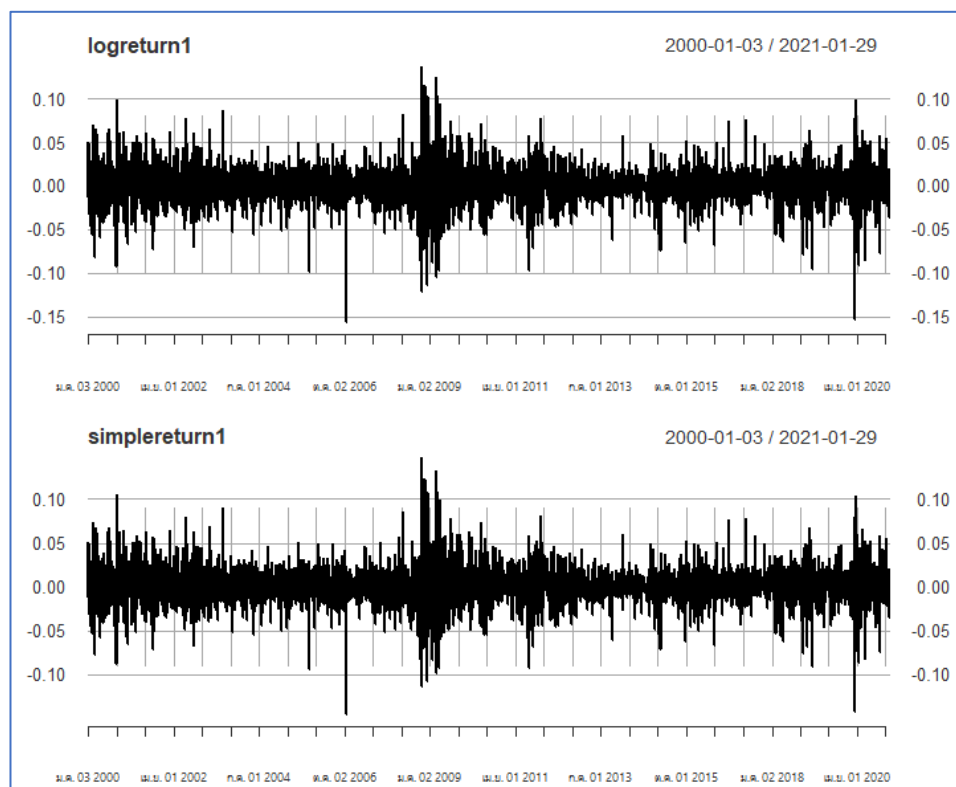
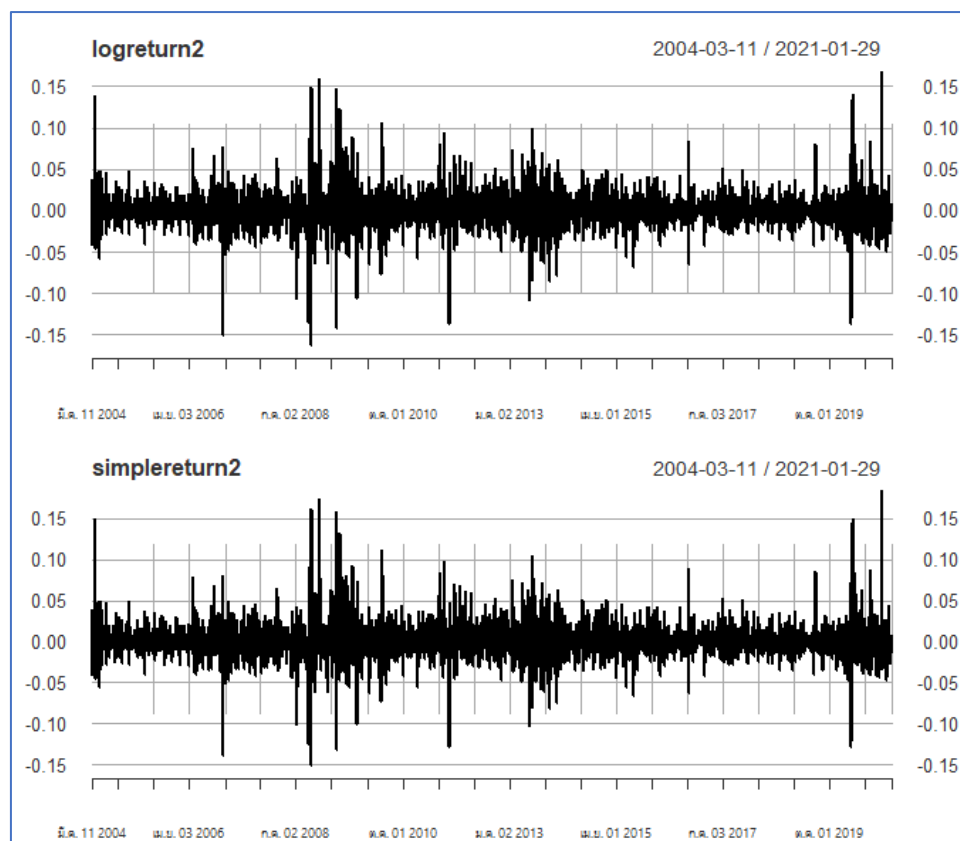


