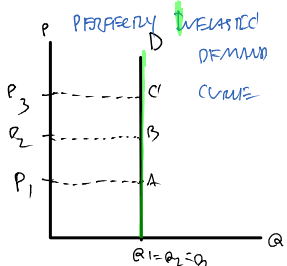
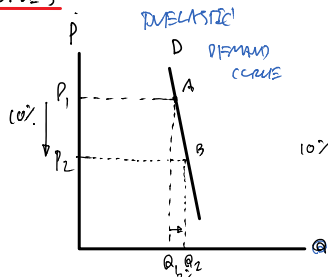


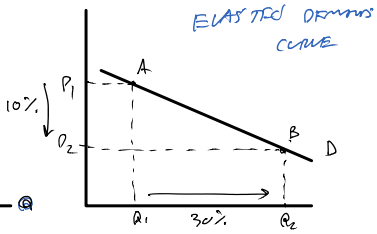
VARIETY OF DEMAND CURVES



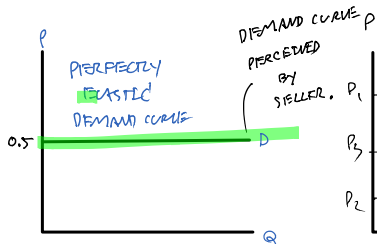
SHAPE: VERTICAL
 $E : E = \frac{\% \Delta Q}{\% \Delta P} = \frac{0\%}{\% \Delta P} = 0$
 DEMAND IS PERFECTLY INELASTIC!
 BUYERS DO NOT CARE ABOUT PRICE CHANGE AT ALL.



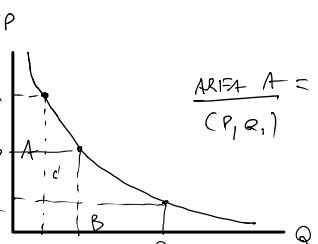
SHAPE: RELATIVELY STEEP
 $E : |E| = \left| \frac{\% \Delta Q}{\% \Delta P} \right| = \left| \frac{+2}{-10} \right| = \frac{1}{5} = 0.2$
 DEMAND IS PRICE-INELASTIC (WHY?)
 B/C $|\% \Delta Q| < |\% \Delta P|$.



SHAPE: RELATIVELY FLAT
 $E : |E| = \left| \frac{\% \Delta Q}{\% \Delta P} \right| = \left| \frac{+30}{-10} \right| = 3$
 DEMAND IS PRICE-ELASTIC (WHY?)
 B/C $|\% \Delta Q| > |\% \Delta P|$

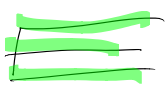


SHAPE: HORIZONTAL
 $|E| : |E| = \left| \frac{\% \Delta Q}{\% \Delta P} \right| = \frac{\text{VERY VERY BIG}}{\text{VERY VERY SMALL}} = \infty$
 DEMAND IS PERFECTLY PRICE-ELASTIC!
 BUYERS ARE EXTREMELY SENSITIVE TO ANY PRICE CHANGE.



SHAPE: RECTANGULAR HYPERBOLA
 $|E| = \left| \frac{\% \Delta Q}{\% \Delta P} \right| = 1$
 DEMAND IS UNITARY PRICE ELASTIC! AS
 $|\% \Delta Q| = |\% \Delta P|$

$$\frac{\text{AREA A}}{(P_1, Q_1)} = \frac{\text{AREA B}}{(P_2, Q_2)} = \frac{\text{AREA D}}{(P_3, Q_3)}$$



WHAT FACTORS DETERMINE PRICE ELASTICITY OF DEMAND?

EXAMPLE 1 SUNSCREEN VS. RICE CRACKERS
 Q: SUPPOSE PRICE OF TWO GOODS HERE RISES BY 20%, WHICH GOOD ITS QUANTITY DEMANDED WILL DROP THE MOST?
 A: RICE CRACKERS

LESSON LEARNED: PRICE ELASTICITY OF DEMAND IS HIGHER WHEN CLOSE SUBSTITUTES ARE AVAILABLE.

EXAMPLE 2 BRANDNAME BAGS VS. MEDICINE
 Q: _____

 A: BRANDNAME BAGS

LESSON LEARNED: PRICE ELASTICITY OF DEMAND IS HIGHER

A)

GRAMMARIE BAGS

LESSON LEARNED

PRICE ELASTICITY OF DEMAND IS HIGHER FOR LUXURY GOODS THAN FOR NECESSITY GOODS.

