

DEMAND FOR AND SUPPLY OF HEALTH CARE

EE 474 Health Economics

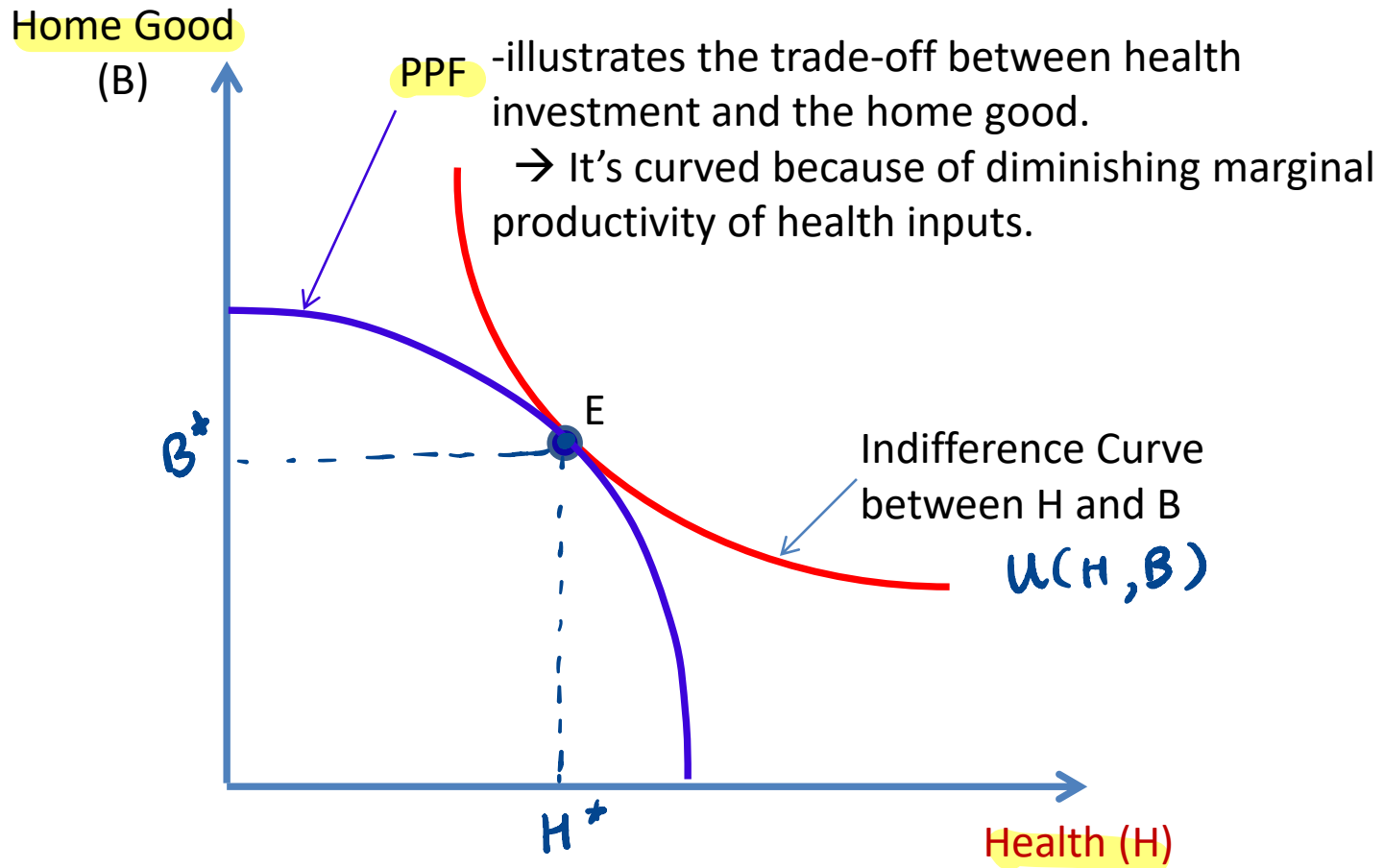
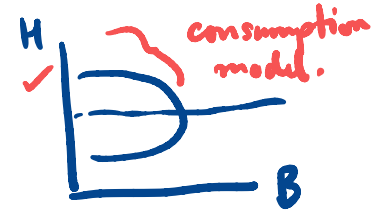
Semester 2/2021

DEMAND FOR HEALTH CARE

Topics

- Demand for Health Capital (Revisited)
- Demand for Health and Health Care
- Demand for Health Care in the Standard Budget Constraint Model
- Comparative Statics - *Factors affecting medical care. health care.*
- Empirical Studies
- Other Variables Affecting Demand

Recall: Demand for Health Capital



Switching from Health Capital (H) to Medical Care (M)

health care : $H = f(\text{health care})$
(M)

- Now, we want to derive *the demand for medical care*.
 - We've shown that $H=f(M)$, so the demand for M is derived from the demand for H. *↑ health capital*
- Consider *the utility as a function of other good (Y) and medical care (M)*, rather than health (H): $U = U(Y, M)$
- Assume that M is homogeneous and represents the number of units of medical care.
- The *budget line* is a straight line because each unit of M costs the same number of dollars and means the same reduction in Y.
 - The *slope of the budget constraint* is constant.

Consumer's Maximization Problem

- The consumer's problem now is:

Maximize $U = U(Y, M)$

subject to $I = P_M * M + P_Y * Y$,

where I = total income,

P_M = Medical care price per unit

P_Y = Price per unit of other goods

- Let $P_Y = 1$. So, the budget can be simplified to

- $I = P_M^* M + Y^*$

$$\Rightarrow Y^* = I - \underbrace{P_M^* M}_{\text{slope}}$$

Standard Budget Constraint Model

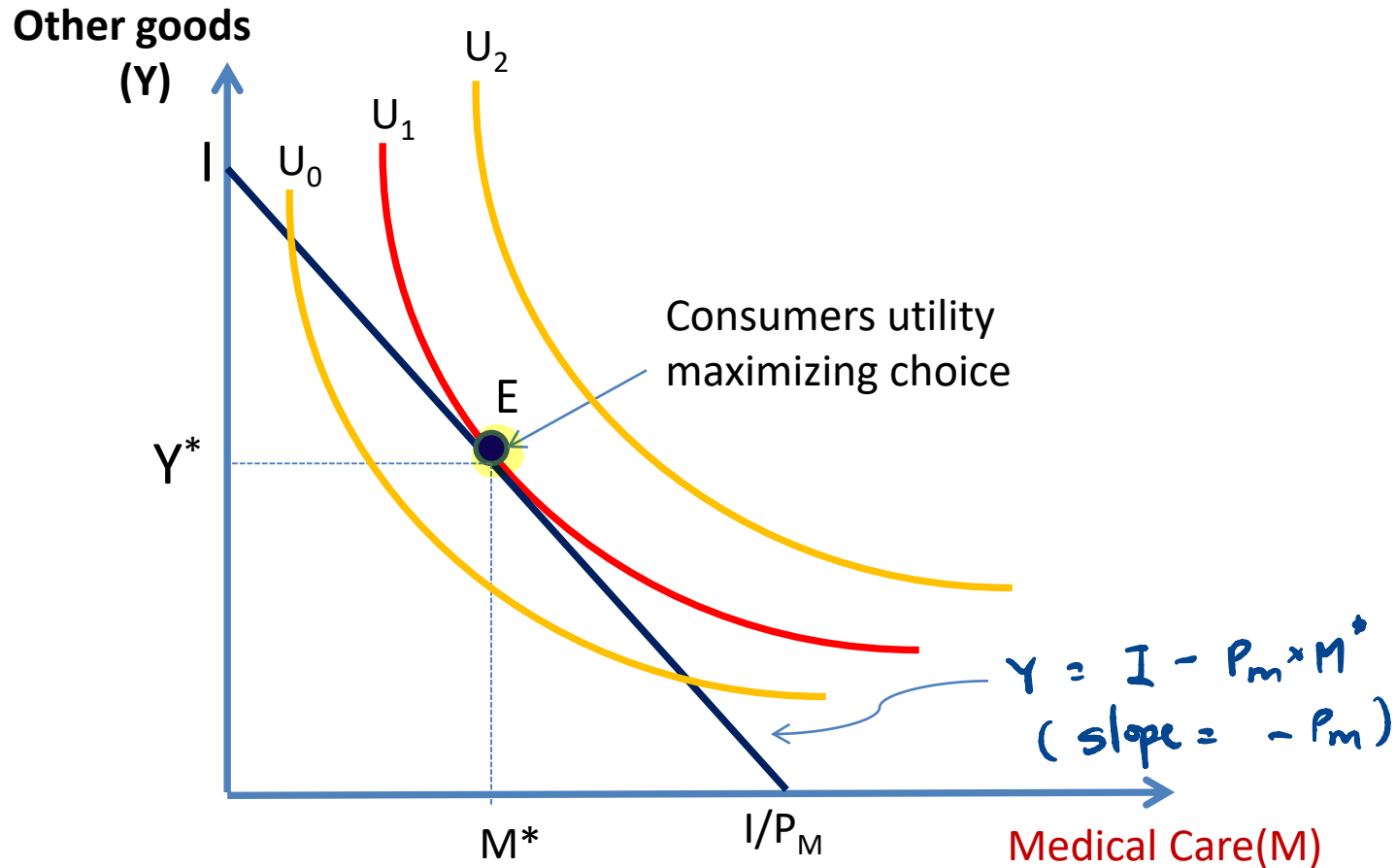
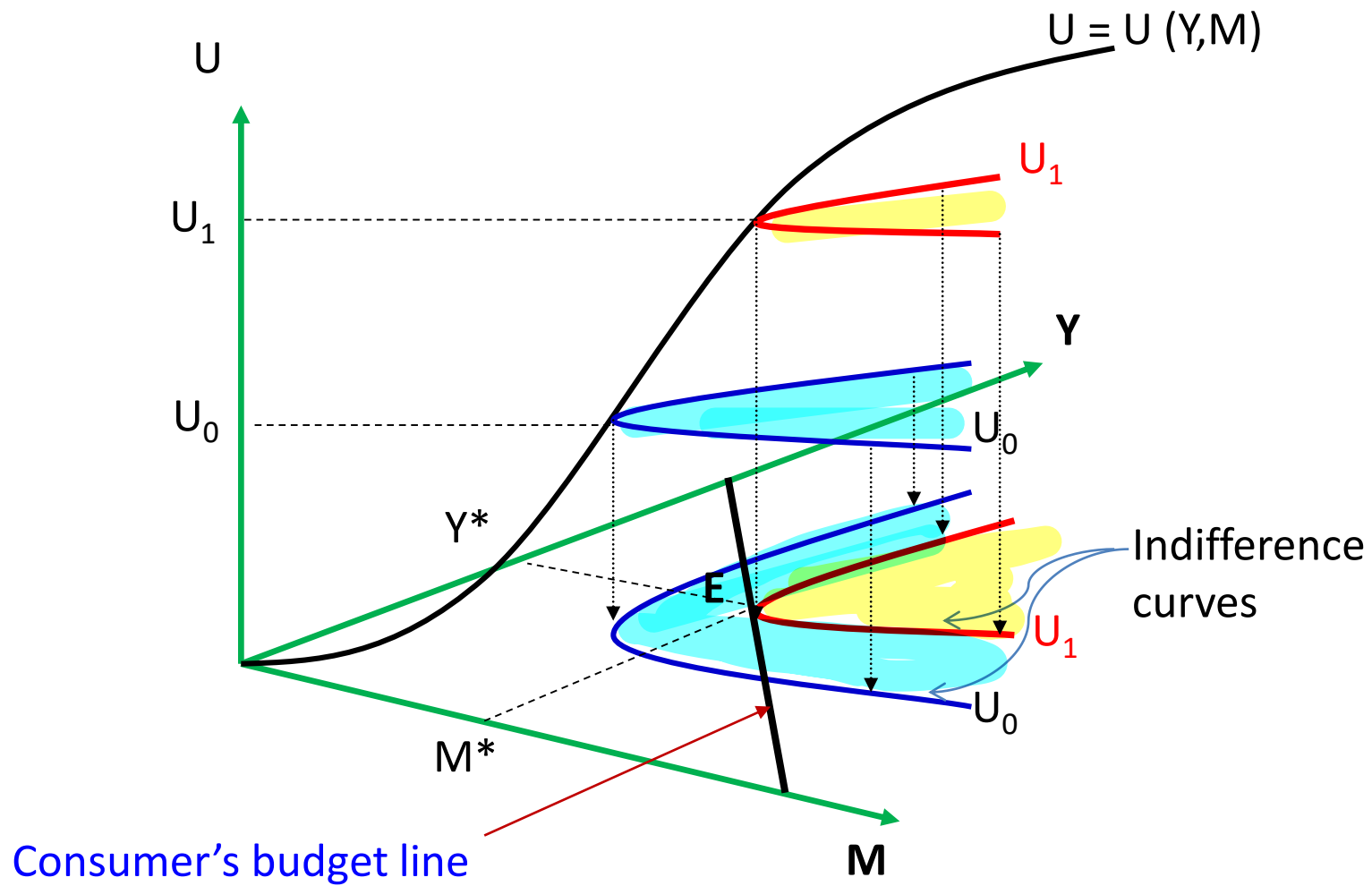


Illustration of $U = U(Y, M)$ in a 3-space diagram.



