$ M.S. = Md. Each point on the IS curve is an equilibrium in the... G.S.S.... market. Therefore, we have the equilibrium condition: $Y = AE = C + I + G$. Each point on the LM curve is an equilibrium in the... money... market. Therefore, we have the equilibrium condition: $\frac{M}{P} = L(Y, i)$.

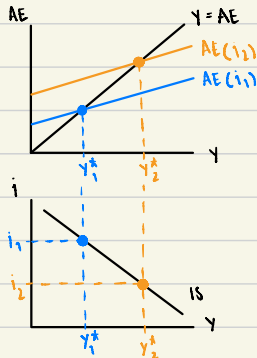


- Ceteris Paribus (other things equal), how will each variable affect each curve - shift (to which direction?) or movement?

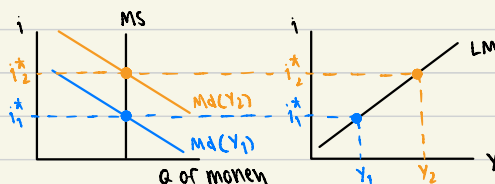
Variable	IS Curve	LM Curve
$i \uparrow$	movement up	movement up
$G \downarrow$	shifts to the left	-
$T \downarrow$ BBM	shifts to the right	-
$G \& T \uparrow$ equally	shifts to the right	-
$M \downarrow$	-	shifts to the left
$P \downarrow$	-	shifts to the right

$$M_S = \frac{M}{P}$$

- derive IS :



derive LM:



4. 1) I_1 = sensitivity of investment to changes in interest rate, i
 L_Y = sensitivity of money demand to changes in income, Y
 L_i = sensitivity of money demand to changes in interest rate, i
- 2) Interest rate has negative relationships with money demand and investment
- 3) $Y = AE = C_0 + C_1(Y - T_0) + I_0 - I_1 i + G_0$

$$I_1 i = C_0 + C_1 Y - C_1 T_0 + I_0 + G_0 - Y$$

$$i = \left(\frac{1}{I_1} \right) C_0 + I_0 + G_0 - C_1 T_0 + \left(\frac{C_1 - 1}{I_1} \right) Y$$

$$4) \text{ slope of IS} = -\frac{1 - C_1}{I_1}$$

$$5) MS = Md \Leftrightarrow \frac{M_0}{P_0} = L_Y Y - L_i i \Leftrightarrow i = \left(\frac{L_Y}{L_i} \right) Y - \left(\frac{1}{L_i} \right) \frac{M_0}{P_0}$$

$$6) \text{ slope of LM} = \frac{L_Y}{L_i}$$

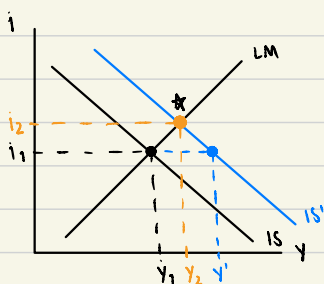
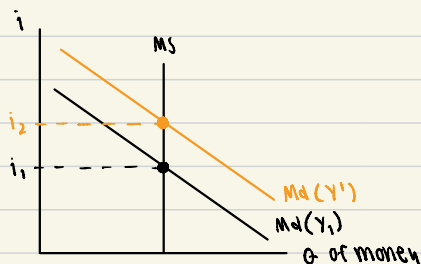
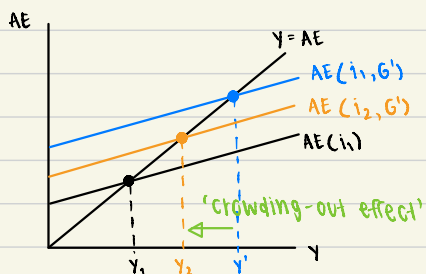
5. IS slope depends on I_1 and investment multiplier $\left(\frac{1}{1 - C_1} \right)$:

- large $I_1 \Rightarrow$ change in i leads to large change in I , AE & Y
 - large investment multiplier $\Rightarrow$ change in i & I lead to large change in Y
- } flat IS curve

