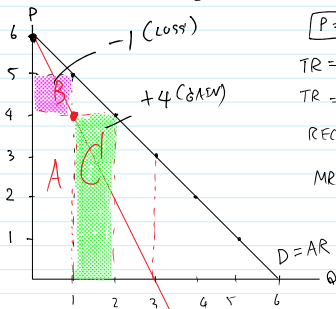


MARKET POWER: MONOPOLY

(P) PRICE	(Q) QUANTITY	(TR) TOTAL REVENUE	(MR) MARGINAL REVENUE	(AR) = $\frac{TR}{Q}$ AVERAGE REVENUE
6	0	0	-	-
5	1	5	-	5
4	2	8	+3	4
3	3	9	+1	3
2	4	8	-1	2
1	5	5	-3	1

MR WHEN $Q=1$



$$P = 6 - Q \quad (\text{INVERSE}) \text{ DEMAND FUNCTION}$$

$$TR = P \cdot Q$$

$$TR = (6 - Q) \cdot Q = 6Q - Q^2$$

$$\text{RECALL THAT } MR = \frac{dTR}{dQ}$$

$$MR = \frac{dTR}{dQ} = \frac{d(6Q - Q^2)}{dQ} = 6 - 2Q$$

PROFIT MAXIMIZATION RULE: $MR = MC$

AT $P=5, Q=1$, SO $TR=5$
 AT $P=4, Q=2$, SO $TR=8$
 Q : WHY MR INCREASES BY +3 BATH ONLY, NOT 4 BATH? ($=P'$)

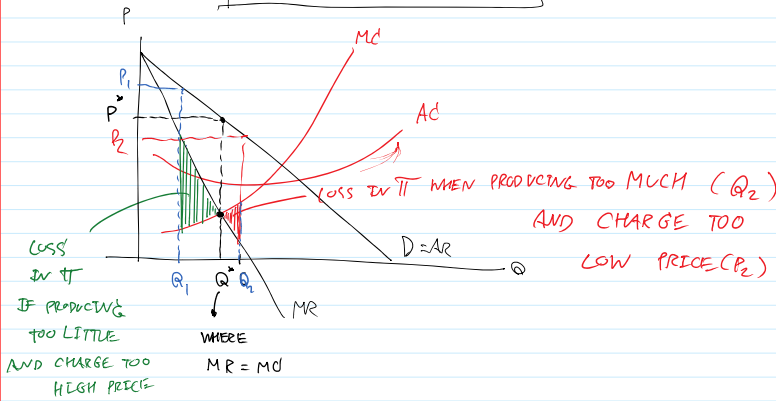
NEXT: PROFIT MAXIMIZATION:

$$\max_Q \pi(Q) = TR(Q) - TC(Q)$$

$$\frac{d\pi(Q)}{dQ} = \frac{dTR(Q)}{dQ} - \frac{dTC(Q)}{dQ} = 0$$

$$= MR(Q) - MC(Q) = 0$$

$$MR(Q^*) = MC(Q^*)$$



RULE OF THUMB FOR PRICING

AS WE DO NOT KNOW AR, MR, MC THE FORM FACES, WE WANT TO FIND A CONVENIENT METHOD THAT HELPS A MANAGER TO SET "THE PRICE" IN WHICH COMPLIES

W/ MR-MC RULE ABOVE.

$$\text{RECALL THAT } MR = \frac{dTR(Q)}{dQ} = \frac{d[P(Q) \cdot Q]}{dQ}$$

$$MR = P(Q) \cdot \frac{dQ}{dQ} + Q \frac{dP(Q)}{dQ}$$

$$= P(Q) + Q \frac{dP(Q)}{dQ} \cdot \frac{P(Q)}{P(Q)}$$

$$= P + Q \frac{dP}{dQ} \cdot \frac{P}{P}$$

$$= P \left(1 + \frac{Q}{P} \frac{dP}{dQ} \right)$$

$$E^P = \frac{dQ}{dP} \cdot \frac{P}{Q}$$

now

$$= P \left(1 + \frac{Q}{P} \frac{dP}{dQ} \right)$$

$$E^D = \frac{dQ}{dP} \cdot \frac{P}{Q}$$

$$MR = P \left(1 + \frac{1}{E^D} \right)$$

so,

THE PROFIT MAXIMIZING CONDITION CAN BE WRITTEN AS

$$\overbrace{P \left(1 + \frac{1}{E^D} \right)}^{MR} = MC$$

$$P + P \left(\frac{1}{E^D} \right) = MC$$

$$P - MC = -P \left(\frac{1}{E^D} \right)$$

$$\boxed{\frac{P - MC}{P} = -\frac{1}{E^D}}$$

IS...

THE MARKUP OVER MARGINAL COST
AS A PERCENTAGE OF PRICE.

OR

$$\boxed{P = \frac{MC}{1 + \left(\frac{1}{E^D} \right)}}$$

EX1

IF $E^D = -4$, $MC = 9$ BATH/UNIT,

$$\text{THEN } P = \frac{9}{1 + \left(\frac{1}{-4} \right)} = 12 \text{ BATH/UNIT}$$

$$\boxed{\frac{P - MC}{P} = \frac{1}{-E^D}}$$

$$\Leftrightarrow \frac{12 - 9}{12} = \frac{1}{-4}$$

EX2

→ MAKRO : $E^D = -10$, LET'S SAY.

$$P = \frac{MC}{1 + \frac{1}{-10}} \Rightarrow P = \frac{MC}{\frac{9}{10}} \Rightarrow P = \frac{10}{9} MC$$

$\Rightarrow P = 1.11 MC \Rightarrow P$ CAN BE 11% ABOVE MC.

