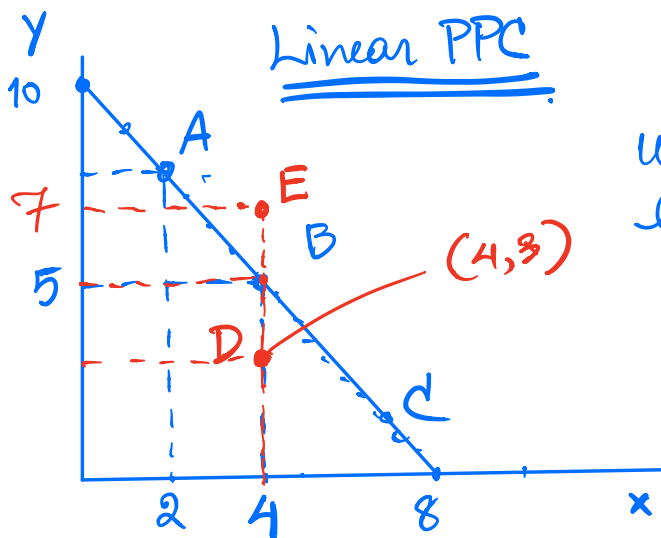


Production Possibility Curve. (PPC)

A given economy has a certain amount of resources (land, labor, capital), what can the economy produce at the most efficient possible way.

Assumptions

- 1) The economy can produce 2 products (X+Y)
- 2) Limited resources (Land, Labor, Capital)
- 3) Full Employment.
- 4) Full Efficiency - no waste, using the best technology available.
- 5) Fixed Technology.



x = Food
y = Clothes.

Using all resources with the best technology at full efficiency

max x = 8 tons
max y = 10 thousand pieces.

$$Y = 10 - \frac{10}{8}x$$
$$= 10 - 1.25x.$$

PPC demonstrates that

- 1) Every point on PPC is the max x+y that can be produced by the economy

- 2) Any point below PPC is inefficient, not full employment or not best technology
- 3) Any point above PPC is impossible.
- 4) Scarcity of resources \Rightarrow scarcity of $X+Y$
 If we want more of X , we have to sacrifice some of Y .

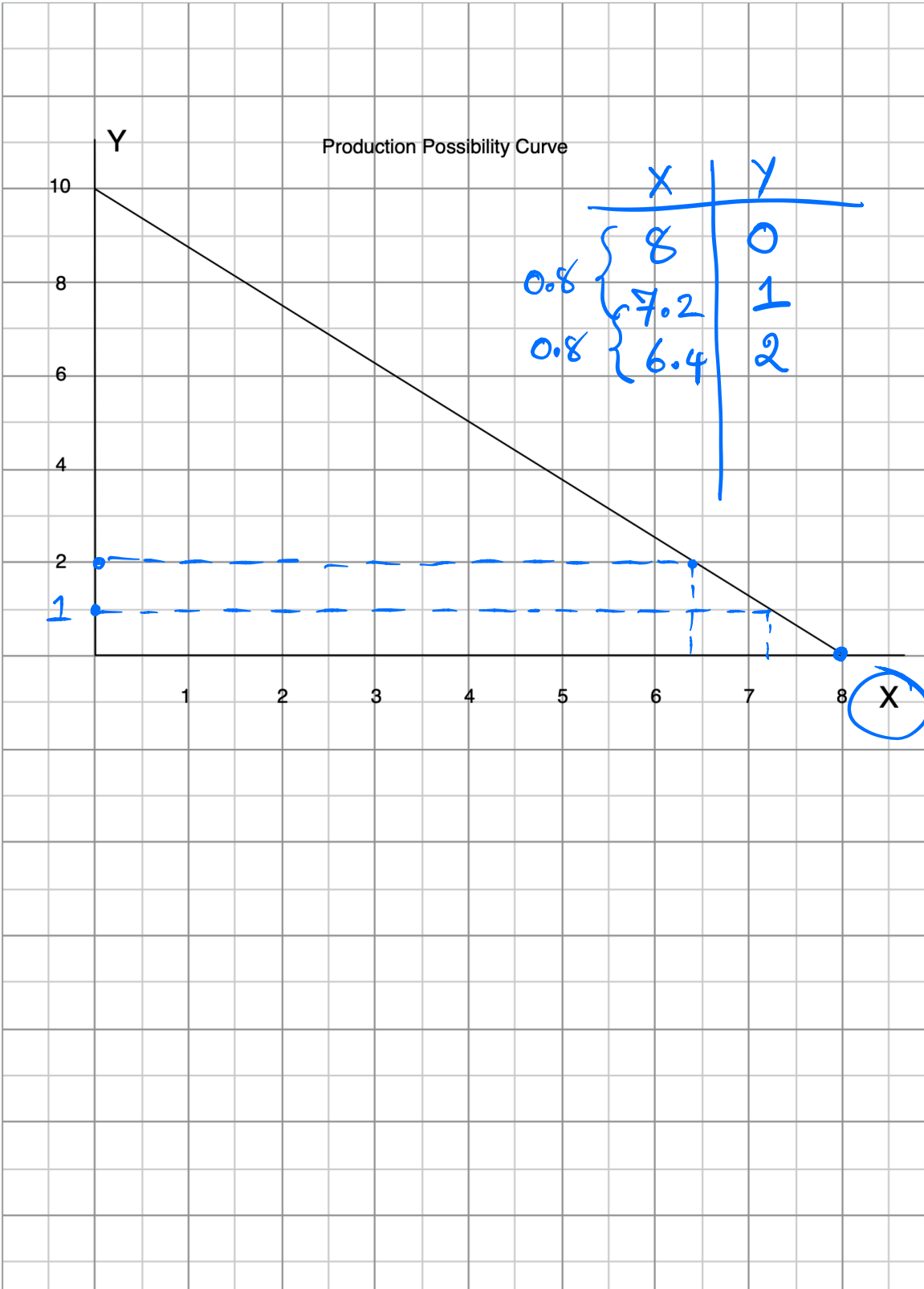
X	Y
0	10
1	8.75
2	7.5
3	6.25
4	5
5	3.75
6	2.5
7	1.25
8	0