Utility Maximization

— Tangency of IC and BL.

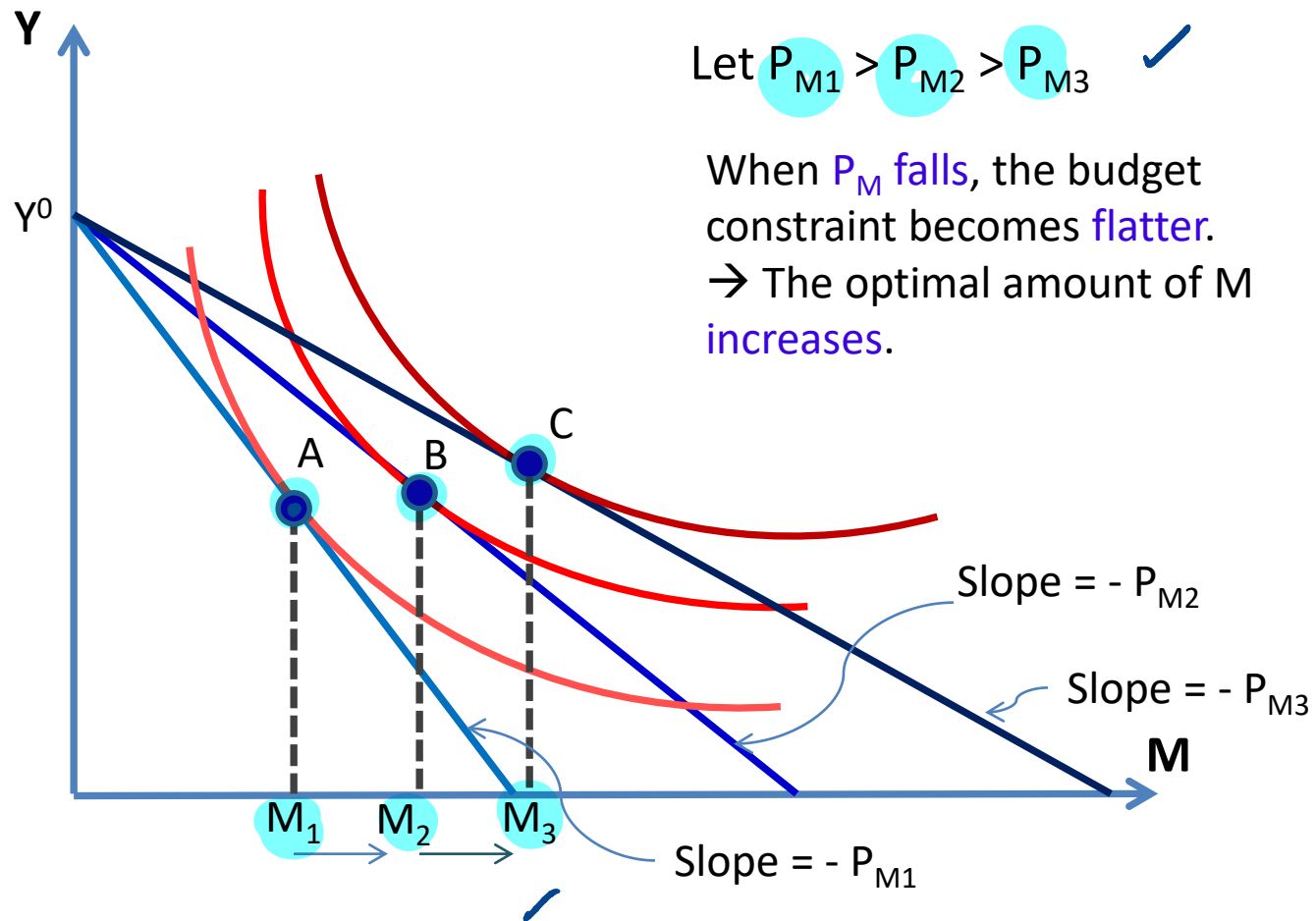
- At point E the slope of indifference curve U_1 (marginal rate of substitution) is just equal to the price ratio:

$$MRS_{MY} = \frac{-MU_M}{MU_Y} = -P_M$$

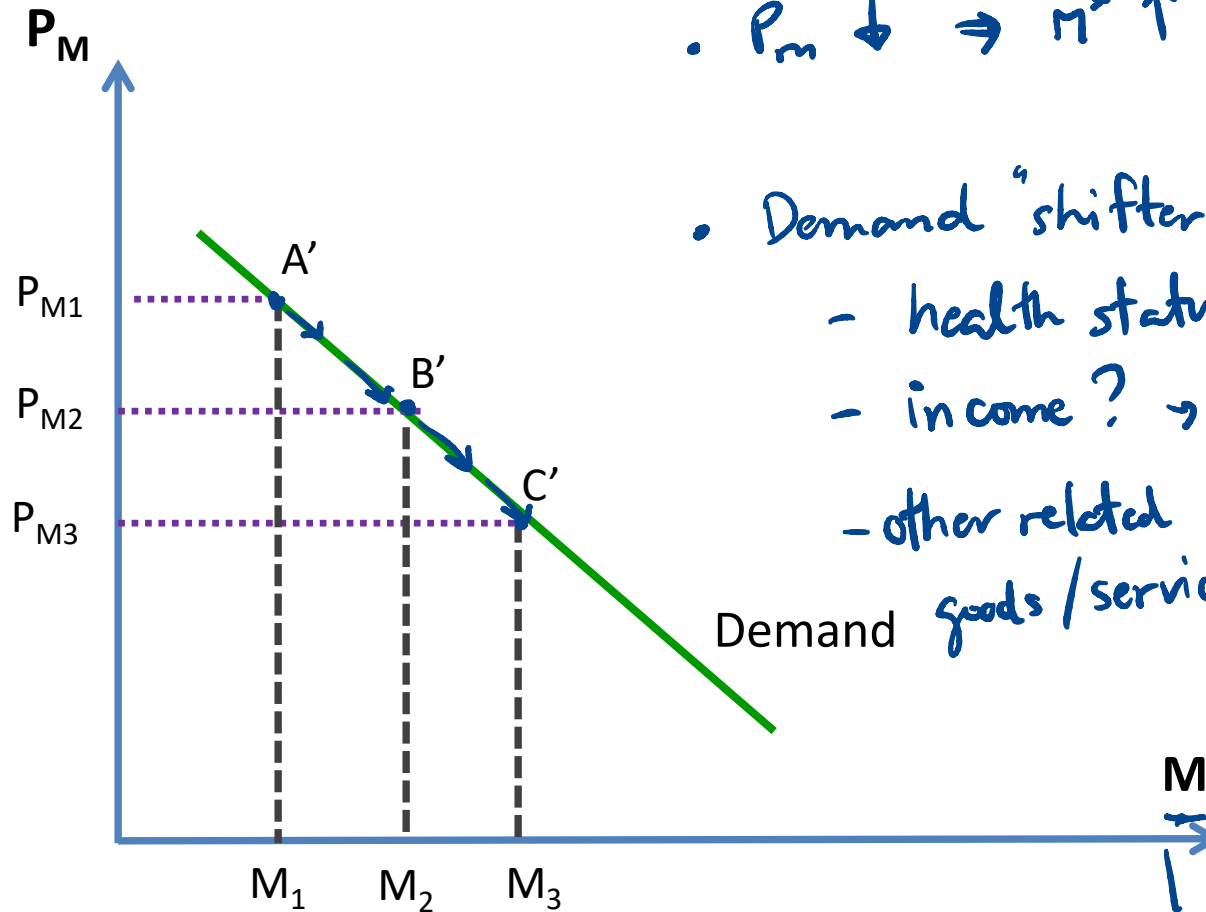
$$\Rightarrow |MRS| = \left| \frac{MU_M}{MU_Y} \right| = |P_M|$$

- The marginal rate of substitution (MRS) is a measure of the rate at which a consumer is *willing* to trade other goods for medical care.
- The price ratio is a measure of the rate at which a consumer *can* trade other goods for medical care.

What Happens when P_M Falls?



The Demand for Medical Care



• $P_M \downarrow \Rightarrow M^* \uparrow$ (movement along D_M)

• Demand "shifter's":

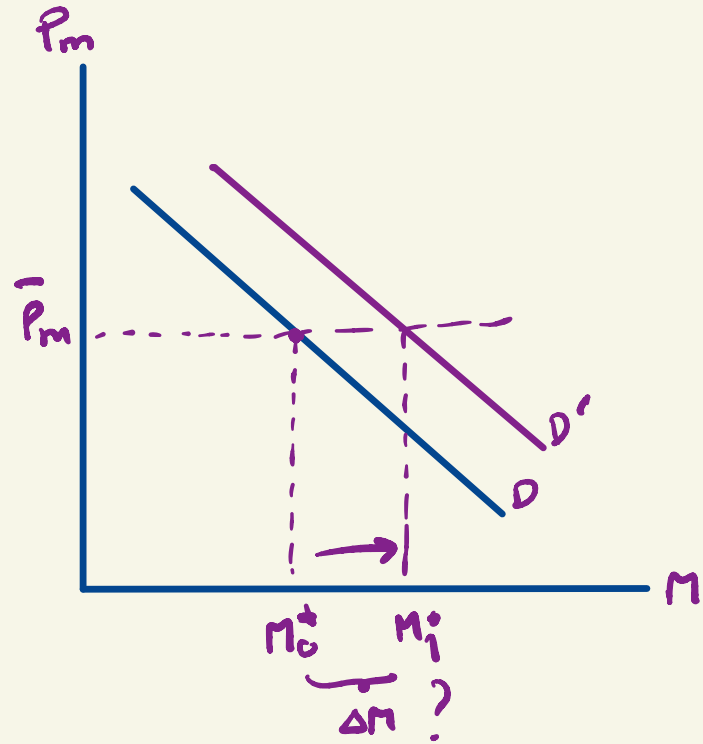
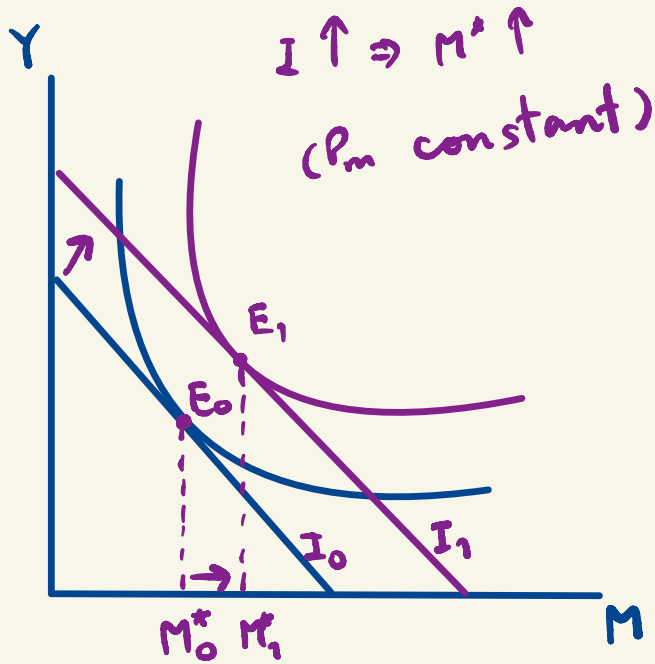
- health status
- income? \rightarrow depends on health status
- other related goods/services.

eg. surgical mask

Comparative Statics

- **Comparative statics** is a type of analysis where the original equilibrium is identified, and after a change occurs, the new equilibrium is compared to the old one. *exogenous*
- We will consider how the following changes affect the demand for medical care.
 - ✓ • Change in **health status**
 - ✓ • A decrease in **medical care price**
 - ✓ • An increase in **income** ✓
 - ✓ • An increase in the **price of a substitute** (or **complement**) ✓
 - * • Two other factors that affect demand for medical care:
 - **Time cost**
 - **Coinsurance** → *proportion / fixed payment, payment that consumers share a part of total health expenditure.*