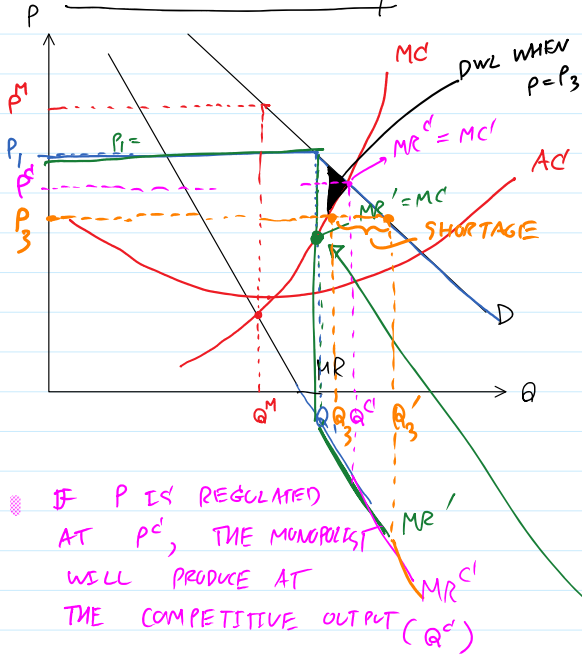
- $E^D = -5$, LET'S SAY.

$$P = \frac{MC}{1 + \frac{1}{-5}} \Rightarrow P = \frac{MC}{\frac{4}{5}} \Rightarrow P = \frac{5}{4} MC$$

$$\Rightarrow P = 1.25 MC$$

P CAN BE HIGHER THAN MC BY 25%.

REGULATING MONOPOLY



AS MONOPOLY CREATES DWL,
GOVT MAY WANT TO
"REGULATE" THE MONOPOLY
BY PRICE REGULATION

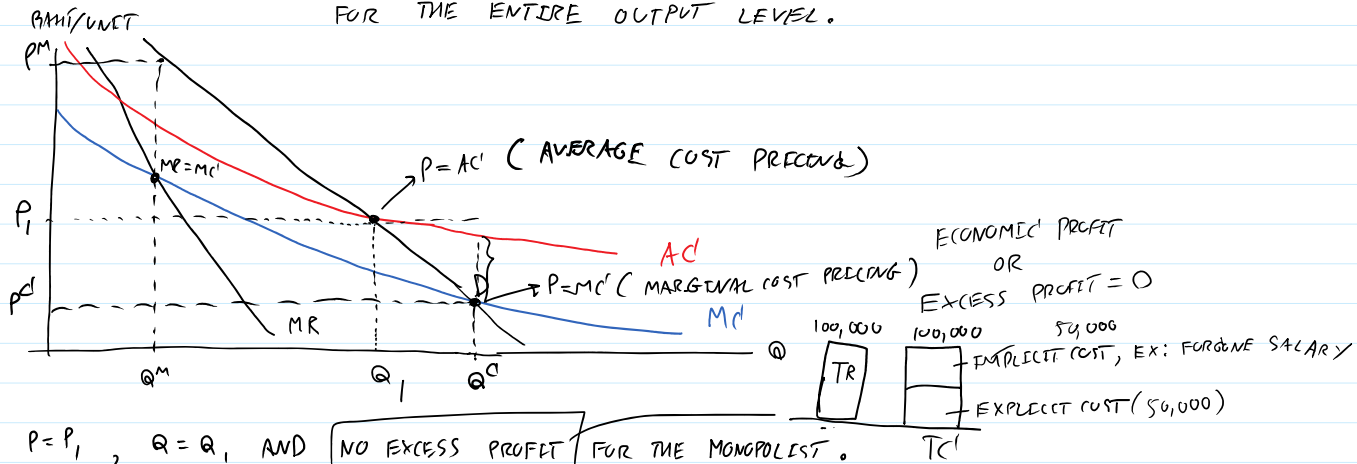
W/ THE REGULATED PRICE
AT P_1 , THE DEMAND CURVE
THE MONOPOLIST FACES
WILL BE HORIZONTAL UNTIL
 $Q = Q_1$ AND FOLLOW THE
ORIGINAL DEMAND CURVE
AFTERWARDS

NOW, THE MONOPOLIST
WILL PRODUCE AT THE QUANTITY
WHERE $MR' = MC$, WHICH
IS $Q = Q_1$.

- IF P IS REGULATED AT P_c , THE MONOPOLIST WILL PRODUCE AT THE COMPETITIVE OUTPUT (Q_c)
- IF P IS REGULATED AT $P = P_3$, SHORTAGE WOULD OCCUR AS $Q_3' > Q_3$ IN ADDITION TO DWL.

REGULATING NATURAL MONOPOLY

NATURAL MONOPOLY = FIRM THAT AVERAGE COST IS FALLING FOR THE ENTIRE OUTPUT LEVEL.



AT $P = P_1$, $Q = Q_1$, AND NO EXCESS PROFIT FOR THE MONOPOLIST.

AT $P = P_c$, QUANTITY DEMANDED WOULD BE Q_c BUT NO PRODUCTION AS THE MONOPOLIST WILL NOT WANT TO PRODUCE. (WHY?)

SO, ONLY W/ $P = AC$, Q_1 = THE LARGEST POSSIBLE OUTPUT THAT THE MONOPOLIST CAN STILL SUPPLY TO THE MARKET (DO NOT LEAVE THE BUSINESS)