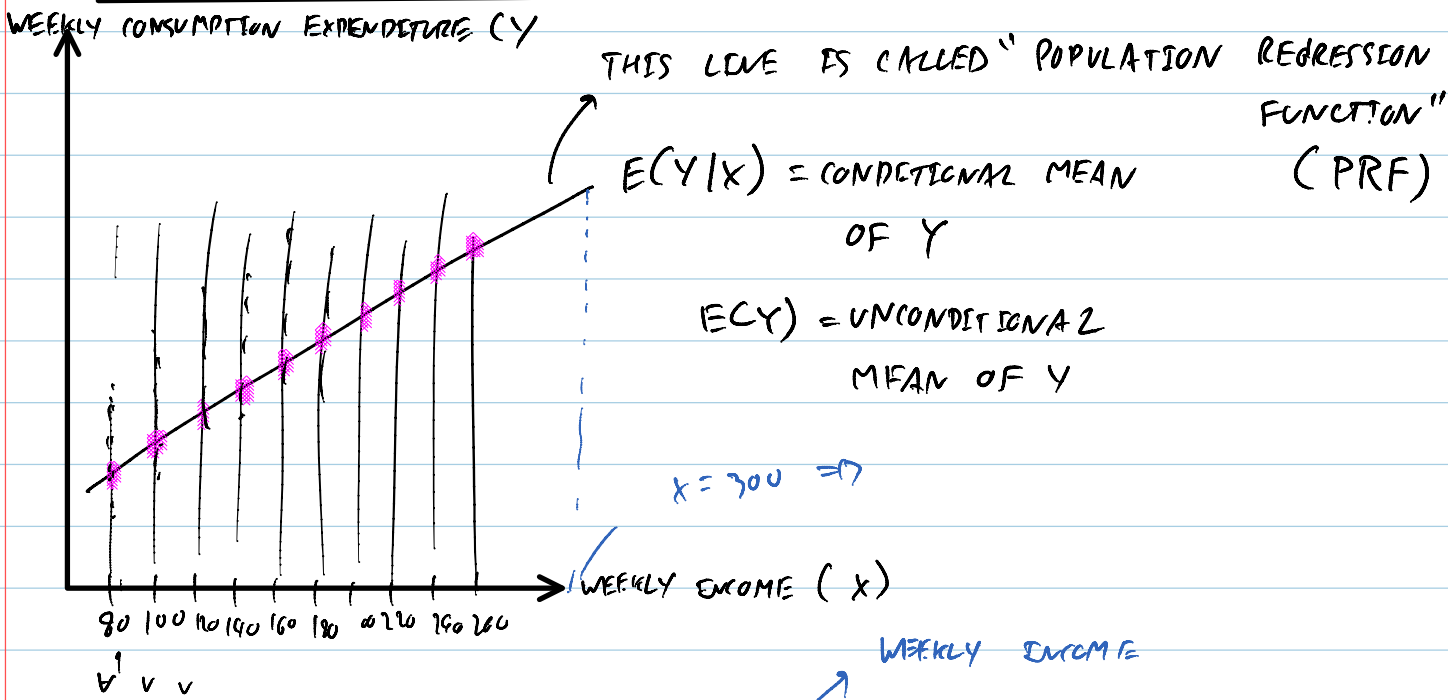


BASIC IDEA ABOUT REGRESSION ANALYSIS



PRF :  $E(Y|X_i) = f(X_i)$

READ : CONDITIONAL MEAN OF Y IS A FUNCTION OF X

LET'S TAKE THE MOST SIMPLEST FORM OF LINEAR FUNCTION

$$E(Y|X_i) = \beta_1 + \beta_2 X_i$$

$\swarrow$  INTERCEPT  $\searrow$  SLOPE  
 Y-AXIS COEFFICIENT

THIS IS CALLED "REGRESSION EQUATION" OR "REGRESSION MODEL".

AS WEEKLY INCOME (X) RISES, "ON AVERAGE", CONSUMPTION EXPENDITURE ALSO RISES.