$$Y = 10 - 1.25X$$

5 Each additional unit of X
 \Rightarrow 1.25 units less of Y .

1.25 unit of Y = the opposite of each additional unit of X .

= - slope of PPC. (with X as horizontal axis).

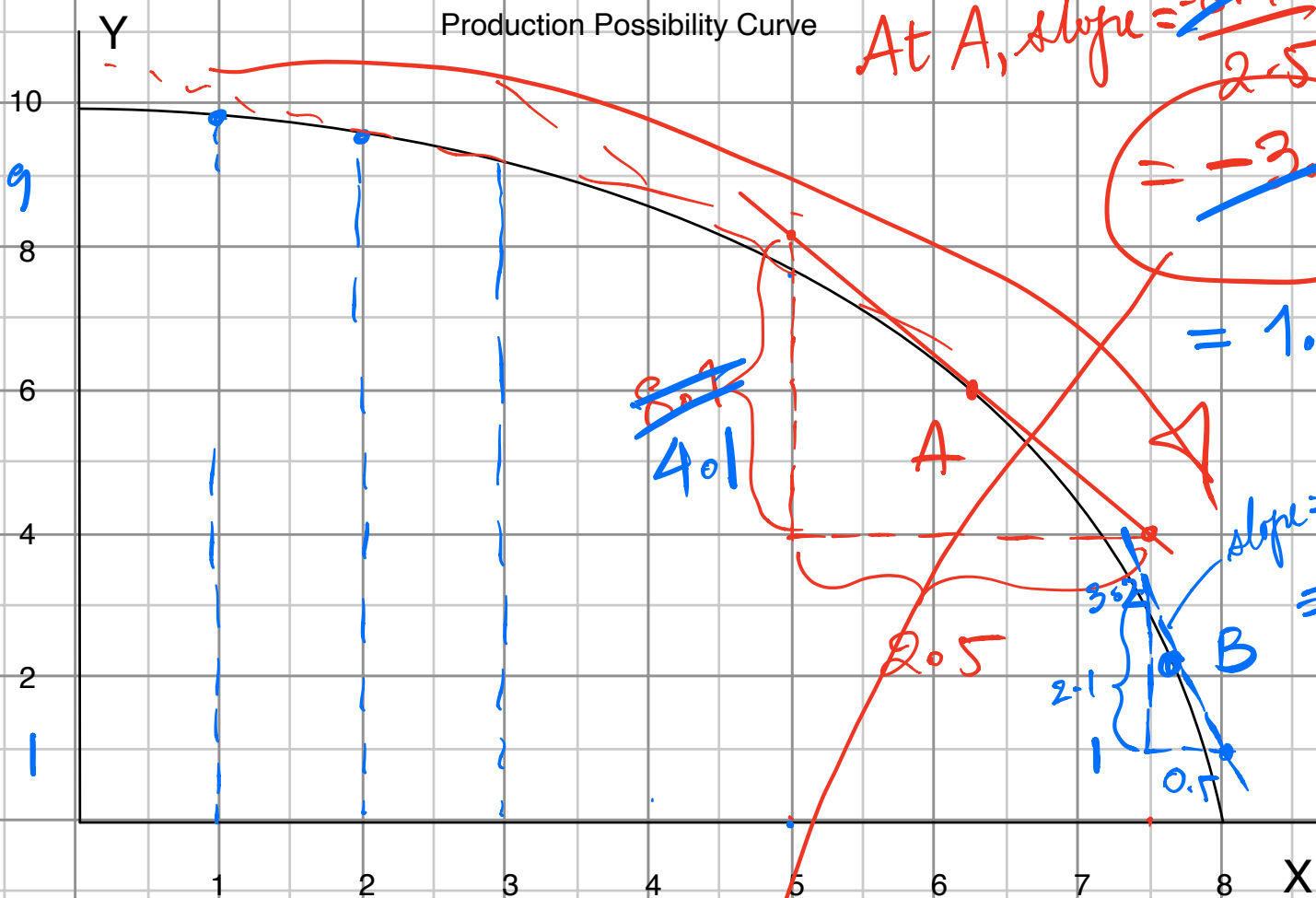


6) Each additional unit of Y
 \Rightarrow 0.8 unit less of X .

opp. cost/unit of Y = 0.8 unit of X .

= $-\frac{1}{\text{slope}}$ (with X as horizontal axis).

7) Linear PPC \Rightarrow constant opp cost.
called constant cost PPC.



At A, slope = $-\frac{8.9}{2.5} = -3.24$
 $= 1.64$

At B, slope = $-\frac{2.2}{0.5} = -4.4$

This is Increasing Cost PPC