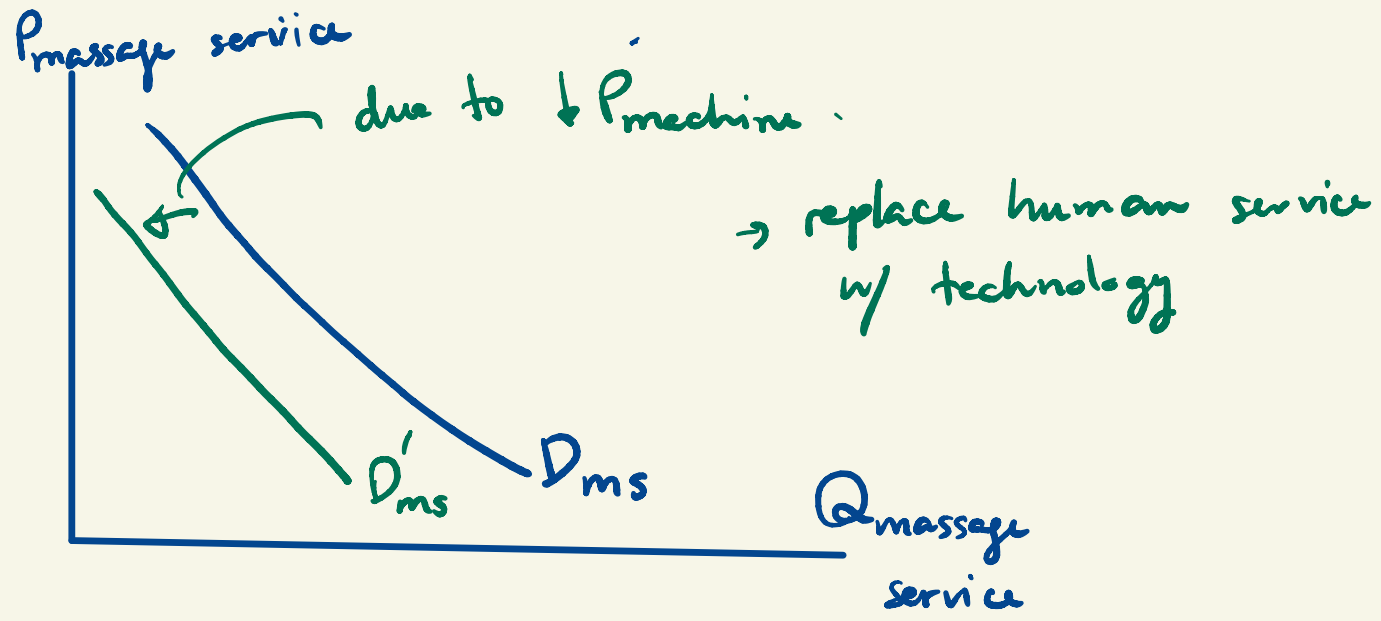
Impact of income change on D_m



$$\epsilon_1 = \frac{\% \Delta M}{\% \Delta I} = \frac{\Delta M / M}{\Delta I / I} ; |\epsilon_1| > 0$$

Change of Price of massage machine, (P_{mach})

$P_{mach} \downarrow \Rightarrow D_{massage} ?$ Thai massage service substitute



Role of Time

"congestion"

- Suppose the medical care is physician visits.
- The **total cost** of a **physician visit** might include both the **money price** of the visit itself and the **cost of being away from work and not getting paid**:

$$\rightarrow P_F = P_M + P_T = P_M + wT,$$

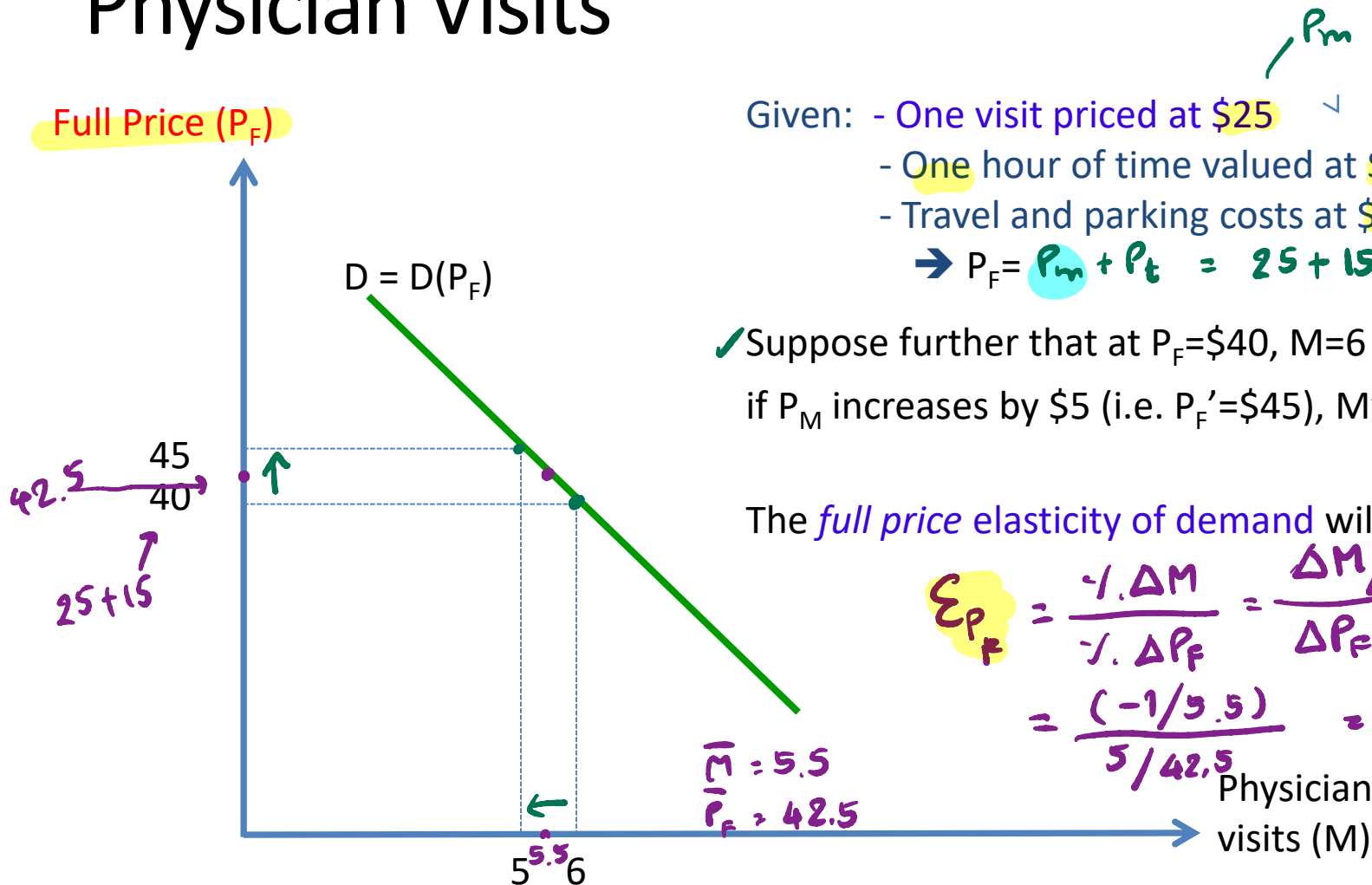
Where P_F = Full price, P_M = Money price, P_T = Time price, w = wage rate, and T is time spent in obtaining care.

foregone earnings.

- So, the **longer the time (T)** involved in traveling, waiting, and receiving services, the **higher the total price of medical care**, and the **smaller the quantity demanded**.
- Similarly for higher wages (w) **higher the time price**.

"What money can't buy"

Example: Demand and Time Price for Physician Visits



- Given:
- One visit priced at \$25
 - One hour of time valued at \$10
 - Travel and parking costs at \$5
- $\rightarrow P_F = P_m + P_t = 25 + 15 = 40$

✓ Suppose further that at $P_F = \$40$, $M = 6$ and if P_M increases by \$5 (i.e. $P_F' = \$45$), $M' = 5$.

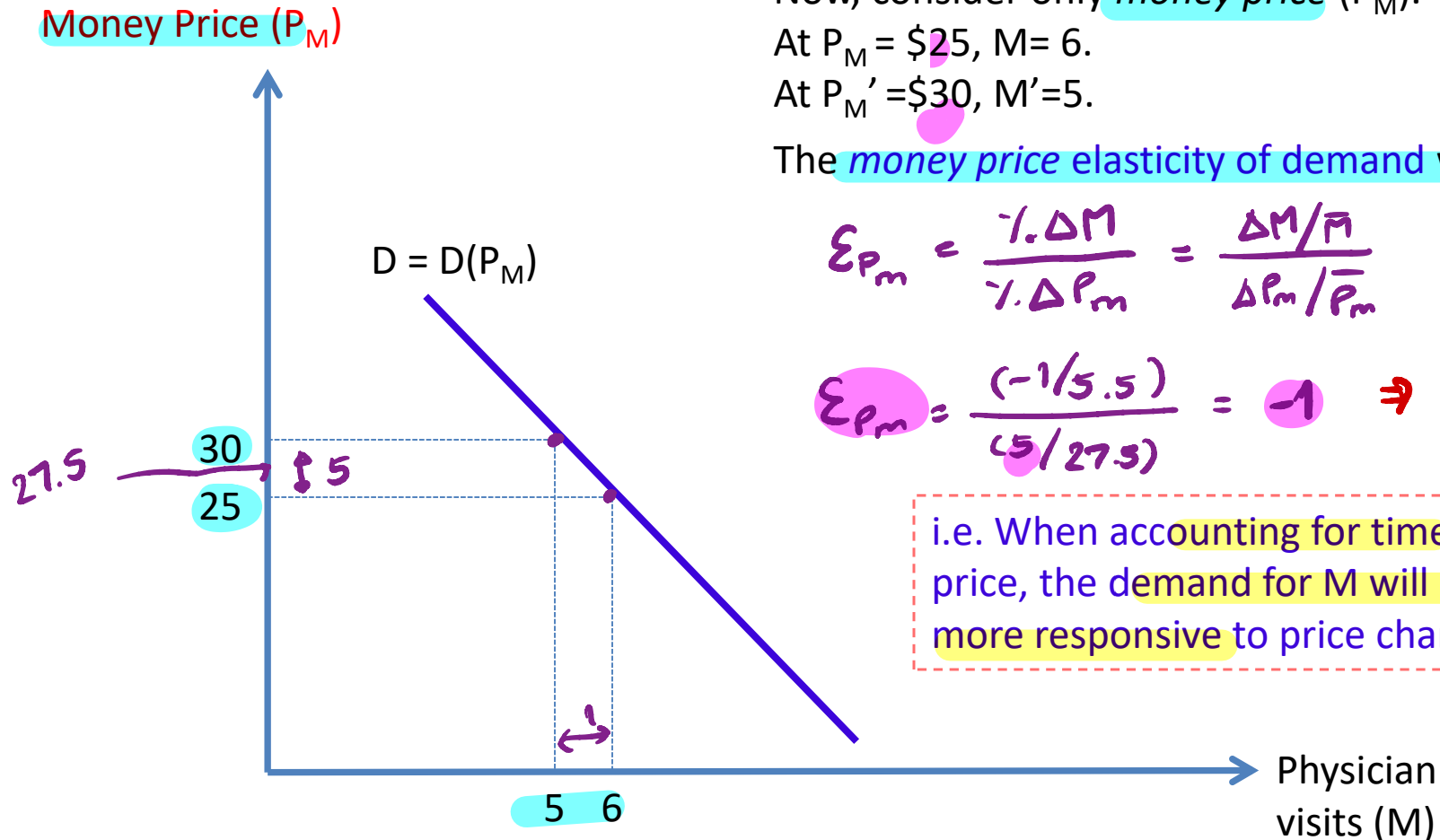
The *full price* elasticity of demand will be:

$$\epsilon_{P_F} = \frac{-1 \cdot \Delta M}{-1 \cdot \Delta P_F} = \frac{\Delta M / M}{\Delta P_F / P_F}$$

$$= \frac{(-1 / 5.5)}{5 / 42.5} = -1.545$$

$$\epsilon_d = \frac{-1 \cdot \Delta Q_0}{-1 \cdot \Delta P} = \frac{\Delta Q_0 / Q_0}{\Delta P / P}$$

Example: Demand and Time Price for Physician Visits (cont'd)



Now, consider only *money price* (P_M).

At $P_M = \$25$, $M = 6$.

At $P_M' = \$30$, $M' = 5$.

The *money price elasticity of demand* will be:

$$\epsilon_{P_M} = \frac{\% \Delta M}{\% \Delta P_M} = \frac{\Delta M / \bar{M}}{\Delta P_M / \bar{P}_M}$$

$$\epsilon_{P_M} = \frac{(-1/5.5)}{(5/27.5)} = -1 \Rightarrow |\epsilon_{P_M}| < |\epsilon_{P_F}|$$

↓ 1.5
↓ 1.5

i.e. When accounting for time price, the demand for M will be more responsive to price change.