REMARK : THIS MIGHT NOT BE TRUE FOR ALL

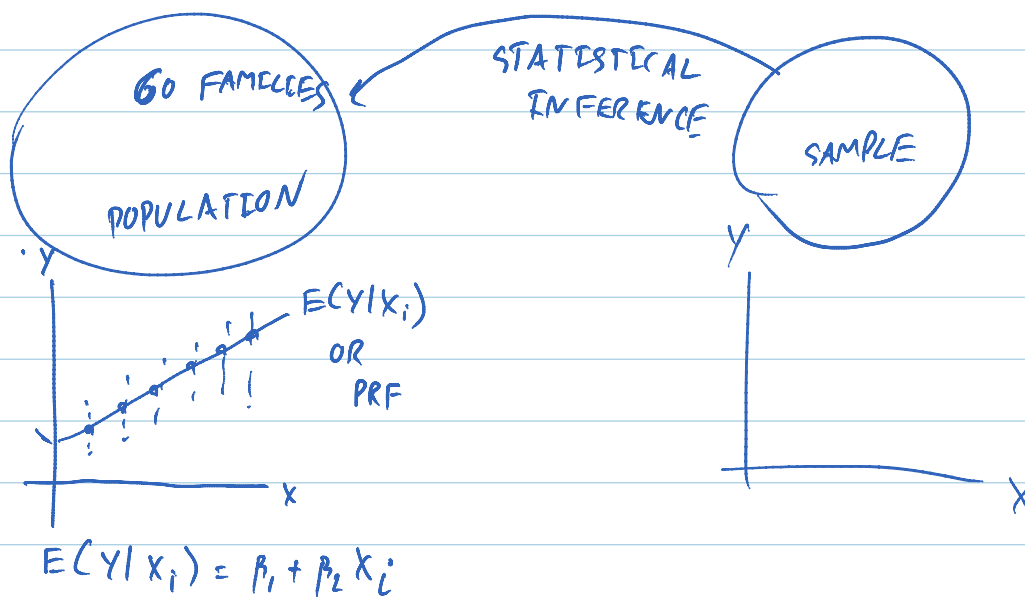
REMARK : THIS MIGHT NOT BE TRUE FOR ALL POPULATION. (LOOK AT TABLE 2.1)

SO THIS EQUATION SHOWS AVERAGE RELATIONSHIP BETWEEN CONSUMPTION AND INCOME.

AS A RESULT, THERE WILL BE ERRORS.

$$u_i = Y_i - E(Y | x_i)$$

DEVIATION OF  $Y_i$  FROM ITS CONDITIONAL MEAN



CONSIDER  $u_i = Y_i - E(Y | x_i)$

$$Y_i = \underbrace{E(Y | x_i)}_{\substack{\text{SYSTEMATIC} \\ \text{PART} \\ \text{OR} \\ \text{DETERMINISTIC} \\ \text{PART}}} + \underbrace{u_i}_{\substack{\text{NON-SYSTEMATIC} \\ \text{PART} \\ \text{OR} \\ \text{STOCHASTIC} \\ \text{PART}}}$$

DISTURBANCE TERM

OR  
RANDOM  
PART

$$Y_i = \beta_1 + \beta_2 X_i + u_i$$

AN INDIVIDUAL FAMILY'S CONSUMPTION EXPENDITURE  
DEPENDS ON (1) WEEKLY INCOME (SYSTEMATIC)  
(2) DISTURBANCE TERM

TO MAKE IT CLEAR, TAKE AN EXAMPLE

SUPPOSE  $X = 200$  (AT A FIXED VALUE OF  $X$ )

$$Y_1 = 120 = \beta_1 + \beta_2 (200) + u_1$$

$$Y_2 = 136 = \beta_1 + \beta_2 (200) + u_2$$

$$Y_3 = 140 = \beta_1 + \beta_2 (200) + u_3$$

$$Y_4 = 144 = \beta_1 + \beta_2 (200) + u_4$$

$$Y_5 = 145 = \beta_1 + \beta_2 (200) + u_5$$

DETERMINISTIC  
COMPONENT

STOCHASTIC  
COMPONENT

FROM  $Y_i^o = E(Y | X_i) + u_i$

TAKE CONDITIONAL EXPECTED VALUE TO THE ABOVE  
EQUATION:

$$E(Y_i | X_i) = E[E(Y | X_i)] + E(u_i | X_i)$$

$$= E(Y | X_i) + E(u_i | X_i)$$

SINCE  $E(Y_i | X_i) = E(Y | X_i)$ , so.

$$E(u_i | x_i) = 0$$

EMPLECATION ?