At A, the opp cost of X/unit = 1.64 unit of Y

At A, the opp cost of Y/unit = $\frac{1}{1.64} = 0.609$ unit of X

X	Y	
0	10	} 0.1
1	9.9	
2	9.6	} 0.3
3	9.2	
4	8.7	} 0.5
5	7.7	
		} 1

At A, if we want more of $X = \Delta X = 0.1$
 we have to sacrifice $\Delta Y \approx -1.64 \Delta X$
 $= -1.64(0.1)$
 $= -0.164.$

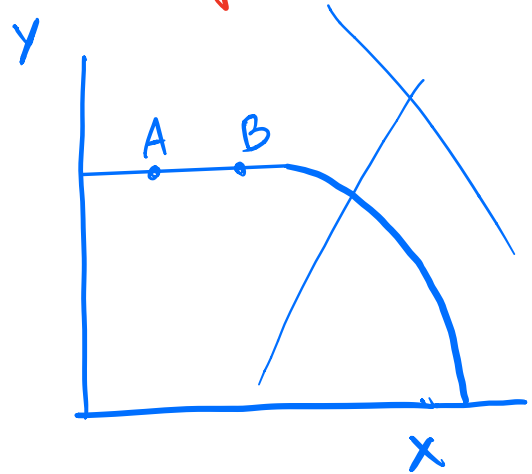
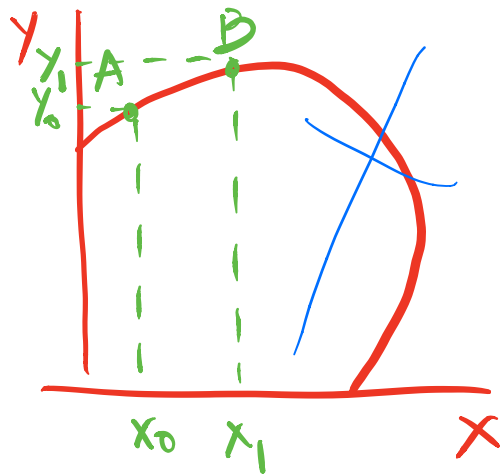
At A, if we want more of $Y = \Delta Y = 0.2$
 we have to sacrifice $\Delta X \approx$

$$\begin{aligned}
 0.0617 &= \frac{0.2}{1.64} \\
 &= ?
 \end{aligned}$$

The PPC shows that the
 OPP of X is increasing as we increase
 X from 0 to 8.