Assignment 2

a.1) CAT



a.2) AOT.BK



b)

	CAT. Adjusted		AOT. BK. Adjusted
observations	5302.0000	observations	4158.0000
NAs	0.0000	NAs	0.0000
Minimum	-0.1452	Minimum	-0.1505
Quartile 1	-0.0095	Quartile 1	-0.0093
Median	0.0005	Median	0.0000
Arithmetic Mean	0.0007	Arithmetic Mean	0.0010
Geometric Mean	0.0005	Geometric Mean	0.0007
Quartile 3	0.0110	Quartile 3	0.0103
Maximum	0.1472	Maximum	0.1834
SE Mean	0.0003	SE Mean	0.0003
LCL Mean (0.95)	0.0001	LCL Mean (0.95)	0.0003
UCL Mean (0.95)	0.0013	UCL Mean (0.95)	0.0016
Variance	0.0004	Variance	0.0005
Stdev	0.0205	Stdev	0.0213
Skewness	0.0197	Skewness	0.5443
Kurtosis	4.5480	Kurtosis	10.0827
>		>	

CAT: sample mean is 0.0007, standard deviation is 0.0205, skewness is 0.0197, excess kurtosis is 4.5480, minimum simple return is -0.1453 and maximum simple return is 0.1472

AOT: sample mean is 0.0010, standard deviation is 0.0213, skewness is 0.5443, excess kurtosis is 10.0827, minimum simple return is -0.1505 and maximum simple return is 0.1834

c) CAT

```
> #(C.1) CAT
> jarque.bera.test(newsimplereturn1)

Jarque Bera Test

data: newsimplereturn1
X-squared = 4569.9, df = 2, p-value < 2.2e-16
```

H0: r_t is distributed as normal

H1: r_t is not distributed as normal

$\alpha = 0.05$

Since p-value computed of simple return of Caterpillar stock (CAT) is less than $2.2e-16$. Then, we reject the null hypothesis. It mean that the return(r_t) of CAT is not distributed as normal with 95% confidence interval.

d.

	CAT. Adjusted		AOT. BK. Adjusted
Observations	5302.0000	Observations	4158.0000
NAs	0.0000	NAs	0.0000
Minimum	-0.1569	Minimum	-0.1632
Quartile 1	-0.0095	Quartile 1	-0.0093
Median	0.0005	Median	0.0000
Arithmetic Mean	0.0005	Arithmetic Mean	0.0007
Geometric Mean	0.0003	Geometric Mean	0.0005
Quartile 3	0.0110	Quartile 3	0.0102
Maximum	0.1373	Maximum	0.1684
SE Mean	0.0003	SE Mean	0.0003
LCL Mean (0.95)	-0.0001	LCL Mean (0.95)	0.0001
UCL Mean (0.95)	0.0010	UCL Mean (0.95)	0.0014
Variance	0.0004	Variance	0.0004
Stdev	0.0205	Stdev	0.0212
Skewness	-0.1836	Skewness	0.1746
Kurtosis	4.6982	Kurtosis	9.6096
>		>	

