

An hourglass with red sand is the central background element. The sand is flowing from the top bulb into the bottom bulb. The top bulb is partially filled, and the sand is captured mid-pour, creating a dynamic visual. The bottom bulb is also partially filled. The background is a soft, out-of-focus light gray.

TIME PREFERENCES

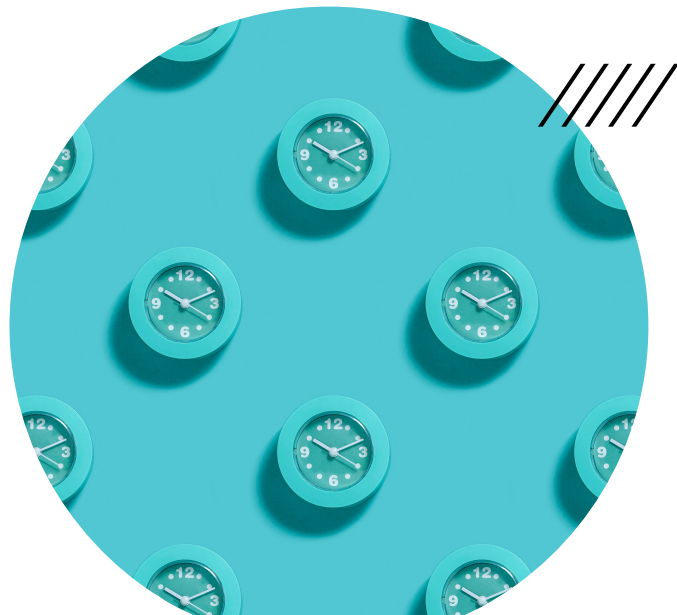
MOTIVATIONS FOR PRESENT-BIASED PREFERENCES

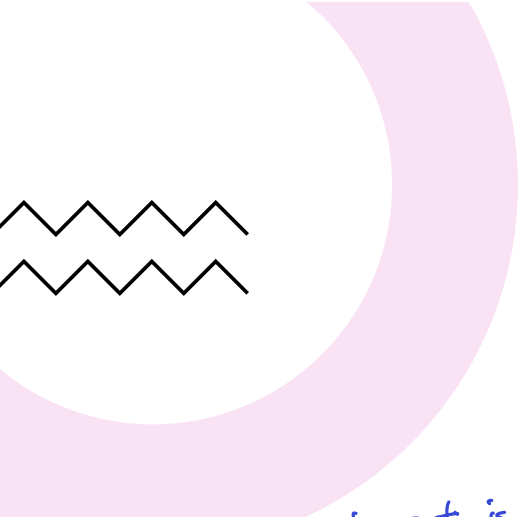
SUNSIREE KOSINDESHA

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**EXPERIMENTAL
EVIDENCE ON
DISCOUNTING**





Suppose you had a choice between getting \$50 in cash one month from today, or getting less than \$50 today. Would you take less than \$50 to get the money today?

getting < \$50 today vs. getting \$50 cash in one month

The respondents who answered affirmatively yes were then asked:

We would like to get is

? cash today ~ \$50 in 1 month
\$30

What is the smallest amount of cash you would take today rather than getting the \$50 one month from today?

eg. \$49 cash today ?
\$40 cash today ?
\$30 cash today ?
\$20 cash today ?
\$10 cash today ?

○ Eliciting discount factor

- Typical procedure ^{elicitation} **elicits** indifference points of the form:

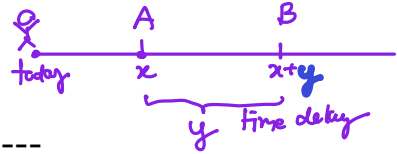
→ ^{amount of cash} A ^{date} at date x $\sim$ B ^{time delay} at date $x + y$

- Then inferences about discounting reflected in these indifference points are made, typically assuming:

* amounts treated as increments to consumption in period received

* linear utility : instantaneous utility is linear

$$\rightarrow D(x) \times A = D(x+y) B$$



$$\frac{D(x+y)}{D(x)} = \frac{A}{B} \quad \text{normally, } \frac{D(x+y)}{D(x)} < 1$$

$A < B$

- There are two strands of research that differ in how results are framed. //

○ One strand: hyperbolic discounting is a better fit.