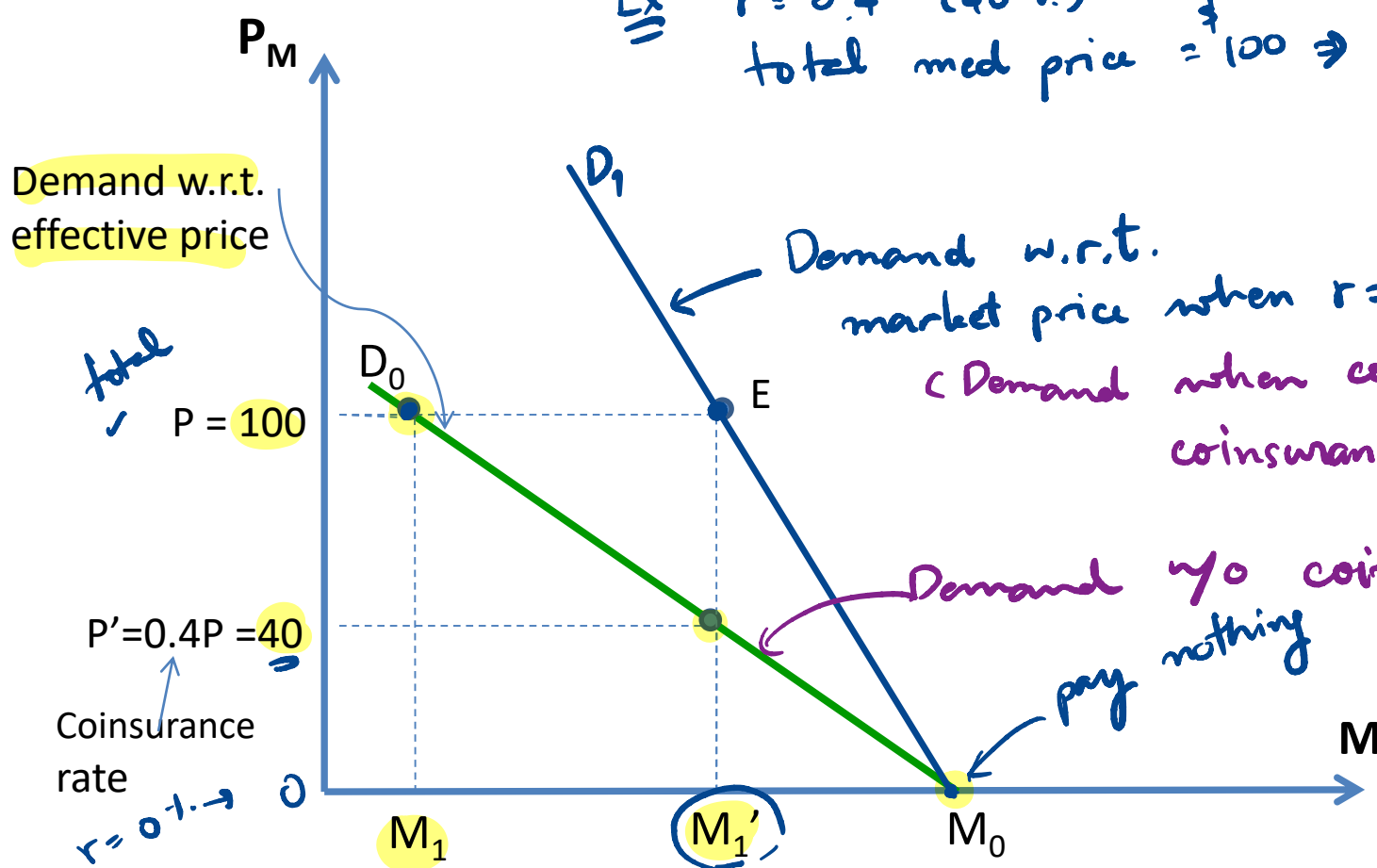
Applications: Time Costs

- People with **lower opportunity costs of time** would be **more likely tolerate or endure long waiting times** in clinics or physician offices. → *Public hospital services*
- Even for the poor whose medical care is subsidized, they still have to pay for the time costs.
 - Examples: *program for the poor and disadvantage group.*
 - Medicaid in the US,
 - UC Scheme in Thailand (long waiting time) — *obstacle to seek health care.*
 - Solutions:
 - Build health facilities near people's residence *District hospitals.*
 - ??? *small clinics*
 - *self-prescription.*
 - *(self-medication).*

Role of a Coinsurance Rate

rate at which patients pay out of total health expenditure.

Ex $r = 0.4$ (40%)
total med price = \$100 \Rightarrow patient pays \$40.

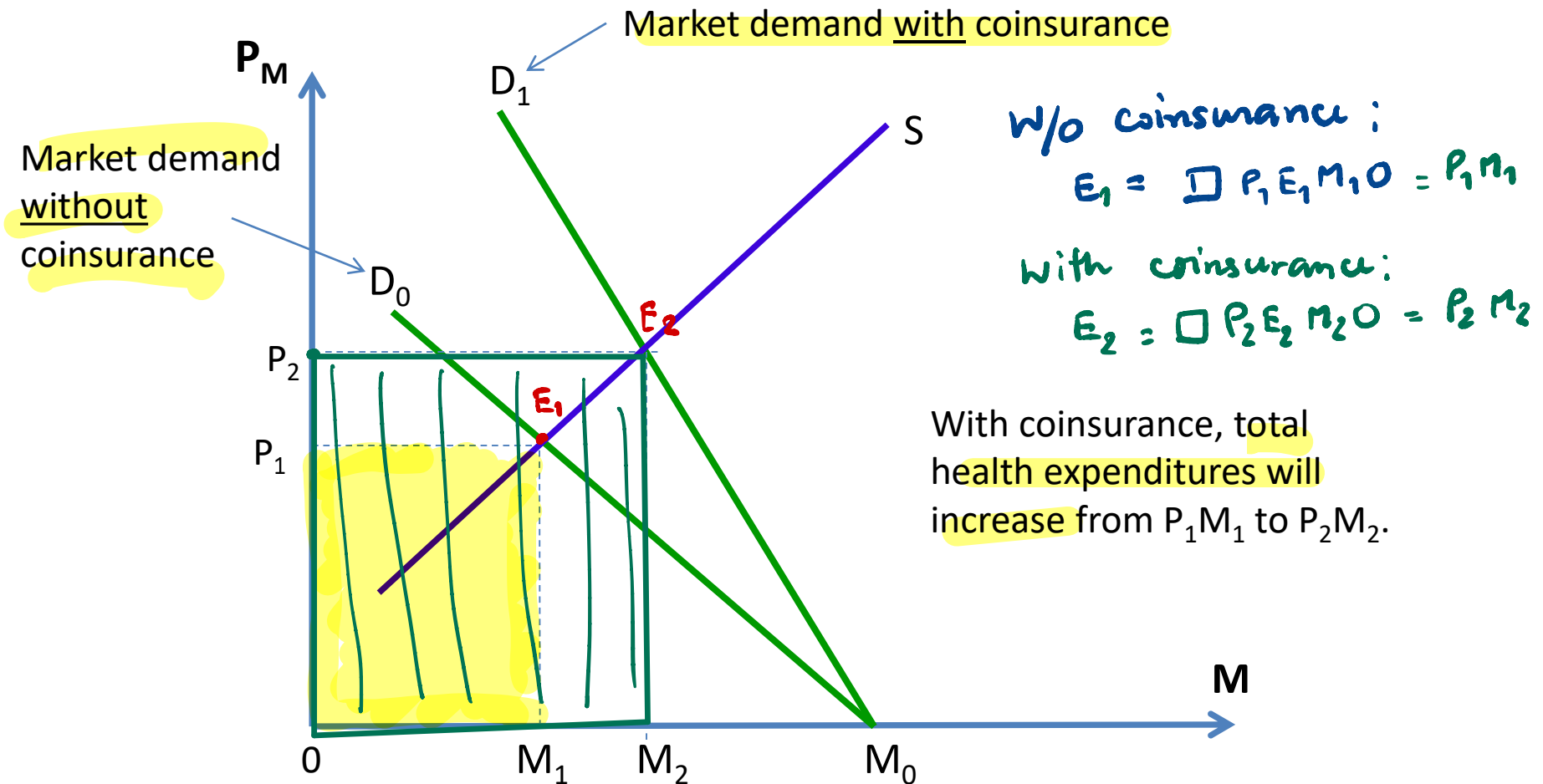


Demand w.r.t. market price when $r = 0.4$
(Demand when considering coinsurance payment)

0% coinsurance, pay nothing

reduce demand

Market Effects



Empirical Studies

- Demand function for physician visits (V) can be written as:

$$Q_m \quad V = f(P, r, t, P_0, Y, HS, AGE, ED, \dots)$$

where P = price per visit,

r = patient's coinsurance rate,

t = time price,

P_0 = price of other goods,

Y = income,

HS = the patient's health status,

AGE = age, ED = education

$$dv \approx \Delta V$$

$$dp \approx \Delta P$$

- 'Usual' econometric specification for the above demand function:

$$V = b_0 + b_1 P + b_2 r + b_3 t + b_4 P_0 + b_5 Y + b_6 HS + b_7 AGE + b_8 ED + \varepsilon$$

or $\ln V = b_0 + b_1 \ln P + b_2 r + b_3 t + b_4 P_0 + b_5 Y + b_6 HS + b_7 AGE + b_8 ED + \varepsilon$

$$\rightarrow b_1 = \frac{d(\ln V)}{d(\ln P)} = \left(\frac{1}{V} \cdot dv \right) / \left(\frac{1}{P} \cdot dp \right) = \frac{dv}{dp} \cdot \frac{P}{V} = \varepsilon_P$$

Issues in Empirical Studies on the Demand for Medical Care

- Measurement
 - Measure “medical care/services” in monetary values
 - One problem is that expenditures reflect a complex combination of price of care, quantities of care, and qualities of care
 - Alternative measures : *quantity of visits, patient days, or cases treated*
 - Still have problems with the intensity of care.
- Definition of the price of services → *affect demand estimation*
 - Many patients do not pay the full price for their treatments.
- Differences in study populations

Example: Price Elasticities - sensitivity to price change

b_1

Study	Dependent Variable	Price Elasticity
All Expenditures: Manning et al. (1987)	All expenditures	-0.17 to -0.22
Physician Services:		
Newhouse and Phelps (1976)	Physician office visits	-0.08
Cromwell and Mitchell (1986)	Surgical services	-0.14 to -0.18
Wedig (1988)	Physician visits	-0.35
✓ Health perceived <u>excellent/good</u>	Physician visits	-0.16
✓ Health perceived <u>fair/poor</u>		
Hospital Services:		
Newhouse and Phelps (1976)	Hospital length of stay	-0.06
Manning et al. (1987)	Hospital admissions	-0.14 to -0.17
Nursing Homes:		
Chiswick (1976)	Nursing home residents per elderly population	-0.69 to -2.40
Lamberton et al. (1986)	Nursing home patient days per capita elderly	-0.69 to -0.76

- sicker people are less sensitive to price change

Relatively more elastic

Source: Table 9.2 in Folland et al. (2013)

$|\epsilon_p| < 1$
 → Demand is inelastic.

Example: Income Elasticities

$$\epsilon_I > 0$$

Study	Dependent Variable	Income Elasticity
All Expenditures: Rosett and Huang (1973)	Expenditures	0.25 to 0.45
✓ Hospital Services: Newhouse and Phelps (1976)	Admissions	0.02 to 0.04
✓ Physician Services: Newhouse and Phelps (1976)	Visits	0.01 to 0.04
✓ Nursing Homes: Chiswick (1976)	Residents per elderly population	0.60 to 0.90 ✓

Source: Table 9.4 in Folland et al. (2013)

$$0 < \epsilon_I < 1$$

All income elasticities are **positive**, suggesting that medical care is **normal goods**,
And their values range **between 0 and 1**, suggesting that it is a **necessity**.

Other Factors Affecting Demand for Medical Care

- **Ethnicity and Gender**
 - In general, 'blacks' tend to consume less medical care.
 - Females, particularly at child-bearing ages, are heavy users of health care. Also, females generally live longer, so they are predominant among elder patients.
- **Urban vs. Rural**
 - People living in rural areas use less care. (Access problem? Or, socioeconomic status?)
- **Education**
 - Educated people are more informed and may demand more health care.
 - Often, education is correlated with income, and income actually leads to more demand for health care.

Other Factors Affecting Demand for Medical Care (Cont'd)

- **Uncertainty**
 - People demand health care for precautionary purposes, e.g. preventive care.
- **Age**
 - Grossman: As we age, the depreciate rate gets larger. So, more health inputs are required to restore health.
- **Health status**
 - The sicker tend to demand more health care.

