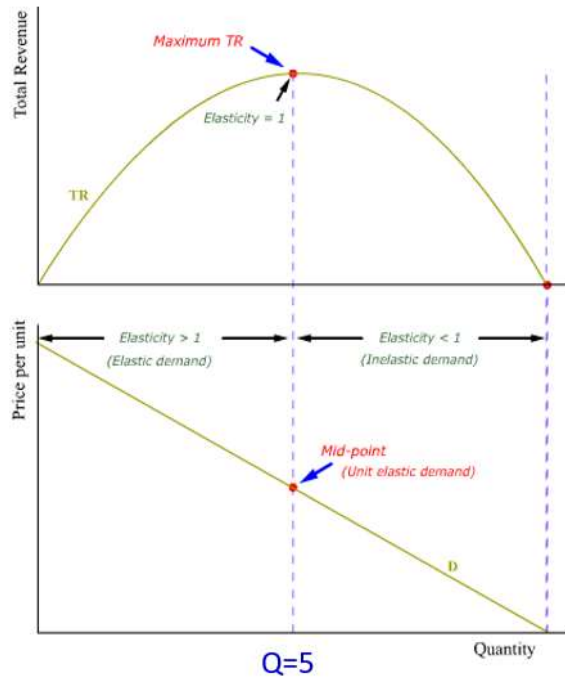


Quadratic function: revenue function/break even analysis



$$\left| \frac{\% \Delta Q}{\% \Delta P} \right| : \begin{array}{ll} > 1 ; & \text{elastic} \\ = 1 ; & \text{unit elastic} \\ < 1 ; & \text{inelastic} \end{array}$$

Revenue maximizing output:
unit elasticity

Profit-maximizing output:
under region with **elastic** demand

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Exercise 2B. Consider a function that relates tax revenues R , in billions of dollars, to the average tax rate t such that $R = 350t - 500t^2$.

- What tax rate(s) is consistent with raising tax revenues equal to \$60 billion?
- What tax rate(s) is consistent with raising tax revenues equal to \$61.25 billion?
- What tax rate is consistent with the maximum tax revenue?

$$\begin{aligned} \text{(a)} \quad & 350t - 500t^2 \\ & = 60 \\ & = 500t^2 - 350t + 60 \\ & = 50t^2 - 35t + 6 \\ & = (5t - 2)(10t - 3) \\ & t = \frac{2}{5}, \frac{3}{10} \end{aligned}$$

$$\begin{aligned} \text{(b)} \quad & 350 - 500t^2 \\ & = 61.25 \\ & = 500t^2 - 350t + 61.25 \\ & \quad 350 \pm \sqrt{(1350)^2 - 4(500)(61.25)} \\ & \quad \quad \quad 1000 \\ & t = \frac{7}{20} \end{aligned}$$

$$\begin{aligned} \text{(c)} \quad & \text{Max } R(t) : \\ & R = 350t - 500t^2 \\ & = 350 - 1000t \\ & t = \frac{350}{1000} \\ & = 0.35 \text{ \#} \end{aligned}$$