- Comparing between two functional forms: Exponential Discounting vs. Hyperbolic Discounting, hyperbolic discounting is virtually always a better fit.

- Exponential Discounting: $D(x) = e^{-kx}$

- Hyperbolic Discounting: $D(x) = \frac{1}{1+kx}$

~ present bias
β δ time preference
↑ is called "
quasi-hyperbolic discounting"



○ Second strand: evidence of declining discount rates.

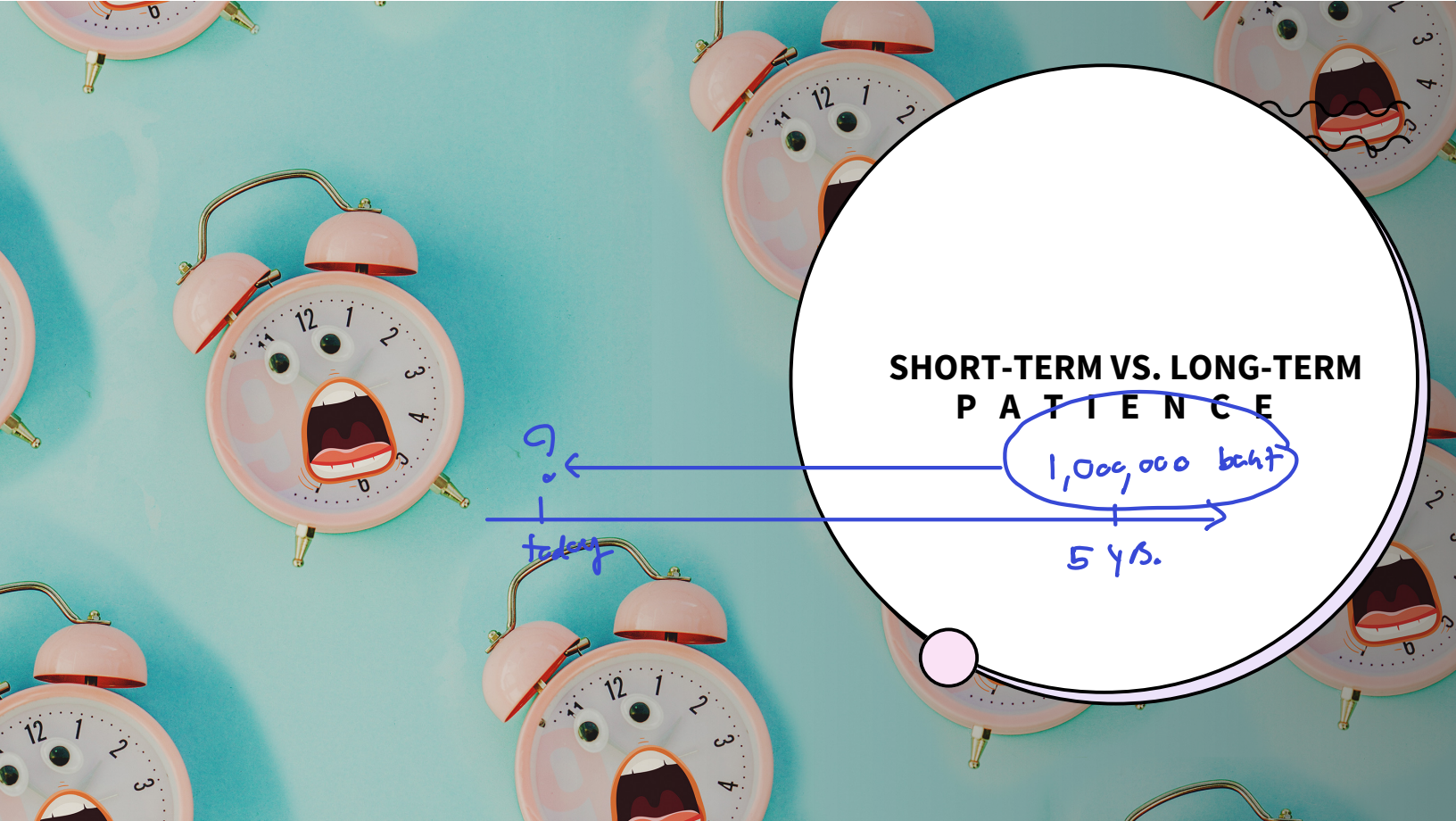
- Average discount rates are lower for longer delays. That is, subjects are more impatient over short delays than over long delays.
- In Thaler (1981)'s "Some empirical evidence on dynamic inconsistency", people were indifferent between:

Indifference condition		Discount rates
the most impatient (1)	(\$15, now) ~ (\$30, in 3 months)	→ 277% → lowest discount factor
	(2) (\$15, now) ~ (\$60, in 1 year)	→ 139%
the least impatient (3)	(3) (\$15, now) ~ (\$100, in 3 years)	→ 63% → highest discount factor

e.g. note $\delta = \frac{1}{1 + \rho}$

discount rate ρ → discount factor δ





SHORT-TERM VS. LONG-TERM PATIENCE

1,000,000 baht

5 yrs.

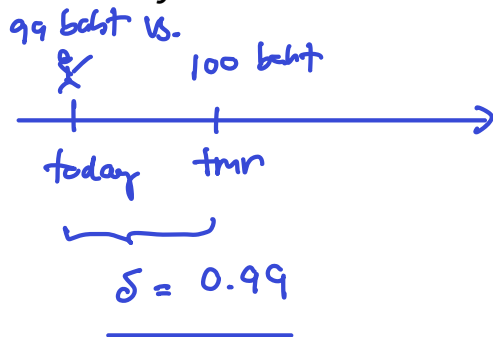
?

today

○ Short-Term vs. Long-Term Patience

- Q: Can I have a 1% preference for today over tomorrow?
- A: Usually, people say yes.

Suppose that :



○ Short-Term vs. Long-Term Patience

Suppose I have a daily discount factor of 0.99

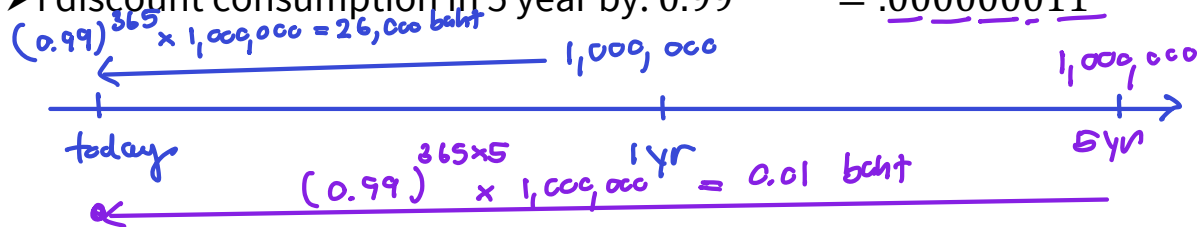
$$\delta = \underline{0.99}, t = \text{one day}$$

➤ I discount tomorrow's consumption by: 0.99

➤ Assuming exponential discounting,

➤ I discount consumption in a year by: $0.99^{365} = .026$

➤ I discount consumption in 5 year by: $0.99^{365 \times 5} = \underline{\underline{.000000011}}$



○ Short-Term vs. Long-Term Patience

Suppose I have a daily discount factor of 0.98 → 2% preference for today over tomorrow

$$\delta = 0.98, t = \text{one day}$$

- I discount tomorrow's consumption by: 0.98
- Assuming exponential discounting,
 - I discount consumption in a year by: $0.98^{365} = .0006$
 - I discount consumption in 5 year by: $0.98^{365 \times 5} = 9.7 \times 10^{-17}$



○ Short-Term vs. Long-Term Patience

e.g. $\delta = 0.9999999999999$
not just $\delta = 0.99$

- Exponential discounting implies almost perfect day-to-day patience ($\delta \approx 1$). That is, exponential discounting implies virtually no discounting, over daily or even weekly decisions.

- This seems counterfactual.

- If we see a daily discount factor that is much less than one, exponential discounting is probably a bad model.

∴ exponential discounting is not a good explanation for short-term impatience.



○ Reference

- O'Donoghue, Ted. 2019. “Intertemporal choices: Introduction”
Lecture Note for ECON 7580, Cornell University
- Tripp, Brandon. 2018. Overheads for ECON 3670, Cornell University