THE PRODUCTION, COST AND TECHNOLOGY OF HEALTH CARE

Topics

- Production and the Possibilities for Substitution
- Costs in Theory and Practice
- Technical and Allocative Efficiency
- Productive Efficiency
- Frontier Analysis
- Health Care Technological Changes
 - Technological Changes and Costs
 - Price Adjustment When Technology Change Occurs
 - Diffusions of New Health Care Technologies

Production

- **Short-run production**

- A production in which *at least one input* cannot be modified within a given period of time.
- **Fixed inputs** – fixed at all levels of output, e.g. capital, salary
- **Variable inputs** – vary by the amount of output, e.g. labor

- **Long-run production**

- A production in which *all inputs* can be changed over time

Possibilities for Substitution in Long-run productⁿ

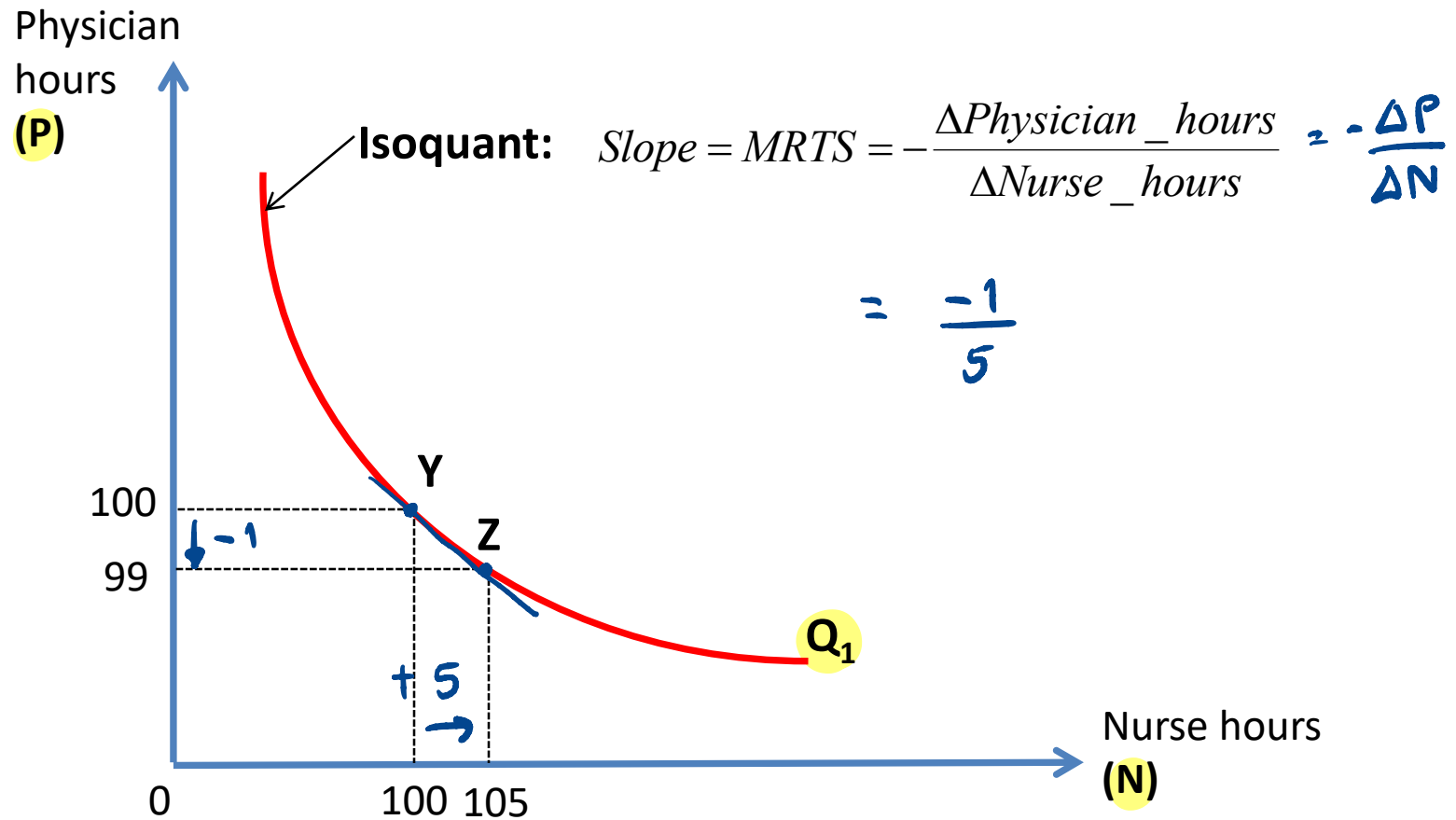
- Now, consider the production with *more than two variable inputs* (e.g. physicians and nurses).
- We are interested in the **ability to substitute one input (e.g. physicians) for another input (e.g. nurses)** while maintaining the same level of output.
- The degree to which one input can be replaced by another input, while output remains constant, is measured by the **slope of the isoquant**, which is equal to the **marginal rate of technical substitution (MRTS)**.

→ Examples :

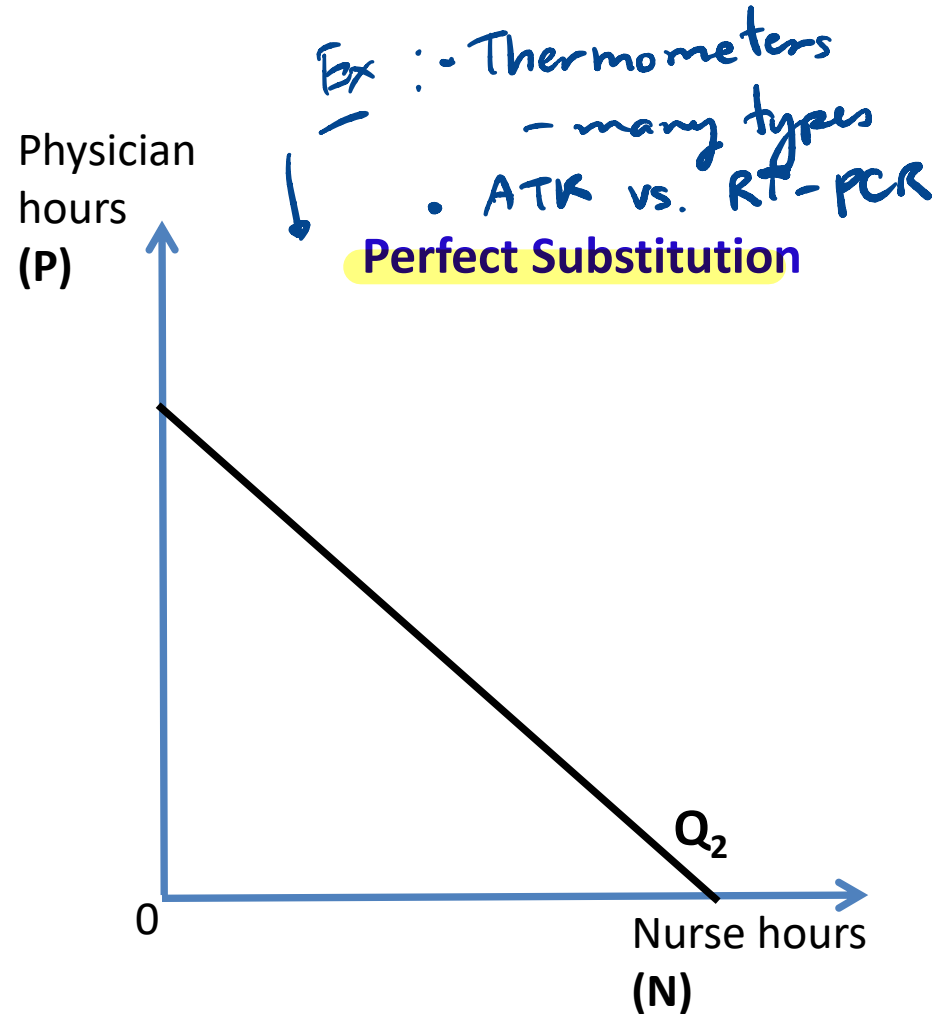
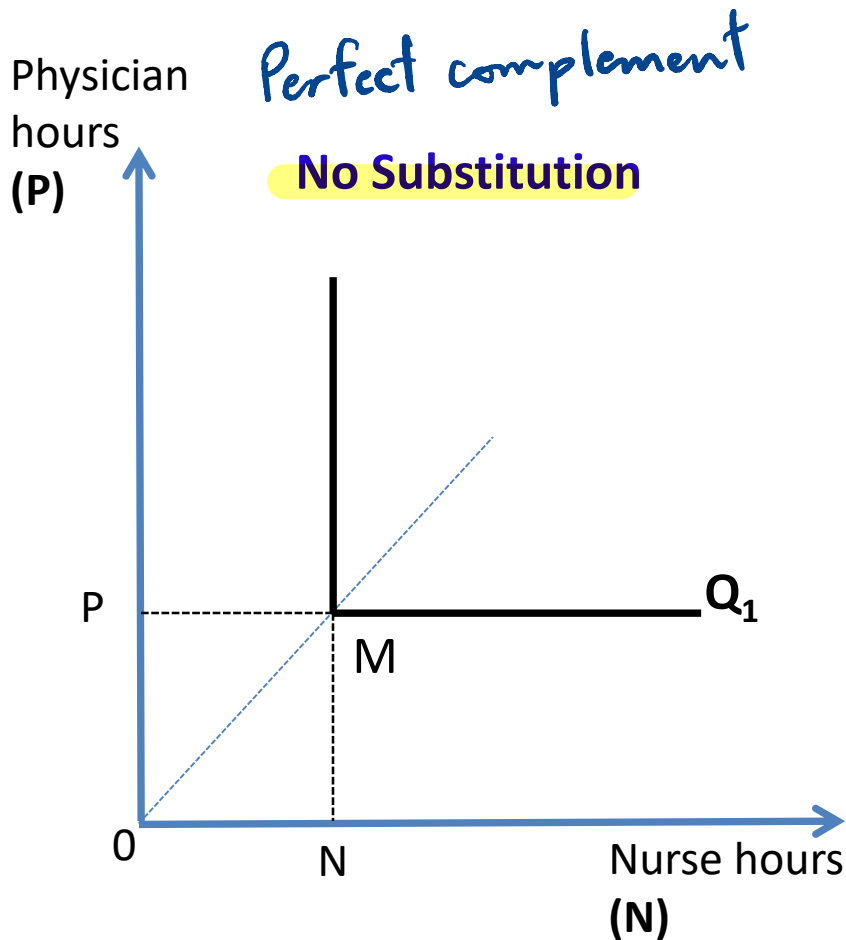
- (surgeons) doctors and Robots
- lab technician and machine.

Substitution between Physicians and Nurses

$$y = f(P, N)$$



Substitution: Extreme Cases



Question: Would these two cases be possible in the real world?

Ex. Echo → doctor and machine ; Perfect complement.

Elasticities of Input Substitution

- If an input price changes, a cost-minimizing firm would respond by shifting away from the *costlier* input to the *cheaper* input.
- The new input combination is determined by the elasticity of substitution of inputs.
- The **elasticity of substitution** (E_s) measures the responsiveness of a cost-minimizing firm to changes in relative input prices: / ratio

$$E_s = \frac{\text{Percentage change in factor input ratio}}{\text{Percentage change in factor price ratio}} = \frac{\% \Delta R_q}{\% \Delta R_p}$$

- Example: Suppose $M = f(P, N)$, and factor prices are W_p and W_n .

$$E_s = \frac{\% \Delta (P/N)}{\% \Delta (W_p/W_n)} = \frac{\Delta (P/N)}{P/N} \times \frac{W_p/W_n}{\Delta (W_p/W_n)}$$

Substitution between Physicians and Nurses

$$\frac{w_p}{w_n} = \frac{200,000}{40,000} = 5 \quad \checkmark$$

After change

- Suppose $w_p = \$200,000$ and $w_n = \$40,000$

And $w'_p = \$220,000$ and w_n is constant.

$$\frac{w'_p}{w_n} = \frac{220}{40} = 5.5$$

- Suppose that $\% \Delta(P/N) = -6\%$, so P reduces to 99 and N increases to 105.

$$\frac{P}{N} = 100\% \rightarrow \frac{P'}{N'} = 94\% \Rightarrow \% \Delta \left(\frac{P}{N} \right) = -0.06$$

$$\% \Delta \left(\frac{w_p}{w_n} \right) = \frac{\Delta(w_p/w_n)}{w_p/w_n} = \frac{(5.5-5)}{5}$$

$$\epsilon_s = \frac{\% \Delta(P/N)}{\% \Delta(w_p/w_n)} = \frac{-0.06}{0.1} = -0.6$$