EX3

BLUE JEANS VS CLOTHES

Q: _____

A: BLUE JEANS

LESSON LEARNED

PRICE ELASTICITY OF DEMAND IS HIGHER FOR NARROWLY DEFINED GOODS THAN FOR BROADLY DEFINED GOODS.

EX:

GASOLINE IN THE SHORT RUN VS GASOLINE IN THE LONG RUN

Q: _____

A: GASOLINE IN THE LONG RUN

LESSON LEARNED:

PRICE ELASTICITY OF DEMAND TENDS TO BE HIGHER IN THE LONG RUN THAN IN THE SHORT RUN.

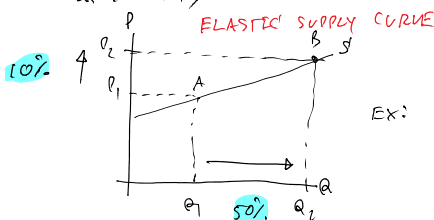
PRICE ELASTICITY OF SUPPLY (E^s): SELLERS' PRICE SENSITIVITY

$$E^s = \frac{\% \Delta Q_x^s}{\% \Delta P_x}$$

→ PERCENTAGE CHANGE IN QUANTITY SUPPLIED OF GOOD X

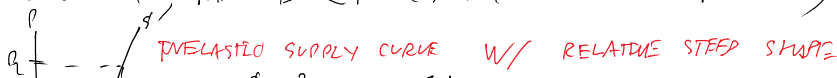
→ PERCENTAGE CHANGE IN PRICE OF GOOD X

① IF $\% \Delta Q > \% \Delta P$, THEN $E^s > 1$ (SUPPLY IS PRICE-ELASTIC)

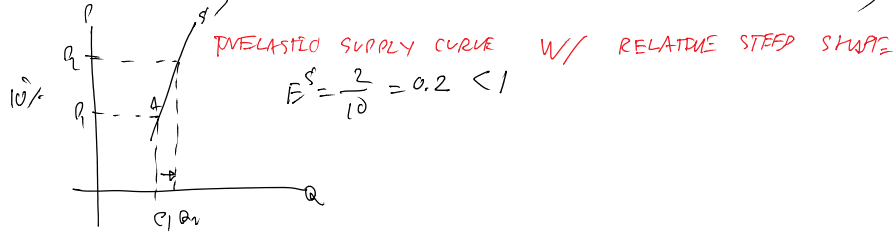


EX: $E^s = \frac{\% \Delta Q}{\% \Delta P} = \frac{50}{10} = 5$

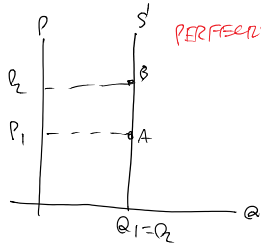
② IF $\% \Delta Q < \% \Delta P$, THEN $E^s < 1$ (SUPPLY IS PRICE-INELASTIC)



2) IF $\% \Delta Q < \% \Delta P$ THEN $E^S < 1$ (SUPPLY IS RELATIVELY INELASTIC)

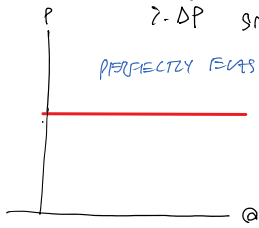


3) IF $\% \Delta Q = 0$ FOR ANY $\% \Delta P$, THEN $E^S = 0$. (SUPPLY IS PERFECTLY INELASTIC)



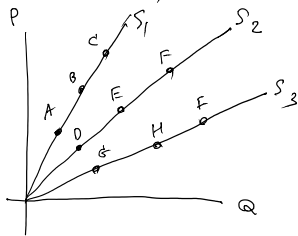
EX: SUPPLY OF NON-RENEWABLE RESOURCES (OIL, DIAMOND, ETC)

4) IF $\% \Delta Q$ IS VERY VERY LARGE FOR A VERY VERY SMALL $\% \Delta P$, THEN $E^S = \frac{\% \Delta Q}{\% \Delta P} \text{ BIG} = \infty$ (SUPPLY IS PERFECTLY ELASTIC)

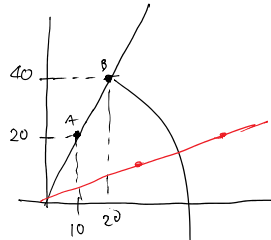


SELLERS ARE EXTREMELY SENSITIVE TO ANY CHANGE IN PRICE.