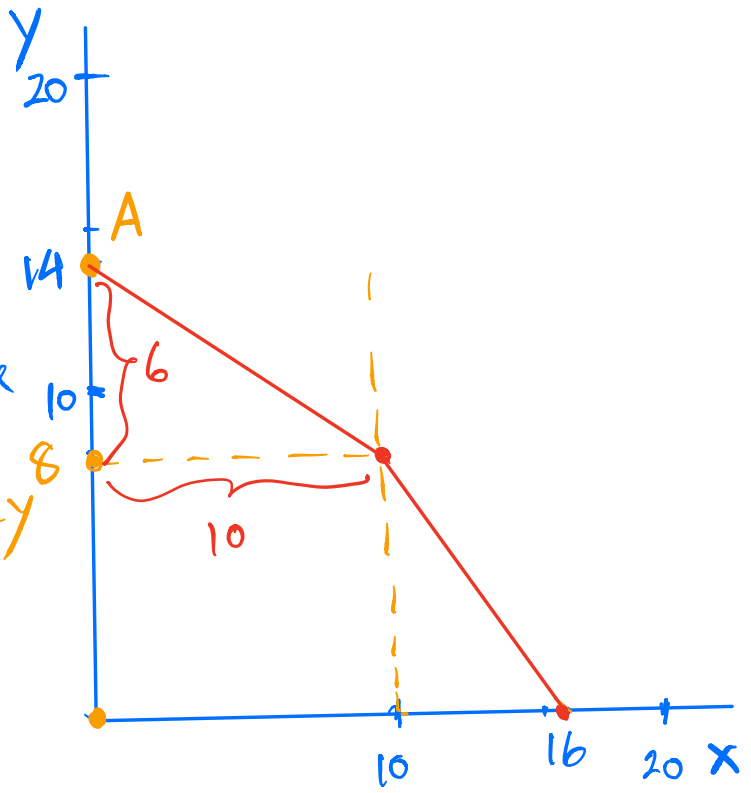
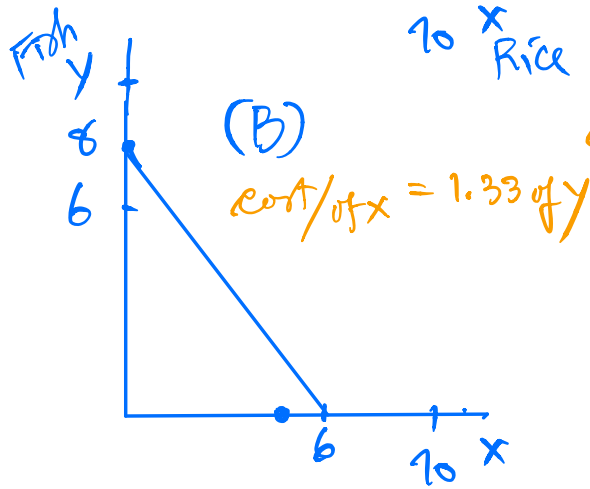
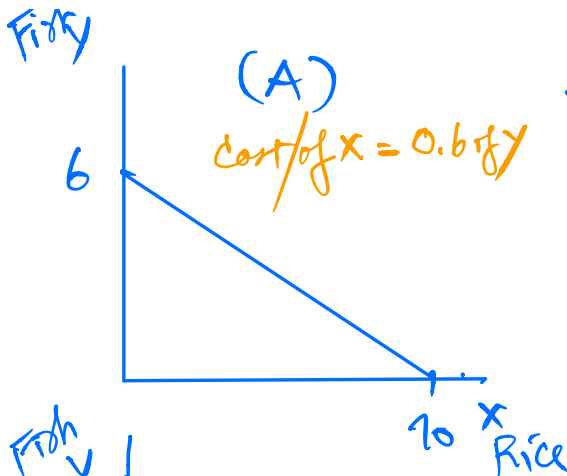
	Cost of X /unit	Cost of Y /unit
A	1.64	$\frac{1}{1.64} = 0.609$
B	4.4	$\frac{1}{4.4} = 0.227$

Can PPC has positive slope?