LM slope depends on L_Y and L_i :

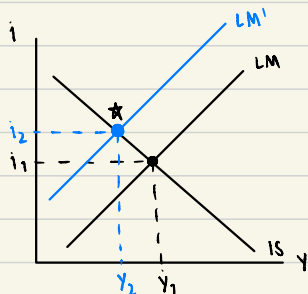
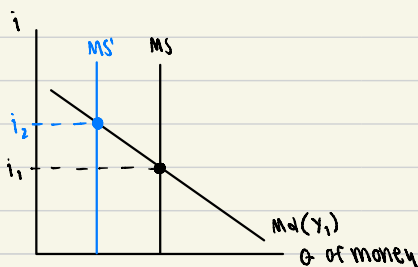
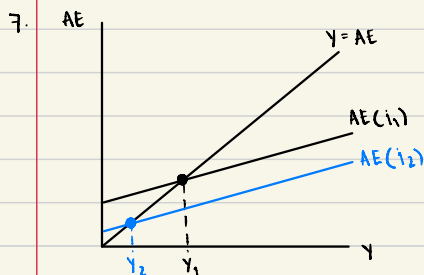
- large $L_Y \Rightarrow$ change in income Y leads to large change in Md & i
 - small $L_i \Rightarrow$ change in i leads to small change in Md & Y
- } steep LM curve
- to reach equilibrium
to reach $Md = MS$

6. crowding-out effect: when private investment & Y fall when government spending increases due to higher interest rate



expansionary fiscal policy:

1. GM: $G \uparrow$, $AE \uparrow$, $Y \uparrow$
2. MM: $Y \uparrow$, $M_d \uparrow$, $i \uparrow$ so $M_d \downarrow$ and remain equilibrium
3. GM: $i \uparrow$, $G \downarrow$, $AE \downarrow$, $Y \downarrow$ - crowding-out effect



contractionary monetary policy:

1. MM: $MS \downarrow$, $i \uparrow$
2. GM: $i \uparrow$, $I \downarrow$, $AE \downarrow$, $Y \downarrow$

8. 1) good & service market in equilibrium,
money market is not

2) 1. MM: $MS \uparrow$, $i \uparrow$ to pt. A

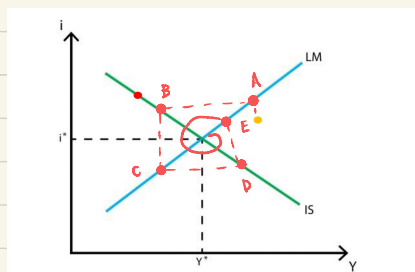
2. GM: $i \uparrow$, $J \downarrow$, $AE \downarrow$, $Y \downarrow$ A to B

3. MM: $Y \downarrow$, $Md \downarrow$, $i \downarrow$ B to C

4. GM: $i \downarrow$, $J \uparrow$, $AE \uparrow$, $Y \uparrow$ C to D

5. MM: $Y \uparrow$, $Md \uparrow$, $i \uparrow$ D to E

continue until it reaches (Y^*, i^*) , follow the phase diagram!



9. 1) high MPC = high investment multiplier = flat IS curve $\Rightarrow$ monetary

2) small J_1 = steep IS curve $\Rightarrow$ fiscal

3) large L_1 = flat LM curve $\Rightarrow$ fiscal

4) large L_2 = steep LM curve $\Rightarrow$ monetary

10. 1) $Y = AE = 100 + 0.5(Y - 40) + 80 - 100i + 40 = 200 + 0.5Y - 100i$

$$i = 2 - 0.005Y$$

$$2) MS = Md \Leftrightarrow \frac{400}{2} = 0.5Y - 200i \Leftrightarrow i = 0.0025Y - 1$$

$$3) IS = LM \Leftrightarrow 2 - 0.005Y = 0.0025Y - 1$$

$$Y^* = \frac{3}{0.0075} = \underline{400} \quad i^* = 2 - 0.005(400) = \underline{0.1}$$