CAT: sample mean is 0.0005, standard deviation is 0.0205, skewness is -0.1836, excess kurtosis is 4.6982, minimum simple return is -0.1569 and maximum simple return is 0.1373

AOT: sample mean is 0.0007, standard deviation is 0.0212, skewness is 0.1746, excess kurtosis is 9.6096, minimum simple return is -0.1632 and maximum simple return is 0.1684

e.1) Test of mean for Caterpillar stock (CAT)

```

One Sample t-test

data: newlogreturn1
t = 1.7296, df = 5301, p-value = 0.08377
alternative hypothesis: true mean is not equal to 0
95 percent confidence interval:
 -6.513168e-05  1.041069e-03
sample estimates:
mean of x
0.0004879685

```

H0: the mean of log return of CAT stock is zero

H1: the mean of log return of CAT stock is not zero

$\alpha = 0.05$

Since p-value is greater than $\alpha=0.05$ (95% confidence level). It means that we cannot reject the null hypothesis. Therefore, the mean of log return of Caterpillar stock (CAT) is equal to zero with 95% confidence interval.

e.2) Test of mean for AOT.BK

```

One Sample t-test

data: newlogreturn2
t = 2.2696, df = 4157, p-value = 0.02328
alternative hypothesis: true mean is not equal to 0
95 percent confidence interval:
 0.0001016629 0.0013915769
sample estimates:
mean of x
0.0007466199

```

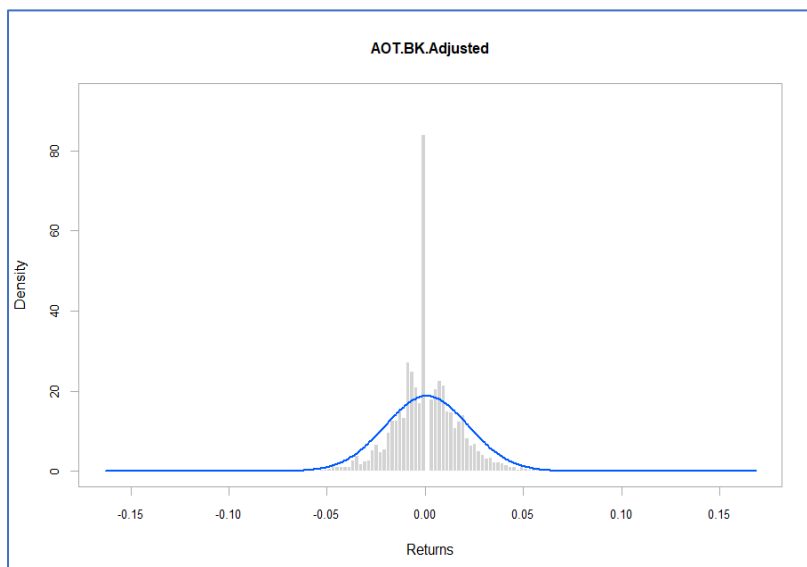
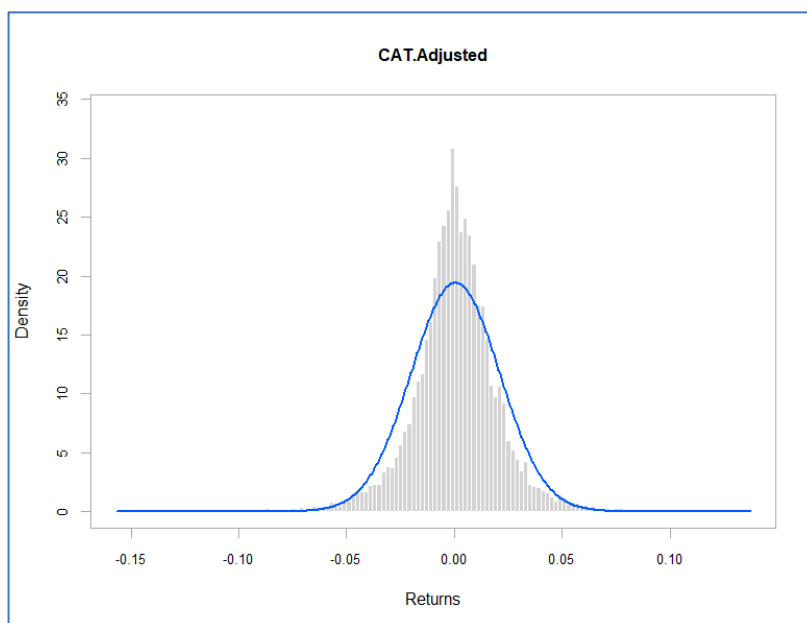
H_0 : the mean of log return of AOT.BK stock is zero