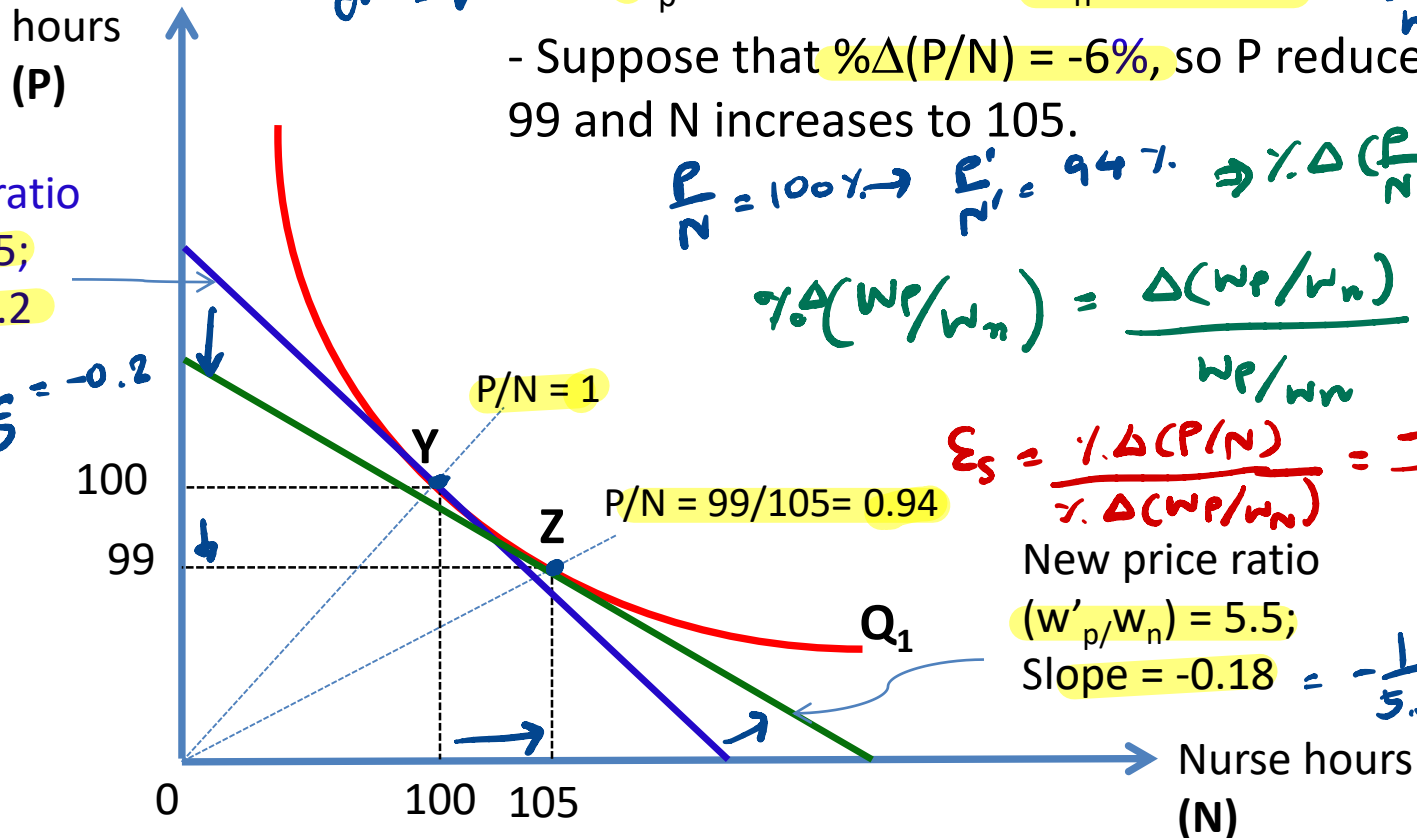
Physician hours (P)

Old price ratio

$$(w_p/w_n) = 5;$$

$$\text{Slope} = -0.2$$

$$\frac{w_n}{w_p} = -\frac{1}{5} = -0.2$$



$\epsilon_s = -0.6 \rightarrow$ If input price ratio increases 1%, the input ratio would \downarrow by 0.6%.

Input Substitution: Application

Can E_s be positive?

- $E_s = -0.6$ means that, as input price ratio increases by 1%, the input ratio would decrease by 0.6%.
- The absolute values of E_s range between 0 and ∞ .
 - $E_s = 0 \rightarrow$ No substitutability *ie. Perfect complement*
 - Larger $E_s \rightarrow$ Greater potential for substitutability *Nasal swap ATK & Saliva ATK*
- The concept of input substitution can be applied particularly to the *long-run production*, where all inputs are flexible.
- Other examples of input substitution:
 - Substitution between *health workers* and *new technology*
 - Substitution between *local physicians* and *foreign physicians*

Deriving Cost Curve

- Hospital's cost minimization problem:

$$\text{Min } TC = rK + wL$$

$$\text{Subject to } Q^* = Q(K, L)$$

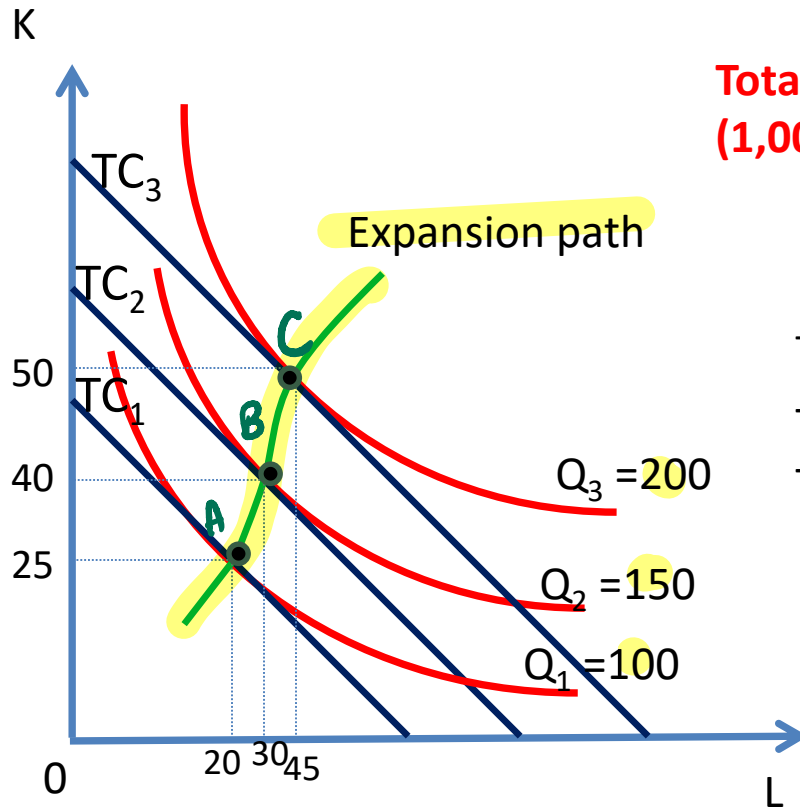
→ (K^*, L^*) is the input combination that gives the least cost at a given output level.

- The set of all possible points of tangency between the isocost curves and the isoquants is called the expansion path.
 - This curve tells the relationship between a given output level and its minimum cost.

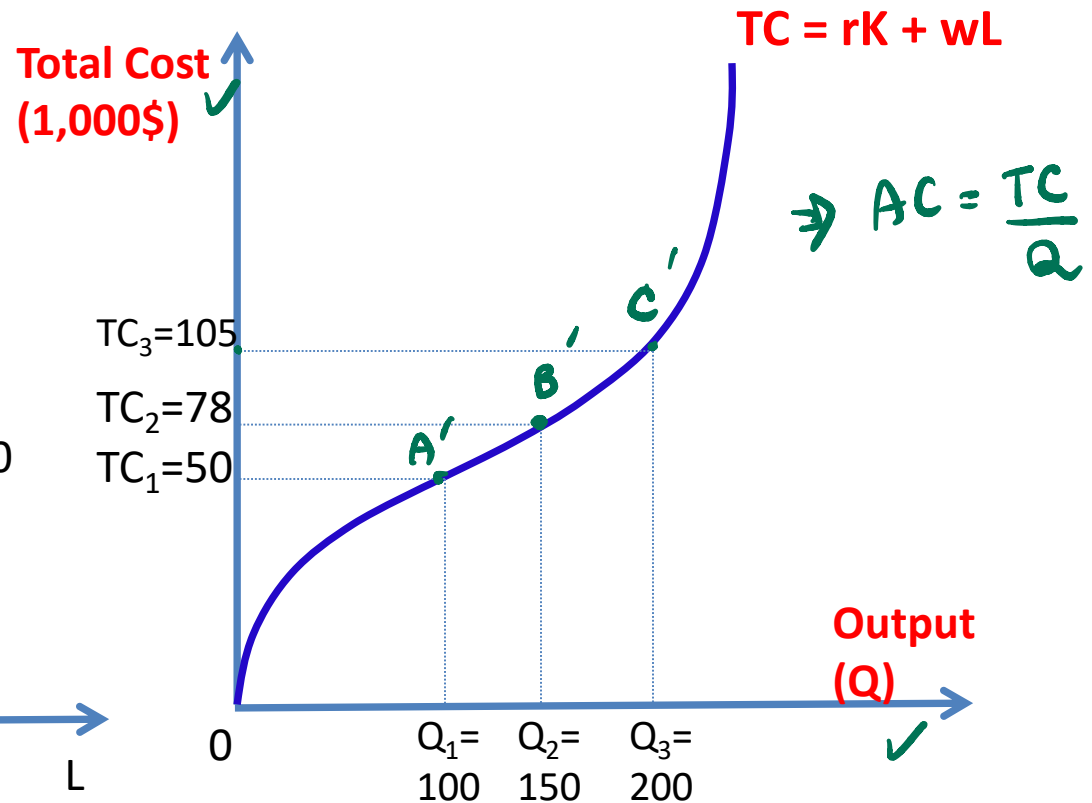
Cost Function

$$A' : TC_1 = (20 \times 1000) + (25 \times 1200) = \$50,000$$

Production Isoquants

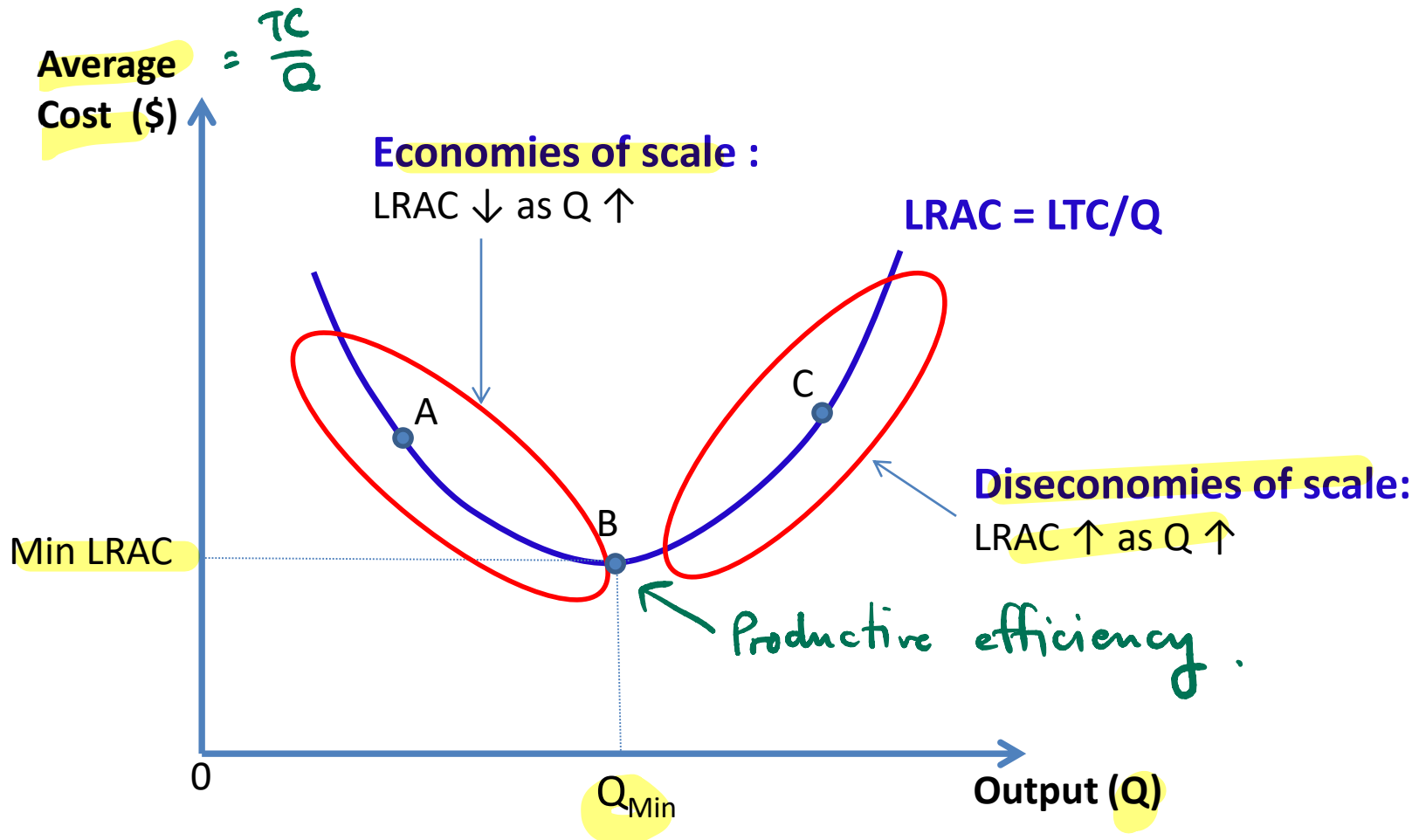


Total Cost Function



Suppose input prices are $r = \$1,200$ and $w = \$1,000$.

Economies of Scale



Economies of Scope

- Definition:

For a **multiproduct firm**, **economies of scope** occur whenever it is possible to **produce two or more goods jointly more cheaply than they can be produced separately**.