5) IF $\% \Delta Q = \% \Delta P$, $E^S = 1$ (SUPPLY IS UNITARY PRICE-ELASTIC)



$E^S = 1$ ALONG ANY SUPPLY CURVE ORIGINATED FROM THE ORIGIN.

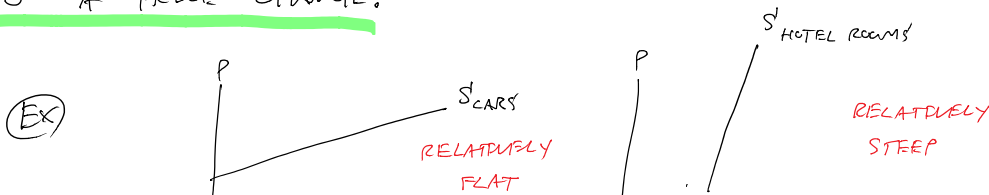


$$E^S_{AT A} = 1 = E^S_{AT B}$$

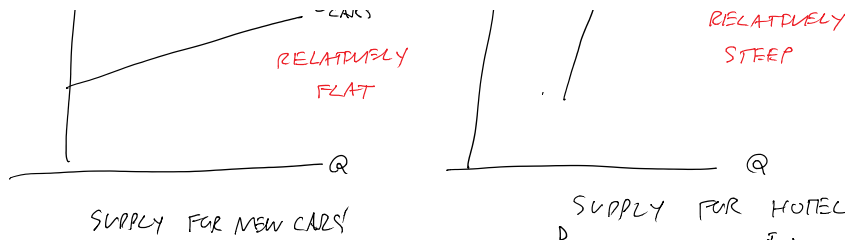
CALCULATE $E^S_{AT A}$:

$$E^S = \frac{\% \Delta Q}{\% \Delta P} = \frac{\frac{\Delta Q}{Q} \times 100}{\frac{\Delta P}{P} \times 100} = \frac{\Delta Q}{\Delta P} \cdot \frac{P}{Q} = \frac{1}{\text{SLOPE}} \cdot \frac{P}{Q} = \frac{1}{2} \cdot \frac{20}{10} = 1$$

PRICE ELASTICITY OF SUPPLY WILL BE HIGH OR LOW, DEPENDENT ON HOW EASY/DIFFICULT CAN PRODUCE MORE/LESS IN RESPONSE TO A PRICE CHANGE.



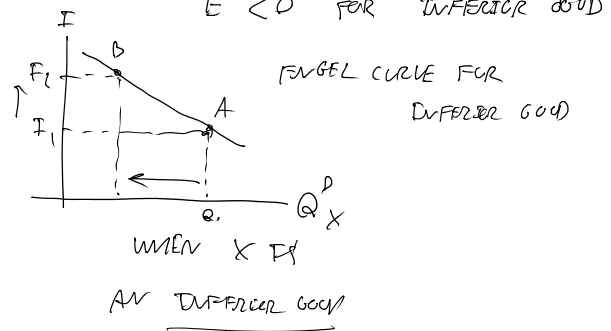
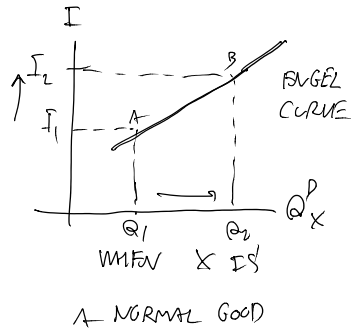
(Ex)



INCOME ELASTICITY OF DEMAND (E^I) = $\frac{\% \Delta Q^D_X}{\% \Delta I}$

$E^I > 0$ FOR A NORMAL GOOD

$E^I < 0$ FOR INFERIOR GOOD



CROSS-PRICE ELASTICITY OF DEMAND (E^C) = $\frac{\% \Delta Q^D_X}{\% \Delta P_Y}$

$E^C > 0$ WHEN X & Y ARE SUBSTITUTES OR RIVAL GOODS

(EX: X = COKE, Y = PEPSI)

$E^C < 0$ WHEN X & Y ARE COMPLEMENTARIES

(EX: X = NEW CARS, Y = GASOLINE)