H_1 : the mean of log return of AOT.BK stock is not zero

$\alpha = 0.05$

Since p-value is smaller than $\alpha=0.05$ (95% confidence level). It means that we reject the null hypothesis. Therefore, the mean of log return of AOT.BK stock is not equal to zero with 95% confidence interval.

f)



g.1) CAT

From e.1), the 95% confidence interval is [-6.513168e-05 ,1.041069-03]

g.2) AOT.BK

From e.2), the 95% confidence interval is [0.0001016629 ,0.0013915769]

h.1 CAT Skewness test

```
> #(H.1) CAT Test Skewness =0
> T=length(newlogreturn1)
> m3=skewness(newlogreturn1)
> tst=m3/sqrt(6/T)
> tst
[1] -5.458812
> pv = 2*pnorm(tst)
> pv
[1] 4.793299e-08
> |
```

H0: Skewness of $r_t = 0$

H1: Skewness of $r_t \neq 0$

$\alpha = 0.05$

Since $S_{cal}^*(r_t) > \text{critical number (1.96)}$. Then, we reject the null hypothesis. Therefore, the skewness of CAT return is not equal to zero with 95% confidence interval.

h.2 AOT.BK Skewness test

```
> #(H.2) AOT.BK Test Skewness =0
> T=length(newlogreturn2)
> m3=skewness(newlogreturn2)
> tst=m3/sqrt(6/T)
> tst
[1] 4.596526
> pv = 2*(1-pnorm(tst))
> pv
[1] 4.29594e-06
>
```

H0: Skewness of $r_t = 0$

H1: Skewness of $r_t \neq 0$

$\alpha = 0.05$

Since $S_{cal}^*(r_t) > \text{critical number (1.96)}$. Then, we reject the null hypothesis. Therefore, the skewness of AOT.BK return is not equal to zero with 95% confidence interval.

```

I.1  > #(i.1) Test excess kurtosis =0
      > k4 = kurtosis(newlogreturn1)
      > tst = k4/sqrt(24/T)
      > tst
      [1] 69.83078
      > pv = 2*(1-pnorm(tst))
      > pv
      [1] 0
      > |

```

$H_0: K(r_t) - 3 = 0$

$H_1: K(r_t) - 3 \neq 0$

$\alpha = 0.05$

Since $K_{cal}^*(r_t) > \text{critical number (1.96)}$. Then, we reject the null hypothesis. Therefore, the excess kurtosis of CAT return is not equal to zero with 95% confidence interval.

```

I.2  > #(i.2) Test excess kurtosis =0
      > k4 = kurtosis(newlogreturn2)
      > tst = k4/sqrt(24/T)
      > tst
      [1] 126.4855
      > pv = 2*(1-pnorm(tst))
      > pv
      [1] 0
      > |

```

$H_0: K(r_t) - 3 = 0$

$H_1: K(r_t) - 3 \neq 0$

$\alpha = 0.05$

Since $K_{cal}^*(r_t) > \text{critical number (1.96)}$. Then, we reject the null hypothesis. Therefore, the excess kurtosis of AOT.BK return is not equal to zero with 95% confidence interval.