- Mathematically, suppose a firm has 2 outputs Q_1 and Q_2 . Economies of scope exists if:

$$TC(Q_1, Q_2) < TC(Q_1, 0) + TC(0, Q_2)$$

where $TC(Q_1, Q_2)$ = the joint cost of producing both outputs together

$TC(Q_1, 0)$ = the cost of producing output 1 only

$TC(0, Q_2)$ = the cost of producing output 2 only

Significance of Economies of Scale and Economies of Scope

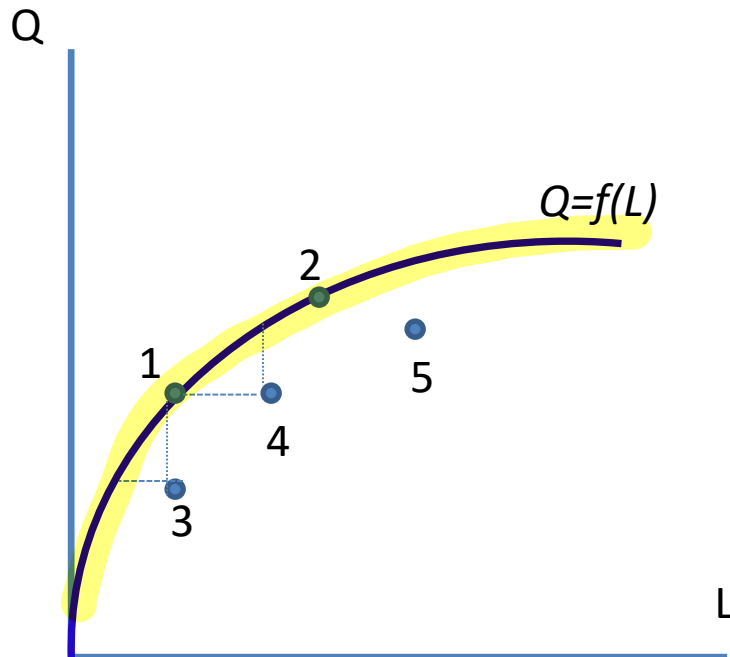
- Both concepts can provide implications to **public policy** and to **managerial policy**.
- **Economies of scale:**
 - **Profit-maximizing firm**
 - Prefers to produce where **AC is still decreasing**
 - **Society's perspective** *- eg. Public hospitals, NGOs.*
 - Prefers lowest average costs (**not necessary where it max π**)
- **Economies of scope:**
 - **Provision of different departments** in the same hospital
 - **Subsidization in teaching hospitals**

Efficiency

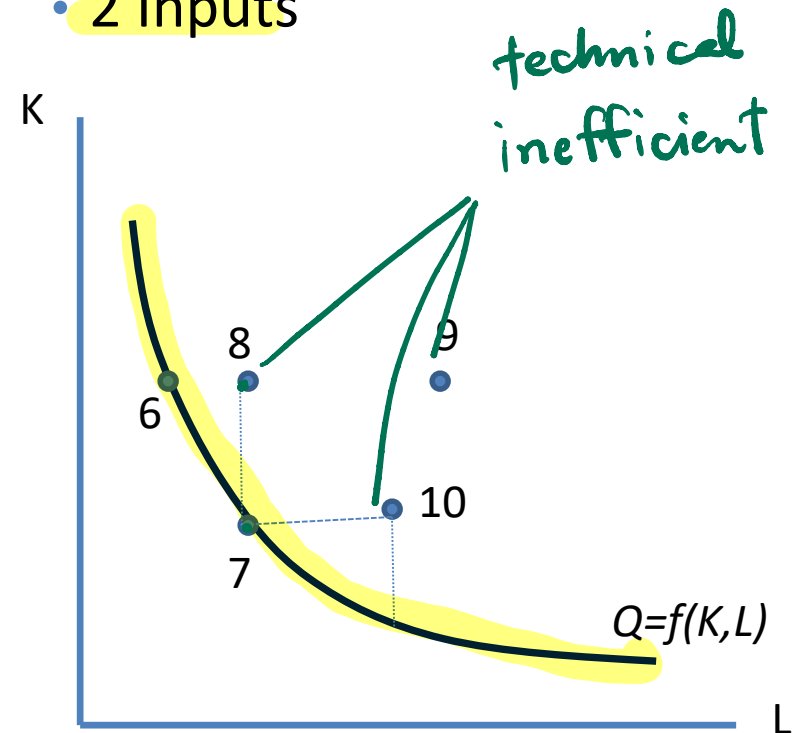
- **Technical efficiency**
 - Applies to production within a given firm
 - Technical efficiency is achieved when a maximum output is being produced from a given input combination.
- **Allocative efficiency** → *consider input prices*
 - Requires the efficient allocation of inputs between firms and between outputs.
 - Allocative efficiency is achieved when inputs are put into their best uses so that no further gains in output are possible.
- **Productive efficiency**
 - There could be many different levels of output that are allocative efficient (i.e. total costs are minimized).
 - Of all the least cost levels of output, the “most least cost” level of output is **productively efficient**. *lowest AC.*

1. Technical Efficiency

- 1 Input

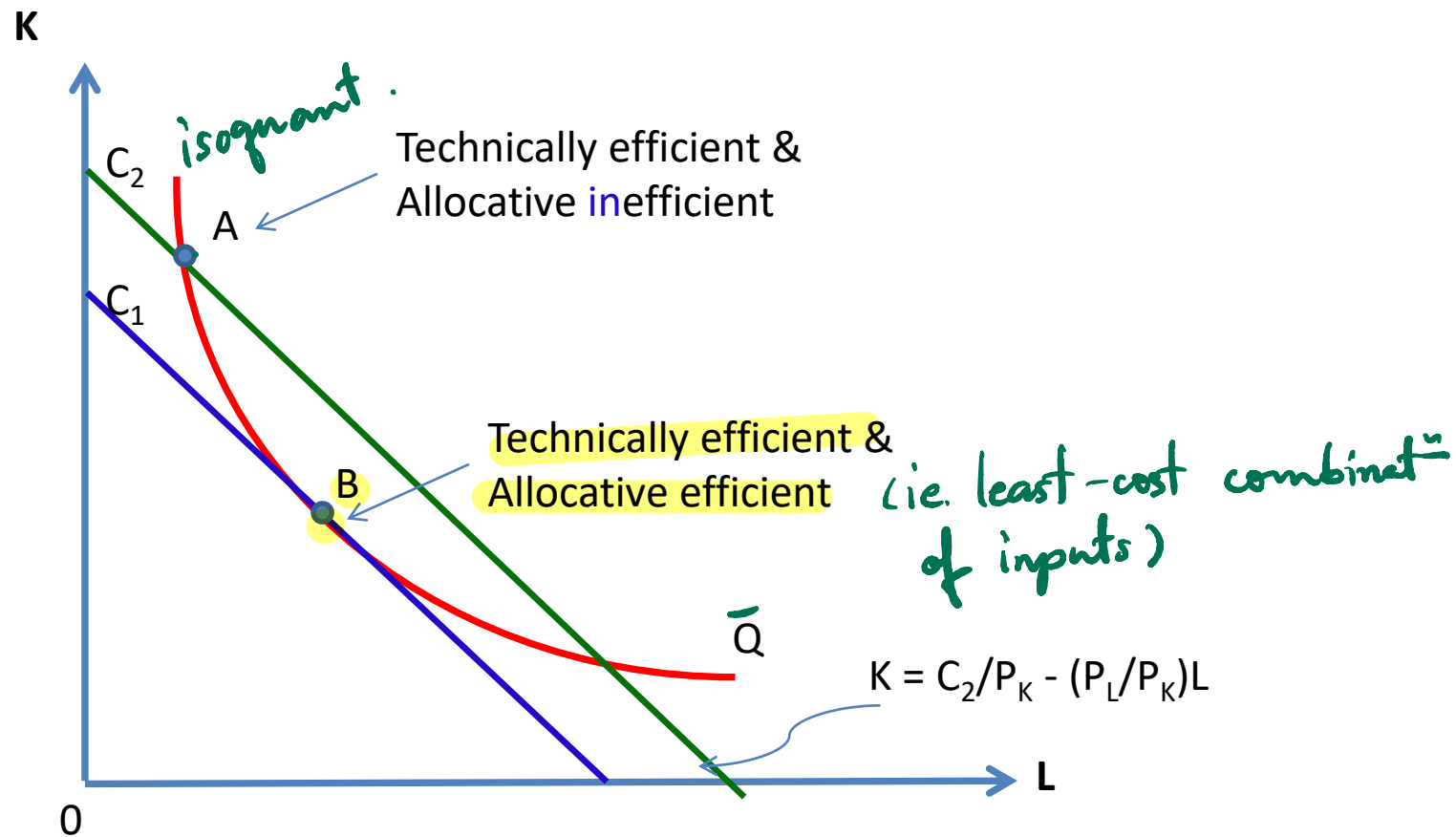


- 2 Inputs



Technical inefficiency results when a firm uses more resources than necessary to produce a given level of output.

2. Allocative Efficiency



Technical and Allocative Efficiencies

$\bar{Q} = 100$

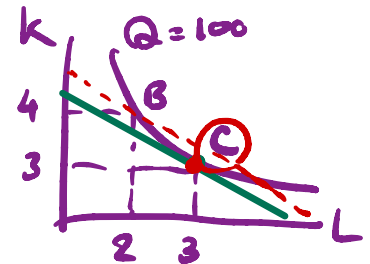
Technology	K	L	Cost (if $P_K=10, P_L=5$)
A	3	4 ←	\$50
B	4	2	\$50
C	3	3 ←	\$45 ✓

Technical efficient

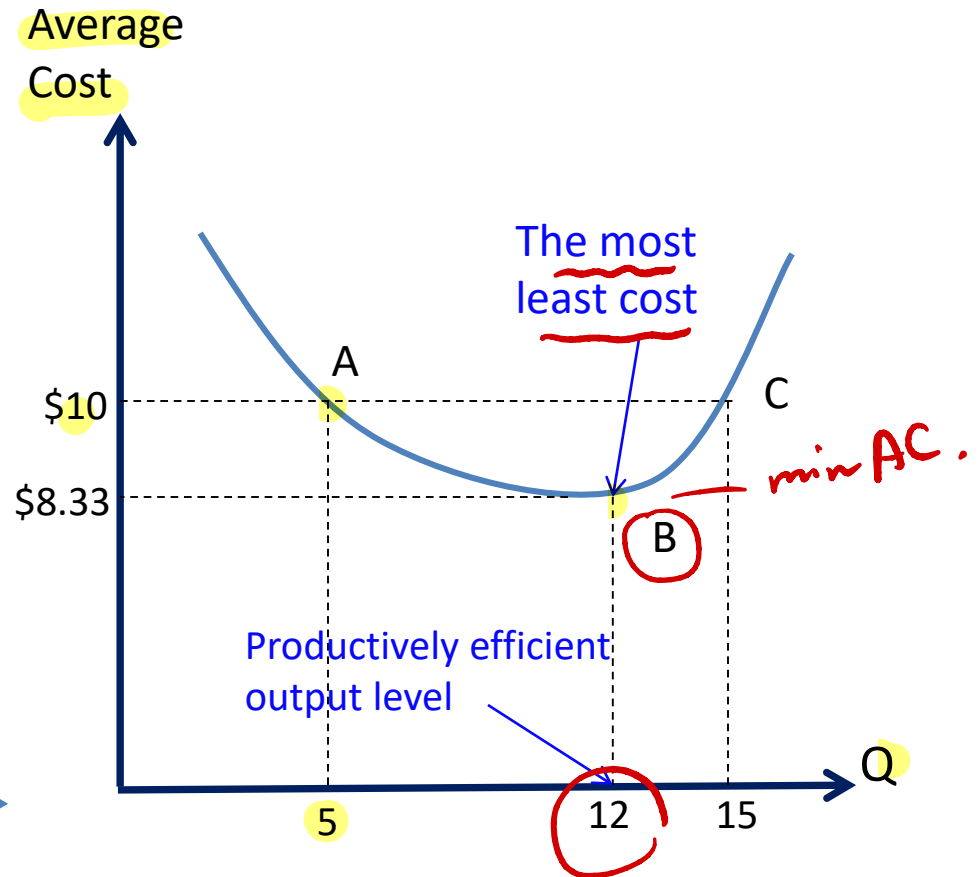
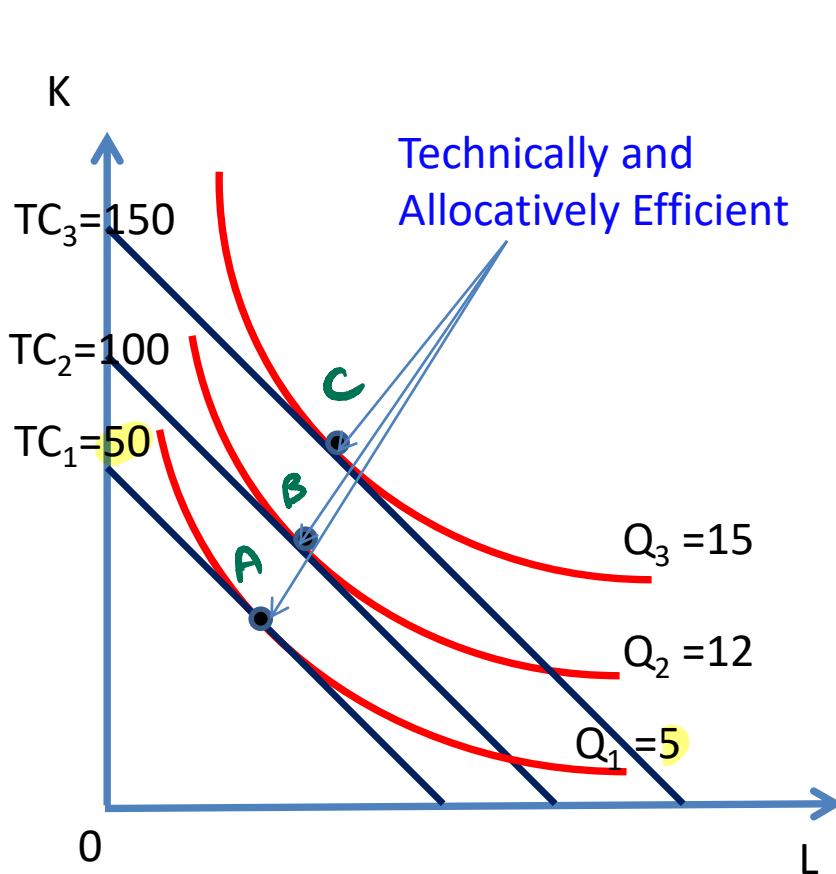
- Suppose $P_K = 10$ and $P_L = 5$, which technology is allocatively efficient? → C

Which technology should not be used?