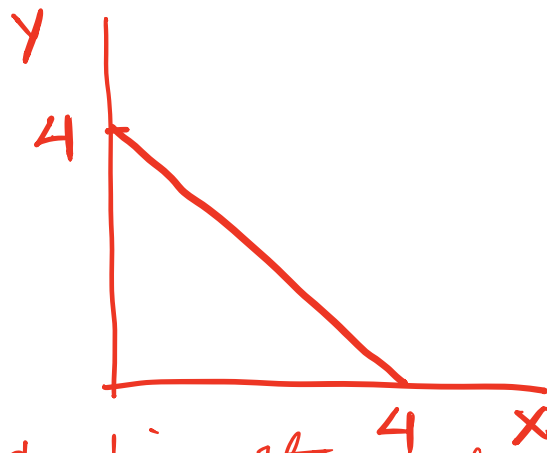
-
- Decreasing Cost PPC does not make economic sense.
 - We can demonstrate by the following example that PPC will be mostly increasing cost.

Assume we have 2 farmers who produce
 $X = \text{Rice}$, $Y = \text{fish}$.



X	Y
0	14
1	13.4
2	12.8
⋮	⋮
10	8
11	6.67
12	5.33
⋮	⋮
16	0

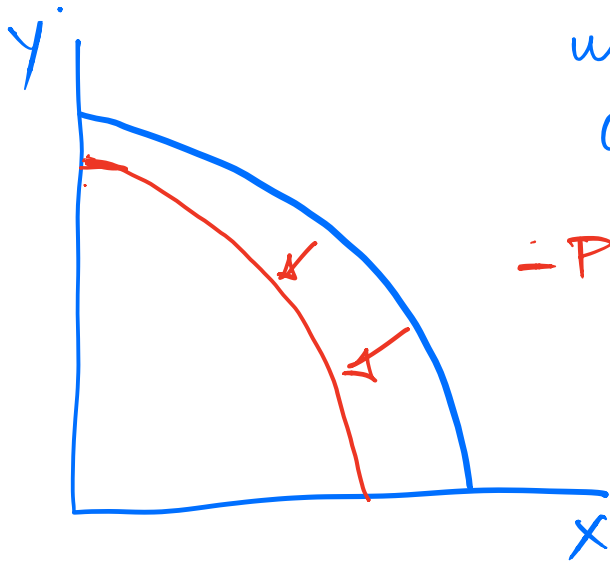
H.W. Farmer C



Combine these 3 farmers and draw the PPC.

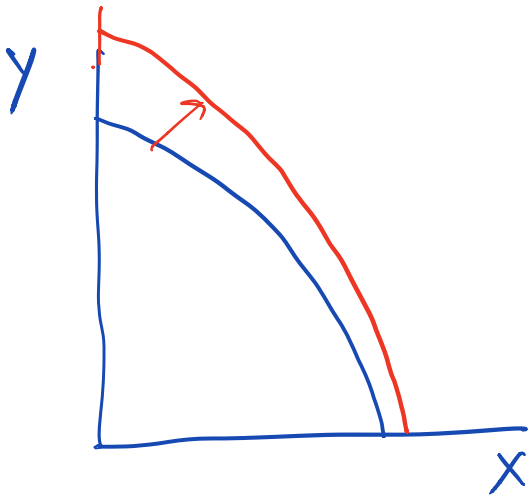
Change in PPC

- a given PPC is based on the amount of resources used most efficiently at best tech available.

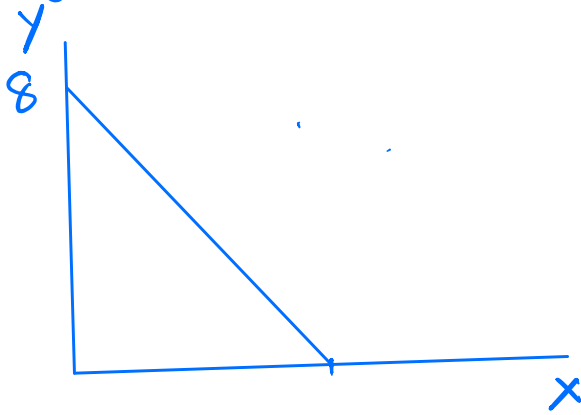


- PPC shifts inward due to COVID-19.

Better technology



H.W. If the technology of producing X improves so much that the amount of X we can have doubles at all quantities of Y . How will the PTC below change?



Cost of X is higher?
Cost of Y is higher?

H.W. Due
Sept 1.