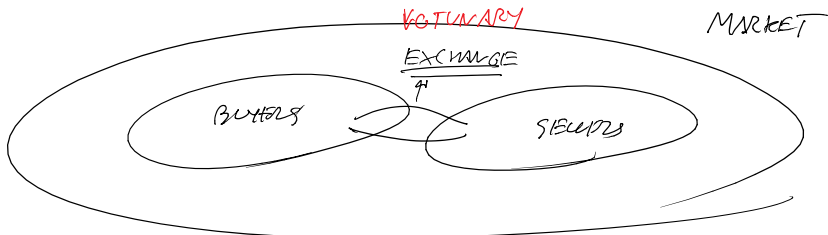
SUMMARY

$$E^D = \frac{\% \Delta Q^D_X}{\% \Delta P_X}, \quad E^I = \frac{\% \Delta Q^D_X}{\% \Delta I}, \quad E^C = \frac{\% \Delta Q^D_X}{\% \Delta P_Y}$$

$$E^S = \frac{\% \Delta Q^S_X}{\% \Delta P_X}$$

CONSUMER SURPLUS, PRODUCER SURPLUS, AND MARKET EFFICIENCY

ECONOMISTS WANT TO "QUANTIFY" OR "MEASURE" HAPPINESS BUYERS AND SELLERS RECEIVE WHEN THEY ARE ABLE TO BUY AND SELL A GOOD, SO, WE USE THE CONCEPT OF CS AND PS TO REACH THIS GOAL. ALSO, WE WANT TO SEE HOW PRICE CHANGE AFFECT HAPPINESS OF THE TWO.



CONSIDER 2ND HAND TEXTBOOK MARKET. ASSUME THAT THE MKT IS PERFECTLY COMPETITIVE.

CONSUMER SURPLUS: NET BENEFITS BUYERS GAIN FROM BUYING A GOOD.

CONSUMER SURPLUS (CS) = WILLINGNESS TO PAY (WTP) OR RESERVATION PRICE - PRICE YOU ACTUALLY PAID.

IN SHORT, CS = WTP - P.

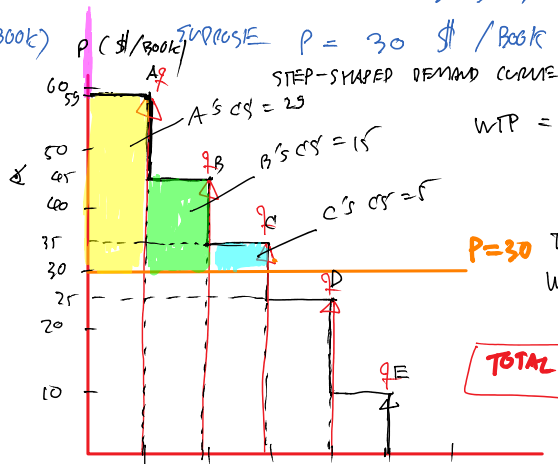
EX: WTP = 300
P = 200
CS = 300 - 200 = 100 ☺

= HIGHEST PRICE A BUYER IS WILLING TO PAY FOR A GOOD

NOW, SUPPOSE WE HAVE 5 POTENTIAL BUYERS: A, B, C, D, E

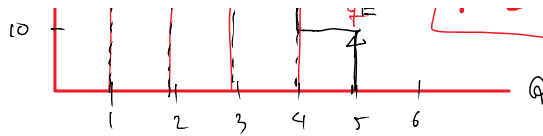
BUYERS

BUYERS	WTP (\$/BOOK)
A	59
B	45
C	35
D	25
E	10



WTP = THE HEIGHT FROM THE GROUND TO THE ROOF OF THE DEMAND CURVE WHERE A BUYER STANDS

TOTAL CS = AREA UNDER THE DEMAND CURVE BUT ABOVE THE PRICE



DEMAND CURVE BUT ABOVE THE PRICE

AT $P = 30$, A, B, C WILL BUY AND D, E WILL NOT.

$$A'S\ CS = 59 - 30 = 29$$

$$B'S\ CS = 45 - 30 = 15$$

$$C'S\ CS = 35 - 30 = 5$$

$$D'S\ CS = 0$$

$$E'S\ CS = 0$$

$$TOTAL\ CS = 29 + 15 + 5 = 49$$

W/ LOTS OF BUYERS, DEMAND CURVE BECOMES SMOOTH...