↳ A



3. Productive Efficiency

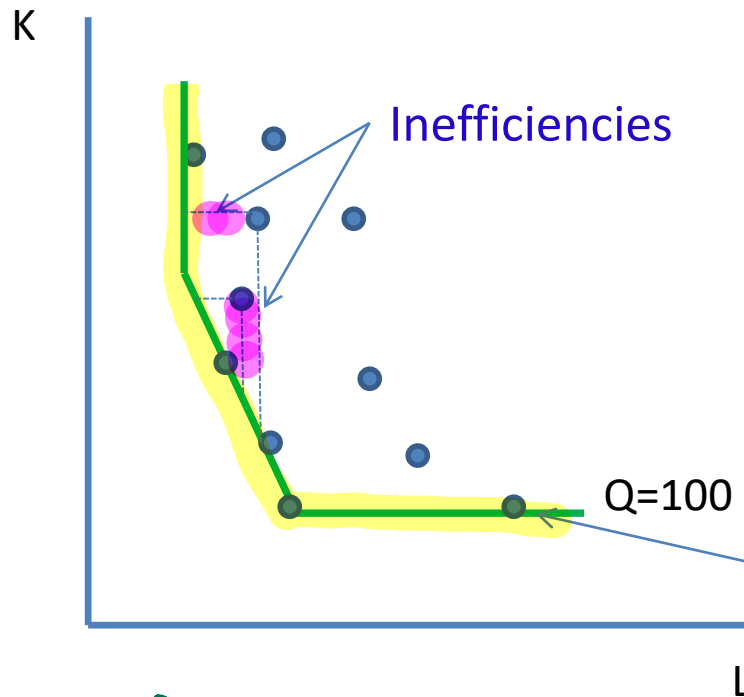


@ A, $AC = 50 \div 5 = 10$

@ B, $AC = 100 \div 12 = 8.33$

@ C, $AC = 150 \div 15 = 10$

Frontier Analysis: Data Envelope Analysis (DEA)



The Data Envelope Analysis (DEA) identifies the efficient outer shell enveloping the data.

Deterministic frontier
(found by using linear programming)

non-parametric method.

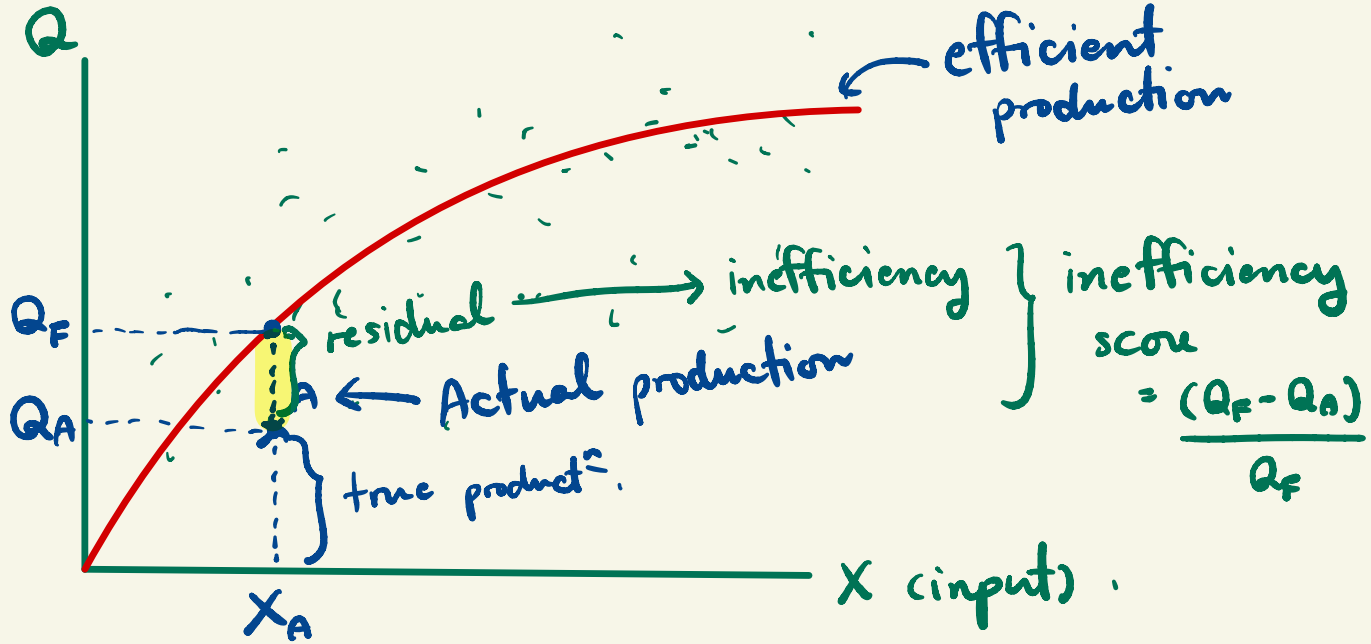
$$Q = f(K, L)$$

Assume CRS, $Q = k^a L^b$,
 $a + b = 1$

Ex

1 input - production

STFA



Case Study:

Efficiency of Public Hospitals in Thailand

(Source: Patamasiriwat, 2011)

- Examined cost efficiency of 3 different types of public hospitals in Thailand:
 - Regional hospitals (23) *tertiary care*
 - Provincial hospitals (58) *secondary & tertiary care*
 - Community hospitals (629) *district level → primary & secondary care*
 - Focused on **technical efficiency** and looked at the cost side
 - Costs: **Wage**, **personal compensations**, **operating expenses**, **material costs**, **utilities**, others
 - Estimated cost function: $C = f(OP, IP) = OP^a \times IP^b$
 - Regional hospitals: constant returns to scale (i.e. $a+b = 1$)
 - Community & Provincial hospitals: decreasing cost (i.e. $a+b < 1$)
- cost*
OP = outpatient visits
IP = inpatient visits

Case Study:

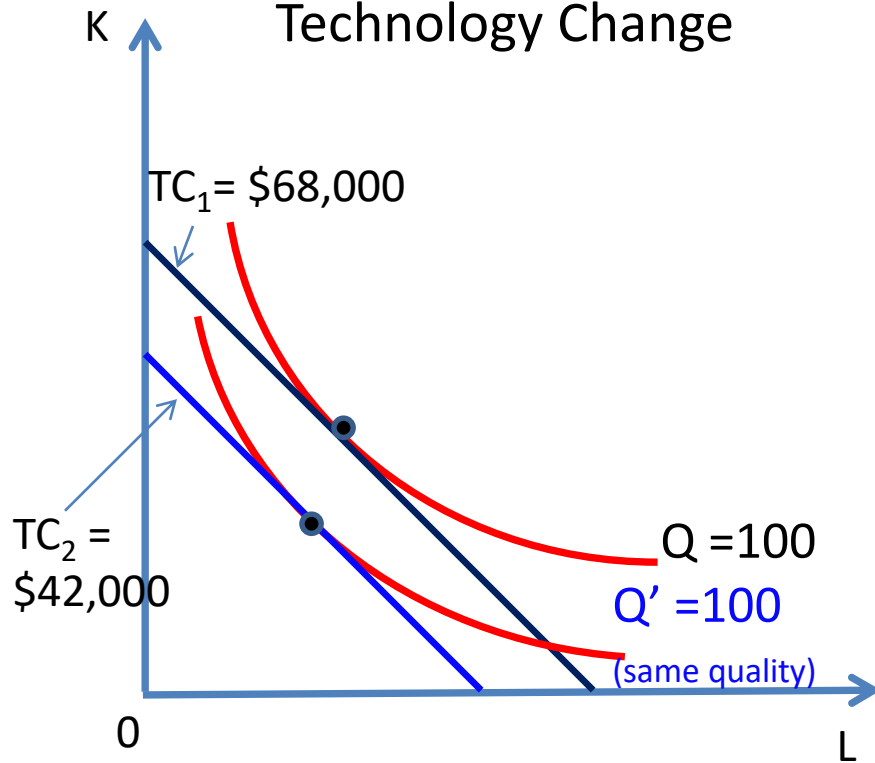
Efficiency of Public Hospitals in Thailand

(Source: Patamasiriwat, 2011)

- 2 Methods to determine efficiency: DEA and STFA
 - Regional hospitals: Efficiency score = 0.94 (i.e. “output slack” =6%)
 - Provincial hospitals: Efficiency score = 0.64
 - Community hospitals: Inefficiency score=0.186 → Efficiency score = 0.814
- ✂ **Limitations:**
 - Ignore other types of hospital outputs (teaching, research, health promotion)
 - Did not consider quality of care or severity of different health care cases
- **Discussion:**
 - ✓ ➤ Provincial and community hospitals might operate at less than full capacity
 - ✓ ➤ There were signs of resource underutilization.

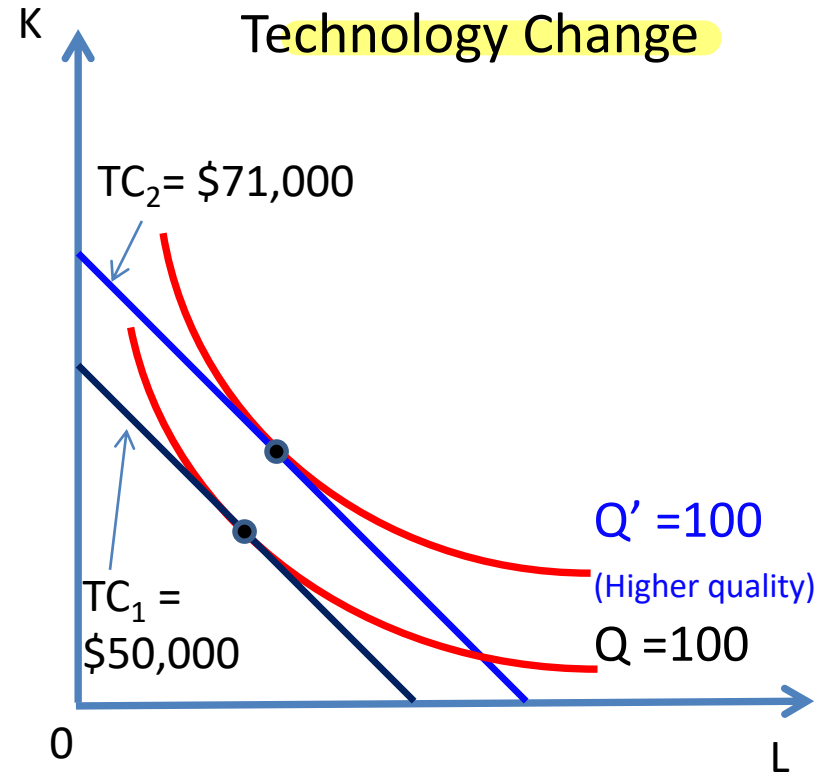
Technological Changes and Costs

Cost-Decreasing due to
Technology Change



Technology change increases the productivity of health resources.

Cost-Increasing due to
Technology Change



Technology change improves quality of care or introduce costlier products.

Health Care Prices with Technological Change Occurs

- Question: Whether **technological changes** really cause the **inflation** in the health care sector?
 - Not necessarily!
 - **New treatments** are *not* included in the fixed basket when calculating CPI.
 - **Improvement** in the treatment **effectiveness** could be omitted.
 - Example: New treatments reduce the length of hospital stay. By putting more weight on the room charge, the price index is overestimated.
 - Not taken into account the **improvement in quality of life** of the patients.

Adjustment in Health Care Prices

- Example: Cutler et al (1999) developed two quality adjusted price indexes of myocardial infarction treatment

Unadjusted Indexes	Avg. Price Changes	Quality-Adjusted Indexes	Avg. Price Changes
Official MCPI	3.4%	Quality (extra years of life)	-1.5%
Heart attack episode approach	2.8%	Quality (extra QALYs)	-1.7%

- Technological change has *improved the quality of treatment*.
- The quality adjustment can prove that the heart attack treatment *price* is actually *declining* (price deflation).